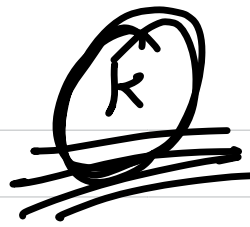


$S_1 = ""$ $S_2 = ""$



$S_1[i] \rightarrow \text{transfer}$

$$f(i, j, k) = \begin{cases} 1 + f(i-1, j-1, k) \\ 1 + f(i-1, j-1, k-1) \\ \max(f(i-1, j, k), f(i, j-1, k)) \end{cases}$$

if $S_1[i] == S_2[j]$

else
if $k > 0$

else

Brute force

A 10x10 grid is shown. On the left side, there is a green bracket spanning the first six rows, labeled with the Greek letter σ . Above the bracket, there is a green 'L'.

$$\frac{f(i, d)}{\downarrow}$$

returns the

starting row x

from which

$$arr[n][j] - arr[i][j]$$

is scaled



$$= \begin{cases} f(i-1, d) \\ i \\ \end{cases}$$

if $arr[i-1][j] <$
 $arr[i][j]$

else

1	2	3	5
3	1	3	2
4	5	2	3
5	5	3	2
4	4	3	4

0	0	0	0	0
1	0	1	0	1
2	0	1	2	1
3	0	1	2	3
4	4	4	2	3
	0	1	2	3

$$\underline{\underline{O(nm + k)}}$$

l, r

6				
1	1	0	0	→ 420
2	5	1	4	→ 20
4	5	3	4	→ 420
3	5	2	4	→ 420
1	3	0	2	→ 420
1	5	0	4	→ 20

$$\underline{\underline{O(C_1)}}$$

0	0	0	0	2
0	1	2	3	4

if any column has
all values $\leq l$

$$\min(r) \leq l$$

Q.

Longest Palindromic Subsequence

"bbbab"

ans → 4

bbbb →

is palindrome

¹_i ¹_j
B B A B C B C A B

$$f(i, j) = \begin{cases} 1 & \text{if } (i=j) \\ 2 & \text{if } (s[i] == s[j] \text{ and } (j-i+1) == 2) \\ f(i+1, j-1) + 2 & \text{if } (s[i] == s[j]) \\ \max(f(i+1, j), f(i, j-1)) & \text{else} \end{cases}$$

Bottom
up

$f(i, j)$

B B A B C B C A B

0
1
2
3
4
5
6
7
8
9

	B	B	A	B	C	B	C	A	B
B	1	2	2	3	3	5	5	5	7
B		1	1	3	3	3	3	5	7
B			1	1	1	3	3	5	5
A									
B				1	1	3	3	3	5
C					1	1	3	3	3
B						1	1	1	3
C							1	1	1
A								1	1
B									1

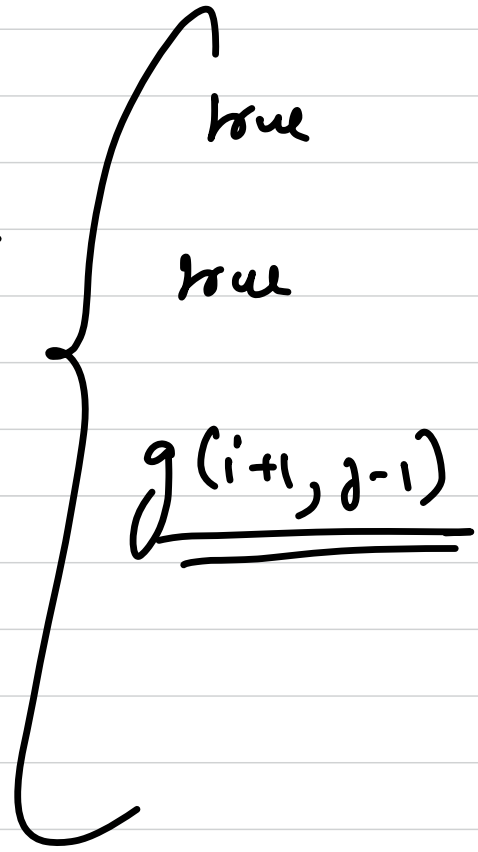
wasted

ans \rightarrow $dp(0, n-1)$

$dp(i, j)$ \rightarrow starting from $s[i]$ and ending at $s[j]$
what is my lps

isPalindrom

$g(i, j)$ =
↓
returns $s(i, j)$
is a palindrom
or not



$$(j-i+1) == 1$$

$$s(i) == s(j) \text{ and } g(i+1, j-1) == 1$$

$$s(i) == s(j)$$

$f(i, j)$

=

0

$g(i, j) == true$

min cuts
for palindrom
partition
 $S(i, j)$

$$\min(f(i, k) + f(k+1, j) + 1)$$

$\forall k \in [i, j-1]$

