

1. Linear search

```
#include<stdio.h>

int main()
{

    int n=0,m=0,i;

    printf("Enter the number of elements u wanna sort: \n");
    scanf("%d",&n);

    printf("Enter the elements of unsorted array: \n");

    int arr[n];

    for(i=0;i<n;i++)
    {
        scanf("%d",&arr[i]);
    }

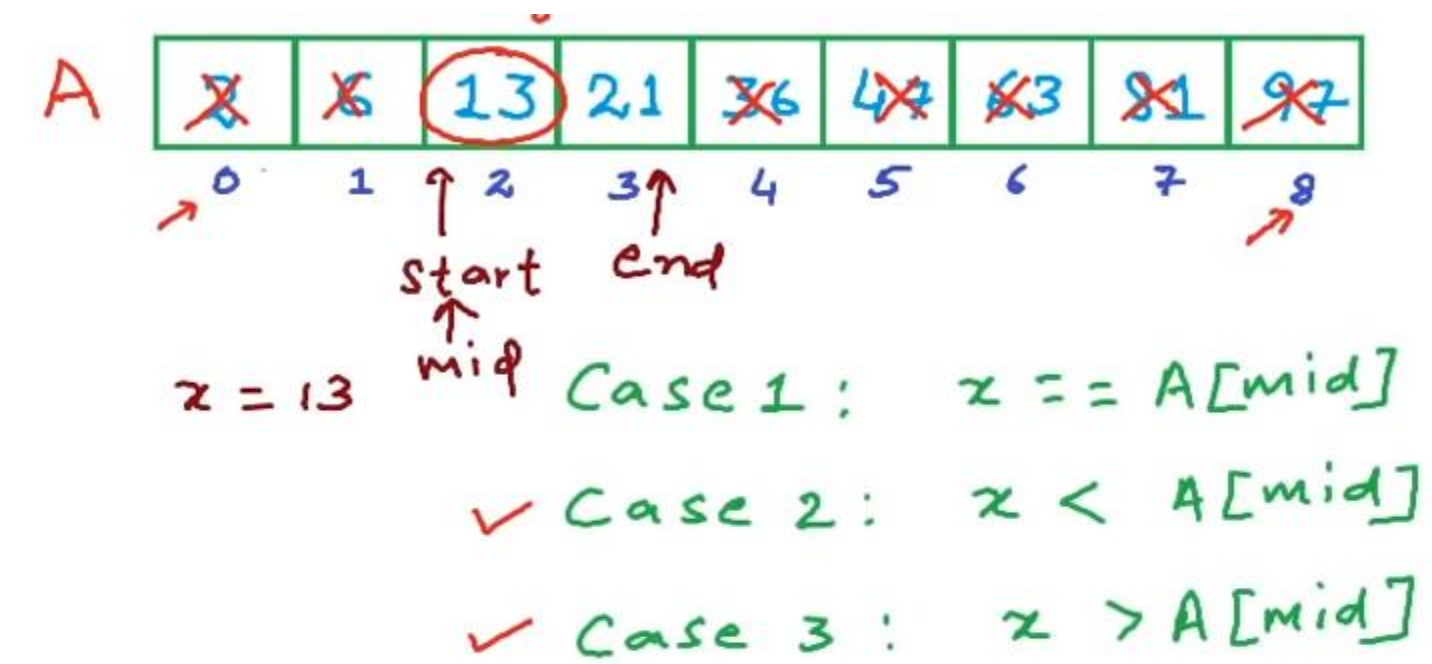
    printf("\n Elements of unsorted array are : \n");
    for(i=0;i<n;i++)
    {
        printf("%d",arr[i]);
    }

    printf("\n Enter the element u wanna search: ");
    scanf("%d",&m);

    for(i=0;i<n;i++)
    {
        if(m==arr[i])
        {
            printf("The element %d is found at %d index ",m,i);
        }
        else if(i==n-1)
        {
            printf("\n Not found\n");
        }
    }

}
```

2. Binary search



```
BinarySearch(A, n, x)
{
    start ← 0
    end ← n-1
    while (start ≤ end)
    {
        mid ← (start + end) / 2
        if A[mid] == x
            return mid
        else if x < A[mid]
        {
            end ← mid - 1
        }
        else
        {
            start ← mid + 1
        }
    }
    return -1
}
```

```
int binary(int arr[], int n, int key)
{
    int low, high, mid;

    low = 0, high = n - 1;

    while (low ≤ high)
    {
        mid = (low + high) / 2;

        if (arr[mid] == key)
        {
            return mid;
        }
        else if (key < arr[mid])
        {
            high = mid - 1;
        }
        else
        {
            low = mid + 1;
        }
    }
    return -1;
}
```

3. Bubble sort

A

1	2	3	4	5	7
0	1	2	3	4	5

2, 7, 4, 1, 5, 3

⇒ 2, 4, 1, 5, 3, 7

⇒ 2, 1, 4, 3, 5, 7

⇒ 1, 2, 3, 4, 5, 7

↳ no change after pass
4 & 5

BubbleSort(A, n)

```
{
  for k ← 1 to n-1
  {
    for i ← 0 to n-2
    {
      if (A[i] > A[i+1])
      {
        swap(A[i], A[i+1])
      }
    }
  }
}
```

BubbleSort(A, n)

```
{
  for k ← 1 to n-1
  {
    flag ← 0
    for i ← 0 to n-k-1
    {
      if (A[i] > A[i+1])
      {
        swap(A[i], A[i+1])
      }
      flag ← 1
    }
    if (flag == 0) break
  }
}
```

```
int bubble(int arr[], int n)
{
  int k, i;

  for(k=0; k<n; k++)
  {
    int flag=0;
    for(i=0; i<n-k-1; i++)
    {
      if(arr[i]>arr[i+1])
      {
        swap(&arr[i], &arr[i+1]);
        flag=1;
      }
    }
    if(flag==0) break;
  }
}
```

```
int swap(int *x, int *y)
{
  int temp;
  temp=*x;
  *x=*y;
  *y=temp;
}
```

$$T(n) = (n-1) \times (n-1) \times C$$

$$= Cn^2 - 2Cn + 1$$

$$= O(n^2)$$

Best-case : $O(n)$

4. Insertion sort

INSERTION-SORT(A)

```
1 for  $j = 2$  to  $A.length$ 
2    $key = A[j]$ 
3   // Insert  $A[j]$  into the sorted sequence  $A[1..j-1]$ .
4    $i = j - 1$ 
5   while  $i > 0$  and  $A[i] > key$ 
6      $A[i+1] = A[i]$ 
7      $i = i - 1$ 
8    $A[i+1] = key$ 
```

40	20	60	10	50	30
----	----	----	----	----	----

10 20 40 60

50 60

```
int InsertionSort(int arr[], int n)
{
    int j, i;

    for(j=1; j<n; j++)
    {
        int key=arr[j];
        i=j-1;

        while(i>=0 && arr[i]>=key)
        {
            arr[i+1]=arr[i];
            i=i-1;
        }
        arr[i+1]=key;
    }
}
```

5. Selection sort

Selection sort

A

1	7	4	2	5	3
0	1	2	3	4	5

from 1 to 5 in order to find the second minimum.
The minimum in the range 1 to 5 is 2 at index

A

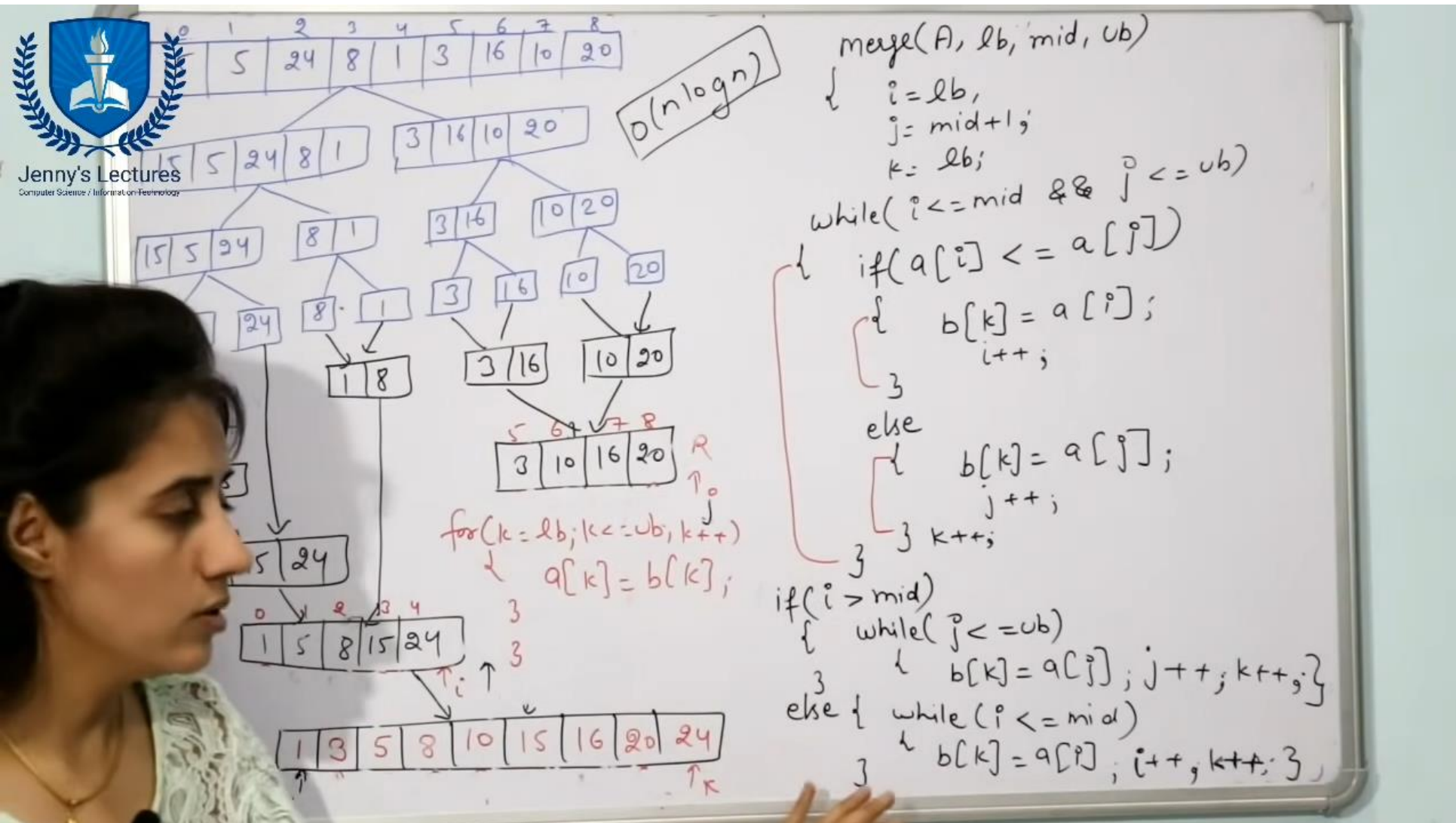
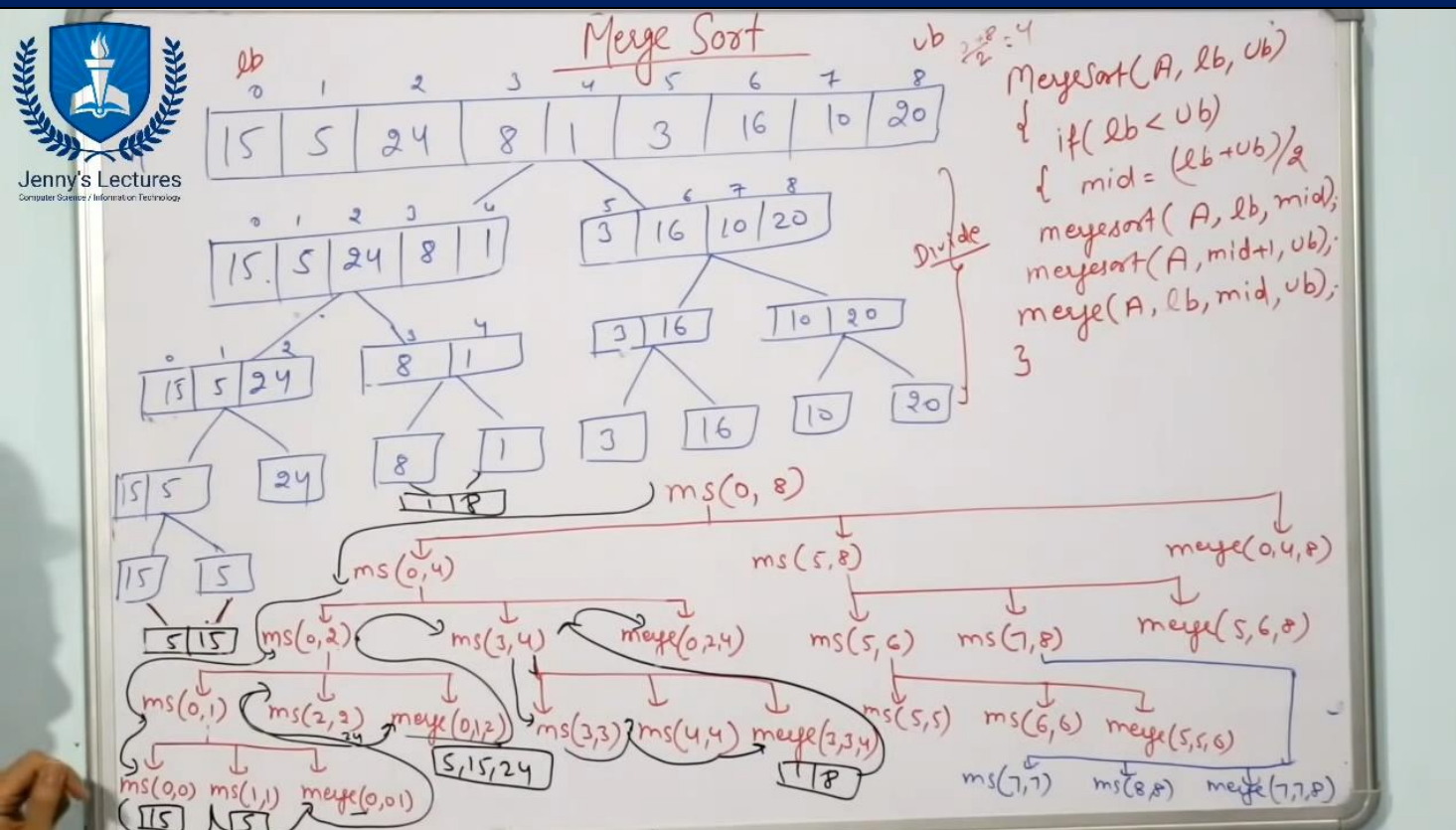
1	2	3	4	5	7
0	1	2	3	4	5

```
SelectionSort(A, n)
{
  for i ← 0 to n-2
  {
    iMin ← i
    for j ← i+1 to n-1
    {
      if (A[j] < A[iMin])
        iMin ← j
    }
    temp ← A[i]
    A[i] ← A[iMin]
    A[iMin] ← temp
  }
}
```

```
int SelectionSort(int arr[], int n)
{
    int min, j, i;

    for(i=0; i<n-1; i++)
    {
        min=i;
        for(j=i+1; j<n; j++)
        {
            if(arr[j]<arr[min])
            {
                min=j;
            }
        }
        int temp=arr[i];
        arr[i]=arr[min];
        arr[min]=temp;
    }
}
```


6. Merge sort



```

int MergeSort(int arr[], int lb, int ub)
{
    int mid;

    if (lb < ub)
    {
        mid = (lb + ub) / 2;
        MergeSort(arr, lb, mid);
        MergeSort(arr, mid + 1, ub);
        Merge(arr, lb, mid, ub);
    }
}

int Merge(int a[], int lb, int mid, int ub)
{
    int i, j, k, b[100];
    i = lb;
    j = mid + 1;
    k = lb;

    while (i <= mid && j <= ub)
    {
        if (a[i] <= a[j])
        {
            b[k] = a[i];
            i++;
        }
        else
        {
            b[k] = a[j];
            j++;
        }
        k++;
    }
}
    
```

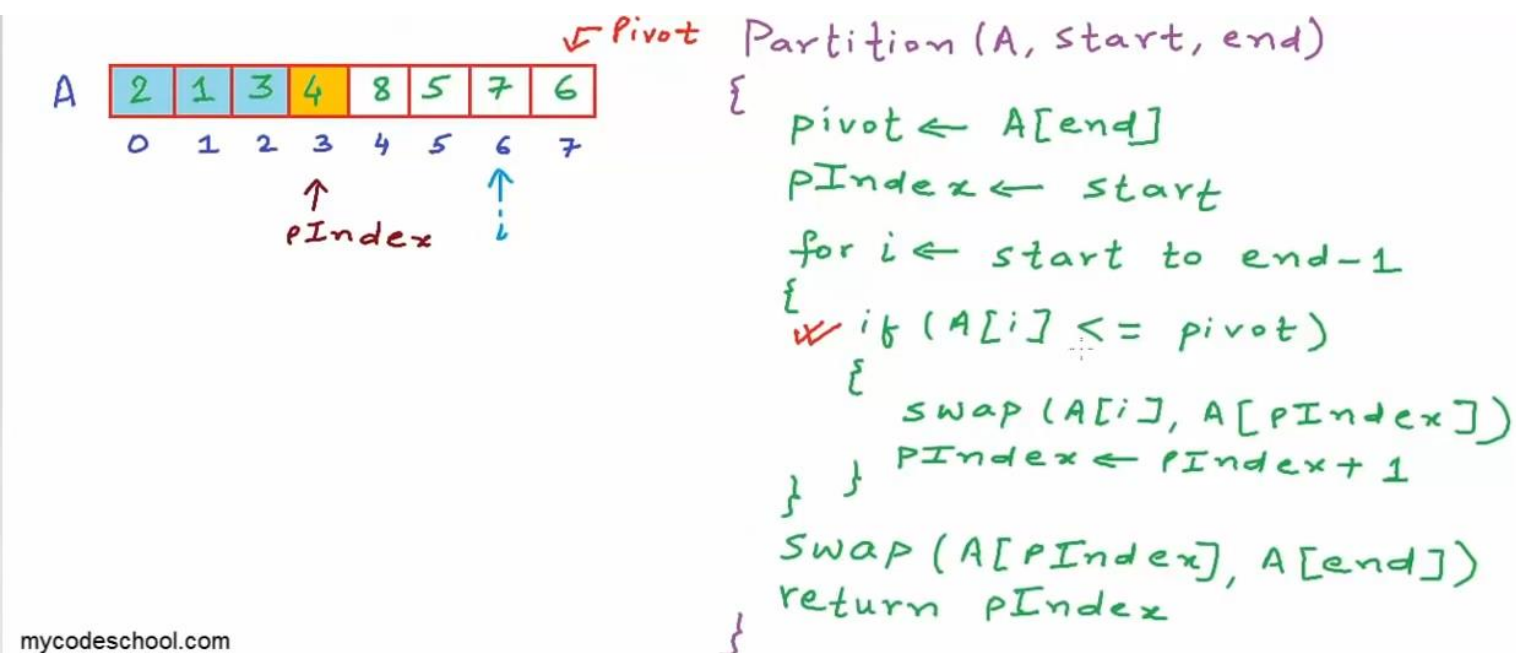
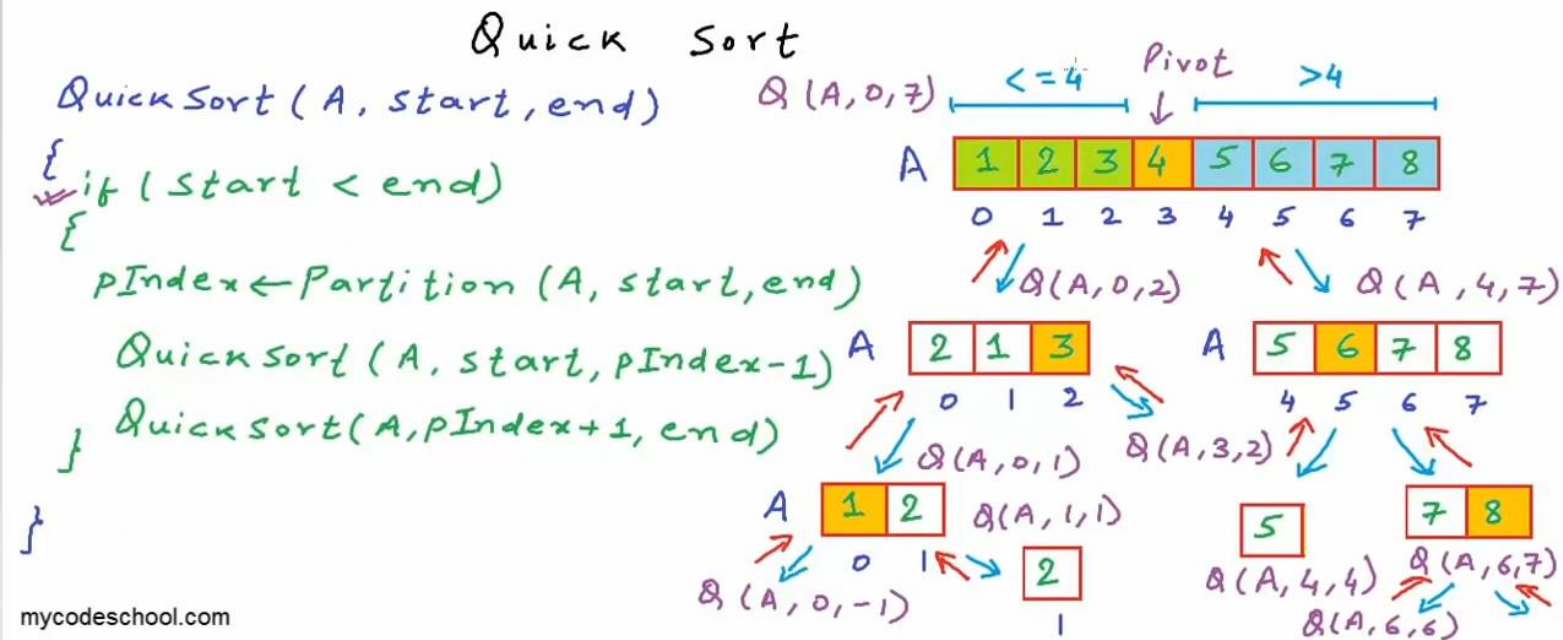
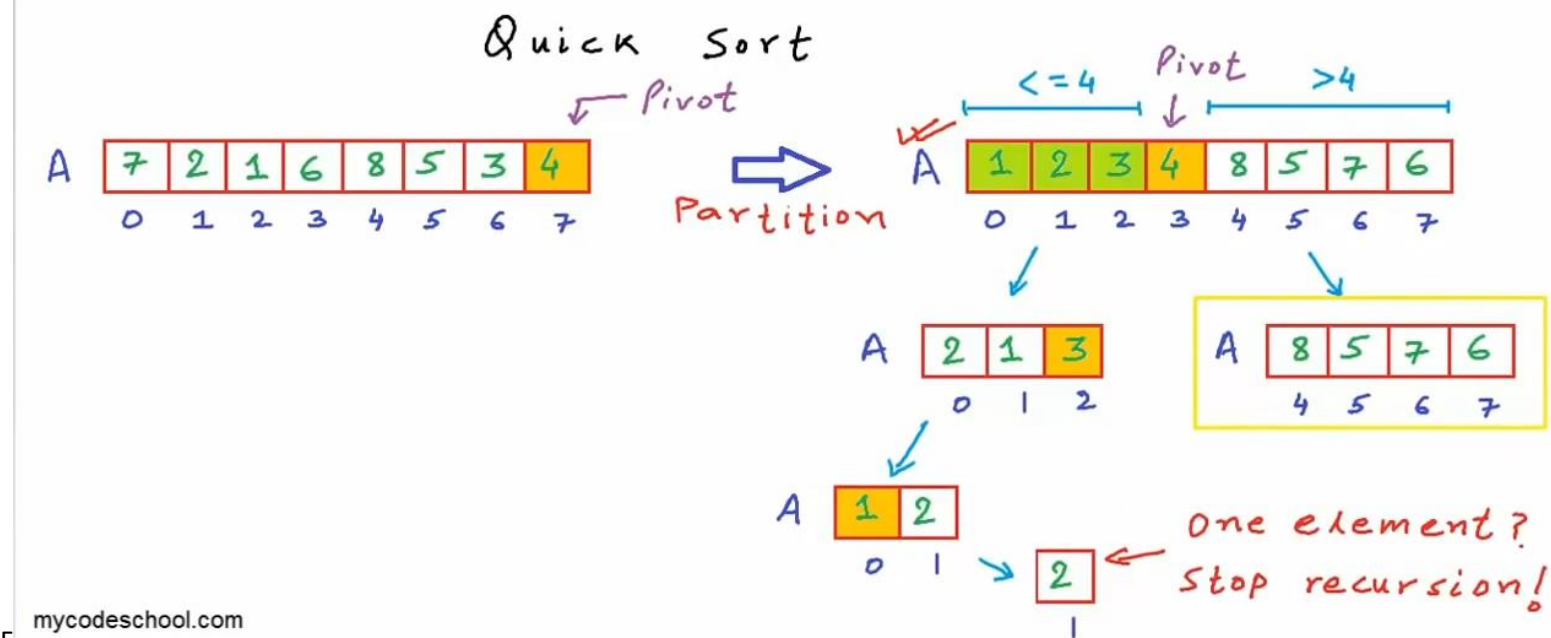
```

while (i <= mid)
{
    b[k] = a[i];
    i++;
    k++;
}

while (j <= ub)
{
    b[k] = a[j];
    j++;
    k++;
}

for (k = lb; k <= ub; k++)
{
    a[k] = b[k];
}
    
```

7. Quick Sort



```
int QuickSort(int arr[],int start,int end)
{
    if(start<end)
    {
        int pIndex=Partition(arr,start,end);
        QuickSort(arr,start,pIndex-1);
        QuickSort(arr,pIndex+1,end);
    }
}
```

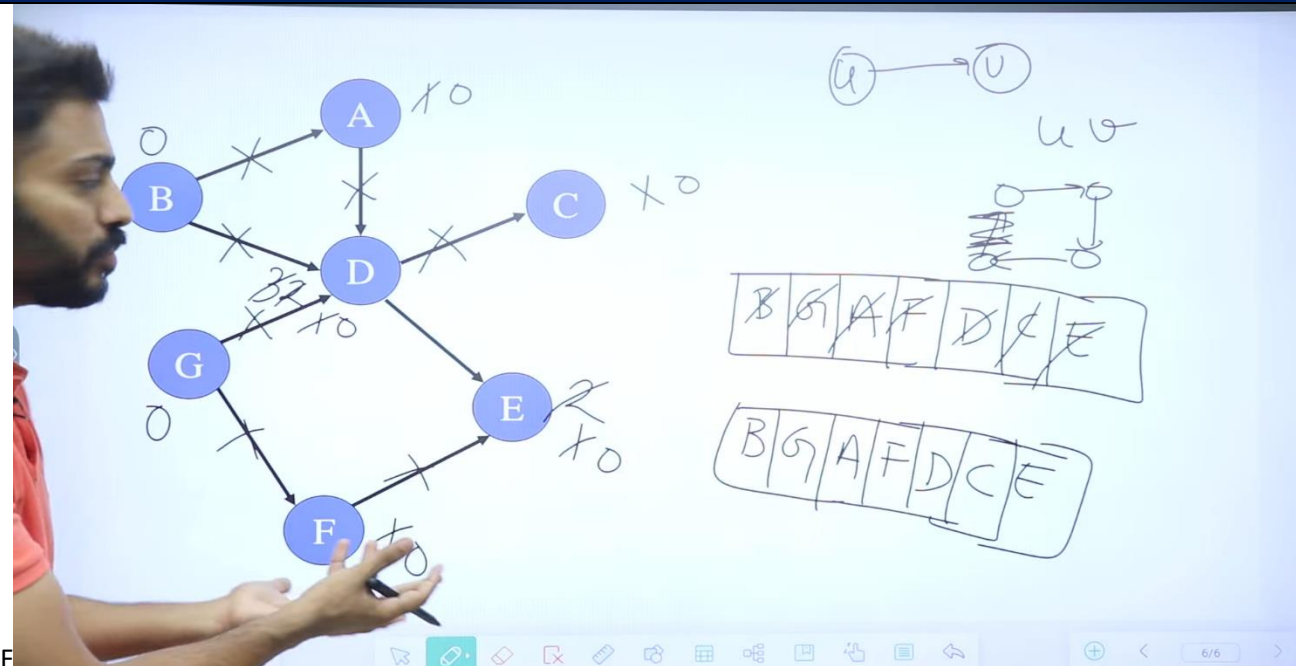
```
int Partition(int a[],int start,int end)
{
    int i;

    int pivot=a[end];
    int pIndex=start;

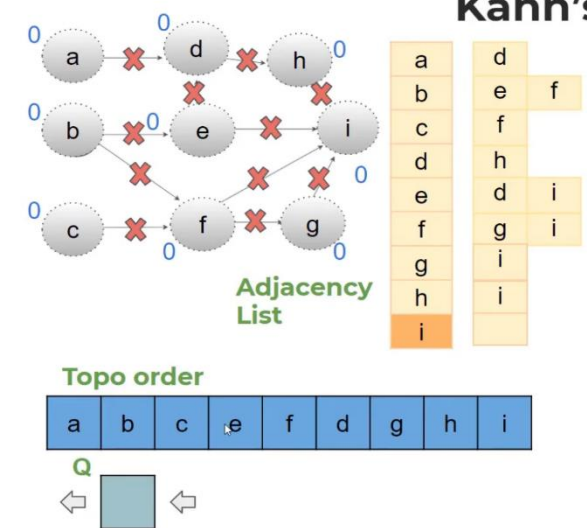
    for(i=start;i<end;i++)
    {
        if(a[i]<pivot)
        {
            swap(&a[i],&a[pIndex]);
            pIndex++;
        }
    }
    swap(&a[pIndex],&a[end]);
    return pIndex;
}
```

```
int swap(int *a,int *b)
{
    int temp=*a;
    *a=*b;
    *b=temp;
}
```


8. Topological sort



Kahn's algorithm



- Calculate indegree of all vertices
- Initialize visited count to 0
- Where to start? **Vertices with indegree 0**
- Add all vertices with indegree 0 to a Q
- DeQ a vertex and
 - ◆ Add it to Topo order list
 - ◆ Decrement indegree of its adjacent vertices by 1
 - ◆ If indegree of any vertex becomes 0, add it to Q
 - ◆ Increment visited count
- Stop when Q is empty
- If visited count equals total nodes, then print topo order
- If not, it indicates presence of cycle

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```

indegree[] = {0} * V
for each vertex v in graph G
    for each adj vertex av of v
        indegree[av]++;
visited = 0

Q = [], topo = []
for each vertex v in graph G
    if indegree[v] == 0
        add v to Q

while Q not empty
    v ← deQ
    add v to topo
    for each adj vertex av of v
        indegree[av]--;
        if indegree[av] == 0
            add av to Q

Visited++

```

```
#include <stdbool.h>
#define MAX_VERTICES 100

/* Structure for a vertex in a graph */
typedef struct {
    int in_degree; /* Number of incoming edges */
    int out_degree; /* Number of outgoing edges */
    int edges[MAX_VERTICES]; /* Adjacency list */
} vertex;

/* Graph structure */
typedef struct {
    vertex vertices[MAX_VERTICES]; /* Array of vertices */
    int num_vertices; /* Number of vertices in the graph */
} graph;

/* Queue structure for storing vertices */
typedef struct {
    int vertices[MAX_VERTICES]; /* Array of vertices */
    int front, rear; /* Indexes of front and rear elements */
} queue;

/* Initialize an empty queue */
void init_queue(queue *q) {
    q->front = 0;
    q->rear = -1;
}

/* Check if the queue is empty */
bool is_queue_empty(queue *q) {
    return q->front > q->rear;
}

/* Add a vertex to the queue */
void enqueue(queue *q, int v) {
    q->vertices[++q->rear] = v;
}

/* Remove a vertex from the queue */
int dequeue(queue *q) {
    return q->vertices[q->front++];
}

/* Perform topological sorting on the given graph */
void topological_sort(graph *g, int *sorted_vertices) {
    queue q;
    init_queue(&q);

    /* Find all vertices with no incoming edges and add them to the queue */
    for (int i = 0; i < g->num_vertices; i++) {
        if (g->vertices[i].in_degree == 0) {
            enqueue(&q, i);
        }
    }

    int index = 0;
    while (!is_queue_empty(&q)) {
        /* Remove a vertex from the queue and add it to the sorted array */
        int v = dequeue(&q);
        sorted_vertices[index++] = v;

        /* Decrement the in-degree of each vertex in the adjacency list of the removed vertex */
        for (int i = 0; i < g->vertices[v].out_degree; i++) {
            int w = g->vertices[v].edges[i];
            g->vertices[w].in_degree--;

            /* If a vertex's in-degree becomes 0, add it to the queue */
            if (g->vertices[w].in_degree == 0) {
                enqueue(&q, w);
            }
        }
    }
}
```

```
int main(void) {
    /* Create the graph */
    graph g;
    g.num_vertices = 6;

    /* Set up the vertices and edges */
    g.vertices[0].in_degree = 1;
    g.vertices[0].out_degree = 1;
    g.vertices[0].edges[0] = 1;

    g.vertices[1].in_degree = 1;
    g.vertices[1].out_degree = 1;
    g.vertices[1].edges[0] = 2;

    g.vertices[2].in_degree = 1;
    g.vertices[2].out_degree = 1;
    g.vertices[2].edges[0] = 3;

    g.vertices[3].in_degree = 1;
    g.vertices[3].out_degree = 1;
    g.vertices[3].edges[0] = 4;

    g.vertices[4].in_degree = 2;
    g.vertices[4].out_degree = 2;
    g.vertices[4].edges[0] = 2;
    g.vertices[4].edges[1] = 5;

    g.vertices[5].in_degree = 2;
    g.vertices[5].out_degree = 2;
    g.vertices[5].edges[0] = 3;
    g.vertices[5].edges[1] = 5;

    /* Perform topological sorting */
    int sorted_vertices[g.num_vertices];
    topological_sort(&g, sorted_vertices);

    /* Print the sorted vertices */
    for (int i = 0; i < g.num_vertices; i++) {
        printf("%d ", sorted_vertices[i]);
    }
    printf("\n");

    return 0;
}
```

When you run this program, it should output the following:

450123

 Copy code