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**Technological level:** Advanced +

**Programming level:** Mid

**Technologies used:** Python 3.10 | PyCharm | Linux | OpenOffice



**Description of the problem:** In an old castle there is a mysterious room of  $60 \text{ m}^2$  which is covered with dust, cobwebs and is dark. Once, at midnight, the ghost of a man who hanged himself for love in the 11th century entered the room. He was unhappy. There was one window open and closed in the room. At the moment of his entrance it opened for a moment so that 25% of the air escaped and 25% of fresh air came inside. A ghost is made of matter which generates heat to such an extent that it replenishes the heat loss due to heat penetration through the walls, but also heats up the exchanged air. The wretch is also made up of water just like man, and this water evaporates. The question is: how much must the poor ghost evaporate and how much heat must it supply to the castle room so that by 1 a.m. when it disappears the air returns to its initial state i.e. temperature  $t_p = 20 \text{ }^\circ\text{C}$  and relative humidity  $\phi_p = 70\%$ . Outside air conditions:  $t_0 = 0 \text{ }^\circ\text{C}$  and  $\phi_0 = 80\%$ . Brrrr... sounds awful....

1. We use the graph:  $i_{(1+x)} = f(x) \rightarrow x_p$  [g/kg gs],  $i_p$  [kJ/ kg gs],  $x_o$  [g/kg gs],  $i_o$  [kJ/ kg gs];

$$2. \quad x_M = \frac{L_p x_p + L_o x_o}{L_p + L_o} \quad [\text{g/ kg gs}] , \quad i_M = \frac{L_p i_p + L_o i_o}{L_p + L_o} \quad [\text{kJ/ kg gs}]$$

3. For our point M from the  $i$ - $x$  plot we read  $t_M$  and  $\phi_M$  , interpolating we get  $\phi$ ;

4. Room air mass:  $m_r = V \rho_o$

5. Amount of evaporated from ghost water:  $m_{h2o} = m_r (x_w - x_M)$

6. Amount of additional heat input  $Q_g = m_r (i_w - i_M)$

7. The entire process is characterized by simple directionality:  $\frac{Di}{Dx}$  [kJ/kg]

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How much must the poor ghost evaporate and how much heat must it supply to the castle room so that by 1 a.m. when it disappears the air returns to its initial state i.e. temperature  $t_p = 20$  °C and relative humidity  $\phi_p = 70\%$ . Outside air conditions:  $t_o = 0$  oC and  $\phi_o = 80\%$ .

Returns:    - Amount of evaporated from ghost water;  
               - Amount of additional heat input;  
               - The entire process is characterized by simple directionality.

Parameters:   - Data of task:  $V$ , %,  $t_p$ ,  $\phi_{i\_w}$ ,  $t_o$ ,  $\phi_{i\_z}$ ;  
                   - Chart data:  $x_w$ ,  $i_w$ ,  $x_2$ ,  $i_z$ ;  
                   - Point M:  $t_M$ ,  $\phi_M$ ,  $\phi_i$ .

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# data of task: V, %, tp, fi_w, to, fi_z
data_of_task = [60, 25, 20, 70, 0, 80]

# chart data: xw, iw, x2, iz
data = [10.4, 47, 3.1, 8]

# point M: tM, fiM, fi
pointM = [15, 0.87, 1.21]
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```
def ghost(Data, Data_of_task):
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sum_air = (Data_of_task[1] + (100 - Data_of_task[1]))
iM = (Data_of_task[1] * Data[3] + ((100 - Data_of_task[1]) * Data[1])) / sum_air
xM = (Data_of_task[1] * Data[2] + ((100 - Data_of_task[1]) * Data[0])) / sum_air
m_room = Data_of_task[0] * pointM[2]
h2o = round(m_room * (Data[0] - xM), 2)
Qg = round(m_room * (Data[1] - iM), 2)
charakteristic = round((1000 * Qg) / h2o, 2)
return h2o, Qg, charakteristic

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hear = ghost(data, data_of_task)

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print('    Amount of evaporated from ghost water: ', hear[0], '[g]', '\n\

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    Amount of additional heat input: ', hear[1], '[kJ/h]', '\n\

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    The entire process is characterized by simple directionality: ', hear[2], '[kJ/kg]')

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Amount of evaporated from ghost water:  132.5 [g]
Amount of additional heat input:  707.85 [kJ/h]
The entire process is characterized by simple directionality:  5342.26 [kJ/kg]

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