

## Introduction to distributed and parallel systems

### Laboratory 4

Write using MPI the following programs:

1. Implement Matrix-Vector Multiplication algorithm presented during lecture. You can assume that the matrix is a square matrix. Implement the following function:

```
void parallelMatrixVectorMult(float *submatrix, float
    *subvector, int sizeofMatrix).
```

We assume that the matrix and the vector is equally distributed among processes. You have to preserve this in the main program before you call function `parallelMatrixVectorMult`. Remember that the size of strip you can compute as  $\text{sizeofMatrix}/p$ , where  $p$  is the number of processes. You can add a few other parameters to the function if you justify it.

Test the function for small and large matrix (`sizeofMatrix` in thousands).

2. Extend your implementation of the algorithm by the ability to measure the program run time. Run your program for different number of processors (cores) and draw a chart of speedup as a function of the number of used processors (cores).

Explanation for task 1:

Preprocessing Step 1. Processor 0 prepare matrix  $A(n \times n)$  and vector  $x(n \times 1)$ . It can be read from file or generated random.

Preprocessing Step 2. Processor 0 makes personalized communications to send parts of matrix  $A$  and vector  $x$  to proper processors (also to itself). For matrix  $A$  it is used stripped partitioning.

`parallelMatrixVectorMult` - start

Algorithm Step 1. Every processor exchange parts of vector  $x$  to obtain whole vector  $x$ .

Algorithm Step 2. Every processor make local calculation to obtain part of result vector  $y$ .

`parallelMatrixVectorMult` - end

Postprocessing Step 1. Processor 0 collect parts of result vector  $y$  to have the whole vector  $y$ .

Postprocessing Step 2. Processor 0 present the result or store in a file.