INSTITUTO TECNOLÓGICO DE AERONÁUTICA



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COMPUTATIONAL METHOD FOR TEMPERATURES AND HEAT FLOWS ANALYSIS OF ORTHOGONAL CUTTING 1045 STEEL BY THERMAL IMAGING

Final Paper 2017

Course of Mechanical Engineering

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MECHANICAL ENGINEERING

São José dos Campos Instituto Tecnológico de Aeronáutica

Cataloging-in Publication Data

Documentation and Information Division

Nunes Chaves Lima, Adriana

Computational method for temperatures and heat flows analysis of orthogonal cutting 1045 steel by thermal imaging / Adriana Nunes Chaves Lima.

São José dos Campos, 2017.

50f

Final paper (Undergraduation study) – Course of Mechanical Engineering– Instituto Tecnológico de Aeronáutica, 2017. Advisor: Prof. Dr. Anderson Vicente Borille. Co-advisor: Dipl. Wirt. Ing. Thorsten Augspurger.

1. Usinagem. 2. Corte Ortogonal. 3. Programas. 4. Análise Térmica. 5. Estado Trasiente. I. Instituto Tecnológico de Aeronáutica. II. Title.

BIBLIOGRAPHIC REFERENCE

NUNES CHAVES LIMA, Adriana. Computational method for temperatures and heat flows analysis of orthogonal cutting 1045 steel by thermal imaging. 2017. 50f. Final paper (Undergraduation study) – Instituto Tecnológico de Aeronáutica, São José dos Campos.

CESSION OF RIGHTS

AUTHOR'S NAME: Adriana Nunes Chaves Lima

PUBLICATION TITLE: Computational method for temperatures and heat flows analysis of orthogonal cutting 1045 steel by thermal imaging.

PUBLICATION KIND/YEAR: Final paper (Undergraduation study) / 2017

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COMPUTATIONAL METHOD FOR TEMPERATURES AND HEAT FLOWS ANALYSIS OF ORTHOGONAL CUTTING 1045 STEEL BY THERMAL IMAGING

This publication was accepted like Final Work of Undergraduation Study

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I dedicate this work to my family, which have always supported me in my decisions and are the most happy ones with this academic achievement.

Acknowledgments

I would like to thank my family for everything they have done and still do for me, with endless love and comprehension. They are the main reason of this accomplishment, telling me always the importance of education in my life, which comes to be the best present they could give to me. My parents Ivanildo and Conceição, who demonstrated huge commitment with hard work, intending to provide better schools for me and my siblings. I also especially thank my siblings Aline and Alisson, who were my great examples of perseverance and the first ones to encourage me to pursue my dream to become an engineer from ITA.

I thank my roommates over my time at H8, Jéssica, Giuliana, Sarah, Eduarda, Dafne, Camilla, Ana Paula and Catarina. They helped me to grow up and relieve my longing for home.

I thank Thorsten Augspurguer, who provided me guidance during my internship in Germany, which was a great professional and personal experience. I also thank my coworkers at the time and friends Florisa and Renata for their support and for having made my days even better.

Finally, I thank Abraão for the motivation you provided me. Every opportunity you made me see, the strength you gave me when I needed most and your support to my professional aims were essential to make my path a lot easier. Thank you for being part of my life.



Resumo

Métodos de inspeção e monitoramento têm sido utilizados cada vez mais para garantir a qualidade de processos. No campo da usinagem existem muitos parâmetros importantes para assegurar que o processo forneça os resultados estimados. O acabamento superficial de uma peça usinada e a vida útil de uma ferramenta, por exemplo, sofrem influência direta da energia térmica gerada nas zonas de calor. Devido a isso, existem muitos métodos teóricos para a modelagem de temperatura distribuída pela zona de corte, mas ainda faltam ferramentas que possam permitir a validação prática de tais métodos. Embora ainda existam desafios no uso adequado da termografia, essa tecnologia faz possível o desenvolvimento de métodos computacionais que permitam o processamento de imagens térmicas e, consequentemente a posterior análise de fluxos de calor e partições dessa energia. Este trabalho apresenta um método computacional desenvolvido em MATLAB, com o suporte da toolbox de processamento de imagens, para análise de imagens térmicas, fornecendo resultados de campos de temperatura, energias internas, fluxos de calor e outras variáveis de interesse que possam ser utilizadas no monitoramento da usinagem e no estudos de melhores parâmetros de corte.

Abstract

Methods for inspection and monitoring have been used each time more to guarantee the quality of processes. In the machining field there are many important parameters to assure that a process provide the designed results. The superficial finishing of a workpiece and the life of tool are some examples subjected to the direct influence of thermal energy generated in the cutting zones. Due to it, there are a lot of theoretical methods for temperature modeling along the cutting zone, but still there is a lack of tools able to allow a practical validation of these methods. Although many challenges still prevail on the suitable use of thermography, this technology makes possible the development of computational methods that allows the thermal image processing and, consequently, the heat flow and heat partition analysis afterwards. This paper comes to present a computational method developed on MATLAB, with image processing toolbox support. It makes thermal image analysis, providing results about temperature fields, inner energies, heat flows and other variables of interest that can be used on machining monitoring and studies to improve cutting parameters.

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List of Abbreviations and Acronyms

MATLAB Numerical computation software from MathWorks

GUI graphic user interface

GUIDE graphic user interface development environment

AISI American iron and steel institute

WZL Werkzeugmaschinenlabor (Laboratory of Machine Tools)

FOV Field of view

fps Frames per second

List of Symbols

```
F_c
          Cutting force on the power direction [N]
F_p
          Passive force [N]
          Cutting velocity [m/min]
v_c
          Exit velocity of chip [m/min]
v_{chip}
P
          Total power developed along cutting process [W]
          Width of tool [mm]
w
          Depth of cut [\mu m]
a_p
          Chip thickness [\mu m]
t_c
T_e
          Environment temperature [{}^{o}C]
k
          Heat conductivity of tool material [W/mK]
          Heat capacity of tool [J/cm^3K]
          Heat capacity of workpiece [J/kgK]
          Rake angle [^o]
\alpha
          Clearance angle [^o]
\gamma
          Shear angle [^o]
\phi
          Cutting edge radius [\mu m]
r_{\beta}
          Emissivity
\epsilon
L
          Length of chosen isotherm [pixel]
          Variation of temperature along normal of chosen isotherm [{}^{o}C/pixel]
\dot{Q}_T
          Heat flow through tool [W]
\dot{Q}_C^{out}
          Energy carried away by chip [W]
\dot{Q}_C^{in}
          Energy carried in by chip [W]
\dot{Q}_W
          Heat flow through workpiece [W]
\dot{Q}_{inside}
          Total energy into the control volume [W]
Q_{outside}
          Total energy out to the control volume [W]
Q_{shear}
          Total energy generated in the primary shear zone [W]
T_C^{out}
          Temperature of chip along line of end of contact [{}^{o}C]
          Partition of heat that goes to tool
p_T
          Partition of heat that goes to chip
p_C
```

Partition of heat that goes to workpiece

 p_W

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1 Introduction

In many machining cases, orthogonal cutting may be considered a good approximation to perform on the major cutting edge, that is why it has been extensively studied (SHAW; COOKSON, 2005). For instance, planing and facing processes are some examples that orthogonal cutting conditions can be observed.

Also, it is known that thermal behavior during the cutting process, as temperature fields and heat flows, has an important influence on tool life, surface finish and metallurgical structure of workpiece and machinability. Then, the study of thermal analysis on orthogonal cutting case shall be able to provide a better comprehension of many studies concerning thermal modeling of metal cutting processes (KOMANDURI; HOU, 2000), (KOMANDURI; HOU, 2001).

1.1 Overview of metal cutting

There are different ways to change raw material, as additive and subtractive (SHAW; COOKSON, 2005). The additive processes occur when separated materials are put together, like 3D printing. On the other hand, subtractive way removes unnecessary material, which happens for machining processes as turning, milling and, in this paper, orthogonal cutting. The cutting process is composed basically by chip, tool and workpiece (figure 1.1). Many parameters are responsible for the surface finishing of the workpiece, for example. Depth of cut, cutting velocity, cutting material are some of these parameters. It is fundamental to use the right parameters for each type of cutting process, otherwise it can harm the final result and the process itself.

1.2 Heat zones

In machining there are 3 main regions of interest from where comes the heat produced during the cutting process (SHAW; COOKSON, 2005). The first area represented on figure 1.1 is called primary shear zone and is located along the shear plane, which is the edge

between the undeformed workpiece and the chip. The second area is the plane of contact between tool and chip, also known as secondary shear zone or friction zone. As for third area, it is related to the wear caused due the friction between tool and finished workpiece surface, due to it is called wear zone.

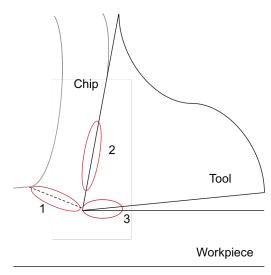


FIGURE 1.1 – Regions of interest

1.3 Mechanics of orthogonal cutting

In this paper it will be show numerous correlations among forces, stresses and dimensions for example. For this purpose it is important to discuss geometrical correlations in the composite cutting force circle (figure 1.2).

From the figure 1.2 it can be stated about forces on the primary shear zone reference F_S and N_S :

$$F_S = F_P \cos \phi - F_Q \sin \phi \tag{1.1}$$

$$N_S = F_Q \cos \phi + F_P \sin \phi \tag{1.2}$$

Also, for the forces on the chip flow reference:

$$F_C = F_P \sin \alpha + F_Q \cos \alpha \tag{1.3}$$

$$N_C = F_P \cos \alpha - F_Q \sin \alpha \tag{1.4}$$

These equations provide all auxiliary forces related to the known passive force F_Q and

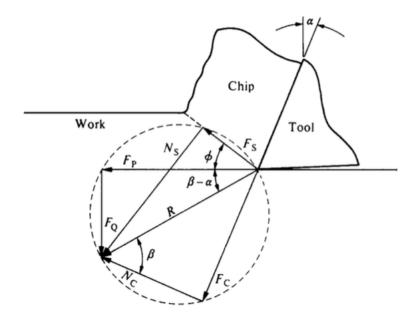


FIGURE 1.2 – Cutting forces (SHAW; COOKSON, 2005)

force on the cutting direction F_P . Now, the variables of interest can be easily calculated, as the friction coefficient:

$$\mu = \frac{F_C}{N_C} = \frac{F_Q + F_P \tan \alpha}{F_P - F_Q \tan \alpha} \tag{1.5}$$

Now the equations concerning about stresses are:

$$A_S = \frac{wa_p}{\sin \phi} \tag{1.6}$$

$$\tau = \frac{F_S}{A_S} = \frac{(F_P \cos \phi - F_Q \sin \phi) \sin \phi}{w a_p} \tag{1.7}$$

$$\sigma = \frac{N_S}{A_S} = \frac{(F_P \sin \phi + F_Q \cos \phi) \sin \phi}{w a_p}$$
 (1.8)

Where A_S is the area of the shear plane, τ is the shear stress and σ is the normal stress.

Another important parameter is the cutting ratio r, which can provide an important relation between the main cutting velocity and the chip outlet velocity. It is found experimentally that there is no change in density of metal during the cutting process and also

for $w/a_p \geq 5$ the width of the chip is the same of the workpiece. Then, the equations are:

$$a_p w l = a_{pc} w_c l_c \tag{1.9}$$

Where a_p , w and l are the depth of cut, width of cut and length of cut respectively. Then, the cutting ratio is defined by:

$$r = \frac{a_p}{a_{pc}} = \frac{l_c}{l} \tag{1.10}$$

Having the cutting ratio, it is now possible to correlate cutting velocity v and chip outlet velocity v_c by means of the following equation:

$$v_c = rv \tag{1.11}$$

1.4 Objective

The aim of this paper is to develop a computational method to analyze thermal images generated during the orthogonal cutting of AISI 1045 metal, focusing on the transient state due to the short time of cutting. It will be analyzed temperature distribution along the cutting tool, heat flows through tool, chip and workpiece.

1.5 Structure

This work is divided into 6 Chapters, including this **Introduction**, plus one Appendix.

The second chapter, **State of the Art**, describes the existing technology which is relevant for the scope of this paper and upon which the work was built.

The third chapter, **Materials and Methods**, describes the methodology and materials that conducted the experiments.

The fourth, **Code Implementation**, describes the logical implementation of the final analysis code.

The fifth, **Results**, presents the results and discussions about the outputs of the final code.

The sixth and final chapter, **Conclusion**, sums up what was accomplished in this work and suggests how it may be expanded for new processes.

The Appendix Source Code contains all the code written for the program.

2 State of the Art

2.1 Infrared Termography

Infrared termography is a contactless way to measure infrared electromagnetic energy. It makes possible to observe contours of different bodies due to their temperature distribution, since every body is able to emit electromagnetic radiation when its temperature is above absolute zero. For this reason, it is a very important technology in military use, because it allows objects be seen even without proper illumination or in total lack of light situations.

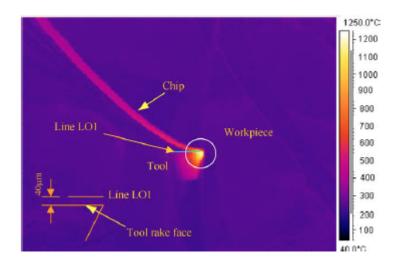


FIGURE 2.1 – Infrared photography of a cutting process (ABUKHSHIM et al., 2006)

The thermography tool is able to work in two different ways: passive and active. The passive way occurs when the subject matter has its temperature different from the environment (often higher). On the other hand, the active way needs an external heat source to induce a reasonable contrast between the object and the background (MALDAGUE, 2000). For the case under study, high speed thermography has its positive and negative points. On the positive side, it may be mentioned:

• Fast inspection rate (reasonable number of images of high speed cutting)

- Contactless (no interference during the cutting process)
- Easy interpretation of the results (indexed image with temperatures in each pixel)

But it is also important to mention the difficulties that in this method still prevail:

- Only a limited thickness can be measured (under the main surface)
- Determine a suitable emissivity is a chalenge (it changes with temperature variation)

2.2 Image Processing

Systems of vision have been very often approached with the current fast technology development and intelligent systems. They are used for the most diverse segments, as military and medical areas. Image processing has quickly gaining highlight. For instance, this is essential when comes to finding a pattern or extract an specific feature in a image.

Colorful or gray scaled images can be treated as matrices with dimensions given by their pixel resolution. Each pixel corresponds to a cell inside this matrix and each cell contains a relevant information, it could be a level in grayscale, a coordinate or a temperature as in the case of this paper. Since they are matrices, they can be easily manipulated by means of mathematical operations and, consequently, processed to highlight one specific property or more.

Many studies have been and are being done about the use of image processing on machining. It was used to monitor flank wear of cutting tools (JEON; KIM, 1988), (KURADA; BRADLEY, 1997) and also for detection of chatter during cutting processes. There are uncountable ways which this tool can be applied to improve processes and quality of final products in machining industry. The fast development of computer hardware makes the processing time of these images continuously shorter, allowing system of vision be incorporated in online monitoring and, then, providing a real time feedback.

3 Materials and Methods

3.1 Experimental Setup and Materials

The experiments were carried out on WZL shop floor, located in Aachen in Germany, acquiring thermal images by means of high speed infrared camera FLIR SC7600 (with frame rate of 328 fps and a resolution of 640 x 512 pixels), it was equipped with a macro lens 1:1 and FOV 9.6 x 7.7 mm. The test bench works in a way that the tool stays in a fixed position in relation to the camera, keeping the relative distance between tool and camera constant, then the scale factor provided by this setting was 15 μ m/pixel. It allows the metric conversion for future post processing of images.

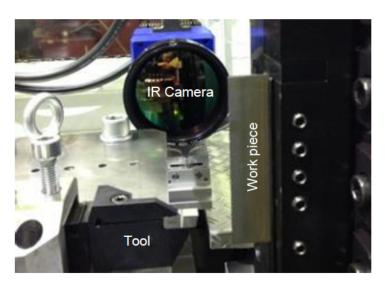


FIGURE 3.1 – Experimental setup (AUGSPURGER et al., 2016)

An important factor for a reliable temperature measurement is the correct choice of the components' emissivity. To make it easier, the tool was coated with a black ink, allowing the emissivity valuation for this case, which provided a value of $\epsilon = 0.85$. It is also important to highlight the camera settings, factors as integration time and filters are essential to determine a reliable measurements due to the amount of electromagnetic radiation received on camera's sensors. The higher are the temperatures higher is the energy produced, then smaller should be the integration time, which is the time that sensor of

energy receives radiation and converts into temperature afterwards. These configurations allowed measurements in a range from 200 °C until 900 °C.

The tool material was uncoated carbide insert (Sandvik H13A), with rake angle 6° , clearance angle 3° , cutting radius $r_{\beta} < 5\mu m$ and width 4.4 mm. The workpiece material was AISI 1045 normalized and its dimensions were 3.5 x 200 x 80 mm (width, length, height respectively). For the given range of temperature, the thermal conductivity was estimated in k = 75.4W/mK and for tool heat capacity was built a regression function (c(T)) for corresponding temperature and heat capacity (equations 3.1 and 3.2).

For force acquisition during the process, it was used a three-component piezoelectric force platform, determining the cutting force and passive force. Since the cutting process is carried out in a linear and constant motion, it is possible to determine the overall power P with velocity and cutting force. From the values obtained of forces along the cutting process it was taken a mean value to be used on power calculation afterwards, equation 3.3.

All the experiments were held without coolant, with cutting velocities of 100~m/min and 150~m/min and $a_p = [0.2, 0.3, 0.4, 0.5]$ mm (table 3.1). The analysis method was built on MATLAB platform with the support of its image processing toolbox. This was the chosen software due the easy connection between FLIR software and MATLAB, since FLIR software can export its images to .mat format, which are indexed matrices projected to MATLAB environment. Each pixel from the exported images contains information about position and its temperature.

Experiments	Cutting Velocity [m/min]	Uncut chip thickness [µm]	Integration time [µs]	Cutting Force [N]	Passive Force [N]	Heat treatment
VP41_1_H200_V100_C45_MF_425	100	200	425	1500	1000	Normalized
VP41_2_H200_V100_C45_MF_425	100	200	425	1565	1005	Normalized
VP42_1_H300_V100_C45_MF_425	100	300	425	2250	1159	Normalized
VP42_2_H300_V100_C45_MF_285	100	300	285	2136	1079	Normalized
VP43_1_H400_V100_C45_MF_285	100	400	285	2716	1118	Normalized
VP45_2_H200_V150_C45_MF_425	150	200	425	1448	688	Normalized
VP46_1_H300_V150_C45_MF_285	150	300	285	2006	801	Normalized
VP46_2_H300_V150_C45_MF_285	150	300	285	2004	875	Normalized
VP49_1_H400_V150_C45_MF_285	150	400	285	2675	1046	Normalized
VP49_2_H400_V150_C45_MF_285	150	400	285	2590	1000	Normalized
VP50_1_H500_V150_C45_MF_285	150	500	285	3220	1120	Normalized
VP50_2_H500_V150_C45_MF_285	150	500	285	3178	1162	Normalized

TABLE 3.1 – Design of experiments (AUGSPURGER et al., 2016)

As a machining process, the orthogonal cutting performance is subjected to many

parameter like material of workpiece, shape of tool, depth of cut and others. Because of it, the developed algorithm needs the information about all these parameters to work as close as possible of real conditions. Then, all the input data necessary to the can be summarize on the following table

Inputs						
Tool		Camera		Workpiece		
Heat Conductivity [W/(mK)]	75,4	Pixel pitch (Infrared Camera) [mm/pixel]	0,015	Length of the workpiece [mm]	200	
Heat Capacity [J/(cm^3K)]	Interpolation*	Maximum digit level valid (FLIR X)	8192	Heat Capacity [J/(kgK)]	Interpolation**	
Rake Angle [°]	6	Maximum digit level valid (FLIR SC7600)	16000	Workpiece Material	AISI 1045 (normalized)	
Clearance Angle [°]	3	Frame Rate (Infrared Camera) [Hz]	328	Width [mm]	3,5	
Cutting edge radius [µm]	< 5	Minimum valid temperature for the frames [°C]	200	Percentage of the deformation energy converted into heat	0,9	
		Emissivity (Experimentally determined - tool and workpiece coated)	0,85	Density (based on steel) [kg/m^3]	7874	

TABLE 3.2 – Algorithm inputs (AUGSPURGER et al., 2016)

The heat capacities of tool and workpiece material are used as an interpolation function on the code, using da data provided on tables 3.3 and 3.4. The functions are given by the following equations:

$$c_p^T = 2.51 \times 10^{-10} \times T^3 - 1.99 \times 10^{-6} \times T^2 + 0.0027 \times T + 3.09$$
 (3.1)

$$c_p^W = -4.39 \times 10^{-7} \times T^3 - 7.07 \times 10^{-4} \times T^2 + 0.0489 \times T + 481.21$$
 (3.2)

Workpiece Material					
Temperature [°C]	Heat Capacity [J/(kgK)]	Heat Conductivity [W/(mK)]	Density [Kg/m³]		
20	474,62	48,03	7820,9		
100	487,94	47,21	7794,3		
200	501,2	45,82	7764,2		
300	521,29	42,74	7732		
400	545,69	39,1	7697,4		
500	572,7	35,35	7660,4		
600	601,83	31,73	7620,9		
700	632,89	28,33	7578,7		
800	696,29	23,52	7579,4		
900	693,79	25,25	7528,3		
1000	691,3	26,61	7475		
1100	688,81	27,9	7419,7		
1200	686,34	29,34	7362,3		

TABLE 3.3 – Workpiece material data (AUGSPURGER et al., 2016)

Tool Material					
Temperature [°C]	Heat Capacity [J/(cm³K)]	Heat Conductivity [W/(mK)]			
20	3,2	100			
100	3,24	94,8			
200	3,59	88,3			
300	3,79	81,9			
400	3,9	75,4			
500	3,97	68,9			
600	4,05	66,7			
700	4,14	64,8			

TABLE 3.4 – Tool material data (AUGSPURGER et al., 2016)

3.2 Methods

3.2.1 Power calculation

This is a known simple method that is stated on the following equation 3.3

$$P = F_c v_c \tag{3.3}$$

3.2.2 Thermal enegy - chip and tool

The methods used in this paper to calculate heat flow through the tool and the energy carried away by chip are based on (BOOTHROYD, 1963).

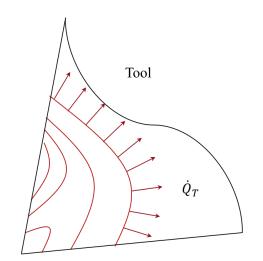


FIGURE 3.2 – Heat flow through tool

Besides the temperature matrix, it is necessary to calculate heat flow through tool the heat conductivity, the length of the chosen isothermal line, the temperature gradient normal to this isotherm and the width of the tool. The calculation is given by the following equation:

$$\dot{Q}_T = kL \frac{dT}{dz} w \tag{3.4}$$

For the energy carried away by the chip when it is flowing through control volume, the variables necessary to calculate this value are the heat capacity function $c_p(T)$, the chip temperature distribution along the line where the chip loses contact with tool T_C^{out} , the environment temperature T_e , the velocity of chip normal to the line of end of contact v_{chip} , the chip thickness t_C and the chip width w.

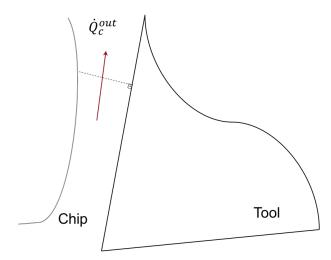


FIGURE 3.3 – Thermal energy carried away by chip

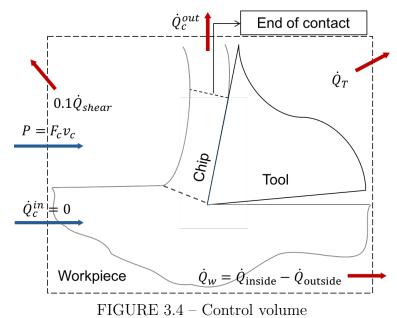
The equation for this energy is represented below:

$$\dot{Q}_C^{out} = c_p^W (T_C^{out} - T_e) v_{chip} t_C w \tag{3.5}$$

That way, having the location and the temperature of each pixel related to the isotherms and the line of end of contact chip - tool, the math necessary to perform these equations is simple, providing reliable outcomes.

3.2.3 Volume control

For matter of validation of the presented method and the lack of measurable temperatures on the workpiece surface, it was designed the control volume on figure 3.4.



The shear energy used to raise the temperature of the heat zones is calculated by means of equation 3.6

$$\dot{Q}_{shear} = F_c v_c - F_p v_{chip} \tag{3.6}$$

It is estimated that 90% of this energy generated in the primary shear zone (\dot{Q}_{shear}) is converted into sensible heat (TRIGGER, 1942), then the others 10% are soon dissipated out the control volume. Then, the energy balance of the control volume will provide:

$$\dot{Q}_W = P - \dot{Q}_T - \dot{Q}_C^{out} - 0.1 \dot{Q}_{shear} \tag{3.7}$$

4 Code Implementation

4.1 MATLAB environment

As mentioned on chapter 3, FLIR software provides as output variables indexed matrices in .mat format, which is MATLAB variable format. Each pixel contains temperature information about itself, it is possible to visualize an example on a scaled image on the following figure:

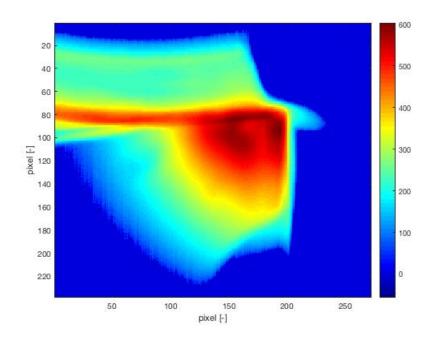


FIGURE 4.1 – Scaled image showing temperature distribution

From figure 4.1 with MATLAB Image Processing Toolbox support it possible to extract much information about the image, such as:

- Edges recognition
- Image segmentation for tool, chip and workpiece
- Detection of tool tip

• Determine isotherms along tool

4.2 Auxiliar functions

4.2.1 Contour plot

This is an important tool for this paper, contour plot is able to provide the same level curves. Since the variable used on the process is a temperature matrix, this tool will calculate continuous lines, in which each pixel has a very close temperature measurements. Doing it with a determined and small tolerance, the lines calculated are isotherms of the image. Then, with these lines it is also possible to get its coordinates, which it will be essential to calculate heat carried away from volume control by means of tool.

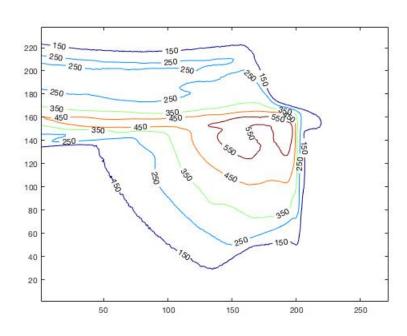


FIGURE 4.2 – Contour plot

4.2.2 Hough lines transformation

Hough transform is an extensive method used in computer vision. It is an extraction feature for complex geometries, using normal parameterization for straight lines (DUDA; HART, 1972). Concerning about the images, the rake and clearance face can be mapped by means of hough lines transformation in MATLAB. It is necessary to provide a probable angle range in what the angular coefficient of sought lines are defined. More precise is this angle range, more reliable and faster will be the output.

The test bench, where the experiments were held, allows a fixed placement of tool.

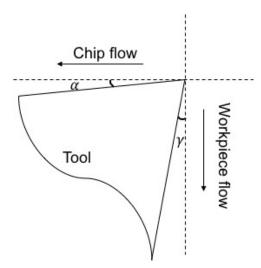


FIGURE 4.3 – Placement of tool

It means the angle between the rake face and horizontal line and the angle between clearance face and vertical line are always the designed rake and clearance angles, respectively. In other words, the tool does not rotate in relation to the reference axes. Because of this, it is possible to perform hough transformation on the image, being very accurate. As the rake and clearance angle are always 6° and 3° , respectively, the hough transform processing will last a shorter time with predetermined angles than otherwise.

4.3 Implementation steps

4.3.1 Overview

The final aim of the program was able to identify the tool and chip shapes, then the analysis could extract and provide features that were essential for the results of this paper. By means of image processing and some input data, features like maximum cutting zone temperature, maximum chip temperature, heat flows through chip and tool are some examples of what the code is able to provide.

4.3.2 Finding tool edges

As mentioned in the subsection Hough lines transformation, the method to find tool edges has to provide an accurate range of angles that the rake and clearance angles are inserted. The process is simple and it is demonstrated as follows:

```
function obj = calculateCoordinates(obj)
obj.BW = edge(obj.frame,'sobel');
```

```
-Finding the clearance face---
                [H, THETA, RHO] = hough(obj.BW,'Theta',2:5); %Hough transformation
4
                P = houghpeaks(H, 10);
                obj.lines = houghlines(obj.BW, THETA, RHO, P, 'FillGap', 15,'MinLength'
6
       ,10); Here we can find the lines of cutting edge and afterwards find the
       coordinate of the tool tip
                1 = length(obj.lines);
                obj.coordCF = [];
8
                for i=1:1
9
                    Theta = obj.lines(i).theta;
10
                    t1 = obj.lines(i).point1;
11
                    t2 = obj.lines(i).point2;
12
13
                    rho = obj.lines(i).rho;
                    if rho < 204 && rho > 198
14
                        obj.coordCF = [t1;t2];
15
16
                        obj.ClearanceAngle = Theta;
                    end
17
                end
18
                              -Finding the rake face-
19
                [H, THETA, RHO] = hough (obj.BW, 'Theta', 81:85); %Hough transformation
20
                P = houghpeaks(H, 10);
21
                obj.lines = houghlines(obj.BW, THETA, RHO, P, 'FillGap', 15, 'MinLength'
22
       ,10); Here we can find the lines of cutting edge and afterwards find the
       coordinate of the tool tip
                1 = length(obj.lines);
23
                obj.coordRF = [];
24
                for i=1:1
25
                    Theta=obj.lines(i).theta;
26
                    t1 = obj.lines(i).point1;
27
28
                    t2 = obj.lines(i).point2;
                    rho = obj.lines(i).rho;
29
                    if rho < 103 && rho > 98
30
31
                        obj.coordRF = [t1;t2];
                        obj.RakeAngle = 90 - Theta;
32
                    end
33
34
                end
           end
```

Since the rake angle is 6° and the clearance is 3° ranges of [81:85] and [2:5] were given to each respectively, as it is seen on lines 4 and 20. Concerning about the rake angle, the range of angles is given by the complementary angles due to its reference in hough method. In this way, it taken the first 10 highlighted points in the accumulation matrix of hough process, which means the most reasonable points that may represent the edge lines.

The fixed position of tool allows also the predetermination of the ρ parameter, which is distance of the detected lines from the reference. This is also seen on lines 14 and 30 as boundary conditions to determine the right edge lines. The outputs of this function are the endings coordinates of the detected line and also the angle of the corresponding angular coefficient.

4.3.2.1 Rake and clearance face

With the data provided by the output of hough function, it is possible to extend the lines to match the entire rake and clearance edge. This is an important step of the analysis method because it allows to build an object (binary image) that is a mask to remove only

the region of interest, on this case the tool shape. Consequently, it will be possible analyze the temperature fields and thermal behavior in the tool without any interference of the temperatures in the vicinity.

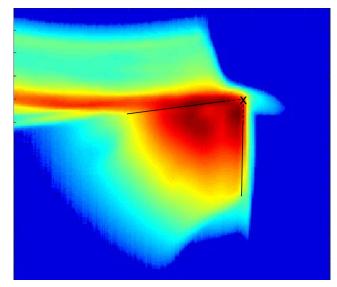


FIGURE 4.4 – Lines detected by hough transformation method

4.3.2.2 Tool tip coordinates

As the rake and clearance edges are determined, the tool tip will be calculated by means of the intersection between these lines. On the figure 4.4 the found lines are extended until they intersect, then the coordinates of tool tip can be calculated. It is important to determine these coordinates due to the interest in knowing the temperatures that the area close to the tip can reach, which is related directly with tool life and therefore the surface finish.

4.3.3 Maximum temperatures

As the code were able to segment the tool shape from the entire matrix, it gets easier to extract the other region of interest that present measurable range of temperatures, the chip. Getting the maximum temperature of each zone allows not only to know if the measured temperatures are inside the limit of measurement but also to compare the behavior of this maximum temperature of different cutting velocities and a_p .

4.3.4 Temperature fields

In this step, it will be used the other auxiliary function mentioned on the subsection Contour plot. This is an important function to determine same level curves, as the isotherms inside the tool shape. The contour levels are determined in a step of 50 °C.

```
[C,h] = contour(obj.frame,v);
```

The output of contour function is a matrix C with 2 rows that will provide the levels of temperature and the number of coordinates followed by their absolute values of x and y, which are very valuable when comes to calculate heat flows.

```
C = [C(1) \ C(2) \ C(3) \ ... C(k) ... \ C(N)]
C(k) = [level \ x(1) \ x(2) ... 
numxy \ y(1) \ y(2) ...]
```

For each matrix C(k), level shows which temperature it is representing and numxy is the amount of coordinates used to build the level. The coordinates are represented in the pair (x,y).

4.3.5 Heat flows - Chip and Tool

As described on section 3.2, the heat flow through tool and the energy carried away by chip are calculated. For heat flow through the tool, it is possible to extract isothermal lines by means of contour command and to calculate the gradient of temperatures, which already is normal to the isothermal lines due to its properties, with gradient command. The width is already known 3.1. The length of the chosen isotherm is done by counting the amount of pixels, provided by the coordinates in contour plot, and turned into millimeter with the scale factor afterwards. In the case of the energy carried away by chip, the chosen line is placed on the end of contact chip - tool. The explanation for it is that all the heat source in the friction zone is located before this line, in other words there is no other heat source after this line that could provide more thermal energy to be carried away by chip.

4.3.5.1 Heat partitions

Having the results of the subsection 3.2, these values can be combined with the total power (P) generated during the cutting process to calculate the energy that goes to the workpiece by means of energy balance (equation 3.7). Then, it is possible to calculate the heat partition relative to each zone of interest.

$$p_i = \frac{\dot{Q}_i}{P} \tag{4.1}$$

Which the index i is related to C (chip), W (workpiece) and T (tool).

5 Results

The total power produced along this high speed machining was calculated as in the equation 3.3, the values are shown on figure 5.1.

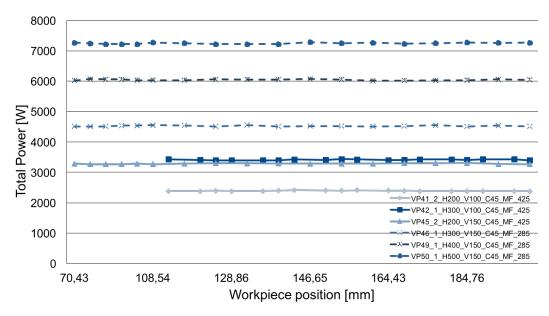


FIGURE 5.1 – Total power produced

As expected, the higher are the values of cutting velocity or depth of cut higher are the values of total power produced. For each experiment, the computational method was able to provide the thermal energy that goes to tool, chip and workpiece by means of energy balance. Then, it can be observed the thermal behavior of every area of interest along the workpiece position. The measurement starts when a reasonable area of the cutting zone reaches the minimum temperature. For cutting velocity of 150m/min it starts earlier because the rate of heat production is higher than when the cutting velocity is 100m/min.

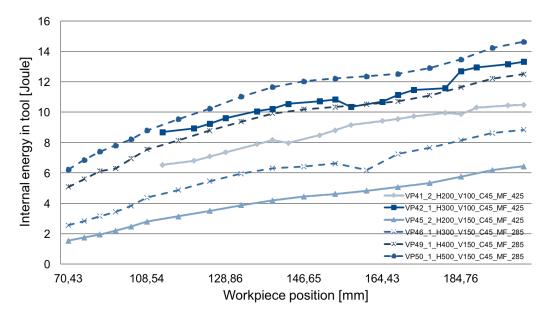


FIGURE 5.2 – Inner energy of tool along workpiece position

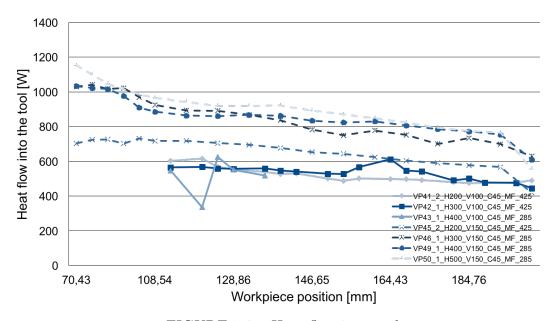


FIGURE 5.3 – Heat flow into tool

As it can be observed on the previous figure 5.3, the change rate of the inner energy of tool begins with a higher value than in the end of process. The rate starts to stabilize, indicating the beginning of the steady state.

To exemplify the results, it will be taken to represent the outcomes concerning heat partitions the experiment with cutting velocity $v_c = 150m/min$ and depth of cut $a_p = 500\mu m$. All the others experiments had approximately the same behavior during the cutting process. Concerning about the heat partition through tool, workpiece and the energy carried away by chip, their behaviors can be observed on the figure 5.4. There is a slight decrement in the heat flow through tool, which it was expected due to the steady

state as discussed before. As for the energy carried by chip, it may be noticed a slight increment.

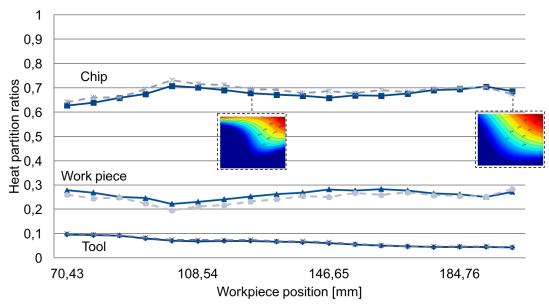


FIGURE 5.4 – Heat partition for experiment with $a_p = 500 \mu m$ and $v_c = 150 m/min$

It is important to highlight the total power produced during the cutting process, which has a significant value because of the high values of cutting velocity and force. Also, it must be noticed the amount of energy that goes to chip (figure 5.5 and 5.6). The chip takes around 70% of the total energy produced, this fact may be explained due to the high temperatures that the region can reach and the high velocity of flowing.

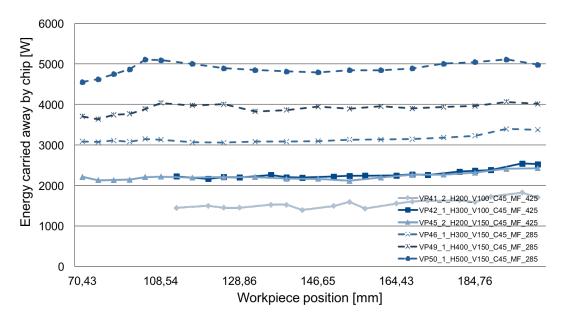


FIGURE 5.5 – Thermal energy into chip

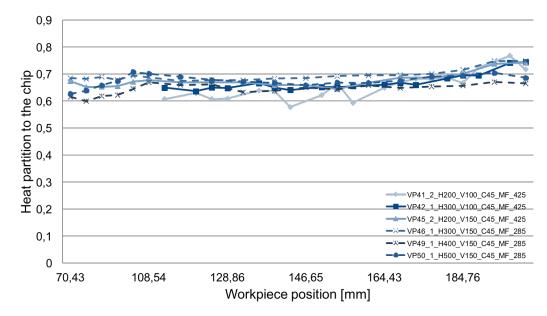


FIGURE 5.6 – Heat partition ratio for chip

As for the tool (figure 5.7), the partition of energy reaches a much smaller range when close to the steady state. The values of the partition to tool in this stage goes from 4% until 8%.

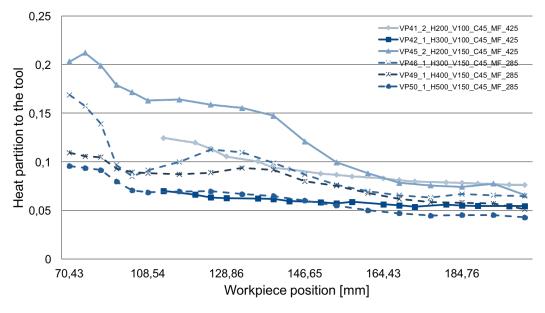


FIGURE 5.7 – Heat partition ratio for tool

6 Conclusion

The results found when processing thermal images provided a reasonable understanding about heat distribution through tool and chip components. Most of the heat generated during the cutting process goes to dissipation on the removed chip, about 70% of the total power generated. Most part of the data provided by the cutting process regards to transient state, but is also possible to note it reaching the steady state close to the end of the cutting process, which suggests that this computational method also may be extended for this part of the process.

One of the problems to elaborate this work was that many of the videos were damaged due to pieces of chip interfering on the ideal presentation of each thermal frame. Pieces of chip with different temperatures were captured on tool surface, disturbing the field of temperature along the tool shape. This fact made impossible the use of some frames from the same video and entire other experiments sometimes.

It may be noticed that for experiments with the same relation $v_c \times a_p$ (figure 5.5) seems to provide the same energy to be carried by the flowing chip. Since the thermography method is very sensible to external interference and many experiments were damaged as mentioned before, it would be necessary to perform new experiments to validate this hypothesis.

The thermography method for temperatures measurement still presents some challenges, mainly when comes to set the correct emissivity. Although it still takes a reasonable effort to determine the right emissivity for accomplishing a reliable measurement, the termography is a powerful tool for inspection, specially for cutting processes as discussed in this paper. With a filter of camera capable of measure temperatures lower than 200 Celsius degrees, it would be possible to complete the study with the measurement of temperatures on the workpiece area, providing more results.

Computer vision, as image recognition patterns and image processing, is being used each time more nowadays processes. For a future study beyond this paper, computer vision can become an even stronger tool when combined with machine learning, which is revolutionizing manufacturing and medical areas for example. The principles used to build this computational method could be converted to analyze others types of cutting

processes, as milling. Then, it could be turned into an intelligent system to support machining processes, improving all cutting parameters in order to obtain higher efficiency of tool, increasing tool life, better surface finishing of the workpiece and lower cutting time.

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Appendix A - Source Code

A.1 Temperature Analysis

```
classdef TemperatureAnalyze
       % This class was built to analyze the temperature inside the tool
2
3
       % shape, the temperature gradient, the isotherms...
4
       properties(GetAccess = 'public', SetAccess = 'private')
           CoordinateToolTip;
6
            TemperatureToolTip;
           RakeAngle; %Rake face slope
8
           ClearanceAngle; %Clearance face slope
10
           ShearAngle;
           FrictionAngle;
11
           MeanTemperatureTool;
12
13
           MaximumTemperatureTool;
14
           MaximumTemperatureChip;
           MaximumTemperatureCuttingZone;
15
16
           HeatCarriedAwayByChip;
           HeatFluxAwayFromToolTip;
17
18
           HeatFluxThroughWorkpiece;
           TotalPowerBalance;
19
20
           InternalEnergyTool;
           CuttingForcePowerDirection;
^{21}
22
           CuttingForceUncutChipThicknessDirection;
           CuttingForceParallelToolFace;
23
24
            CuttingForceParallelShearPlane;
           CuttingForcePerpendicularShearPlane;
25
           CuttingForcePerpendicularToolFace;
           CoefficientFriction;
27
            ShearStress;
           NormalStress;
29
           PecletNumber;
30
31
           RatioR;
            ShearEnergyVolume;
32
33
           FrictionEnergyVolume;
           Cutting Velocity;
34
35
           UnCutChipThickness;
           ContactLength;
36
37
38
       properties(GetAccess = 'private', SetAccess = 'private')
39
40
           coordRF;
41
           coordCF;
           BW;
42
43
           lines;
           frame:
44
45
           pointCF; %auxiliar to plot the cutting edge
           pointRF;
46
           pointM;
47
           Tx; %auxiliar to plot the gradients of the frame
48
49
            Ту;
           biImageTool; %Binary image of the tool shape
50
           biImageChip;
```

```
biShearLine;
52
            xyMaxTemp; %coordinates of the point inside the chip with maximum Temperature
53
            lineChip;
54
            lineTool:
55
            validTemperature;
56
57
            heatCapacity;
            nExcPoints;
58
            heatAccumulatedPerLine;
59
60
            ptosLines;
            extPtosLineChip;
61
62
            line200;
        end
63
64
65
        methods
            % methods, including the constructor are defined in this block
66
67
            function obj = TemperatureAnalyze2(Frame,index)%constructor
68
69
                 %Inputs
                 Fp = 3220; %Cutting force in the power direction (Newtons)
70
                 Fq = 1120;%Passive force (Newtons)
71
                 widthTool = 4.4*10^{-3}; %meters
72
                 Vp = 150/60;%meters/second
73
                 tuc = 500*10^{-6}; %meters
74
                 clength = 0.00251; % Define as an empty vector if we do not have
75
                 %the mean value
76
                 tt = [197 78];
77
                 obj.validTemperature = 200;% For any experiment
78
                 A = 0.1; *percentage of the deformation energy that is converted in heat
79
80
81
                 obj.CuttingVelocity = Vp * 60; %m/minute
                 obj.UnCutChipThickness = tuc;
82
                 obj.frame = Frame(index).f;
83
84
                 if isequal(clength,[])
85
                     clength = obj.contactLength();
86
                 end
                 obj.ContactLength = clength;
87
88
                   obj = obj.calculateCoordinates();
                   if isempty(obj.coordRF) == 0 && isempty(obj.coordCF) == 0
89
    9
90
                         obj = obj.coordinateToolTip();
                   else %Default conditions
91
92
    응
                       if isempty(obj.coordRF)
    응
                           obj.RakeAngle = 6;
93
94
    응
                       if isempty(obj.coordCF)
95
    응
                           obj.ClearanceAngle = 3;
96
    응
                       end
97
98
                   end
                 obj.CoordinateToolTip = tt;
99
                 obj.ClearanceAngle = 3;
100
101
                 obj.RakeAngle = 6;
                 obj.frame = Frame(index).f;
102
                 obj = obj.toolContour();
103
                 obj = obj.findLineTool();
104
                 obj = obj.chipContour();
105
                 obj = obj.findLineChip();
106
                 obj = obj.pointsRFandCF();
107
                 obj = obj.TempTT();
108
109
                 obj = obj.meanTemperatureTool();
                 obj = obj.maxTemperatureTool();
110
111
                 obj = obj.maximumTemperature();
                 obj = obj.maxTemperatureChip();
112
113
                 obj = obj.calculateGradient();
                 obj = extremePointsChip(obj);
114
                 obj = obj.heatBalance(tuc, Vp, widthTool);
115
                 obj = obj.internalEnergyTool(widthTool);
116
117
                 obj = obj.shearLine();
                 obj = obj.calculatePecletNumber();
118
                 obj = obj.forcesValues(Fp,Fq,widthTool,tuc);
119
                 obj.TotalPowerBalance = 0.97*(obj.CuttingVelocity*(obj.
120
        CuttingForcePowerDirection*(1-A) + obj.CuttingForceParallelToolFace*A*obj.RatioR
```

```
)/60);
                 obj.HeatFluxThroughWorkpiece = obj.TotalPowerBalance - obj.
121
        HeatCarriedAwayByChip - obj.HeatFluxAwayFromToolTip;
122
123
            function obj = framesOverlap(obj,Frame,index)
124
                 cTT = obj.CoordinateToolTip;
125
                 alpha = (90 - obj.ClearanceAngle) *pi/180;
126
                 gamma = obj.RakeAngle*pi/180;
127
                 p1 = cTT + 67*[-cos(gamma) sin(gamma)];
128
                 p2 = cTT + 33*[-cos(alpha) sin(alpha)];
129
                 c = [cTT(1) p1(1) p2(1)];
130
131
                 r = [cTT(2) p1(2) p2(2)];
132
                 biTool70 = roipoly(Frame(index).e70,c,r);
                 aux = biTool70 == 1 & obj.biImageChip == 1;
133
134
                 biTool70 = biTool70 - aux;
                 biTool70andChip = biTool70 == 1 | obj.biImageChip == 1;
135
                 biFrame85 = ones(size(Frame(index).e85)) - biTool70andChip;
136
                 obj.frame = biTool70andChip.*Frame(index).e70 + biFrame85.*Frame(index).
137
        e85;
            end
138
139
            function obj = toolContour(obj)
140
                 A = round(obj.CoordinateToolTip);
141
                 m = size(obj.frame,1);
142
                 xt = A(1);
143
                 yt = A(2);
144
                 y1 = round(yt + (xt - 1)*tan(obj.RakeAngle*pi/180));
145
                 x2 = round(xt - (m - yt)*tan(pi/2 - (90 - obj.ClearanceAngle)*pi/180));
146
147
                 c = [xt 0 0 x2];
                 r = [yt y1 m m];
148
                 B = roipoly(obj.frame,c,r);
149
150
                 obj.biImageTool = B;
151
152
             function obj = chipContour(obj)
153
154
                 c = obj.line200(1,:);
                 r = obj.line200(2,:);
155
                 B = roipoly(obj.frame,c,r);
156
                 obj.biImageChip = B;
157
                 B2 = obj.biImageTool ==1 & B == 1;
158
                 B = B - B2;
159
                 obj.biImageChip = B;
160
            end
161
162
            function obj = maximumTemperature(obj)
163
164
                 obj.MaximumTemperatureCuttingZone = max(max(obj.frame));
                 [\sim, lin] = max(obj.frame);
165
                 [\sim, col] = max(max(obj.frame));
166
                 lin = lin(col);
167
                 obj.xyMaxTemp = [col lin];
168
            end
169
170
            function 1 = contactLength(obj)
171
172
                 imagesc(obj.frame)
                 imdistline \verb§{Help} to measure the amount of pixels on the contact length
173
                 v = input('What is the value of the contact length for this frame?');
174
175
                 close all
                 1 = 15*10^{-6}v;
176
177
            end
178
            function obj = maxTemperatureTool(obj)
179
                 C = obj.biImageTool;
180
                 Frame = C.*obj.frame;
181
                 T = max(max(Frame));
182
183
                 obj.MaximumTemperatureTool = T;
184
185
            function obj = maxTemperatureChip(obj)
186
                 Frame = obj.biImageChip.*obj.frame;
187
```

```
obj.MaximumTemperatureChip = max(max(Frame));
188
            end
189
190
            function obj = meanTemperatureTool(obj)
191
                B = obj.biImageTool;
192
                Frame = B.*obj.frame;
193
                B = Frame > obj.validTemperature;
194
                Frame = B.*Frame;
195
                s = sum(sum(Frame));
196
                n = sum(sum(B));
197
                meanT = s/n;
198
                obj.MeanTemperatureTool = meanT;
199
200
            end
201
            function obj = displayBinary(obj)
202
203
                imshow(obj.BW);
                hold on
204
205
                plot (obj.coordRF(:,1),obj.coordRF(:,2),'bx')
                plot (obj.coordCF(:,1),obj.coordCF(:,2),'yx')
206
207
                plot (obj.CoordinateToolTip(1), obj.CoordinateToolTip(2), 'xm')
                hold off
208
209
            end
210
            function obj = TempTT(obj)
211
                p1 = round(obj.CoordinateToolTip + 5*[-cos(obj.RakeAngle*pi/180) sin(obj
212
        .RakeAngle*pi/180)]);
                p2 = round(obj.CoordinateToolTip + 5*[-cos((90 - obj.ClearanceAngle)*pi]
213
        /180) sin((90 - obj.ClearanceAngle)*pi/180)]);
                p3 = round(obj.CoordinateToolTip + 5*[-(cos(obj.RakeAngle*pi/180)+cos]]
214
        ((90 - obj.ClearanceAngle)*pi/180)) (sin(obj.RakeAngle*pi/180)+sin((90 - obj.
        ClearanceAngle) *pi/180))]);
                T1 = obj.frame(p1(2),p1(1));
215
216
                T2 = obj.frame(p2(2), p2(1));
217
                T3 = obj.frame(p3(2),p3(1));
                TT = obj.frame(round(obj.CoordinateToolTip(2)),round(obj.
218
        CoordinateToolTip(1)));
219
                T = [T1 T2 T3 TT];
                obj.TemperatureToolTip = mean(T);
220
            end
221
222
223
            function obj = calculateCoordinates(obj)
                obj.BW = edge(obj.frame,'sobel');
224
                                -Finding the clearance face----
225
                [H, THETA, RHO] = hough(obj.BW,'Theta',2:5); %Hough transformation
226
                P = houghpeaks(H, 10);
227
                obj.lines = houghlines(obj.BW, THETA, RHO, P, 'FillGap', 15, 'MinLength'
228
        ,10); %Here we can find the lines of cutting edge and afterwards find the
        coordinate of the tool tip
                1 = length(obj.lines);
230
                obj.coordCF = [];
                 for i=1:1
231
                     Theta = obj.lines(i).theta;
232
                     t1 = obj.lines(i).point1;
233
                     t2 = obj.lines(i).point2;
234
235
                     rho = obj.lines(i).rho;
                     if rho < 204 && rho > 198
236
                         obj.coordCF = [t1;t2];
237
238
                         obj.ClearanceAngle = Theta;
                     end
239
                end
240
                             ---Finding the rake face----
241
                 [H, THETA, RHO] = hough (obj.BW, 'Theta', 81:85); %Hough transformation
242
                P = houghpeaks(H, 10);
243
                obj.lines = houghlines(obj.BW, THETA, RHO, P, 'FillGap', 15,'MinLength'
244
        ,10); Here we can find the lines of cutting edge and afterwards find the
        coordinate of the tool tip
                1 = length(obj.lines);
245
                obj.coordRF = [];
246
                for i=1:1
247
                     Theta=obj.lines(i).theta;
```

```
t1 = obj.lines(i).point1;
249
                     t2 = obj.lines(i).point2;
250
                     rho = obj.lines(i).rho;
251
                     if rho < 103 && rho > 98
252
                         obj.coordRF = [t1;t2];
253
                         obj.RakeAngle = 90 - Theta;
254
                     end
255
                end
256
257
            end
258
            function obj = coordinateToolTip(obj)
259
                \texttt{a = (obj.coordRF\,(1,2)-obj.coordRF\,(2,2))/(obj.coordRF\,(1,1)-obj.coordRF}
260
        (2,1)); The slope of the rake face hardly will be Inf(Infinite) or NaN(Not-a-
        number),
                 %because we took for this face a slope smaller than 45
261
262
                b = obj.coordRF(1,2)-a*obj.coordRF(1,1);
                m = (obj.coordCF(1,2)-obj.coordCF(2,2))/(obj.coordCF(1,1)-obj.coordCF
263
        (2,1)); % Slope of the cf, in some cases may be Inf(inclination of 90?, for
        example)
264
                h = Q(x)(a*x+b); %line of the clearance face represented by f
                 if m == Inf | |m == -Inf \% if the slope of the cf is 90? or -90?(Inf or -Inf
265
                     xi = obj.coordCF(1,1);%xi represents the coordinate x of the
266
        intersection(tool tip)
267
                else
                     n = obj.coordCF(1,2) - m * obj.coordCF(1,1);
268
                     xi = (n-b)/(a-m);
269
                end
270
                yi = h(xi);
271
272
                 obj.CoordinateToolTip = [xi yi];
            end
273
274
275
            function obj = displayImageAndToolTip(obj)
276
                 figure
                 imagesc(obj.frame);
277
278
                hold on
279
                plot (obj.CoordinateToolTip(1), obj.CoordinateToolTip(2), 'xm')
                hold off
280
281
            end
282
283
            function obj = pointsRFandCF(obj)
                 alpha = (90 - obj.ClearanceAngle)*pi/180;
284
                 gamma = obj.RakeAngle*pi/180;
285
                obj.pointRF = obj.CoordinateToolTip + 90*[-cos(gamma) sin(gamma)];
286
                 obj.pointCF = obj.CoordinateToolTip + 90*[-cos(alpha) sin(alpha)];
287
                obj.pointM = obj.CoordinateToolTip + 40*[-2*cos(alpha)-cos(gamma) 2*sin(
288
        alpha) +sin(gamma)];
289
            end
290
            function vT = temperatureRFandCF(obj)
291
                 pixelpitch = 15*10^-3; % mm/pixel
292
                extCF = obj.pointCF;% final point on the clearance face
293
                extRF = obj.pointRF; % final point on the rake face
294
                extM = obj.pointM;
295
296
                11 = round(abs(obj.CoordinateToolTip(1)-extRF(1))); %length in pixels
        rake line
                12 = round(abs(obj.CoordinateToolTip(2)-extCF(2)));%length in pixels
297
        clearance line
                13 = max(round(abs(obj.CoordinateToolTip-extM)));
298
                vRFx = round(linspace(obj.CoordinateToolTip(1),extRF(1),11));%
299
        coordinates x of the rake line
300
                vRFy = round(linspace(obj.CoordinateToolTip(2),extRF(2),11));%
        coordinates y of the rake line
                vCFx = round(linspace(obj.CoordinateToolTip(1),extCF(1),12));%
301
        coordinates x of the clearance line
302
                vCFy = round(linspace(obj.CoordinateToolTip(2),extCF(2),12));%
        coordinates y of the clearance line
                vMx = round(linspace(obj.CoordinateToolTip(1),extM(1),13));
303
                vMy = round(linspace(obj.CoordinateToolTip(2),extM(2),13));
304
```

```
305
                 T_RF = zeros(1,11); *temperature for each pixel (each coordinate pair) -
        rake line
                 T_CF = zeros(1,12); *temperature for each pixel (each coordinate pair) -
306
        clearance line
                 T_M = zeros(1,13);
307
                  for t=1:11
308
                      T_RF(t) = obj.frame(vRFy(t), vRFx(t)); *Building the temperature
309
        vector - rake line
310
                  for t=1:12
311
                      T_CF(t) = obj.frame(vCFy(t), vCFx(t)); *Building the temperature
312
        vector - clearance line
313
                 end
314
                  for t=1:13
315
                      T_M(t) = obj.frame(vMy(t), vMx(t)); Building the temperature vector -
         clearance line
316
                 end
                 d1 = zeros(1,11);%distance for each pixel along the line
317
                 d2 = zeros(1,12);
318
319
                 d3 = zeros(1,13);
                  for t=1:11 - 1
320
321
                      d1(t+1) = (((vRFx(t+1) - vRFx(1))^2) + ((vRFy(t+1) - vRFy(1))^2))^((1/2);
                 end
322
                  for t=1:12 - 1
323
                      d2(t+1) = (((vCFx(t+1) - vCFx(1))^2) + ((vCFy(t+1) - vCFy(1))^2))^((1/2);
324
                  end
325
                  for t=1:13 - 1
326
                      d3(t+1) = (((vMx(t+1) - vMx(1))^2) + ((vMy(t+1) - vMy(1))^2))^(1/2);
327
                 end
328
329
                 d1 = d1*pixelpitch;
                 d2 = d2*pixelpitch;
330
                 d3 = d3*pixelpitch;
331
332
                 figure
333
                 hold on
                 plot (d1, T_RF)
334
335
                 plot (d2, T_CF)
336
                 plot(d3, T_M)
                 xlabel('Distance from the tool tip (mm)')
337
                 ylabel('Temperature (?C)')
338
                 legend('Rake face','Clearance face','Middle vector')
339
340
                 hold off
                 figure
341
                 imagesc(obj.frame)
342
                 colormap jet
343
                 hold on
344
                 plot(vRFx, vRFy, 'k', 'LineWidth', 1)
plot(vCFx, vCFy, 'k', 'LineWidth', 1)
plot(vMx, vMy, 'k', 'LineWidth', 1)
345
346
347
                 hold off
348
                 m = min([11 12 13]);
349
                  vT = [d1(1:m)' T_RF(1:m)' d2(1:m)' T_CF(1:m)' d3(1:m)' T_M(1:m)'];
350
             end
351
352
             function obj = extremePointsChip(obj)
353
354
                  [y,x] = find(obj.lineChip);
355
                  obj.extPtosLineChip = [x(1) y(1);x(end) y(end)];
356
357
             function obj = displayIsotherms(obj)
358
                 tRF = obj.RakeAngle*pi/180;
359
                 tCF = (90 - obj.ClearanceAngle) *pi/180;
360
361
                 vRF = [-cos(tRF) sin(tRF)];
                 vCF = [-cos(tCF) sin(tCF)];
362
                  %p1 RF direction
363
                 t = (obj.CoordinateToolTip(1) - 1)/vRF(1);
364
365
                 p1 = obj.CoordinateToolTip - t*vRF;
                 %p2 CF direction
366
                 t = (256 - obj.CoordinateToolTip(2))/vCF(2);
367
                 p2 = obj.CoordinateToolTip + t*vCF;
368
                 %auxiliar to plot
```

```
370
                 auxX = [p1(1) obj.CoordinateToolTip(1) p2(1)]';
                 auxY = [p1(2) obj.CoordinateToolTip(2) p2(2)]';
371
                 Tmax = max(max(obj.biImageTool.*obj.frame));
372
                 Tv = obj.validTemperature;
373
                 v = round(Tv:40:Tmax);
374
                 %Display tool and isotherms
375
                 lc = obj.extPtosLineChip;
376
                 figure
377
                 imagesc(obj.frame)
378
                 colormap jet
379
380
                 hold on
                 plot (auxX, auxY,'k')
381
382
                 plot(lc(:,1),lc(:,2),'k--','LineWidth',1)
                 [C,h] = contour(obj.frame,v);
383
                 h.LineColor = [0.247 \ 0.247 \ 0.247];
384
                 clabel(C,h,'manual','FontSize',10);
385
                 x = obj.CoordinateToolTip(1);
386
387
                 y = obj.CoordinateToolTip(2);
                 axis([x-180 x+15 y-60 y+130])
388
                 cb = colorbar('vert');
389
                 zlab = get(cb,'ylabel');
390
                 set(zlab,'String','Temperature (?C)');
391
                 cb.Limits = [0 \ 450];
392
                 cb.FontSize = 10;
393
                 zlab.FontSize = 10;
394
                 daspect([1,1,1])
395
                 ax = gca;
396
                 v = [0.2 \ 0.6 \ 1.0 \ 1.4 \ 1.8 \ 2.2 \ 2.6];
397
                 vt = v/0.015;
398
399
                 vx = x + 15 - vt;
                 ax.XTick = fliplr(vx);
400
                 ax.XTickLabel = fliplr(v);
401
                 ax.XAxisLocation = 'top';
402
                 vy = y - 60 + vt;
403
                 ax.YTick = vy;
404
                 ax.YTickLabel = v;
405
                 ax.YAxisLocation = 'right';
406
                 xlabel('milimeters')
407
                 ylabel('milimeters')
408
                 hold off
409
410
             end
411
412
             function obj = calculateGradient(obj)
                 pp = 15 * 10^{-6};
413
                 tx = zeros(size(obj.frame));
414
                 ty = zeros(size(obj.frame));
415
416
                 k = 0;
                 for j = 1:5
417
                      [auxx,auxy]=gradaux_v2(obj.frame,j);
418
419
                      tx = tx + auxx;
                      ty = ty + auxy;
420
                      k = k + 1;
421
422
                 obj.Tx = tx/(k*pp);
423
424
                 obj.Ty = ty/(k*pp);
425
             end
426
427
             function obj = displayGradient(obj)
                 auxx = [obj.pointCF(1) obj.CoordinateToolTip(1) obj.pointRF(1)];
428
429
                 auxy = [obj.pointCF(2) obj.CoordinateToolTip(2) obj.pointRF(2)];
                 k = 75.4;
430
431
                 qx = -k*obj.Tx;
                 qy = -k*obj.Ty;
432
                 figure
433
                 quiver(qx,qy)
434
435
                 hold on
                 plot (auxx,auxy,'k')
436
                 xmin = obj.CoordinateToolTip(1) - 10;
437
                 xmax = obj.CoordinateToolTip(1) + 5;
438
                 ymin = obj.CoordinateToolTip(2) - 5;
```

```
440
                 ymax = obj.CoordinateToolTip(2) + 10;
                 axis([xmin xmax ymin ymax])
441
                 title('Tool Tip')
442
                 daspect([1,1,1])
443
                 figure
444
                 quiver(qx,qy)
445
                 hold on
446
                 plot(auxx,auxy,'k')
447
                 xmin = obj.CoordinateToolTip(1) - 30;
448
                 xmax = obj.CoordinateToolTip(1) - 10;
449
                 ymin = obj.CoordinateToolTip(2) - 5;
450
                 ymax = obj.CoordinateToolTip(2) + 15;
451
452
                 axis([xmin xmax ymin ymax])
                 title('Rake Face')
453
454
                 daspect([1,1,1])
455
                 figure
                 quiver (qx, qy)
456
457
                 hold on
                 plot (auxx, auxy, 'k')
458
459
                 xmin = obj.CoordinateToolTip(1) - 10;
                 xmax = obj.CoordinateToolTip(1) + 10;
460
461
                 ymin = obj.CoordinateToolTip(2) + 10;
                 ymax = obj.CoordinateToolTip(2) + 20;
462
                 axis([xmin xmax ymin ymax])
463
                 title('Clearance Face')
464
                 daspect([1,1,1])
465
             end
466
467
             function obj = displayGradientContour(obj)
468
469
                 auxx = [obj.pointCF(1) obj.CoordinateToolTip(1) obj.pointRF(1)];
                 auxy = [obj.pointCF(2) obj.CoordinateToolTip(2) obj.pointRF(2)];
470
                 k = 75.4;
471
472
                 qx = -k*obj.Tx;
                 qy = -k*obj.Ty;
473
474
                 figure
475
                 quiver (qx, qy)
476
                 hold on
                 plot (auxx, auxy, 'k')
477
478
                 contour(obj.frame, 10)
                 xmin = obj.CoordinateToolTip(1) - 20;
479
480
                 xmax = obj.CoordinateToolTip(1) + 5;
                 ymin = obj.CoordinateToolTip(2) - 5;
481
                 ymax = obj.CoordinateToolTip(2) + 20;
482
                 axis([xmin xmax ymin ymax])
483
                 daspect([1,1,1])
484
             end
485
486
             function obj = findLineChip(obj)
487
                 [m,n] = size(obj.frame);
488
489
                 o = obj.RakeAngle*pi/180;
                 l = obj.ContactLength/(15*10^-6);
490
                 c = obj.CoordinateToolTip + l*[-cos(o) sin(o)];
491
                 xm = c(1);
492
493
                 ym = c(2);
494
                 x1 = xm - tan(o) * (ym - 1);
                 x2 = x1 + tan(0) * (m - 1);
495
                 vx = round(linspace(x1, x2, m));
496
497
                 vy = linspace(1, m, m);
                 B1 = zeros(m,n);
498
                 for i = 1:m
499
                     B1(vy(i), vx(i)) = 1;
500
501
                 end
                 B2 = B1 == 1 & obj.biImageChip == 1;
502
503
                 obj.lineChip = B2;
             end
504
505
             function obj = findLineTool(obj)
506
507
                 [m,n] = size(obj.frame);
                 Tmax = max(max(obj.biImageTool.*obj.frame));
508
                 Tv = obj.validTemperature;
```

```
510
                 v = round(Tv:40:Tmax);
                 if length(v) == 1
511
                     v = round([Tv Tmax]);
512
                 end
513
                 [C,~] = contour(obj.frame, v);
514
515
                 close
                 1 = length(v);
516
                 B = zeros(m,n,1);
517
                 C = round(C);
518
                 for k = 1:1
519
                      [\sim, J] = find(C == v(k));
520
                     [\sim,p] = \max(C(2,J));
521
522
                     J = J(p);
                     for z = J+1:J+C(2,J)
523
                          B(C(2,z),C(1,z),k) = 1;
524
525
                     end
                     if k == 1
526
                          obj.line200 = C(:,J+1:J+C(2,J));
527
528
529
                     B(:,:,k) = B(:,:,k).*obj.biImageTool;
                 end
530
531
                 obj.lineTool = B;
             end
532
533
             function obj = heatBalance(obj,tuc,Vc,w)
534
                 k = 75.4; %heat conductivity
535
                 pp = 15*10^-6; %pixel pitch
536
537
                 %First part - Heat carried away by the chip
538
                  cp = [-4.39956806034758e-07 \ 0.000707314520321484...
539
                  -0.0488770693887544 481.214007868631]; %AISI 1045
540
541
                 %Heat capacity for the workpiece
                 M = obj.lineChip.*obj.frame;
542
                 MH = polyval(cp, M);
543
                 MH (MH == cp (4)) = 0;
544
                 Ht = MH.*(obj.frame-22); %J/kg - 22 is the temperature of the environment
545
546
                 Ht = sum(sum(Ht));
547
                 n = sum(sum(obj.lineChip));
                 Hc = Ht/n; %mean entalpy on the line chip
548
                   Vchip = 100 \times 200 / (60 \times n \times 15);
549
550
                 p = 7874; %kg/m^3
                 Qc = Hc*Vc*tuc*p; %Vc*tuc is the same for Vchip*tchip
551
552
                 obj.HeatCarriedAwayByChip = Qc*w;
553
                 %Second part - Heat carried away by the tool
                 dT = ((obj.Tx).^2 + (obj.Ty).^2).^(1/2);
555
556
                 Q = zeros(size(obj.lineTool, 3), 1);
                 for i = 1:size(obj.lineTool,3)
557
                     L = obj.lineTool(:,:,i);
558
559
                     Q(i) = sum(sum(L.*dT))*pp*w*k;
560
                 obj.heatAccumulatedPerLine = Q;
561
                 Qm = mean(Q(1:2));
562
                 obj.HeatFluxAwayFromToolTip = Qm;
563
564
565
566
             function n = exceedingPoints(obj, Temperature)
567
                 B = obj.frame.*obj.biImageTool > Temperature;
                 n = sum(sum(B));
568
569
             end
570
571
             function obj = internalEnergyTool(obj,w)
                 pp = 15*10^-4; %in cm
572
                 cp = [2.50542895559373e-10 -1.99579761670655e-06 0.00274369536032376
573
        3.09265830398264];%J/(K*cm3)
574
                 %Heat capacity for tool
                 Te = 22;
575
                 B = obj.frame.*obj.biImageTool > obj.validTemperature;
576
                 B1 = obj.frame.*B;
577
                 B2 = polyval(cp,B1); %Heat capacity for each pixel (J/kgK)
```

```
B2(B2 == cp(4)) = 0;
579
                 H = B2.*(obj.frame - Te)*(pp^2)*100; %Heat Amount for each pixel(J/m)
580
                 Ha = sum(sum(H)); % Mean value for the entire tool
581
                 obj.InternalEnergyTool = Ha*w;
582
583
584
             function B = passBinaryImageTool(obj)
585
                 B = obj.biImageTool;
586
587
588
             function B = passBinaryImageChip(obj)
589
                 B = obj.biImageChip;
590
591
592
             function obj = shearLine(obj)
593
594
                 B = obj.biImageChip;
                 v1 = sum(B);
595
                 v1(v1 == 0) = [];
596
                 11 = length(v1);
597
                 C = imcrop(B, [20 20 11 100]);
598
                 [m,n] = size(C);
599
600
                 pto = zeros(1000, 2);
                 count = 1;
601
                 for i = 2:m-1
602
                      for j = 2:n-1
603
                          if C(i,j+1) == 1 \&\& C(i,j-1) == 1 \&\& C(i+1,j) == 1 \&\& C(i-1,j)
604
        == 1
                               pto(count,:) = [i j];
605
                               count = count + 1;
606
607
                          end
                      end
608
609
                 end
                 for i =1000:-1:1
610
                      if isequal(pto(i,:),[0 0]) == 1
611
612
                          pto(i,:) = [];
613
614
                 end
                 1 = size(pto, 1);
615
                 for i = 1:1
616
                      C(pto(i,1),pto(i,2)) = 0;
617
618
                 end
619
620
                 [H, THETA, RHO] = hough (C, 'Theta', -40:-30); %Hough transformation
                 P = houghpeaks(H, 5);
621
                 lin = houghlines(C, THETA, RHO, P, 'FillGap', 15,'MinLength',10);
622
                 l=length(lin);
623
                 p1 = [];
624
                 p2 = [];
625
                 for i=1:1
626
                      Theta=lin(i).theta;
627
                      t1 = lin(i).point1;
628
                      t2 = lin(i).point2;
629
                      y = abs(t1(2)-t2(2));
630
                      if isempty(p1) && isempty(p2) && abs(Theta + 34) < 5
631
632
                          p1 = t1 + [19 \ 19];
                          p2 = t2 + [19 \ 19];
633
                          ym = y;
634
635
                          obj.ShearAngle = abs(Theta);
                      end
636
                      if abs(Theta + 34) < 5 \&\& y > ym
637
                          p1 = t1 + [19 \ 19];
638
                          p2 = t2 + [19 \ 19];
639
                          obj.ShearAngle = abs(Theta);
640
641
                      end
                 end
642
643
                 if isempty(obj.ShearAngle)
                      obj.ShearAngle = 30;
644
645
                 end
             end
646
647
```

```
function obj = forcesValues(obj,Fp,Fq,w,tuc)
648
                 phi = obj.ShearAngle*pi/180; % shear angle
649
                 gamma = obj.RakeAngle*pi/180;%Rake angle
650
                 Fs = Fp * cos(phi) - Fq * sin(phi); %Cutting force component parallel to
651
        shear plane
                 Ns = Fq \star cos(phi) + Fp \star sin(phi); \& Cutting force component perpendicular to
652
         shear plane
                 Fc = Fp \times sin(gamma) + Fq \times cos(gamma); %Cutting force component parallel to
653
                 Nc = Fp*cos(gamma) - Fq*sin(gamma); %Cutting force component
654
        perpendicular to tool face
                 mu = Fc/Nc; % coefficient of friction
655
656
                 As = w*tuc/sin(phi); %Area shear plane
                 tau = Fs/As;%shear stress
657
658
                 sigma = Ns/As; %Normal stress
659
                 r = \sin(phi)/\cos(phi - gamma); %ratio r = t/tc = lc/l
                 ss = cos(gamma)/(sin(phi)*cos(phi-gamma)); %shear strain
660
661
                 us = tau*ss; %shear energy per volume
                 uf = Fc*r/(tuc*w); %friction energy per volume
662
663
                 beta = atan(Fc/Nc); %friction angle on tool face
                 obj.CuttingForceParallelToolFace = Fc;
664
665
                 obj.CuttingForcePowerDirection = Fp;
                 obj.CuttingForceUncutChipThicknessDirection = Fq;
666
                 obj.CuttingForceParallelShearPlane = Fs;
667
                 obj.CuttingForcePerpendicularShearPlane = Ns;
668
                 obj.CuttingForcePerpendicularToolFace = Nc;
669
                 obj.CoefficientFriction = mu;
670
                 obj.ShearStress = tau;
671
                 obj.NormalStress = sigma;
672
673
                 obj.RatioR = r;
                 obj.ShearEnergyVolume = us;
674
                 obj.FrictionEnergyVolume = uf;
675
676
                 obj.FrictionAngle = beta*180/pi;
677
678
             function obj = calculatePecletNumber(obj)
679
680
                 cp = polyval(obj.heatCapacity,obj.MaximumTemperatureCuttingZone);
                 k = 75.4;
681
                 d = 7.85 * 10^3;
682
                 obj.PecletNumber = ((obj.CuttingVelocity/60)*obj.UnCutChipThickness)/(k
683
        /(cp*d));
            end
684
685
             function vH = displayHeatCumulateperLine(obj)%Fix this function
686
                 d = zeros(size(obj.ptosLines,1),1);
687
                 d2 = zeros(size(obj.ptosLines,1)-1,1);
688
                 pp = 15*10^{-3}; %mm/pixel
                 for i = 1:size(obj.ptosLines,1)
690
                     d(i) = pp*((obj.CoordinateToolTip(1) - obj.ptosLines(i,1))^2 + ((obj
691
        .CoordinateToolTip(2) - obj.ptosLines((i,2))^2))^(1/2);
692
                 for i = 1:size(obj.ptosLines,1)-1
693
                     d2(i) = pp*((obj.ptosLines(i+1,1) - obj.ptosLines(i,1))^2 + ((obj.
694
        ptosLines(i+1,2) - obj.ptosLines(i,2))^2))^(1/2);
695
                 end
                 d2 = mean(d2)*10^-3;
696
697
                 figure
                 plot(d,obj.heatAccumulatedPerLine,'-x')
698
                 hold on
699
                 q = gradient(obj.heatAccumulatedPerLine,d2);
700
                 plot (d, q, '-*r')
701
702
                 vH = [d obj.heatAccumulatedPerLine];
            end
703
        end
704
    end
705
```

FOLHA DE REGISTRO DO DOCUMENTO

1. CLASSIFICAÇÃO/TIPO	^{2.} DATA	3. DOCUMENTO Nº	^{4.} Nº DE PÁGINAS
TC	22 de novembro de 2017	DCTA/ITA/TC-031/2017	50

^{5.} TÍTULO E SUBTÍTULO:

Computational method for temperatures and heat flows analysis of orthogonal cutting 1045 steel by thermal imaging

6. AUTORA(ES):

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 $^{7.}$ INSTITUIÇÃO(ÕES)/ÓRGÃO(S) INTERNO(S)/DIVISÃO(ÕES):

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8. PALAVRAS-CHAVE SUGERIDAS PELA AUTORA:

Manufacture; Image Processing; Matlab; Thermal Analysis; Orthogonal Cutting; Software.

9. PALAVRAS-CHAVE RESULTANTES DE INDEXAÇÃO:

Fabricação; Processamento de Imagens; Programas; Análise Térmica; Engenharia mecânica.

¹⁰. APRESENTAÇÃO:

(X) Nacional () Internacional

ITA, São José dos Campos. Curso de Graduação em Engenharia Mecânica. Orientador: Anderson Vicente Borille; coorientador: Thorsten Augspurger. Publicado em 2017.

11. RESUMO:

Methods for inspection and monitoring have been used each time more to guarantee the quality of processes. In the machining field there are many important parameters to assure that a process provide the designed results. The superficial finishing of a workpiece and the life of tool are some examples subjected to the direct influence of thermal energy generated in the cutting zones. Due to it, there are a lot of theoretical methods for temperature modeling along the cutting zone, but still there is a lack of tools able to allow a practical validation of these methods. Although many challenges still prevail on the suitable use of thermography, this technology makes possible the development of computational methods that allows the thermal image processing and, consequently, the heat flow and heat partition analysis afterwards. This paper comes to present a computational method developed on MATLAB, with image processing toolbox support. It makes thermal image analysis, providing results about temperature fields, inner energies, heat flows and other variables of interest that can be used on machining monitoring and studies to improve cutting parameters.

	12.	GRAII	DE	SIGILO:	
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(X) OSTENSIVO

() RESERVADO

() SECRETO