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In [1]: import os
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In [2]: os.getcwd()
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Out[2]: 'C:\\Users\\raman'
```

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In [3]: os.chdir(r'graph_decay')
```

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In [4]: import pandas as pd
import glob
import numpy as np
import matplotlib.pyplot as plt
import scipy.optimize
```

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In [5]: def biexp(t, a1, a2, tau1, tau2):
return a1* (np.exp(-t/tau1)) + a2* (np.exp(-t/tau2))
```

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In [6]: def monoexp(t, a, tau):
return a* np.exp(-t/tau)
```

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In [20]: def plotf(x,y,z):
fn = z.split('\\')
fn1 = fn[3].split('.')
p0 = (10, 10, 0.08, 0.2)
params, cv = scipy.optimize.curve_fit(biexp,x, y, p0, maxfev = 10000)
a1, a2, tau1, tau2 = params
plt.plot(x, y, '.', label="data")
plt.plot(x, biexp(x, a1, a2, tau1, tau2), '--', label = fn1[0])

plt.title("Fitted BiExponential Curve")
plt.ylabel('Intensity(a.u)')
plt.xlabel('t(ms)')
plt.legend()
plt.show()
tau1 = '%.4f'%tau1
tau2 = '%.4f'%tau2
print(f"{a1} * e^(-t/{tau1}) + {a2} * e^(-t/{tau2})")
print(p0)

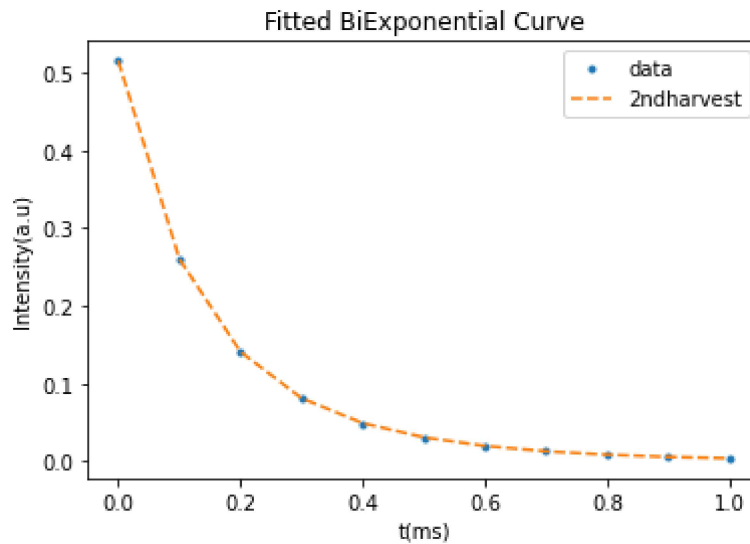
with open(f't2_time3.txt', 'a') as f:
    f.write(f'{fn1[0]}&{tau1}&{tau2}\\ \\hline \n')
```

```
In [21]: path = r'graph_decay' # use your path
all_files = glob.glob(path + "/*.csv")
l = 0

for filename in all_files:

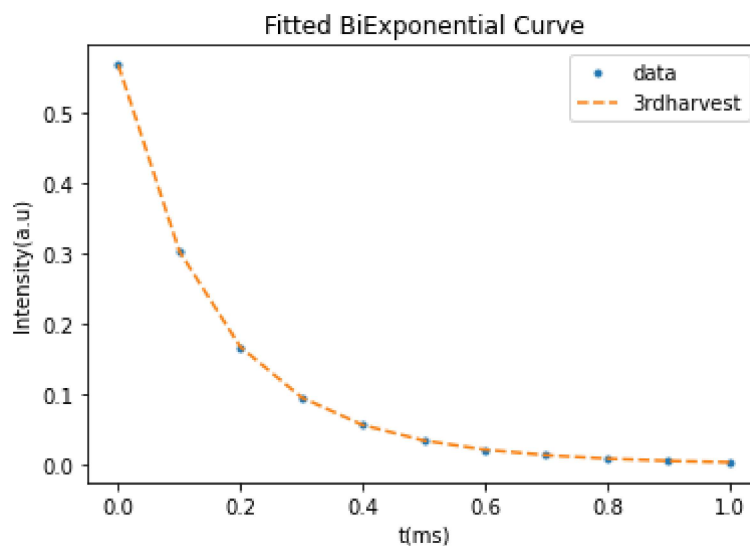
    df = pd.read_csv(filename, index_col=None, header=0, comment = '#' ,skip_blank_
#print(df.head(1))
    df.columns = ['x', 'isum', 'exponentialfit1', 'integral1', 'exponentialfit2',
    l = l+1
    m = df.x
    n = df.isum
    z = filename
    plotf(m,n,z)
```

```
print("count:",1)
```



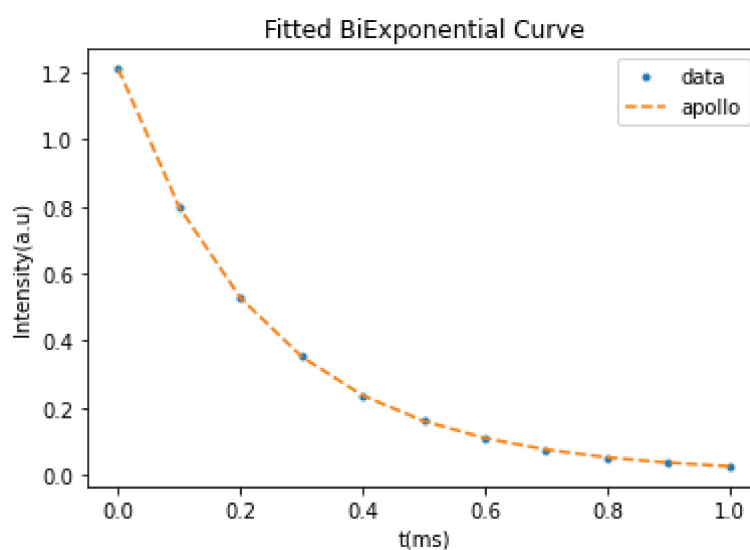
$$0.3016015784345812 * e^{(-t/0.1067)} + 0.2137785298606045 * e^{(-t/0.2452)}$$

(10, 10, 0.08, 0.2)



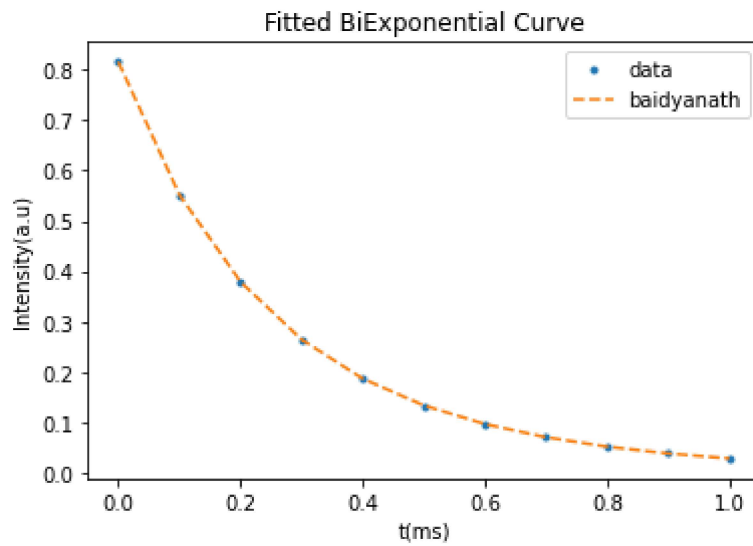
$$0.40006313107777514 * e^{(-t/0.1322)} + 0.16801043791160608 * e^{(-t/0.2681)}$$

(10, 10, 0.08, 0.2)



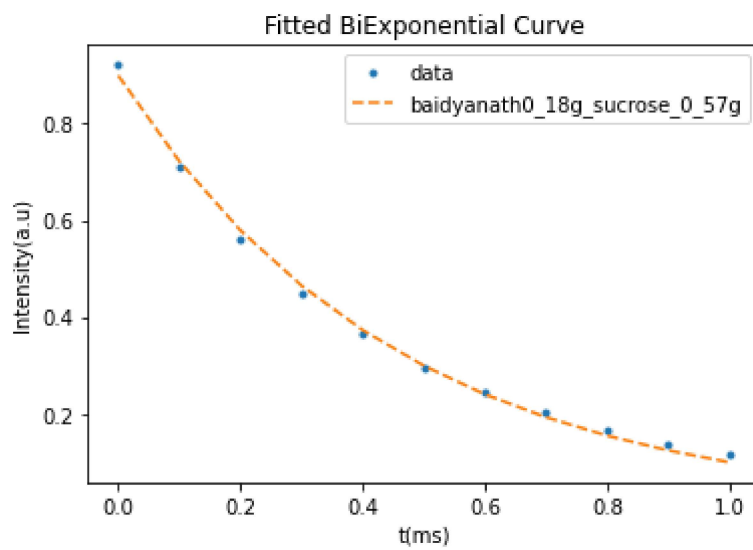
$$0.7654380772120803 * e^{(-t/0.2069)} + 0.44580132272219264 * e^{(-t/0.3159)}$$

(10, 10, 0.08, 0.2)



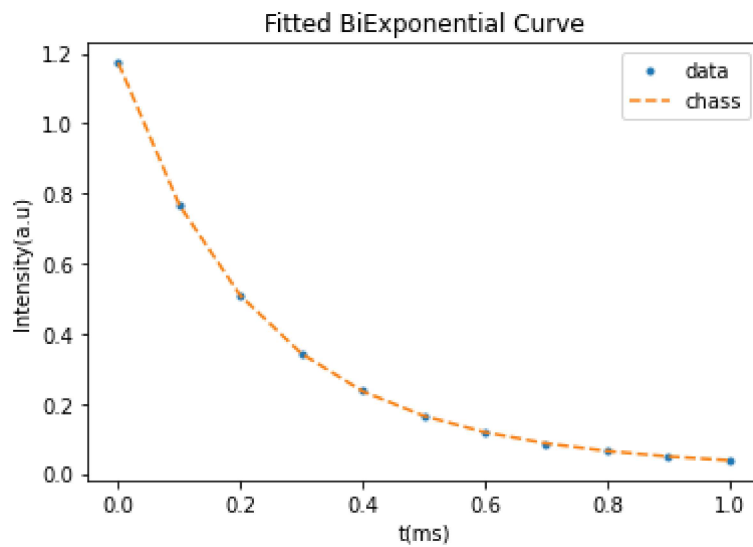
$$0.3906303267011526 * e^{(-t/0.1879)} + 0.42463657110217723 * e^{(-t/0.3619)}$$

(10, 10, 0.08, 0.2)



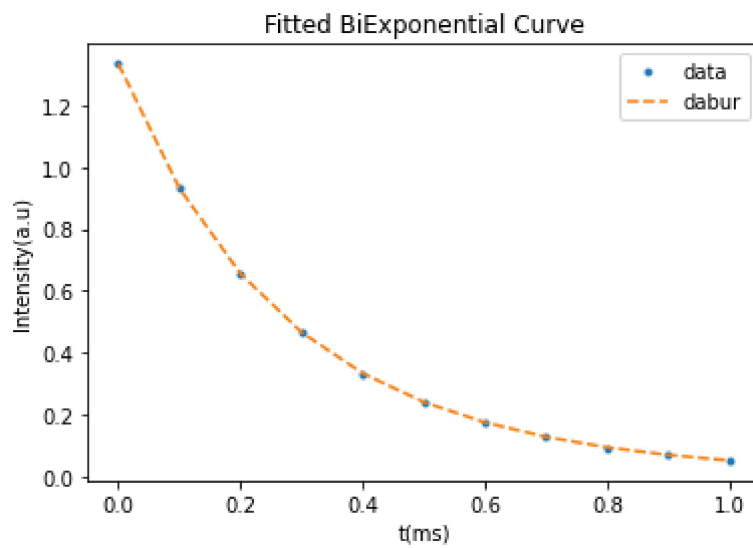
$$2.1022527937535886 * e^{(-t/0.4546)} + -1.203160285731965 * e^{(-t/0.4546)}$$

(10, 10, 0.08, 0.2)



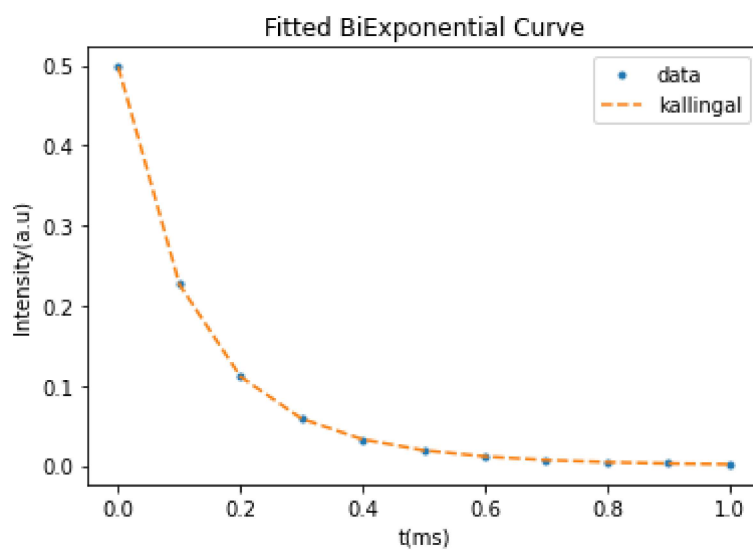
$$0.9842821666856914 * e^{(-t/0.2086)} + 0.18907456577869172 * e^{(-t/0.5469)}$$

(10, 10, 0.08, 0.2)



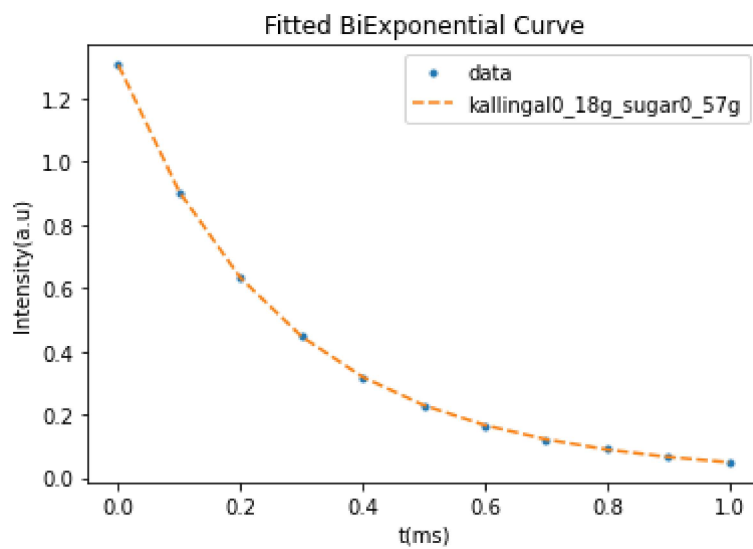
$$0.6610054017450453 * e^{(-t/0.2179)} + 0.6735487665536615 * e^{(-t/0.3693)}$$

(10, 10, 0.08, 0.2)



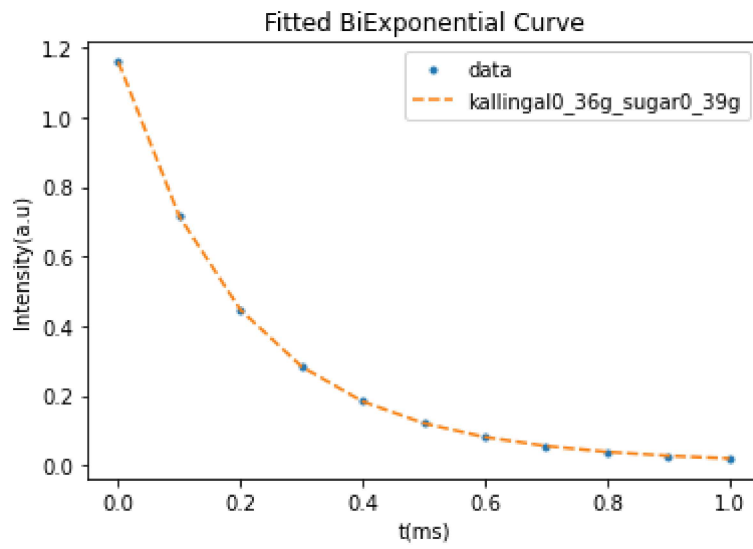
$$0.3149226899806392 * e^{(-t/0.0968)} + 0.1835317828204736 * e^{(-t/0.2117)}$$

(10, 10, 0.08, 0.2)



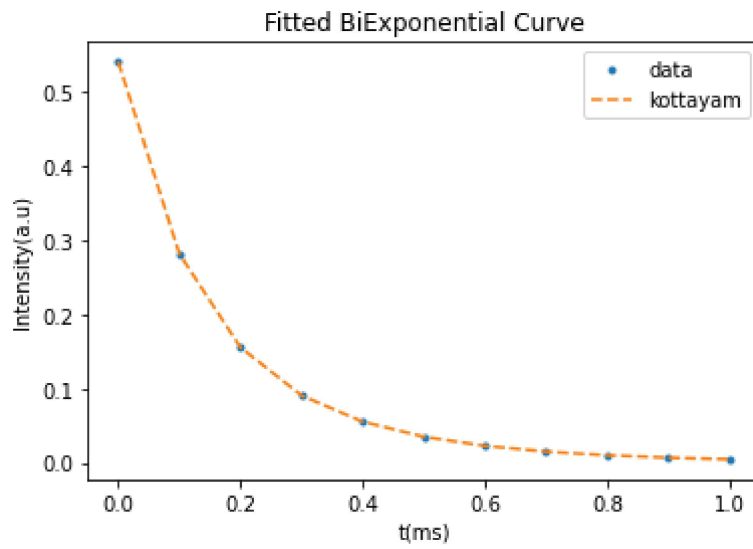
$$0.6102164716333474 * e^{(-t/0.2060)} + 0.6953719730426795 * e^{(-t/0.3632)}$$

(10, 10, 0.08, 0.2)



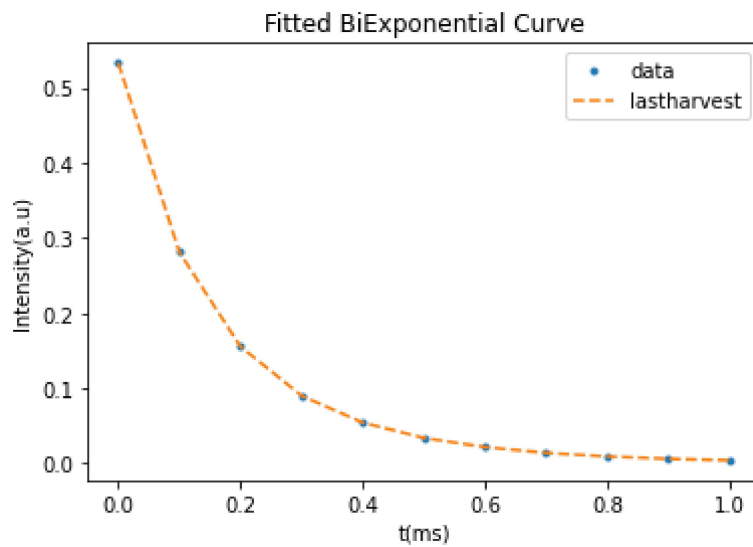
$$0.9232285700852053 * e^{(-t/0.1831)} + 0.2356859511545763 * e^{(-t/0.3667)}$$

(10, 10, 0.08, 0.2)



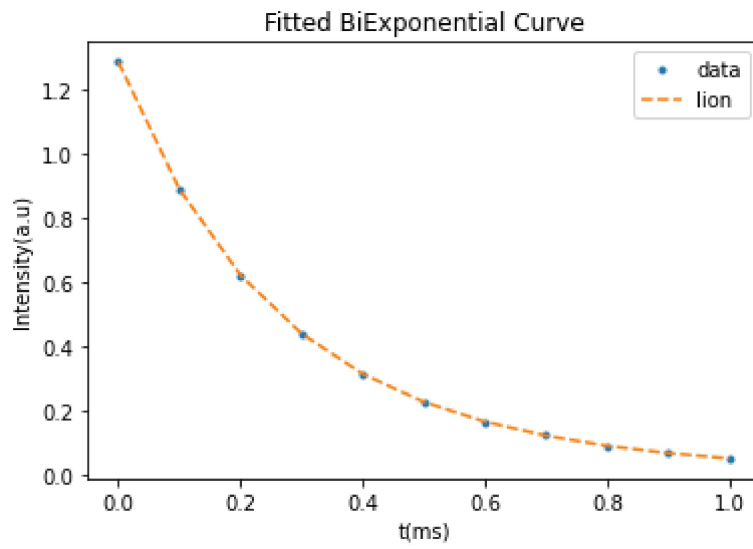
$$0.3290242222898253 * e^{(-t/0.1147)} + 0.21205276764779124 * e^{(-t/0.2587)}$$

(10, 10, 0.08, 0.2)



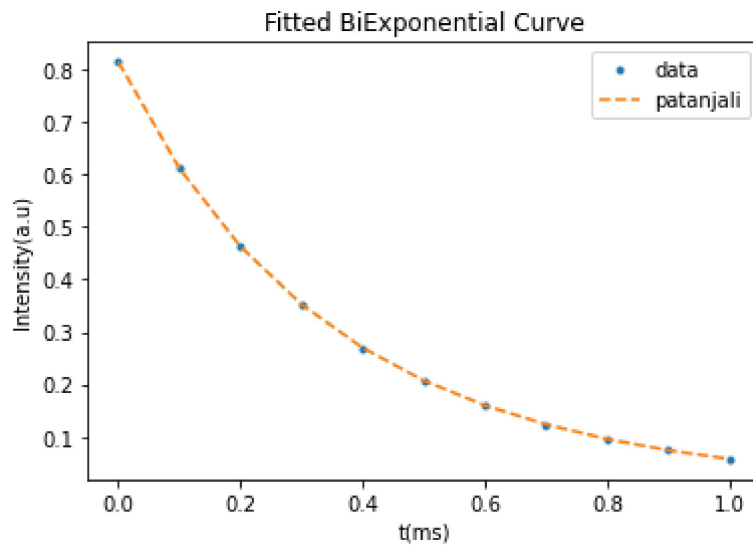
$$0.3269869193731022 * e^{(-t/0.1198)} + 0.20614654805729876 * e^{(-t/0.2542)}$$

(10, 10, 0.08, 0.2)



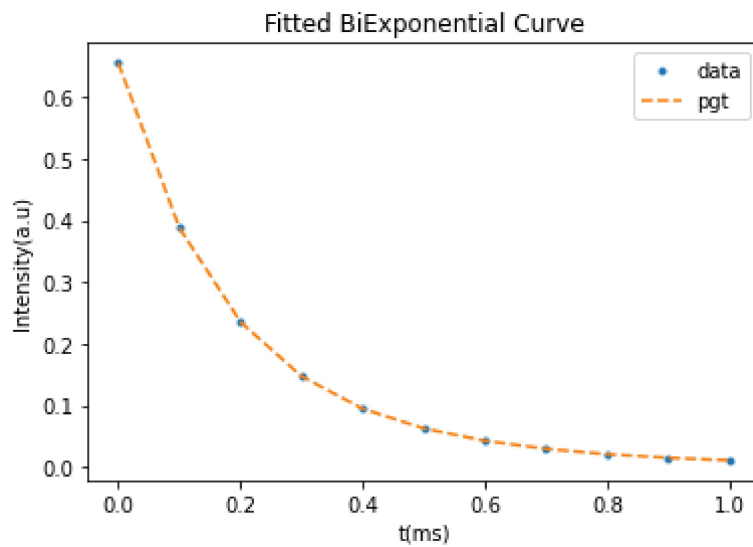
$$0.7598995507580284 * e^{(-t/0.2174)} + 0.5241793299243483 * e^{(-t/0.4002)}$$

(10, 10, 0.08, 0.2)



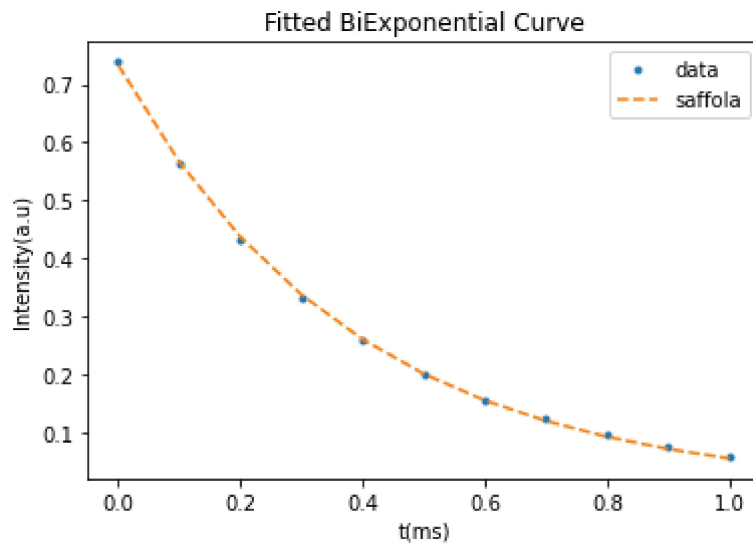
$$0.6718179591308371 * e^{(-t/0.4056)} + 0.14192756317766783 * e^{(-t/0.1991)}$$

(10, 10, 0.08, 0.2)



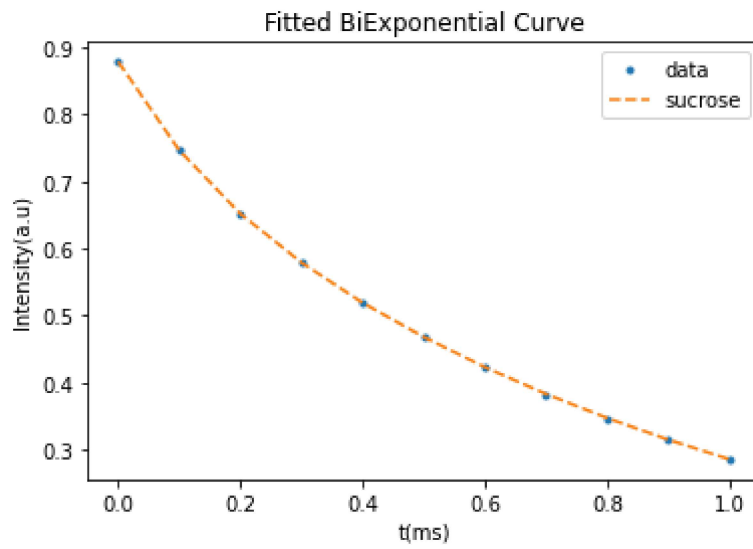
$$0.4806906542157186 * e^{(-t/0.1591)} + 0.1742997169297241 * e^{(-t/0.3500)}$$

(10, 10, 0.08, 0.2)



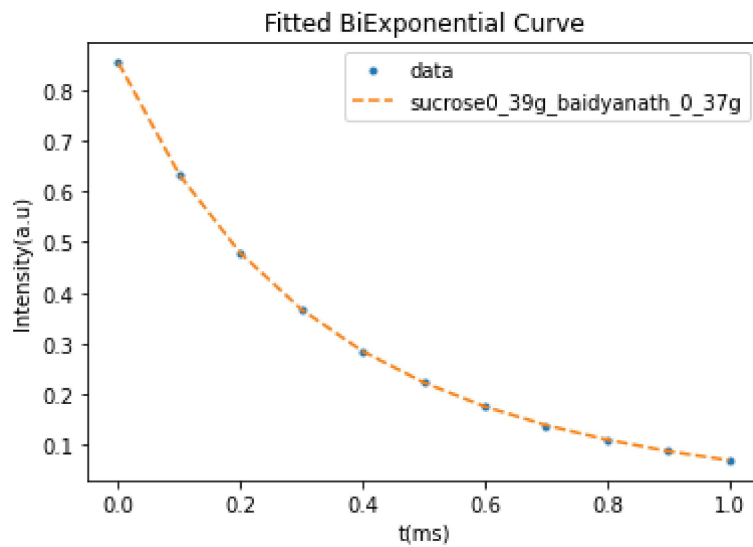
$$0.7803712756713105 * e^{(-t/0.3864)} + -0.04741132410378242 * e^{(-t/0.3864)}$$

(10, 10, 0.08, 0.2)



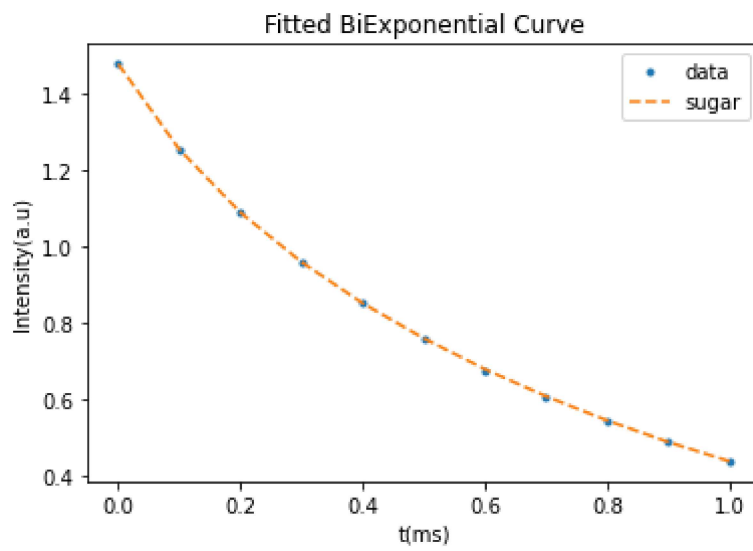
$$0.7551212272529995 * e^{(-t/1.0274)} + 0.12349506431439682 * e^{(-t/0.1422)}$$

(10, 10, 0.08, 0.2)

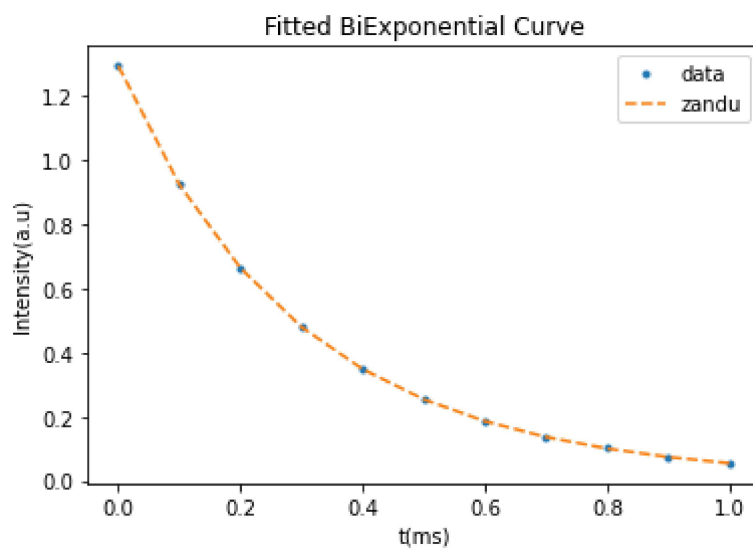


$$0.20317543940038021 * e^{(-t/0.1688)} + 0.6502418125357801 * e^{(-t/0.4472)}$$

(10, 10, 0.08, 0.2)



$0.1802104651255424 * e^{(-t/0.1441)} + 1.295932162336076 * e^{(-t/0.9245)}$   
 (10, 10, 0.08, 0.2)



$0.29476159333125435 * e^{(-t/0.1994)} + 0.9972782419827589 * e^{(-t/0.3405)}$   
 (10, 10, 0.08, 0.2)

count: 20

In [ ]:

In [ ]: