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function dxdt=pill2(t,x)
dxdt=zeros(2,1);
k1=1.3860;
k2=0.1386;
I=100;
dxdt(1)=I-k1*x(1);
dxdt(2)=I-k1*x(1)-k2*x(2);
end

```

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%Course of Cold Pill
%Analytical Solution
syms x(t) y(t) k1 k2 I
f=diff(x,t,1)==I-k1*x
g=x(0)==2
dsolve(f,g)
h=diff(y,t,1)==I-k1*x-k2*y
l=y(0)==0
dsolve(h,l)
%Numerical Solution
[t x]=ode45(@pill2,[0 4],[2
0]);plot(t,x);xlabel('Time');ylabel('Pill');title('Course of Cold Pill')

```

$$f(t) = \text{diff}(x(t), t) == I - k_1 x(t)$$

$$g = x(0) == 2$$

$$\text{ans} = (I - \exp(-k_1 t) * (I - 2 * k_1)) / k_1$$

$$h(t) = \text{diff}(y(t), t) == I - k_1 x(t) - k_2 y(t)$$

$$l = y(0) == 0$$

$$\text{ans} = \exp(-k_2 t) * \int (\exp(k_2 x) * (I - k_1 x(x))), x, 0, t, \text{'IgnoreSpecialCases'}, \text{true}, \text{'IgnoreAnalyticConstraints'}, \text{true})$$