(Radin Sort Algorithms > 1'5, 10's, 100's 2 009 065 002 084 \* Von-Comparison

O2 084 325 065 009 \* Multiple digits

O09 325 042 065 084 Strings. 325 PI-1P2-1P3-Sort () X Bucket Sort 007 \*(0-9) 10 buckts 065 084 How do me control the number of iterations passes in the radia sout function. x=325  $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10)$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$   $\int_{0}^{1} (int exp = 1; max/exp) 0; exp = 10$ max=325 0 370 \* What is "Hamming Weight"?  $\begin{array}{c} 11 \longrightarrow 1011 \longrightarrow 3 \\ hamming (int n) & 2 \\ 8 - 0000 \end{array}$ count = 0, 1, 2, CH 3 Tetum count;  $n \rightarrow 11 \rightarrow 101$ 1 -> 0001 & 0001 (nl)=1 101 >>1  $\frac{10\overline{1} \rightarrow 10 \rightarrow 1 \rightarrow 0}{001} \xrightarrow{01} \frac{1}{00} \xrightarrow{1} s + op$ 1011 -> 101 -> 10 -> 0 \* Max regions in a Plane with n straight lines. \* Baker's partition Problem. Cake Max Max Tiecas Cuts\_ Straight Line Regions S(n) +1 1,2,3,4,5 Tynamic Memory Mocation: In case of C Language Le use: > # include < stdlib. L>. malloc ( colloc () realloc () two o { {1,2,3}, {1,5,6}  $1 \times 1 = 3 \times 3$ Two pointer Approach Verge Sort Algorithm: > × Marge + wo. Sorted Avorys  $a_1 = [1,3,5,7,9]$  $b_1 = \begin{bmatrix} 2, 4, 6 \end{bmatrix}$ a[i] < b[i] , itt  $\vec{c_1} = \begin{bmatrix} 1, 2, 3, 4, 5, 6, 7,9 \end{bmatrix}$ 9315 -> Sauran