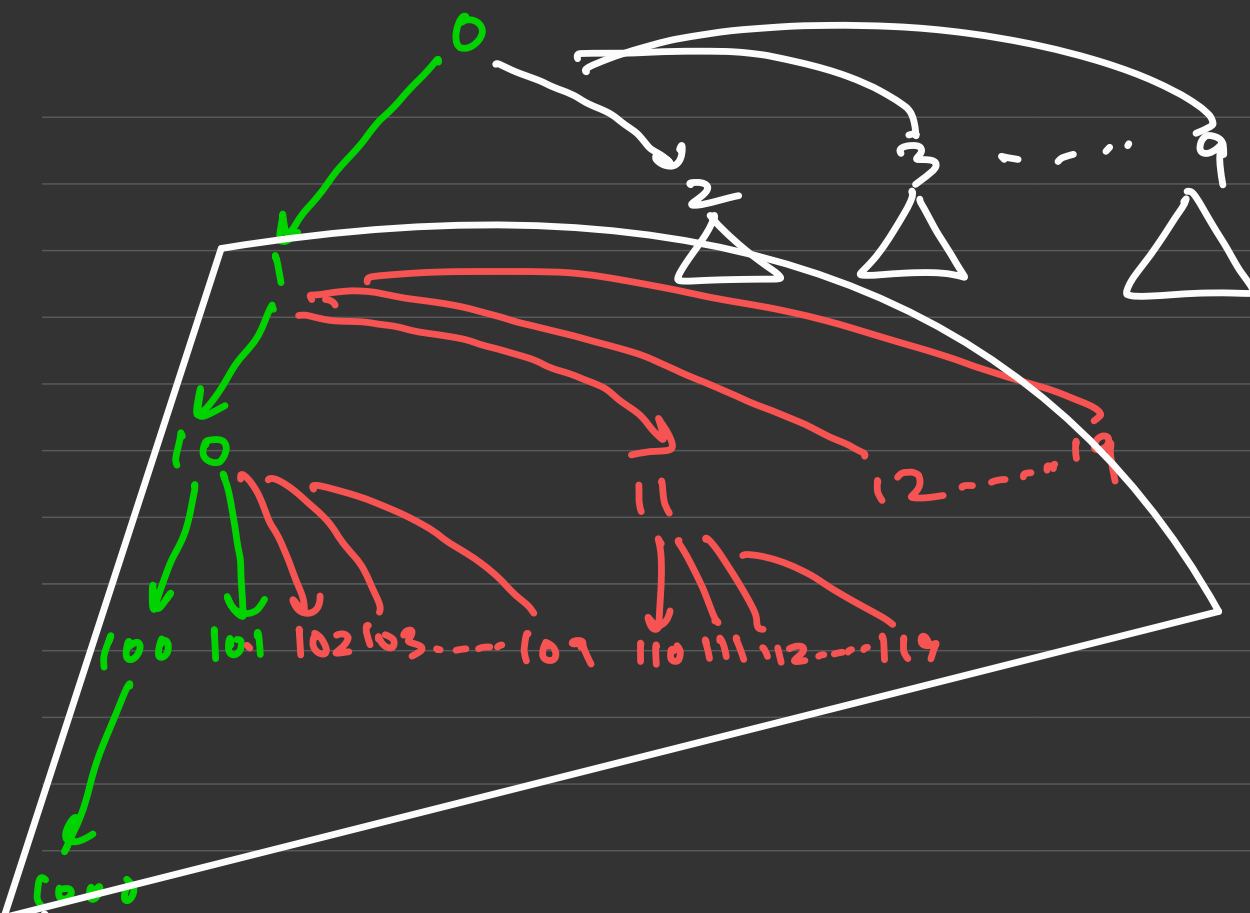


# Subsequence  $\rightarrow$  optimum for subsequence  
 $\rightarrow$  2 sensibly



x  
 0 - A  
 1 - B  
 2 - C  
 3 - D  
 4 - E  
 ⋮  
 ⋮

00 → 0

A  
 =  
 (AA) xx

AB → 01 → 1  
 ABA → 10  
 ABAA → 100  
 ABAAA → 1000  
 ABAB → 101  
 ABAC → 102  
 ⋮

$$\underline{\underline{f(i)}} = \text{print}(i) \rightarrow f(10^x i + j)$$

L

return all

the no.s

Starting with

1 in lexico

order

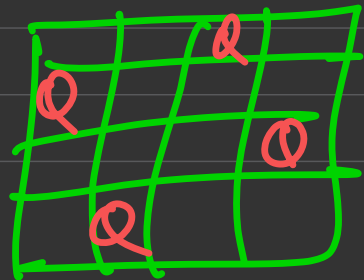
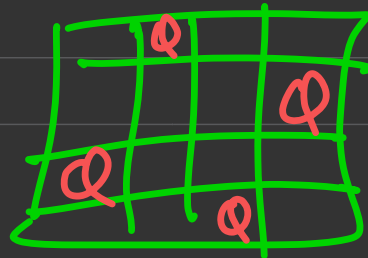


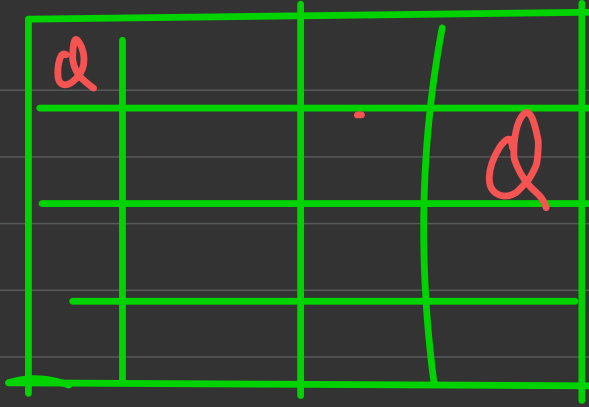
$$\forall j \in [p, q]$$

N queens

Q<sup>n</sup> Given a value of  $N$ , Consider a  $N \times N$  board, where you've to place  $N$ -queens such that no queen attacks the other. Count the total no. of ways in which you can achieve such configuration.

$N=4 \rightarrow 2$





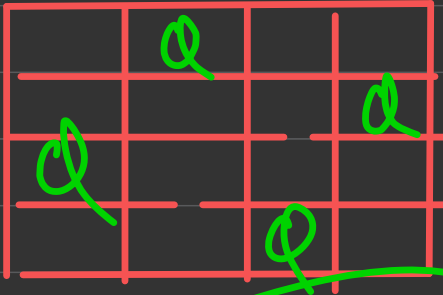
1 queen

```

75 void nq int i : n, int i, std::vector<std::vector<bool>> &board) {
76     if(i == n) {
77         ways++;
78         return;
79     }
80     for(int j = 0; j < n; j++) {
81         if(isSafe(board, i, j)) {
82             board[i][j] = true;
83             nqueen(n, i+1, board);
84             board[i][j] = false;
85         }
86     }
87 }
88 }

```

} ← setup for backtracking  
 } ← step of back track



ways = 1

nq(4, 4, b)

nq(4, 3, b)

j = 2

nq(4, 2, b)

j = 0

→ 84

nq(4, 1, b)

j = 0 & 1 & 2 & 3

→ line 84

nq(4, 0, b)

j = 0

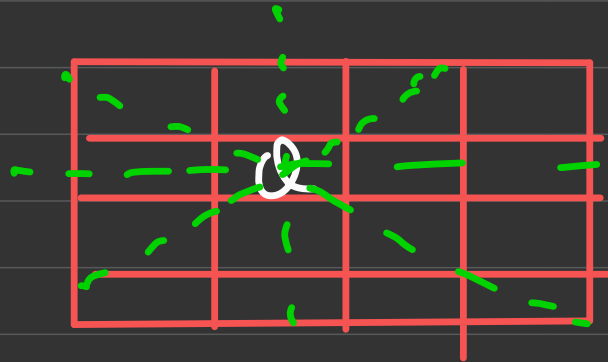
→ 84

$$T(n) = n(n + T(n-1))$$

$$\underline{\underline{O(n!)}}$$

square under bitrinary

~~1,2~~



0,0	0,1	0,2	0,3
1,0	1,1	1,2	1,3
2,0	2,1	2,2	2,3
3,0	3,1	3,2	3,3

i, j

$$l = [i - j + n - 1] \div l$$

~~col →~~

col j

col[j] = T

T = [l + j] + 0



Transfer (n-1)

Out

n Knights ←