



# QML FOR CONSPICUITY DETECTION IN PRODUCTION

< **WOMANIUM** | **QUANTUM** >  
Womanium Quantum+AI Project

**Adriano Lusso**  
**Jalal Naghiyev**

1. Team presentation
2. Tasks schedule
3. Task 1,2 and 3: Basic training
4. Task 4: quantum model for trigonometrical function regression
5. task 5: binary and multi-classification for conspicuity detection

# TEAM PRESENTATION

**Adriano Lusso**

[www.linkedin.com/in/adrianolusso](https://www.linkedin.com/in/adrianolusso)

1. Computer Science student at Universidad Nacional del Comahue, Argentina.
2. Young quantum software researcher, with poster acceptances at international conferences.
3. Work over QAOA, Zero-Noise Extrapolation, QML and delegated quantum computing.

**Jalal Naghiyev**

[www.linkedin.com/in/adrianolusso](https://www.linkedin.com/in/adrianolusso)

1. masters in AI at ITMO University.
2. Junior Machine Learning Researcher  
interested in QML, LLM and Tensor Network.
3. Previous work on LLMs, currently working on  
Tensor Networks for QC.

# TASKS SCHEDULE

1

Familiarize yourself  
with PennyLane, using  
its tutorials codebook.

Work through PennyLane's  
tutorial of Variational Classifier,  
and implement it yourself.

2

Work through PennyLane's  
tutorial of Quantvolutional  
Neural Networks (QCNN), and  
implement it yourself.

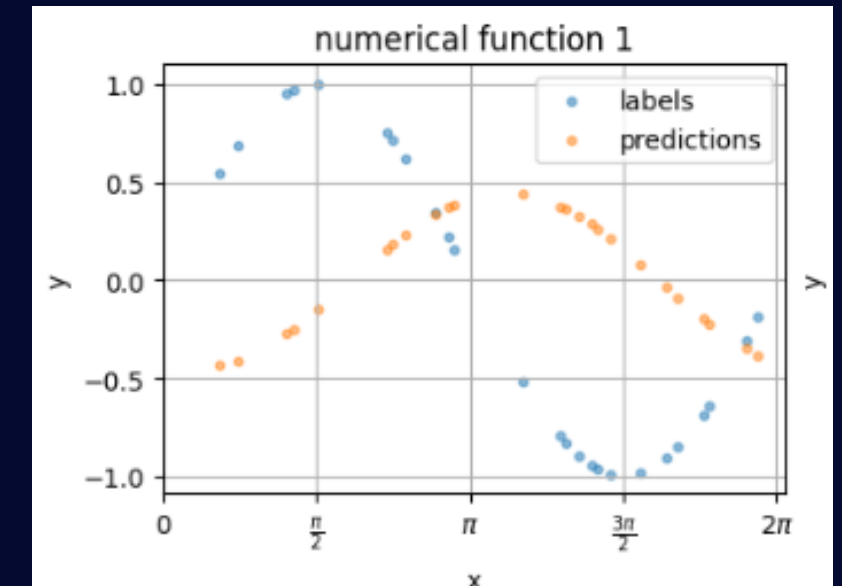
3



# TASKS SCHEDULE

4

Develop your own model and use it to learn the sine function on the interval  $[0, 2\pi]$



5

Implement a QML model to detect a defective production part.

[1]



# BASIC TRAINING

An optimisation of the  
variational classifier, from  
task 2.

A convolutional layer  
applied to Fashion-MNIST,  
from task 3.

Iter:	1		Cost:	1.8947039		Accuracy:	0.6000000
Iter:	2		Cost:	1.1471254		Accuracy:	0.6000000
Iter:	3		Cost:	0.9513056		Accuracy:	0.6000000
Iter:	4		Cost:	0.9555529		Accuracy:	0.6000000
Iter:	5		Cost:	1.1499226		Accuracy:	0.4000000
Iter:	6		Cost:	1.1009132		Accuracy:	0.6000000
Iter:	7		Cost:	1.1729802		Accuracy:	0.6000000
Iter:	8		Cost:	0.9643383		Accuracy:	0.4000000
Iter:	9		Cost:	0.5004217		Accuracy:	1.0000000
Iter:	10		Cost:	0.1876641		Accuracy:	1.0000000
Iter:	11		Cost:	0.0380154		Accuracy:	1.0000000
Iter:	12		Cost:	0.0190455		Accuracy:	1.0000000
Iter:	13		Cost:	0.0274739		Accuracy:	1.0000000
Iter:	14		Cost:	0.0559909		Accuracy:	1.0000000
Iter:	15		Cost:	0.0421825		Accuracy:	1.0000000
Iter:	16		Cost:	0.0274221		Accuracy:	1.0000000
Iter:	17		Cost:	0.0211031		Accuracy:	1.0000000
Iter:	18		Cost:	0.0097764		Accuracy:	1.0000000
Iter:	19		Cost:	0.0034671		Accuracy:	1.0000000
Iter:	20		Cost:	0.0023080		Accuracy:	1.0000000
Iter:	21		Cost:	0.0017877		Accuracy:	1.0000000
Iter:	22		Cost:	0.0023925		Accuracy:	1.0000000
Iter:	23		Cost:	0.0027881		Accuracy:	1.0000000
Iter:	24		Cost:	0.0029316		Accuracy:	1.0000000
Iter:	25		Cost:	0.0037595		Accuracy:	1.0000000
...							
Iter:	37		Cost:	0.0001552		Accuracy:	1.0000000
Iter:	38		Cost:	0.0001866		Accuracy:	1.0000000
Iter:	39		Cost:	0.0002715		Accuracy:	1.0000000
Iter:	40		Cost:	0.0001781		Accuracy:	1.0000000

$$U = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & -1 \end{pmatrix}.$$

(2)

This is none other than **Hadamard gate**, and is typically denoted by  $H$ . In PennyLane, it is implemented as `qml.Hadamard`.

The Hadamard gate is special because it can create a *uniform superposition* of the two states  $|0\rangle$  and  $|1\rangle$ . Many quantum algorithms rely on us being able to create uniform superpositions, so you'll see the Hadamard gate everywhere!

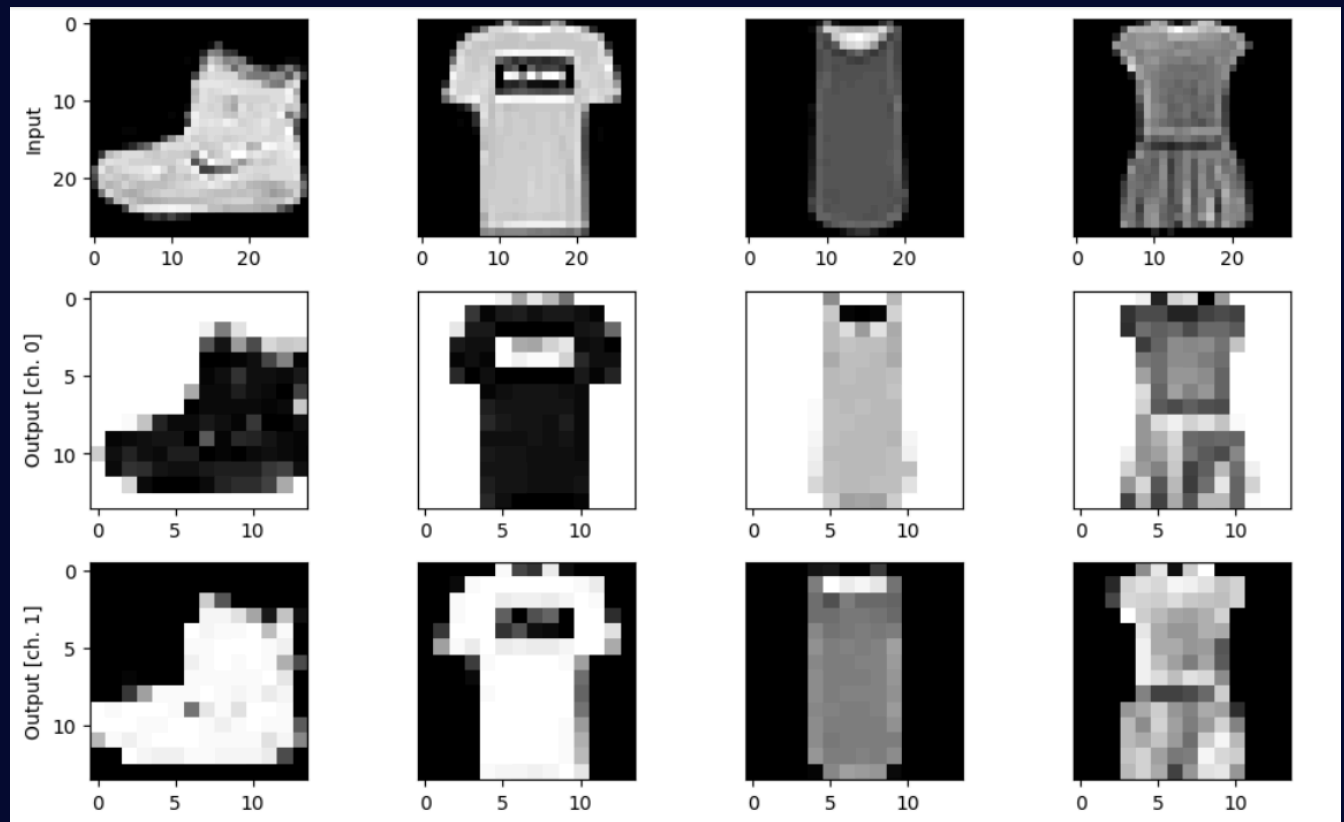
Complete the quantum function below such that it:

- applies a Hadamard gate to the qubit,
- returns the *state* of the qubit with `qml.state`.

```
1 dev = qml.device("default.qubit", wires=1)
2
3
4 @qml.qnode(dev)
5 v def apply_hadamard():
6     qml.Hadamard(wires=0)
7     return qml.state()
8
```

[Reset Code](#) [Submit](#)

Correct!

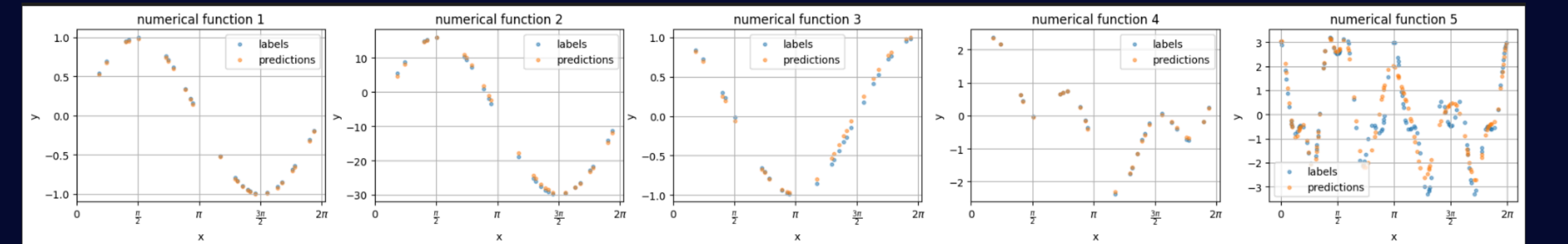
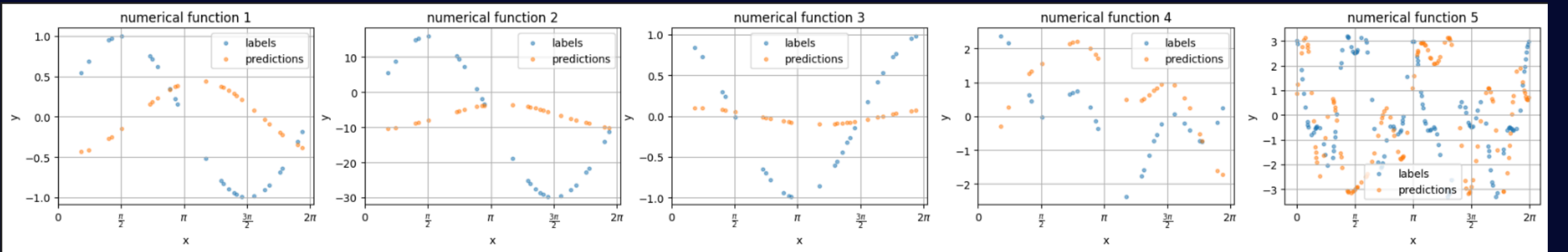
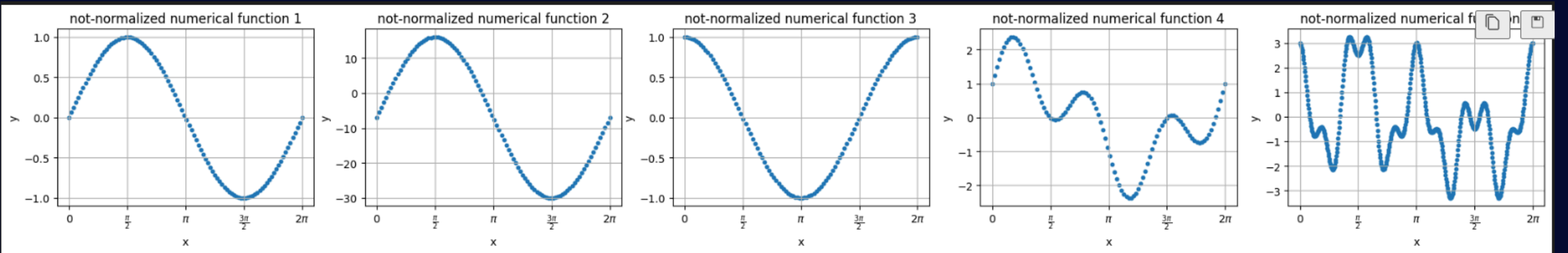


A code exercise from task 1

# QUANTUM MODEL FOR TRIGONOMETRICAL FUNCTIONS REGRESSION

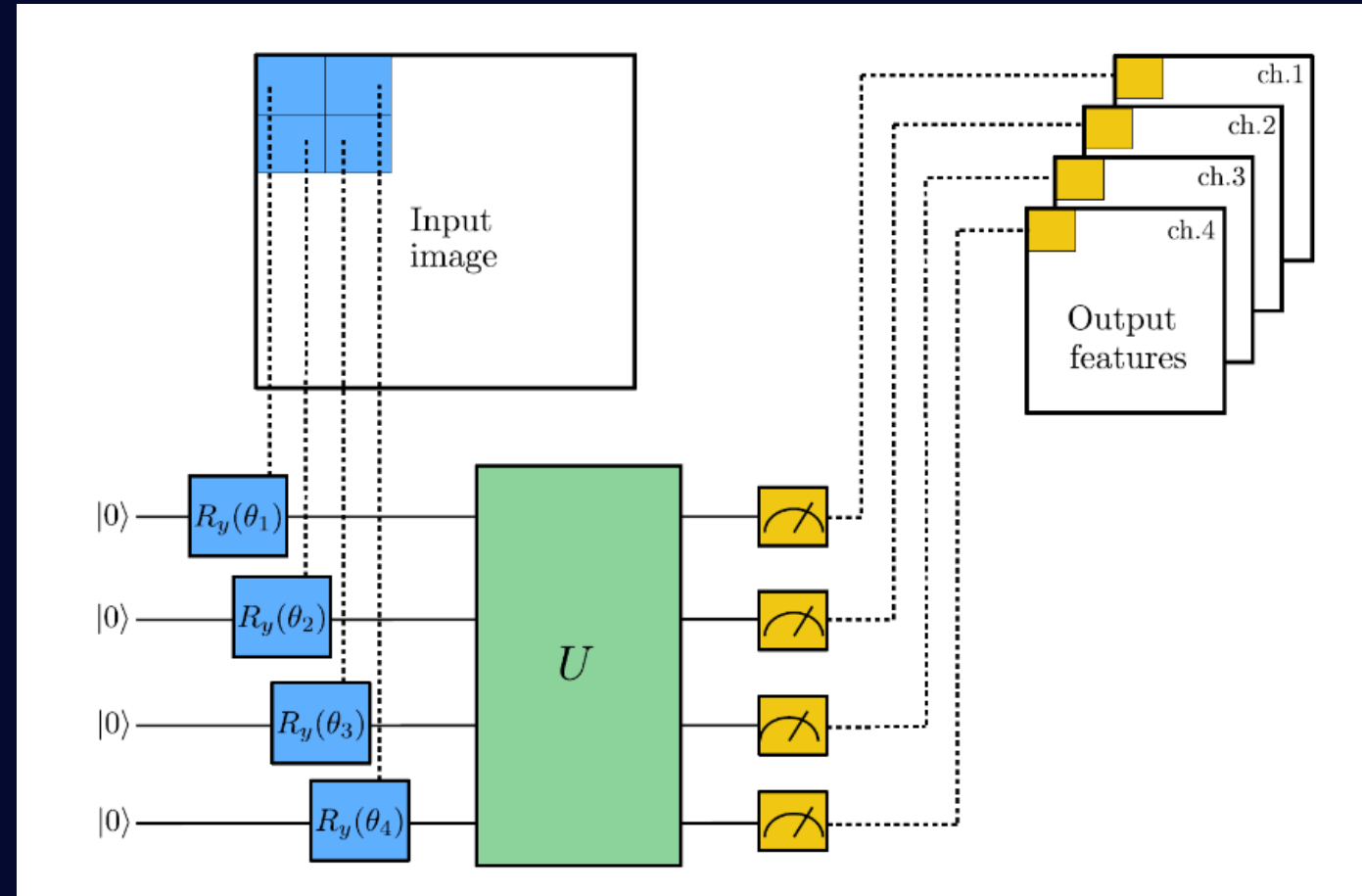
```
def function_predictor(weights, bias, x):  
    return circuit(weights, x) + bias  
  
dev = qml.device("default.qubit")  
@qml.qnode(dev)  
def circuit(weights, x):  
    qml.Hadamard(wires=0)  
  
    for layer_weights in weights:  
        layer(layer_weights, x)  
  
    return qml.expval(qml.PauliZ(0))  
  
def layer(weights, x):  
    qml.RZ(x + weights[0], wires=0)  
    qml.RX(weights[1], wires=0)
```





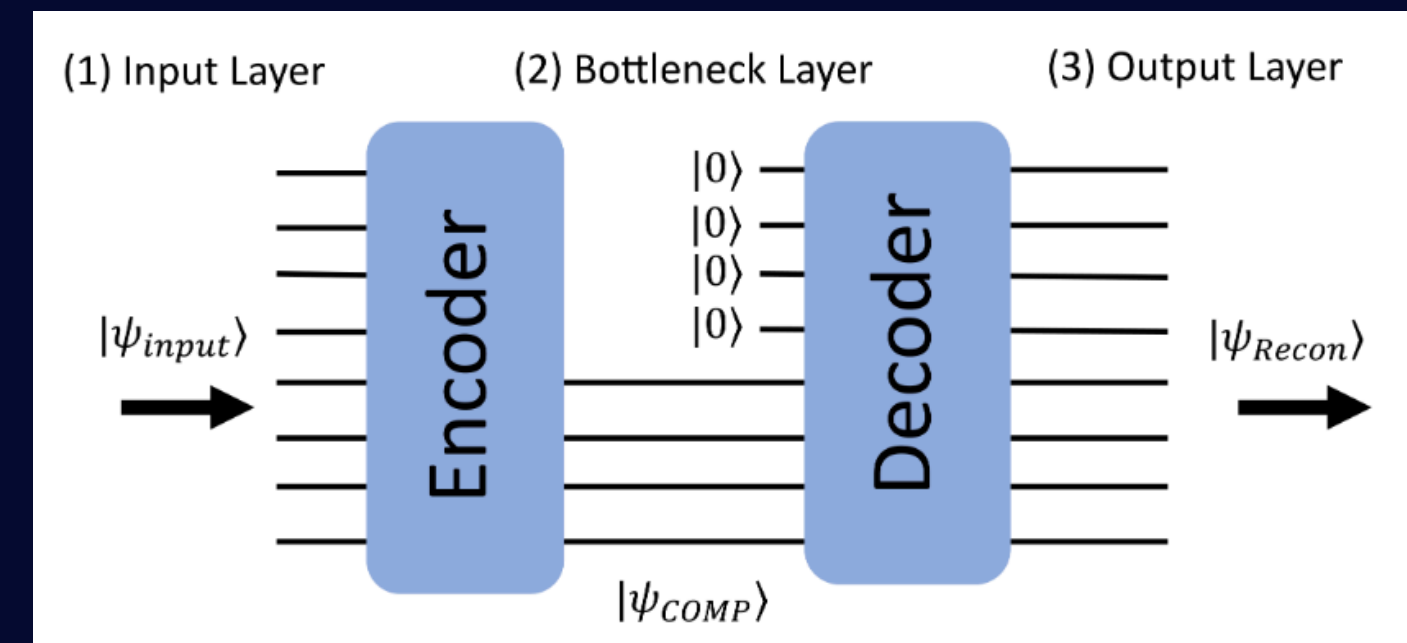
# BINARY AND MULTI-CLASSIFICATION FOR CONSPICUITY DETECTION

## QCNN (MULTI-CLASSIFICATION)



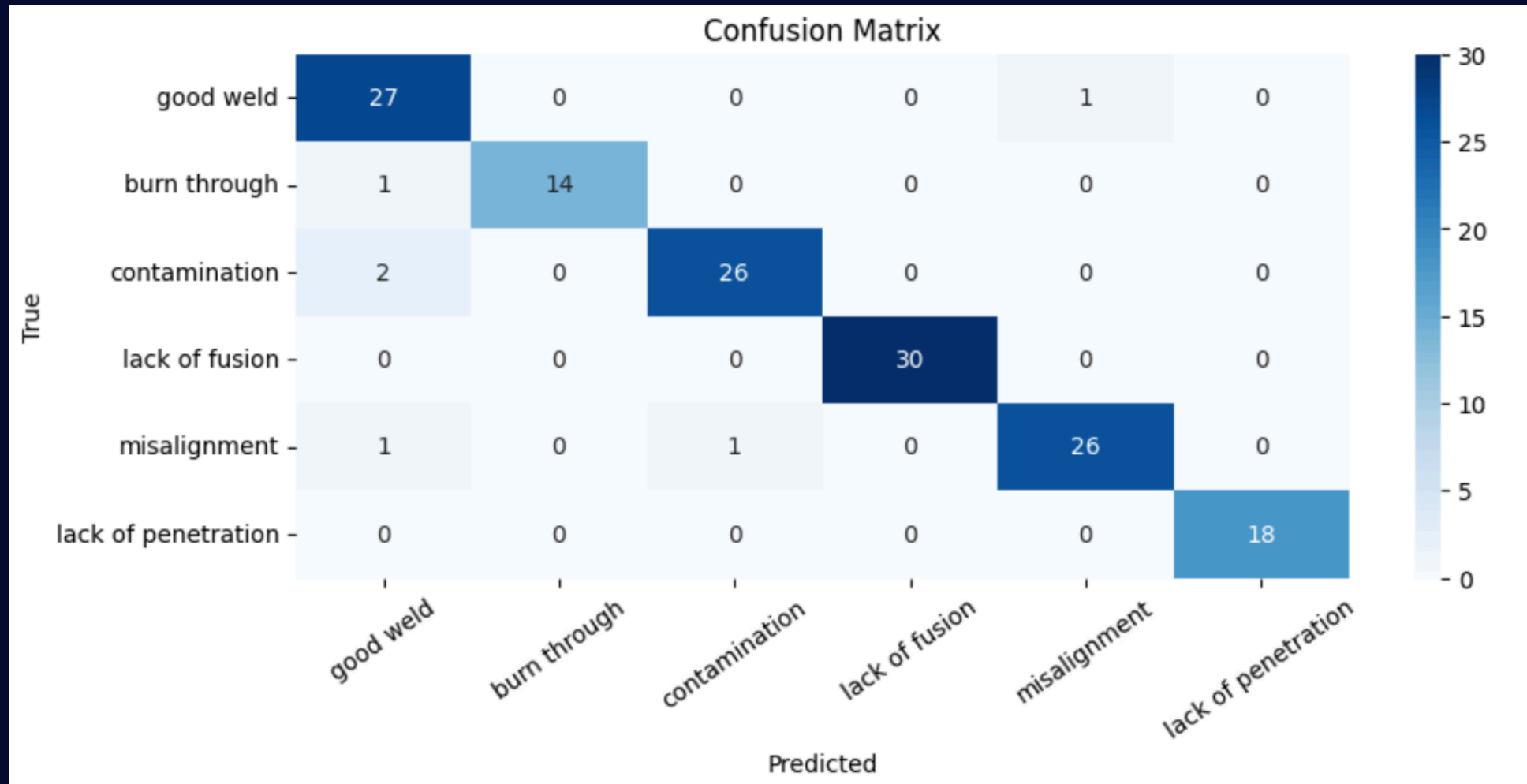
[2]

## QUANTUM VARIATIONAL AUTOENCODER (BINARY CLASSIFICATION)



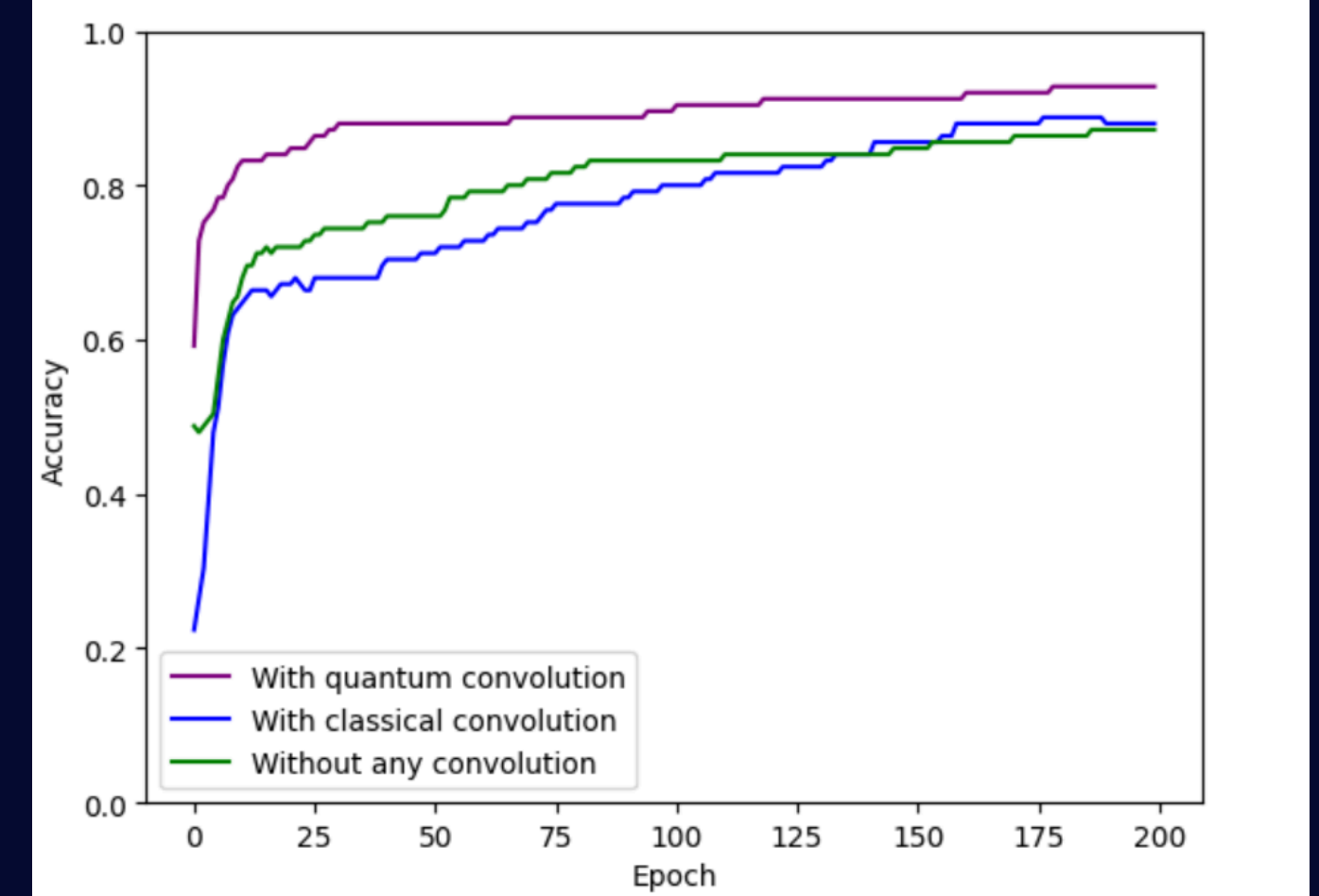
[3]





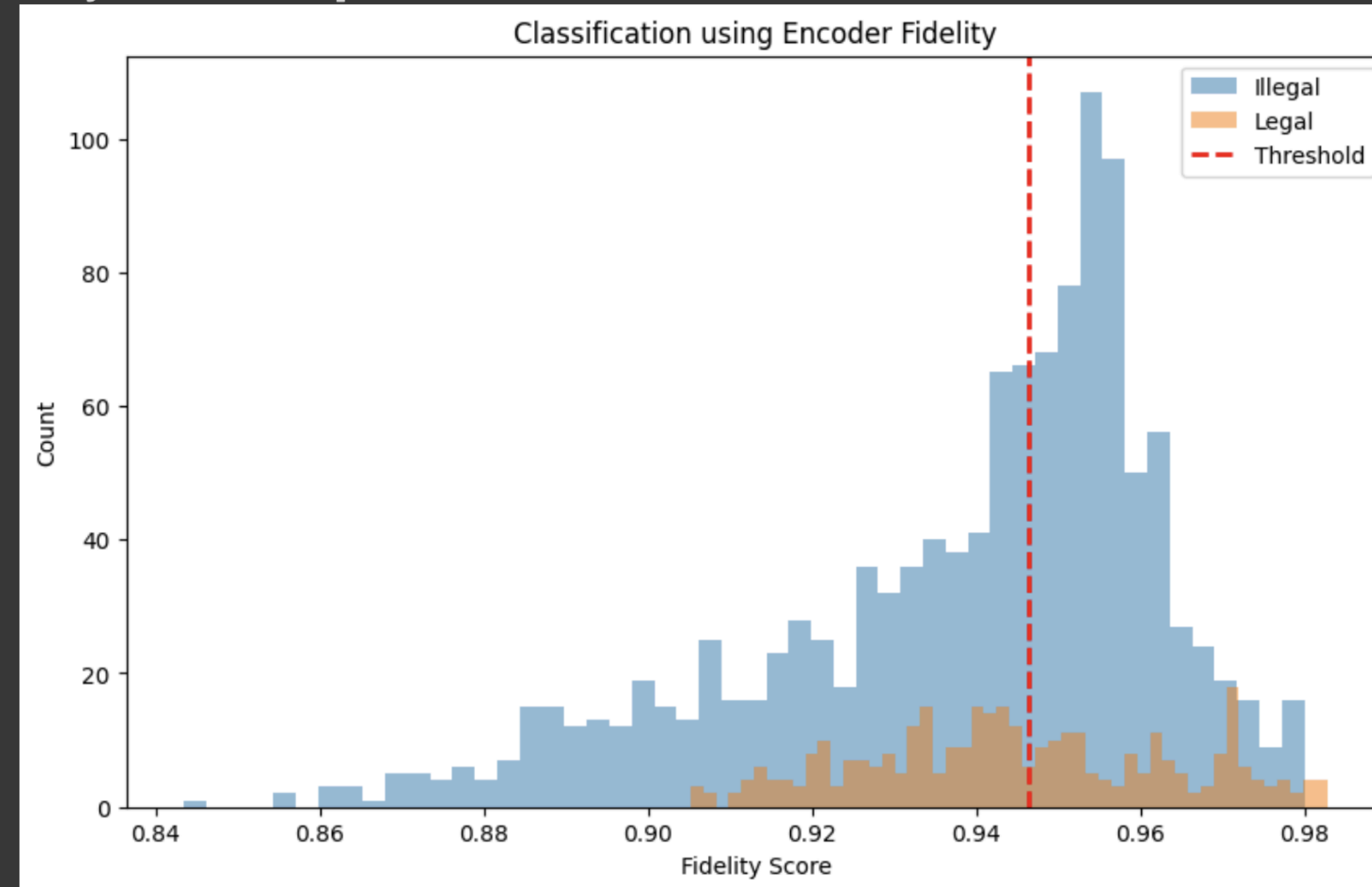
confussion matrix

accuracy history, compared  
to other classical models





Train Accuracy: 0.4672544002532959  
Test Accuracy: 0.43988269567489624  
Illegal Data Accuracy: 0.5232273936271667



Parameters:  
Trash Bits: 5  
Data Bits: 5  
EPR Pairs: 1  
Layers: 2  
Training Epochs: 200  
Batch Size: 5  
Learning Rate: 0.01

## REFERENCES

- [1] <https://www.kaggle.com/datasets/danielbacioiu/tig-aluminium-5083?resource=download>
- [2] [https://pennylane.ai/qml/demos/tutorial\\_quanvolution/](https://pennylane.ai/qml/demos/tutorial_quanvolution/)
- [3] [https://qiskit-community.github.io/qiskit-machine-learning/tutorials/12\\_quantum\\_autoencoder.html#8.-Applications-of-a-Quantum-Autoencoder](https://qiskit-community.github.io/qiskit-machine-learning/tutorials/12_quantum_autoencoder.html#8.-Applications-of-a-Quantum-Autoencoder)