

- Let $A + 2B = \begin{bmatrix} 1 & 2 & 0 \\ 6 & -3 & 3 \\ -5 & 3 & 1 \end{bmatrix}$ and $2A - B = \begin{bmatrix} 2 & -1 & 5 \\ 2 & -1 & 6 \\ 0 & 1 & 2 \end{bmatrix}$ then $tr(A) - tr(B)$ has the value equal to
 - 0
 - 1
 - 2
 - None of these
- The trace $T_r(A)$ of a 3×3 matrix $A = (a_{jj})$ is defined by the relation $T_r(A) = a_{11} + a_{22} + a_{33}$ (i.e., $T_r(A)$ is sum of the main diagonal elements). Which of the following statements cannot hold?
 - $T_r(kA) = kT_r(A)$ (k is a scalar)
 - $T_r(A + B) = T_r(A) + T_r(B)$
 - $T_r(I_3) = 3$
 - $T_r(A^2) = (T_r(A))^2$
- Let $A = \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$ and $B = \begin{bmatrix} a & b \\ c & d \end{bmatrix}$ are two matrices such that $AB = BA$ and $c \neq 0$, then value of $\frac{a-d}{3b-c}$ is
 - 0
 - 2
 - 2
 - 1
- If $A = \begin{bmatrix} i & -i \\ -i & i \end{bmatrix}$, $B = \begin{bmatrix} 1 & -1 \\ -1 & 1 \end{bmatrix}$, then A^8 equals
 - $4B$
 - $128B$
 - $-128B$
 - $-64B$
- If $A = \begin{bmatrix} 0 & 5 \\ 0 & 0 \end{bmatrix}$ and $f(x) = 1 + x + x^2 + \dots + x^{16}$, then $f(A)$ is equal to -
 - 0
 - $\begin{bmatrix} 1 & 5 \\ 0 & 1 \end{bmatrix}$
 - $\begin{bmatrix} 1 & 5 \\ 0 & 0 \end{bmatrix}$
 - $\begin{bmatrix} 0 & 5 \\ 1 & 1 \end{bmatrix}$
- Let I be an identity matrix of order 2×2 and $P = \begin{bmatrix} 2 & -1 \\ 5 & -3 \end{bmatrix}$. Then the value of $n \in N$ for which $P^n = 5I - 8P$ is equal to ____ .
- Which of the following is correct?
 - B^*AB is symmetric, if A is symmetric
 - B^*AB is skew symmetric, if A is symmetric
 - B^*AB is symmetric, if A is skew symmetric
 - None of these
- The number of diagonal matrix A of order n for which $A^3 = A$, is
 - 1
 - 0
 - 2^n
 - 3^n
- The number of all 3×3 matrices A , with entries from the set $\{-1, 0, 1\}$ such that the sum of the diagonal elements of AA^T is 3, is ____.
- Let A be the set of all 3×3 symmetric matrices all of whose entries are either 0 or 1, five of these entries are 1 and four of them are zero. Then the number of matrices in A is
 - 3
 - 6
 - 9
 - 12