

Maximum number of internal nodes using height  ~~$(I_h)$~~   $\frac{2^h}{2} \pm (I_n) = 2^h - 1$

Maximum number of external nodes using height  ~~$(E_h)$~~   $= 2^h$   $(E_x) = 2^h$

Maximum number of total nodes using height  ~~$(T_h)$~~   $(T_n) =$   
 ~~$(I_h) \pm (I_h) = 2^h - 1 + 2^h$~~   $(E_x) + (I_n) = 2^h - 1 + 2^h$

$$= 2^h + 2^h - 1$$

$$= (2 \cdot 2^h) - 1$$

Maximum number of internal nodes using level  ~~$(I_l)$~~   $(I_n) = 2^{l-1} - 1$

Maximum number of external nodes using level  ~~$(E_l)$~~   $(E_x) = 2^{l-1}$

Maximum number of total nodes using level  ~~$(T_l)$~~   $(T_n) = (E_x) + (I_n)$   
 $= n(E_l) + (I_l) = 2^{l-1} + 2^{l-1} - 1 = (2 \cdot 2^{l-1}) - 1$