

### Summary of the assignment goals

1. Implement Gauss-Jordan Elimination
  - Matrix is  $N \times N$  w/ a result matrix that is  $N \times 1$
2. Calculating inverse matrices using Gauss-Jordan elimination
  - Matrix is  $N \times N$
3. Implement Gaussian Elimination
  - Matrix is  $N \times N$  w/ a result matrix that is  $N \times 1$
4. Calculate determinants using Gaussian Elimination
  - Matrix is  $N \times N$

### Description of algorithms

1. Gauss-Jordan Elimination
  - Input is a square matrix concatenated with 1 column result matrix
  - For each non result column it searches down the rows to find the max magnitude value in the column
  - Keeps a row swap index that increments every time a column is in the correct format
  - Swaps the max magnitude row to the row swap index row
  - For all rows other than the row swap index row it subtracts (value from current row and column) \* (row swap index row)
  - This leads to an identity matrix with the solutions in the result column
2. Calculating inverse matrices using Gauss-Jordan elimination
  - Input is a square matrix
  - Adds an identity matrix to the right of the square matrix
  - Completes Gauss-Jordan row operations using the original columns
  - The original matrix turns into the identity matrix
  - The identity matrix turns into the inverse matrix
  - Cut off the inverse matrix and that is the result
3. Implement Gaussian Elimination
  - Input is a square matrix concatenated with 1 column result matrix
  - For each non result column it searches down the rows to find the max magnitude value in the column
  - Keeps a row swap index that increments every time a column is in the correct format
  - Swaps the max magnitude row to the row swap index row
  - For the rows below the row swap index it subtracts (value from current row & column / max magnitude) \* (row swap index row)
  - This leads to the lower triangle in the array all becoming zeros
  - Uses substitution going from the bottom of the matrix to calculate the solutions

## CSC 340 Programming Assignment 2 Report

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4. Calculate determinants using Gaussian Elimination
  - Input is a square matrix
  - Completes Gaussian Elimination row operations
  - Keeps track of how many row swaps are made
  - Calculates determinant by multiplying all of the diagonal values in the matrix (A11, A22, A33, ... Ann)
  - Multiplies that value by (-1 to the power of number of row swaps)

### **Discussion of issues encountered**

- Major rounding errors when I was using `numpy.arange` because it was filling the array with integers and I was doing division on them
- Error swapping rows because I was using a shallow copies and I needed to use deep copies because the temporary rows were unintentionally getting changed
- Could not find a reasonable algorithm for scaling the algebra for the Gaussian Elimination