

# CSE 12: PA4

1-28-21

Focus: PA4, Runtime Analysis &  
Measurement

# PA4 Overview

## Two Parts

### Part 1: Questions

- Big-O Justification
- Analysis of ArrayStringList and LinkedStringList
- 6 Mystery Functions: Determine big- $\Theta$ , measure implementations (in part 2) and match

### Part 2: Code

- Write a program to measure the mystery methods
- Matches the methods to the source given
- Generate graphs to justify

#### Tips!

- Follow the format instructions very carefully on Gradescope!
- Only 16/70 points are autograded, don't rely on resubmission for this assignment

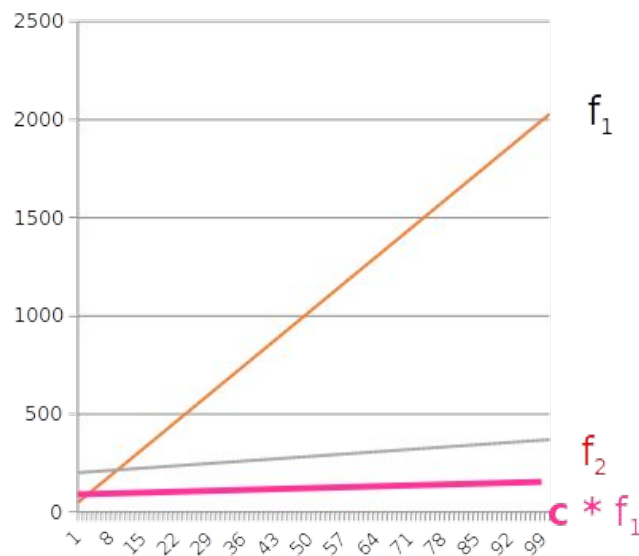


# Categorizing Runtimes

$f(n) = \mathbf{O}(g(n))$ , if there are positive constants  $c$  and  $n_0$  such that  $f(n) \leq \mathbf{c} * g(n)$  for all  $n \geq n_0$ .

$f(n) = \mathbf{\Omega}(g(n))$ , if there are positive constants  $c$  and  $n_0$  such that  $f(n) \geq \mathbf{c} * g(n)$  for all  $n \geq n_0$ .

- $f_1$  is  $\Omega(f_2)$  because  $f_1 > f_2$  (after about  $n=10$ , so we set  $n_0 = 10$ )
  - $f_2$  is clearly a **lower bound** on  $f_1$  and that's what big- $\Omega$  is all about
- But  $f_2$  is  $\Omega(f_1)$  as well!
  - We just have to use the "**c**" to adjust so  $f_1$  that it moves below  $f_2$



# Summary

## Big-O

- **Upper bound** on a function
- $f(n) = O(g(n))$  means that we can expect  $f(n)$  will always be **under** the bound  $g(n)$ 
  - But we don't count  $n$  up to some starting point  $n_0$
  - And we can "cheat" a little bit by moving  $g(n)$  up by multiplying by some constant  $c$

## Big-Ω

- **Lower bound** on a function
- $f(n) = \Omega(g(n))$  means that we can expect  $f(n)$  will always be **over** the bound  $g(n)$ 
  - But we don't count  $n$  up to some starting point  $n_0$
  - And we can "cheat" a little bit by moving  $g(n)$  down by multiplying by some constant  $c$

# Big- $\theta$

- **Tight bound** on a function.
- If  $f(n) = O(g(n))$  and  $f(n) = \Omega(g(n))$ , then  $f(n) = \theta(g(n))$ .
- Basically it means that  $f(n)$  and  $g(n)$  are interchangeable
- Examples:
  - $3n+20 = \theta(10n+7)$
  - $5n^2 + 50n + 3 = \theta(5n^2 + 100)$

# How to measure runtime in Java

- Remember to do two things to ensure your measurements are as accurate as possible:
  - Turn off Java compiler optimizations
  - Call each method once (dummy call) before calling them to measure their runtimes; the timing of the first call can be noisy and inaccurate
- How to turn off optimization in Eclipse (from the write up; scroll to last page):
  - <https://docs.google.com/document/d/1vwckO76TrBT8B5E4xQ2-v2OXncLa6SQWuaQkNZaCPB0/edit>
- How to turn off optimization in terminal
  - add in the flag in your **javac** and **java** commands. Examples:  
**java -Djava.compiler=NONE myClass**
- Example code from discussion on how to calculate runtime of a method using **System.nanoTime()** will be posted on the course Github

# Verifying submitted file paths



## Submitted Files for Programming Assignment 3 - code

Results

Code

▶ TestSolvers.java

Download

▶ Square.java

Download

▶ SearchWorklist.java

Download

▶ MazeSolver.java

Download

▶ Maze.java

Download

STUDENT

Rebecca Eunsok Kreitinger

AUTOGRADER SCORE

**32.0 / 32.0**

QUESTION 2

Style

- / 4.0 pts



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Style

- / 4.0 pts

- Maze.java
- MazeSolver.java
- SearchWorklist.java
- Square.java
- TestSolvers.java

Directly from writeup!

