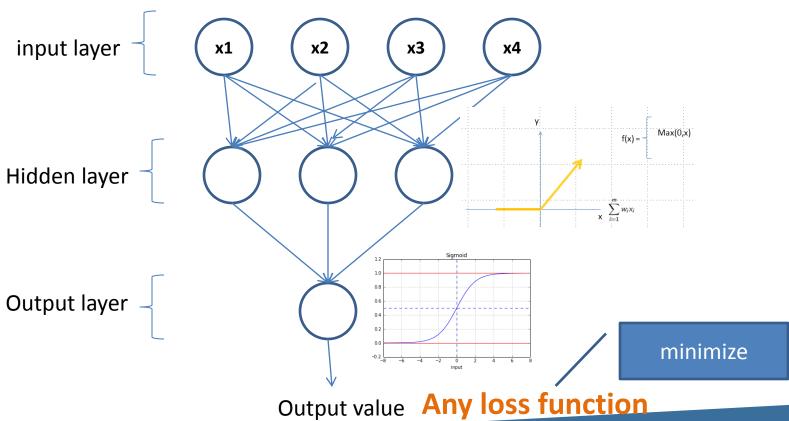
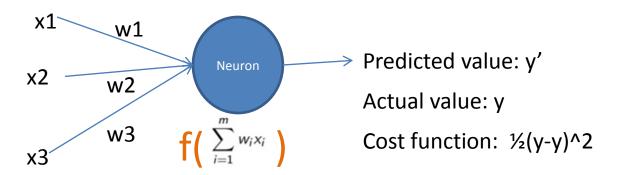
Loss function Input values



Where is the learning?



Steps

- 1. Random weights
- 2. Input observation to input layer. Each feature to one node
- 3. Forward propagation from left to right. Each neuron is activated based on the weights. Till you get an output
- 4. Compare the predicted result to the actual result. Measure the error (loss)
- 5. Back-propagate the error from right to left. Update the weights according to how much they are responsible
- 6. Repeat 1 5. Update the weights after each observation or each batch
- 7. Epoc is when the whole training set is passes through the ANN. Redo the epocs



Chapter: Reinforcement learning

AI-ML-DL

Agenda

- 1) What is reinforcement learning
- 2) The bellman equation
- 3) Markov Decision Process
- 4) Policy vs Plan
- 5) Living Penalty
- 6) Q-Learning

What is reinforcement learning

Environment:

Any environment : for eg:

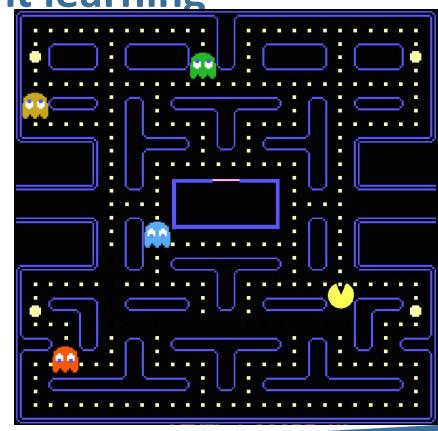
Road, kitchen

Agent:

Object which works in the environment

Takes actions as performs steps

Gets a reward: Good reward for favorable state, bad reward for unfavorable state



What is reinforcement learning

```
Agent: Robot
Environment: Path
Actions that the agent can take:
stand,
lift right leg,
lift left leg,
plant right leg,
plant left get
```

Created by Richard Ernest Bellman

S – State

A- Action that the agent can take

R- Reward that the agent gets

Y – Discount



$$V(s) = \max(R(s,a) + YV(s'))$$

S= current state S' = next state or where you end up

$$V(s) = max(R(s,a) + YV(s'))$$

	2

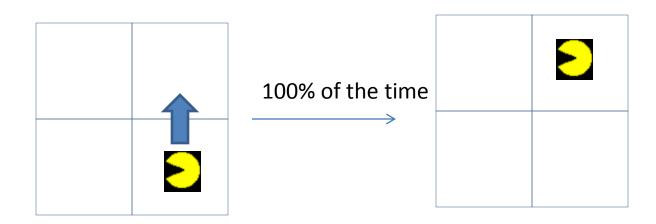
❖ Bellman Equation – A Plan

	V=1	V=0.9	V=0.81
V=1	V=0.9	V=0.81	V=0.729
	V=0.81	V=0.729	V=0.6.6

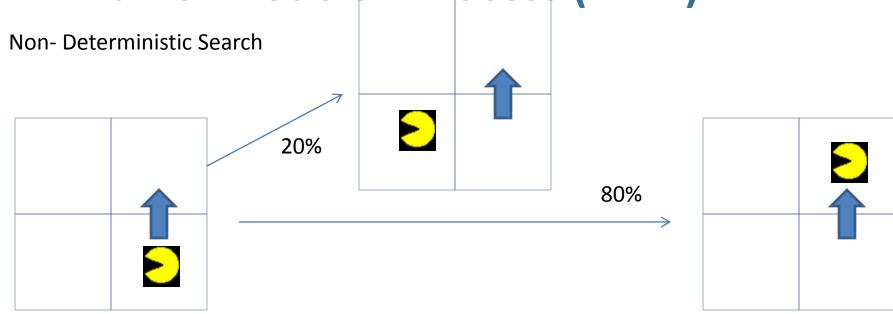


Markov Decision Process (MDP)

Deterministic Search



Markov Decision Process (MDP)



Markov Process (MP)

A stocastic process has the Markov Property if the conditional probability distribution of the future states of the process depends only upon the present state, not on the sequence of events that preceded it. A process with this property is called a Markov process

Markov Decision Process (MP)

MDP provide a mathematical framework for modeling decision making in situations where outcomes are partly random and partly under the control of a decision maker

Bellman Equation 0.8 V(s1') + 0.2V(s2')

$$0.8 \, V(s1') + 0.2 V(s2')$$

$$V(s) = \max(R(s,a) + YV(s'))$$

$$V(s) = \max_{a} \left(R(s, a) + \gamma \sum_{s'} P(s, a, s') V(s') \right)$$

Policy Vs Plan

MDP provide a mathematical framework for modeling decision making in situations where outcomes are partly random and partly under the control of a decision maker



Use cases

Smarter healthcare Traffic control JIT manufacturing **Trading analytics** Search quality Customer behaviour Fraud detection Customer experience management Predictive maintenance Churn analysis Security anomaly detection

Use Cases

Reinforcement Learning

- Autonomous systems

Generative

- Image enhancing

Predictive Maintenance

- networks
- Systems
- Human body