

- The locus represented by $|z - 1| = |z + i|$ is -
 - a circle of radius 1
 - an ellipse with foci at (1, 0) and (0, -1)
 - a straight line through the origin
 - a circle on the line joining (1, 0), (0, 1) as diameter
- If $\operatorname{Re}\left(\frac{z-1}{2z+i}\right) = 1$, where $z = x + iy$, then the point (x, y) lies on a
 - circle whose centre is at $\left(-\frac{1}{2}, -\frac{3}{2}\right)$
 - straight line whose slope is $-\frac{2}{3}$
 - straight line whose slope is $\frac{3}{2}$
 - circle whose diameter is $\frac{\sqrt{5}}{2}$
- Let $|z - (1 + i)| = 2\sqrt{2}$ then the maximum value of $[|z|]$ (Where $[.]$ is greatest integer function)
- If $z = x + iy$ and $\left|\frac{z-5i}{z+5i}\right| = 1$, then z lies on
 - x -axis
 - y -axis
 - line $y = 5$
 - None of these
- If $P(z)$ is a variable point in the complex plane such that $\operatorname{Im}\left(-\frac{1}{z}\right) = \frac{1}{4}$, then the value of the perimeter of the locus of $P(z)$ is (use $\pi = 3.14$)
- Number of complex numbers z satisfying $|z - 3 - i| = |z - 9 - i|$ and $|z - 3 + 3i| = 3$ are
 - one
 - two
 - three
 - four
- A function f is defined by $f(z) = i\bar{z}$, where $i = \sqrt{-1}$ and \bar{z} is the complex conjugate of z . The number of values of z which satisfies both $|z| = 5$ and $f(z) = z$, is:
 - 0
 - 1
 - 2
 - 4
- The number of solutions for the equations $|z - 1| = |z - 2| = |z - i|$ is
 - One solution
 - 3 solutions
 - 2 solutions
 - No solution
- For a complex number z , if λ and μ are the greatest and least distance between the curves $|z| = 2$ and $|z - 5 - 12i| = 2$ respectively, then the value of $\lambda^2 + \mu^2$ is
 - 350
 - 370
 - 390
 - 410
- If $|z - 2 - 3i| + |z + 2 - 6i| = 4$, where $i = \sqrt{-1}$, then locus of $P(z)$ is
 - An ellipse
 - ϕ
 - Line segment joining of points $2 + 3i$ and $-2 + 6i$
 - None of these