

# Empirical Review of Models used for Predicting Financial Market Crashes Using Market Data

## Project: Literature Review

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## Background and Introduction **Adrien (Goes with Background)**

We are not the first to approach this subject. Multiple papers have approached prediction of stock market crashes using Machine Learning. Some have used Support Vector Machines, random forests, and others Neural Networks [Okpeke, Predicting Stock Market]. In a time series analysis approach, models used have traditionally included RNNs and Arima, and more recently Transformers. [Sabeen Ahmed, Transformers ... ] [Arunkumar, Comparative Analysis]. These models have been used in Market Crash prediction [Okpeke].

Reviews and comparisons of these models, such as this project aims to do, have been made such as [Okpeke, Predicting], but a comprehensive empirical review of Time-Series Analysis models on equal footing is lacking in literature. This project aims to address this lack, by providing an empirical comparison of three commonly used models in Time-Series Analysis (Arima models, RNNs and Transformers) to predict Market Crashes. [Sabeen Ahmed, Transformers ... ] [Arunkumar, Comparative Analysis]. We shall use data freely available on the Yahoo finance database, and tag historically factual Market Crashes by hand, as there are only few. We shall use the crashes as listed in []. This methodology (or closely related) is common procedure, and has been used for this in the past [ ].

## Methodology

When first looking at a time series, we need to know that whether there it is **stationary** or **non-stationary**, which means

- Justify why we chose those three models by finding similar work **Oscar ?** This might be good: <https://oarjst.com/sites/default/files/OARJST-2024-0095.pdf>

## ARIMA on predicting market crash **Oscar**

Time series in stock market are mostly non-stationary. But except for differences in the local level or in trend, all parts of the series behave in a similar way [Box et al. 2015]. Box et al suggested a model called Autoregressive Integrated Moving Average (ARIMA) model which combines autoregression model and moving average model. It is a models that can be used in non-stationary time series to make prediction [M K Ho et al 2021 J. Phys.: Conf. Ser. 1988 012041]. The ARIMA model  $ARIMA(p, d, q)$  has general form [Box et al. 2015]:

$$\varphi(B)z_t = \phi(B)\nabla^d z_t = \theta_0 + \theta(B)a_t$$

where

1.  $\phi(B)$  is the autoregressive part with  $p$  degrees,

2.  $\theta(B)$  is the moving average part with  $q$  degrees,
3.  $\nabla$  is the integrated (degree of differencing) part with  $d$  degrees,
4. and  $\theta_0$  is the constant term.

Using ACF (autocorrelation function) and PACF (partial ACF) can help us decide the hyperparameters  $p, d, q$  for building our model [Hyndman et al. 2018].

## Reccurent Neural Networks **Adrien**

Recurrent Neural Networks are a class of neural network architectures designed to detect patterns in sequential data, such as handwriting, genomes, text, or numerical time series. [Schmidt, Recurrent Neural Networks...]. They have been used in multiple projects accounting to market Crashes, such as [] and [].

## Transformers **Inigo**

Transformers are neural network architectures that are based on "self-attention mechanisms" (allowing the model to weigh the importance of different elements in the input by computing attention scores between all positions) to model dependencies in sequential data. while Transofrmers were originally developped for natural language processing tasks like machine translation [Vaswani et al., "Attention is All You Need"], they have become popular for time series forecasting due to their ability to handle long-range dependencies.

Transformers can capture complex temporal patterns by assigning varying importance to different time steps, which is particularly useful in fluctuative/volatile financial markets. In fact, Zhou et al. demonstrated this with the Informer model, which efficiently handles long sequences and improves forecasting accuracy using self-attention [Zhou et al., "Informer: Beyond Efficient Transformer for Long Sequence Time-Series Forecasting"]. Moreover, Lim et al. were even able to outperform traditional methods by combining Transformer architecture with recurrent layers [Lim et al., "Temporal Fusion Transformers for Interpretable Multi-horizon Time Series Forecasting"].

Hence, the literature suggest that Tranformers are a pertinent choice for identifying complex patterns in finatial time series, as they can model dependencies accros mutiple time sclaes, potentially improving the precision of crash predictions compared to traditional methods like ARIMA and standard RNNs

## Criterias and Analysis **Oscar?**

- Summarize criterias and metrics in literature for comparing models.
- Justify the selection of those comparison methods based on sources