

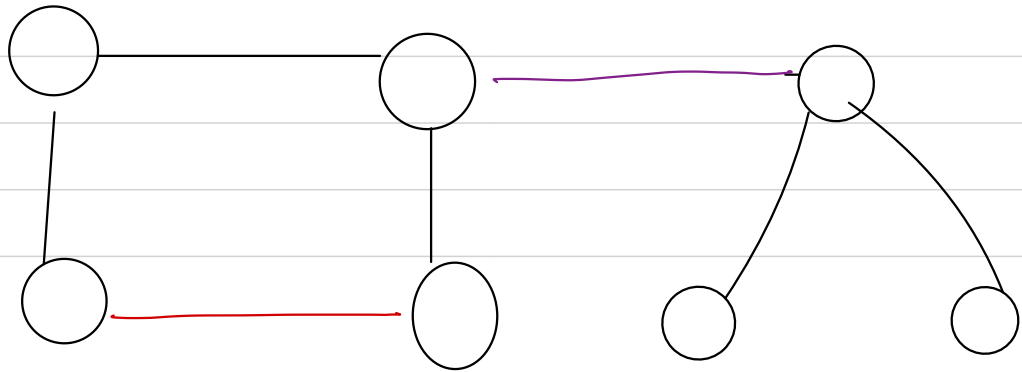
graph → graph is a non-linear data structure,

with two major elements, vertices and edges

where vertices represent some real life entity
and edges represent the relationship between

them.

graphs can
have cycles



Trees → Trees are non-linear data structure which represent hierarchy based information.

Also trees are those undirected graphs which do not have

a cycle.

→ acyclic

→ undirected

→ connected

→ trees represent, parent-child relationship

→ trees are recursive data structure

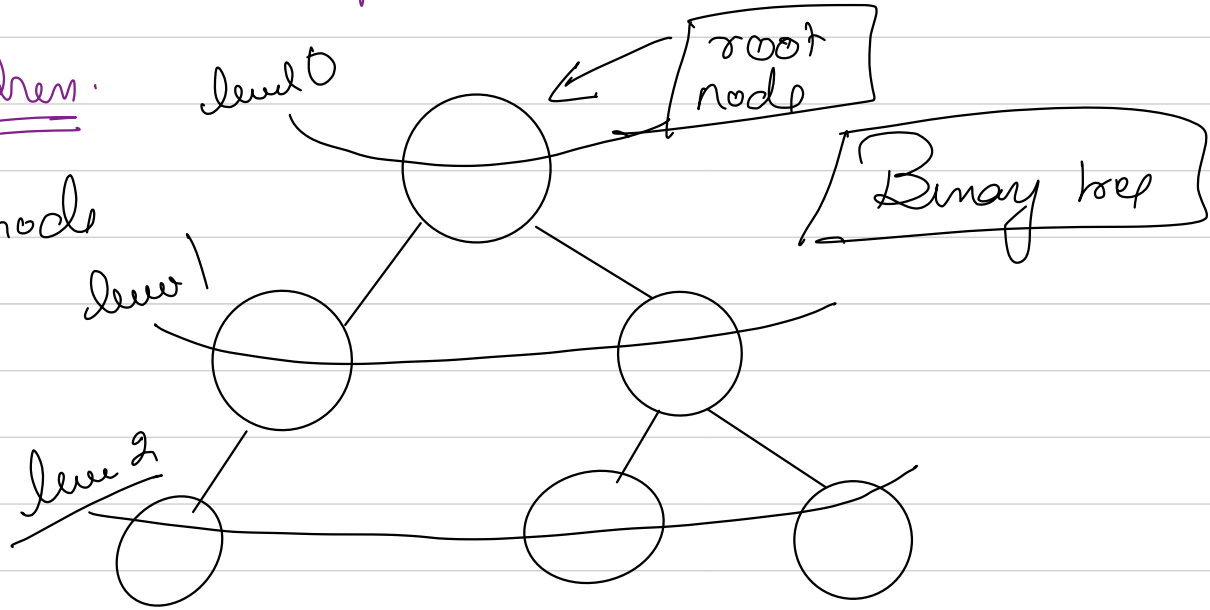
→ Based on number of children

- Binary trees
- Ternary trees
- quadary tree
- ⋮
- n-ary tree (generic tree)

↳ Binary Tree → These are defined as those trees where a parent can have at most 2

children.

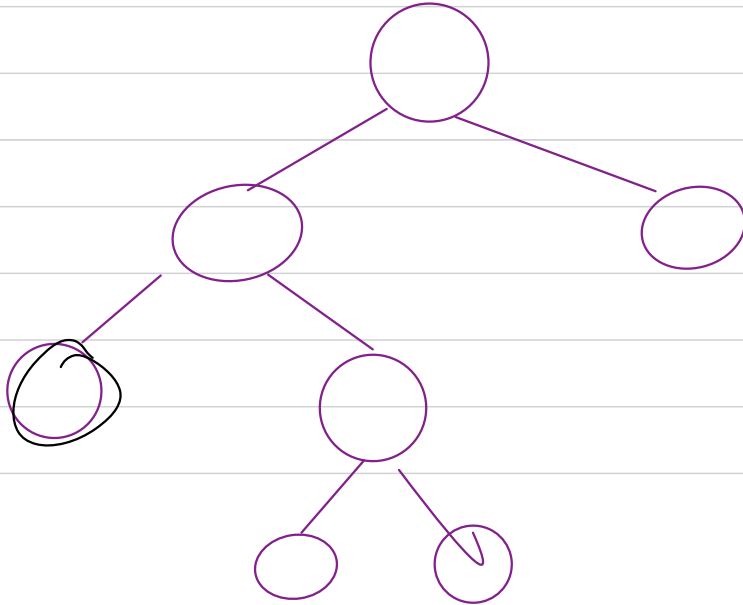
root → a node without parent



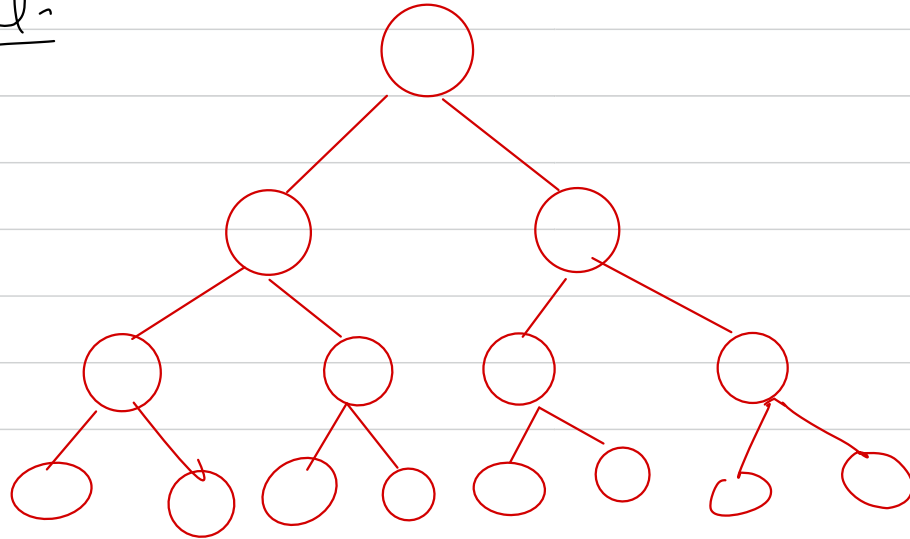
leaf node → a node with 0 child

Different Types of Binary trees:-

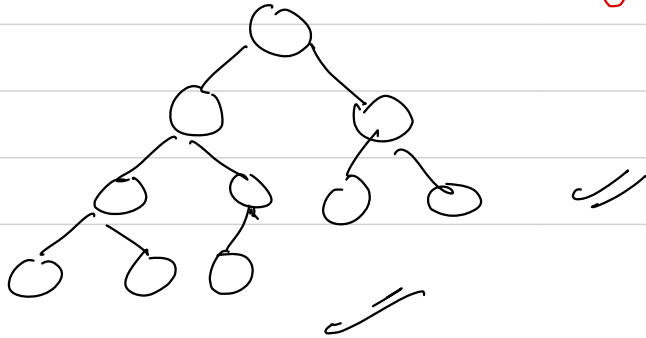
① full binary tree \rightarrow In a full binary tree every node has either 0 or 2 children.



② Perfect Binary tree \rightarrow A binary tree is called perfect if all the internal nodes have 2 children and all the leaf nodes are at same level.

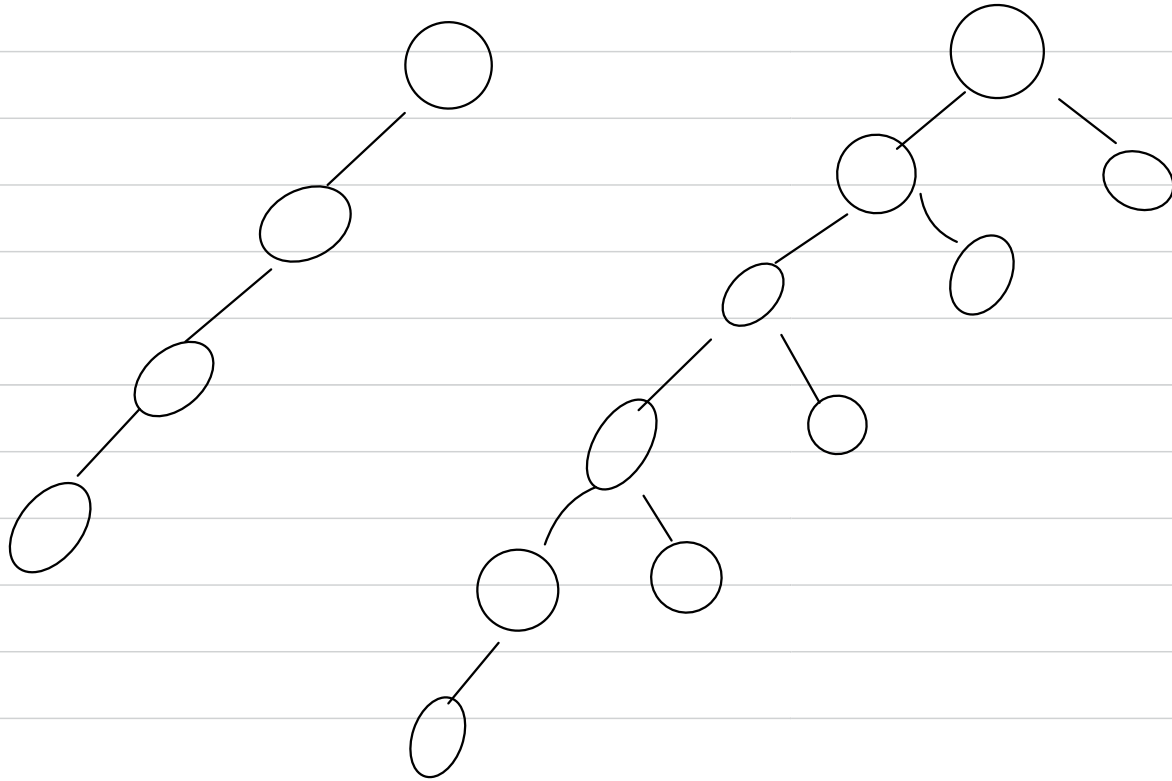


③ Complete Binary Tree \rightarrow A Complete BT is a BT if all levels are completely filled except the last level, and the last level is filled from left to right without leaving any node (all nodes of last level is as left as possible)

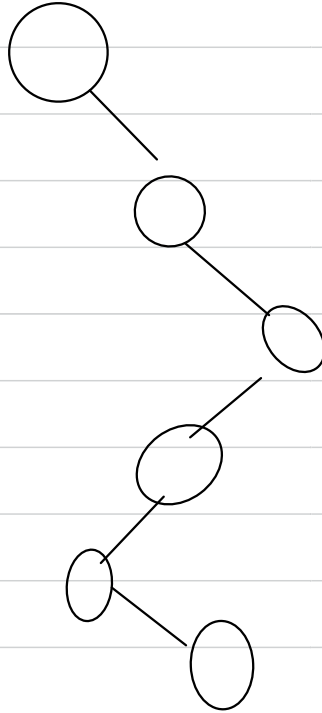


full capacity filled

④ Skewed Binary tree \rightarrow tilted in one direction

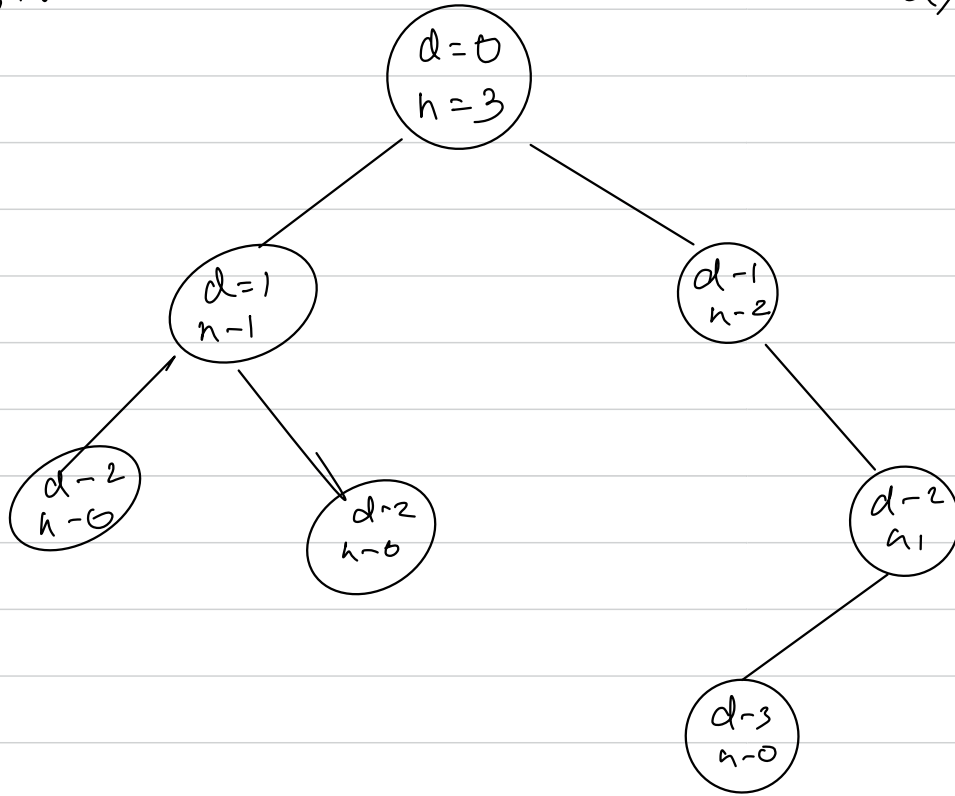


⑤ Degenerate Tree \rightarrow Every node except 'leaf' has
one child



1) Depth

2) Height



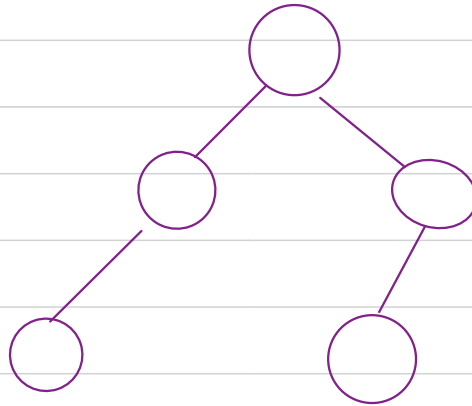
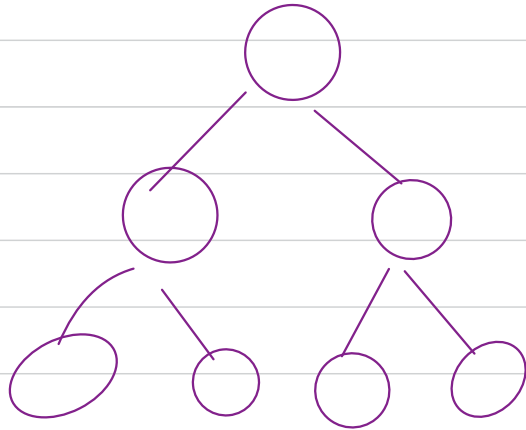
6) Balanced BT \rightarrow from the root node,

the absolute difference of height of left

Subtree & right Subtree is almost 1.

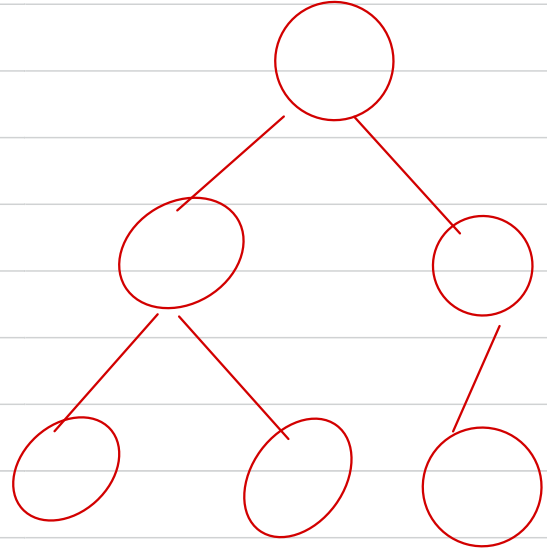
And this should be true recursively for left

& right BT
also



How to read a Tree??

- Preorder traversal
- Inorder traversal
- Postorder traversal



Preorder → 1) Read the node

2) Read the LST

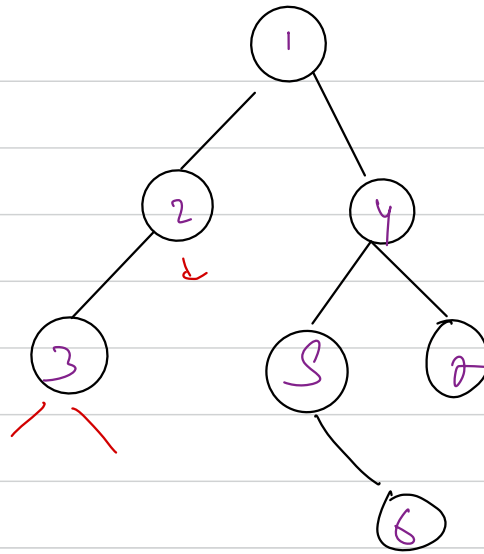
3) Read the RST

Postorder → LST

RST

No

Inorder → LST
Node
RST



level order $\rightarrow 1, 2, 4,$
 $3, 5, 7, 6$

$\left\{ \begin{array}{l} 1, 2, 3, -1, -1, -1, 4, \\ 5, -1, 6, -1, 7, -1, -1 \end{array} \right\}$

Preorder $\rightarrow 1, 2, 3, 4, 5, 6, 7$

In order $\rightarrow 3, 2, 1, 5, 6, 4, 7$

Postcode $\rightarrow 3, 2, 6, 5, 7, 4, 1$

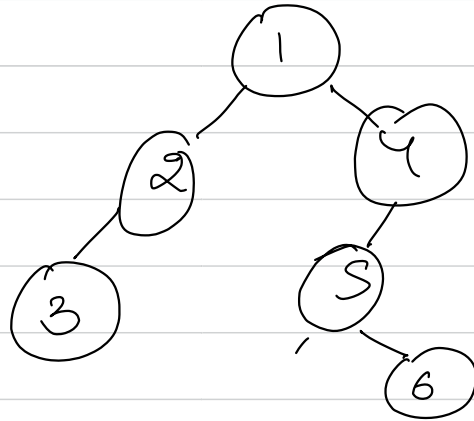
BT

data
left child
right child

Results

↳ We will build a tree with special preorder

↓
[1, 2, 3, -1, -1, -1, 4,
5, -1, 6, -1, -1, -1]



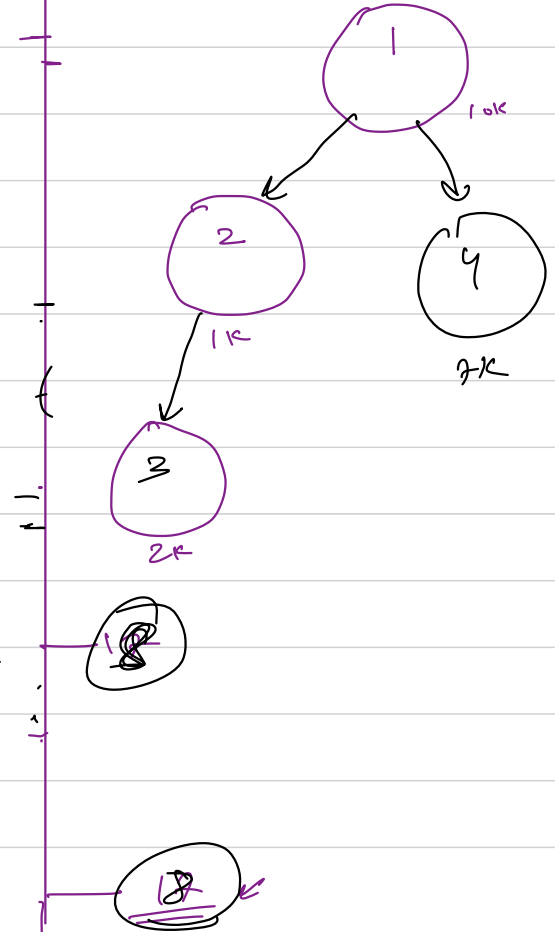
```

11 def buildBTRec():
12     d = int(input())
13     if d == -1:
14         return None
15
16     root = Node(d)
17     root.left = buildBTRec()
18     root.right = buildBTRec()
19     return root

```

100
root = buildBTRec()

1, 2, 3, -1, -1, -1, 4,
 5, -1, 6, -1, 7, -1, -1

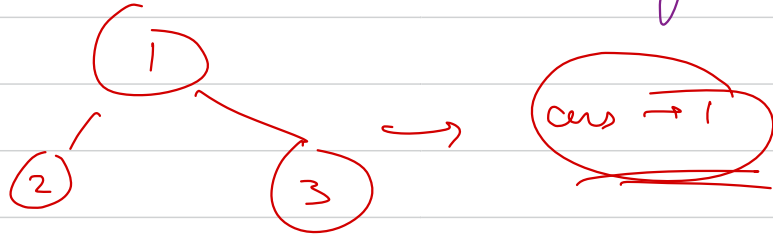


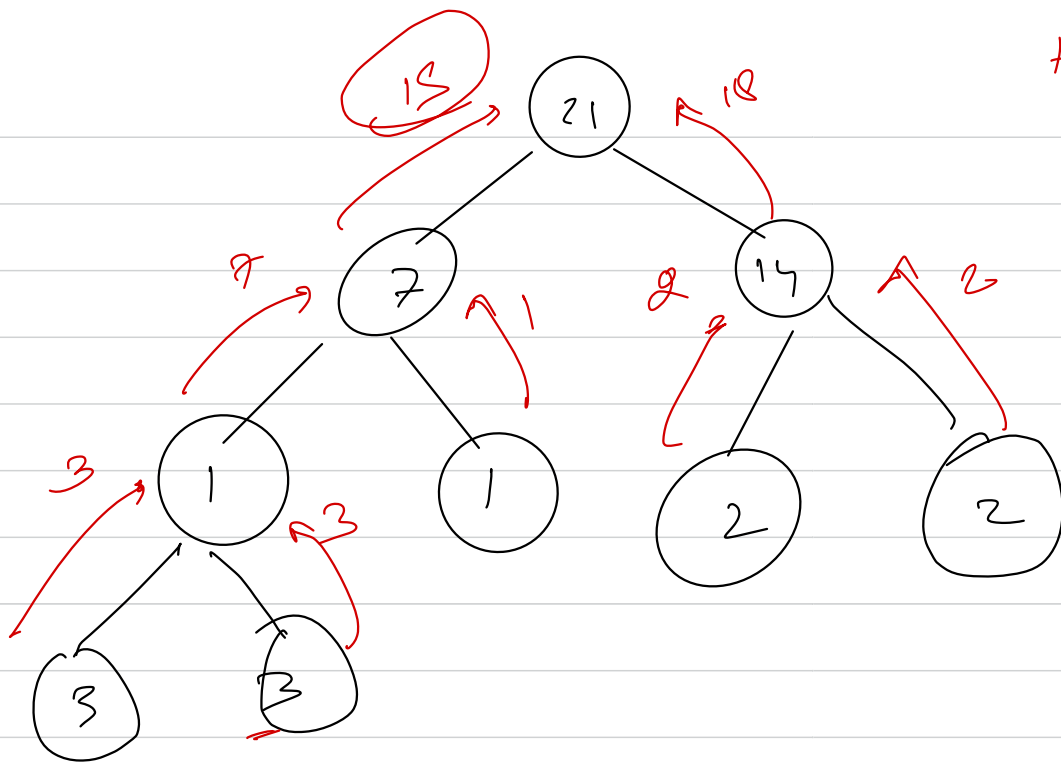
write a function to calculate height of a

BT.

Tilt of a Binary Tree \rightarrow It is the absolute difference btw
sum of all left subtree nodes & all rest nodes.
if a node doesn't have a left child the sum of
LST is considered 0, & same for right.

Given a BT, return the sum of every node's
tilt.





$$\text{hdt} = \underline{\underline{6+3}} \\ \underline{\underline{9}}$$

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