

## Two stack PDA

A 2 stack-pushdown Automata is similar to a PDA, but it has two stacks instead of one. In each transition, we must denote the pop and push action on both stacks.

A machine using two <sup>stack</sup> pushdown accepts the recursively enumerable language.

We use 2 stack PDA to <sup>find the solution of</sup> (build) non-Context free language

eg.  $L_1 = \{a^n b^n c^n \mid n \geq 1\}$

$$L_2 = \{a^n b^m a^n b^m \mid m, n \geq 1\}$$

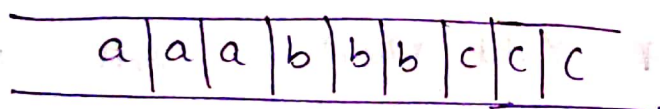
$$L_3 = \{w w^R \mid w \in \{a, b\}^+\}$$

- 1) A 2 stack PDA is similar to PDA, but it has two stacks instead of one.
- 2) for each transition, we can (Push, Pop, No change) on both stacks.
- 3) Both stacks work independently.

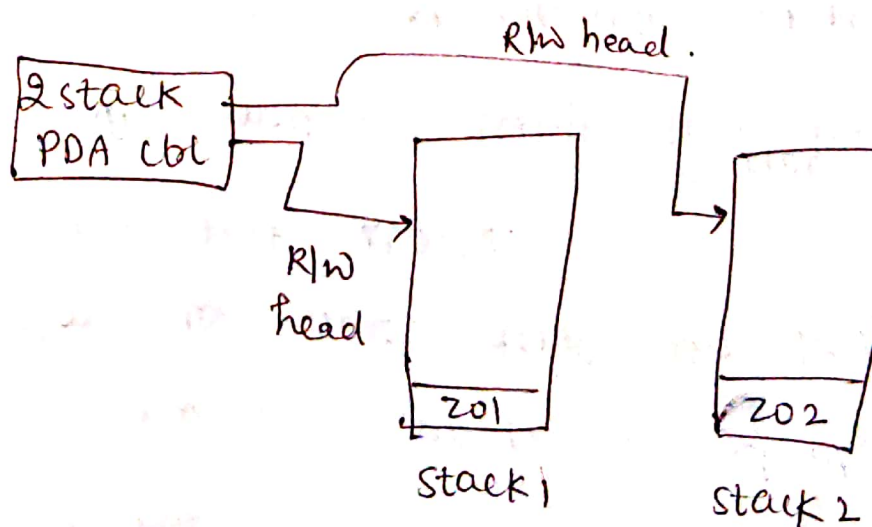
eg. Design a 2 stack PDA for

$$L = \{a^n b^n c^n \mid n \geq 1\}$$

$$L = \{abc, aabbcc, aaabbbccc, \dots\}$$



I/p tape.



S is defined

$$S(q_0, a, z_{01}, z_{02}) \rightarrow (q_1, a z_{01}, z_{02})$$

$$S(q_1, a, a, z_{02}) \rightarrow (q_1, a a, z_{02})$$

$$S(q_1, b, a, z_{02}) \rightarrow (q_2, \lambda, b z_{02})$$

$$S(q_2, b, a, b) \rightarrow (q_2, \lambda, b b)$$

$$S(q_2, c, z_{01}, b) \rightarrow (q_3, z_{01}, \lambda)$$

$$S(q_3, c, z_{01}, b) \rightarrow (q_3, z_{01}, \lambda)$$

$$S(q_3, \lambda, z_{01}, z_{02}) \rightarrow (q_f, \lambda, \lambda)$$