$\forall_{x,y,2}: ((\omega=x_{y2} \wedge |y|=3) \Rightarrow (|y|_{a} \in \dot{2} \vee |y|_{b} \in \dot{2}))$

1-Aplicamos el complementario

$$TV_{X,Y,Z}: \left((\omega = xyz \ \lambda \ |Y| = 3) \Rightarrow (|Y| a \in 2 \ Y \ |Y| b \in 2)\right) \equiv$$

$$\equiv \exists_{X,Y,Z}: T\left((\omega = xyz \ \Lambda \ |Y| = 3) \Rightarrow (|Y| a \in 2 \ Y \ |Y| b \in 2)\right) \equiv$$

$$\equiv \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |Y| = 3) \ \Lambda \ T\left(|Y| a \in 2 \ Y \ |Y| b \in 2)\right) \equiv$$

$$\equiv \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |Y| = 3) \ \Lambda \ (|M| a \notin 2 \ \Lambda \ |Y| b \notin 2)\right) \equiv$$

$$\equiv \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |Y| = 3) \ \Lambda \ (|M| a \notin 2 \ \Lambda \ |Y| b \notin 2)\right) \equiv$$

$$\equiv \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |Y| = 3) \ \Lambda \ (|Y| b \notin 2) \ \Lambda \ |Y| b \notin 2\right)$$

$$= \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |Y| = 3) \ \Lambda \ |Y| b \notin 2\right)$$

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$$= \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |X| = 3) \ \Lambda \ |X| b \mapsto 2$$

$$= \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |X| = 3) \ |X| b \mapsto 2$$

$$= \exists_{X,Y,Z}: \left((\omega = xyz \ \Lambda \ |X| = 3) \ |X| b \mapsto 2$$

2-Aplicamos el complementario al autómata

