



Team 4

4/18/2022

# Task 5 part Z

Autopilot -AER 408

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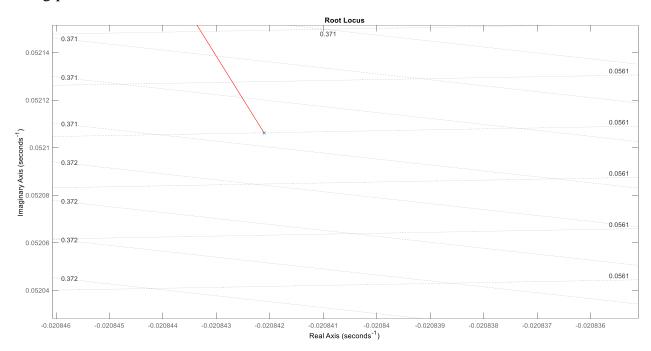
Name	sec	BN
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Mohammed Hatem Mohammed Saeed	2	39
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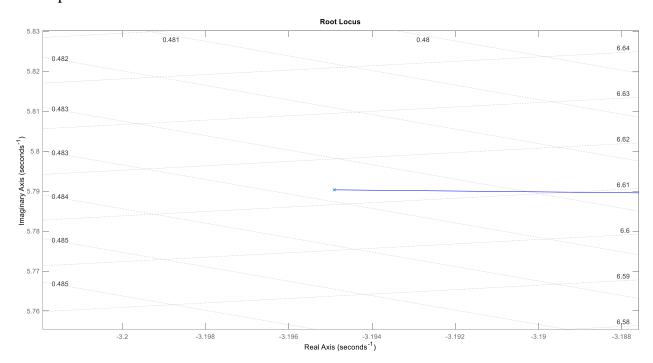
## A. Design Pitch Controller with pitch rate feedback

## Long period:



 $\xi = 0.3714 > 0.04$ 

## Short period



 $0.3 < \xi = 0.4831 < 2.0$ 

#### Then the open loop transfer function is

```
OL_theta_thetacom =
```

Continuous-time transfer function.

#### Design control loop with PD and PID:

Name: C2

Continuous-time zero/pole/gain model.

```
PI_tf = 0.75333 (s+0.6555)
```

ym uC2 G H

S

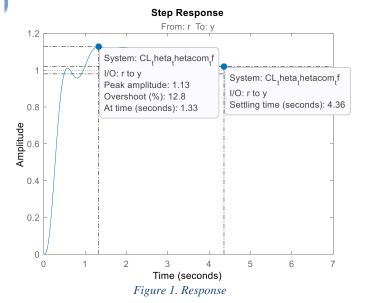
Name: C1

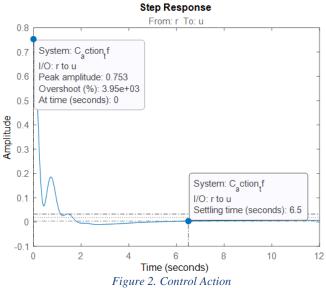
Continuous-time zero/pole/gain model.

#### Closed Loop transfer function:

```
CL_theta_thetacom_tf =
```

Continuous-time transfer function.





#### Control action transfer function:

```
C action tf =
```

Continuous-time transfer function.

## B. Testing Pitch Controller on the Full State Space Model

#### Simulink Simulation

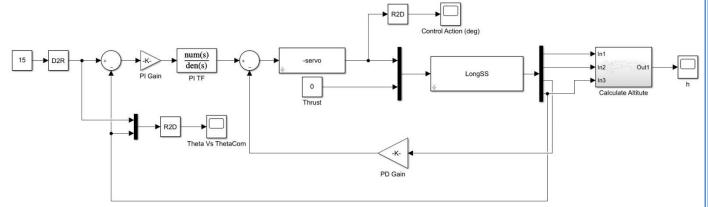


Figure 3. Simulink - Pitch Controller check

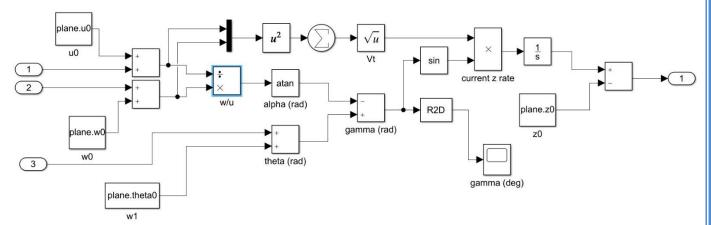


Figure 4. Simulink - Gamma & Altitude

## Results Command of 15-degree pitch angle

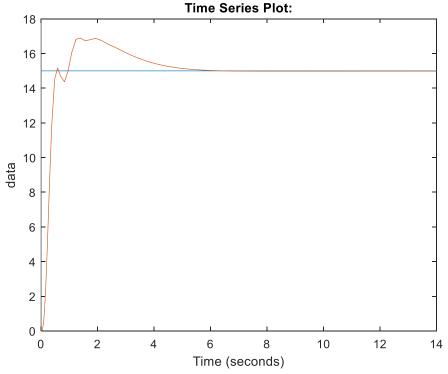
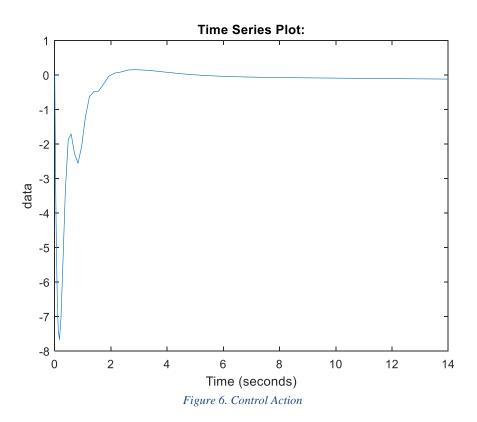


Figure 5. Theta response with Theta Command



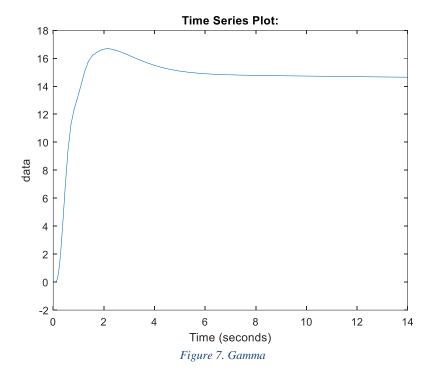
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## C. Necessity of velocity control

when we input positive pitch angle, the action depends on the thrust if the thrust is big enough to climb upward the airplane will climb upward if the thrust is not enough the airplane would dive downward but logically, when the pilot input a positive pitch the airplane should climb upward.

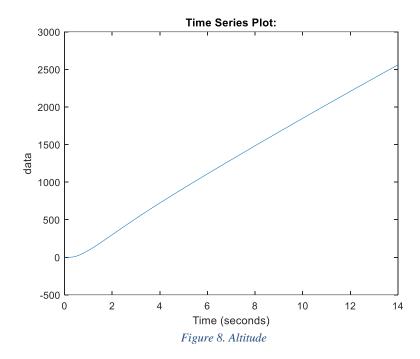
$$: \gamma = \theta - \alpha$$

$$tan(\alpha) = \frac{w}{u}$$



We did use this relation to calculate the altitude rate of change and by integration we could obtain the current altitude value.

$$\because \dot{h} = V_{to} * Sin(\gamma)$$



Our plane climbs upward because it has enough thrust to accomplish this. But this not meaning that we control altitude because the airplane will climb to specific height that its thrust enough to reach, then the airplane would dive downward. And this specific height may be before or after that height we need to reach, so we need to control the velocity to reach to required altitude by change thrust  $(\delta_{th})$ 

## D. Design a "Velocity Controller"

#### Then the open loop transfer function is

$$Ol_uucom =$$

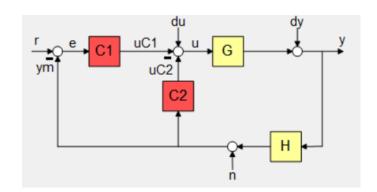
$$0.00235 \text{ s}^3 + 0.015 \text{ s}^2 + 0.1027 \text{ s} - 5.831e-05$$

\_\_\_\_\_

$$s^6 + 16.53 \ s^5 + 110 \ s^4 + 452.7 \ s^3 + 62.76 \ s^2 + 3.234 \ s + 0.1377$$

Continuous-time transfer function.

#### Design control loop with PD and PID:



Name: C2

Continuous-time zero/pole/gain model.

-----

S

Name: C1

Continuous-time zero/pole/gain model.

#### Closed Loop transfer function:

```
CL_u_ucom_tf =
```

From input "r" to output "y":

```
0.07735 \text{ s}^5 + 0.5051 \text{ s}^4 + 3.454 \text{ s}^3 + 0.4919 \text{ s}^2 + 0.01316 \text{ s} - 7.629e - 06
```

 $s^8 + 16.64 \ s^7 + 111.8 \ s^6 + 464.7 \ s^5 + 111.8 \ s^4 + 8.193 \ s^3 + 0.1525 \ s^2 + 0.001761 \ s + 7.629e-06$ 

Continuous-time transfer function.

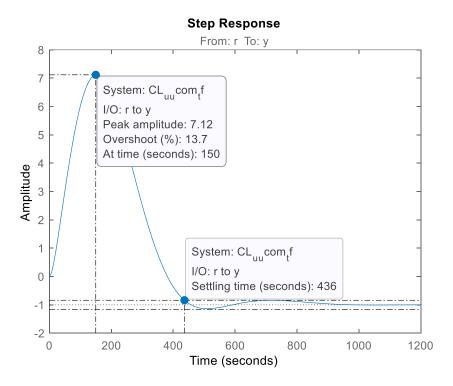


Figure 9 Response

#### Control action transfer function:

```
Con_action_tf_vel =
```

```
From input "r" to output "u":
```

```
32.92 \text{ s}^8 + 548.9 \text{ s}^7 + 3699 \text{ s}^6 + 1.543e04 \text{ s}^5 + 4247 \text{ s}^4 + 466.1 \text{ s}^3 + 28.23 \text{ s}^2 + 1.083 \text{ s} + 0.01802
```

\_\_\_\_\_\_

```
s^8 + 16.64 \ s^7 + 111.8 \ s^6 + 464.7 \ s^5 + 111.8 \ s^4 + 8.193 \ s^3 + 0.1525 \ s^2 + 0.001761 \ s + 7.629e-06
```

Continuous-time transfer function.

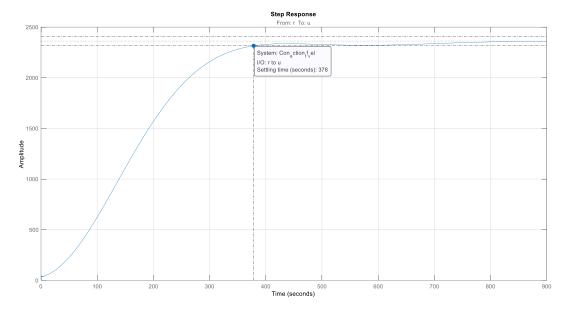


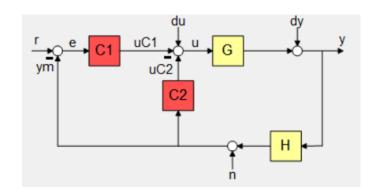
Figure 10 Control Action

## F. Design "Altitude controller"

#### Then the open loop transfer function is

#### Design control loop with PD and PID:

```
PD_tf_alt = 0.0014691 (s+1.799)
```



Name: C2

Continuous-time zero/pole/gain model.

```
PI_tf_alt =

0.00067403 (s+1.784)

______s
```

Name: C1

Continuous-time zero/pole/gain model.

#### Closed Loop transfer function:

```
CL_h_hcom_tf =
From input "r" to output "y":
-0.7718 s^5 - 4.074 s^4 + 718.1 s^3 + 1793 s^2 + 915.7 s + 32.81
```

-----

```
s^8 + 16.43 \ s^7 + 151.7 \ s^6 + 987.2 \ s^5 + 3239 \ s^4 + 5620 \ s^3 + 3842 \ s^2 + 987.8 \ s + 32.81
```

Continuous-time transfer function.

#### **Step Response** From: r To: y ${\sf System: CL}_{\sf hh}{\sf com}_{\sf t}{\sf f}$ 0.9 I/O: r to y Settling time (seconds): 6.98 8.0 0.7 9.0 0.5 0.4 0.3 0.2 0.1 0 2 6 8 10 Time (seconds)

Figure 11 Response

Control action transfer function:

```
Con_action_tf_alt =
```

Continuous-time transfer function.

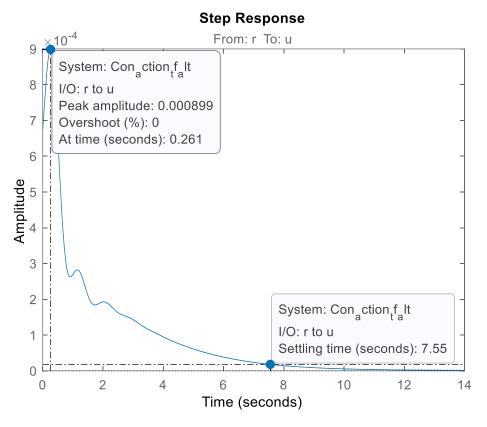
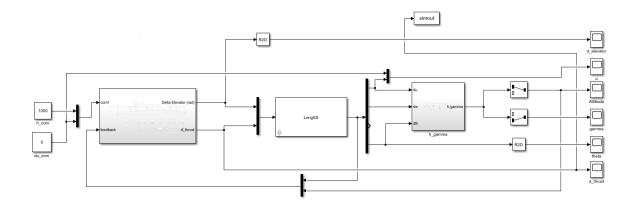


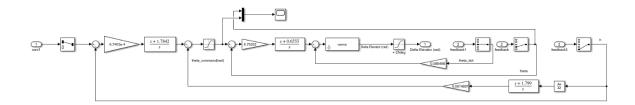
Figure 12 Control Action

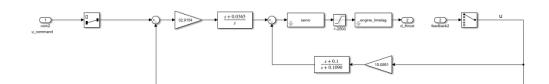
E. Test the (Pitch & Velocity) controllers on the full state space model and (g) Test the "Altitude & Velocity Controllers" together on the full state space model

#### Simulink Simulation

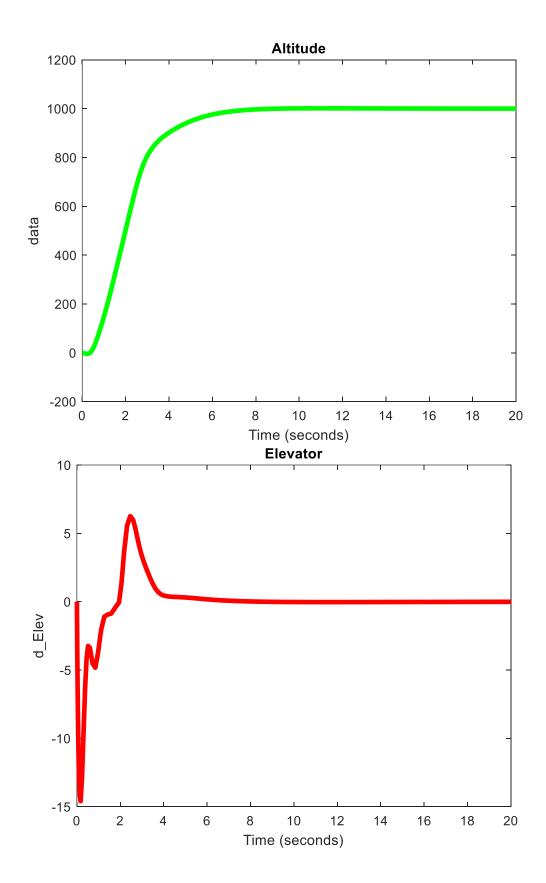


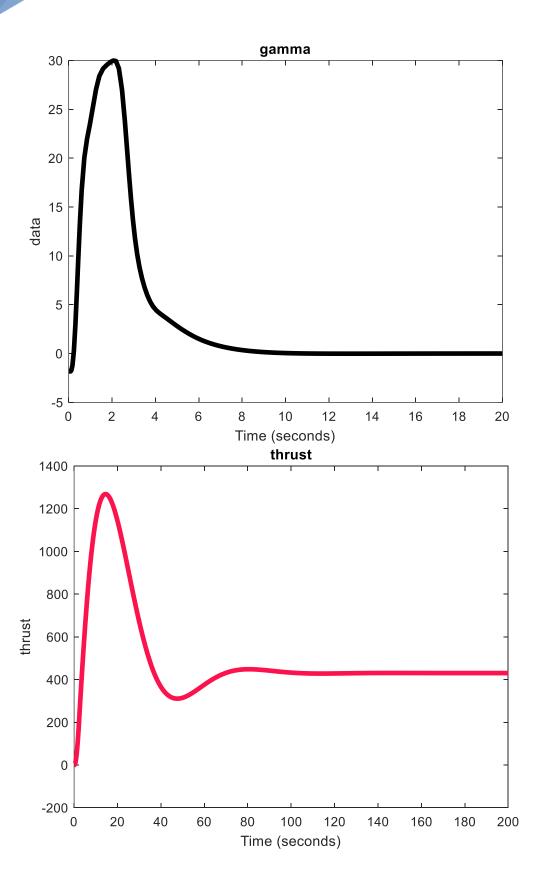
#### Subsystems:

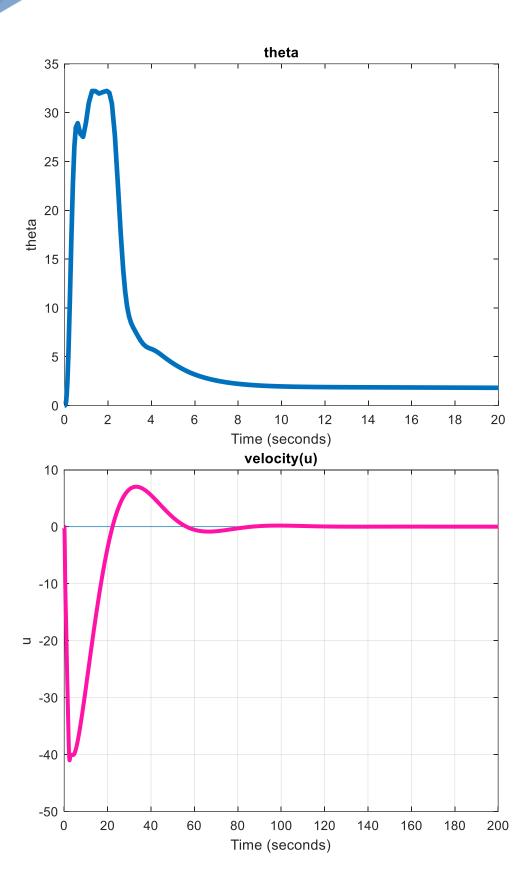




## Results:







#### ppendix: Code

#### AirPlane.m

```
classdef AirPlane < handle</pre>
    %UNTITLED Summary of this class goes here
        Detailed explanation goes here
    properties
      Mass
                    % Inirtia
       Ι
                   % Inverse of Inirtia
       invI
       timeSpan
       dt
       TCs
       ICs dot0
       Vt0
       dControl
       SD Long
       SD Lat
       SD Lat dash
       initialGravity
       airPlaneDerivatives
                               % Class
       rigidBodySolver
                               % Class
       u0, v0, w0, theta0, z0
    end
    methods
        function airPlane = AirPlane(inputsFilePath)
            % Inputs
            % here B2:B61 means read the excel sheet from cell B2 to cell
B61
            aircraft data = xlsread(inputsFilePath, 'B2:B61');
            % Integration time span & Step
            airPlane.dt = aircraft_data(1);
            tfinal = aircraft_data(2);
            airPlane.timeSpan = [0 tfinal];
            % Initial Conditions
            % [u; v; w; p; q; r; phi; theta; epsi; xe0; ye0; ze0]
            % ICs = [10; 2; 0; 2*pi/180; pi/180; 0; 20*pi/180; 15*pi/180;
30*pi/180; 2; 4; 7];
            airPlane.ICs = aircraft data(4:15);
            airPlane.ICs dot0 = zeros(12,1);
            airPlane.Vt0 = sqrt(airPlane.ICs(1)^2 + airPlane.ICs(2)^2 +
airPlane.ICs(3)^2;
            % Da, Dr, De, Dth
            airPlane.dControl = [ aircraft data(57:59) * pi/180 ;
aircraft data(60)];
            % gravity, mass % inertia
            airPlane.Mass = aircraft data(51);
```

```
airPlane.g = aircraft data(52);
            Ixx = aircraft data(53);
            Iyy = aircraft data(54);
            Izz = aircraft data(55);
            Ixz = aircraft data(56);
            Ixy=0; Iyz=0;
            airPlane.I = [Ixx , -Ixy , -Ixz ; ...
                -Ixy , Iyy , -Iyz ;...
                -Ixz , -Iyz , Izz];
            airPlane.invI = inv(airPlane.I);
            % Stability Derivatives Longitudinal motion
            airPlane.SD Long = aircraft data(21:36);
            % Stability Derivatives Lateral motion
            airPlane.SD Lat dash = aircraft data(37:50);
            airPlane.SD Lat dash(9) =
airPlane.SD Lat dash(9) *airPlane.Vt0;
                                         % From dimension-less to
dimensional
            airPlane.SD Lat dash(10) =
airPlane.SD Lat dash(10)*airPlane.Vt0; % Form dimension-less to
dimensional
            airPlane.airPlaneDerivatives = AirPlaneDerivatives (...
                airPlane.SD Lat dash , airPlane.SD Long, airPlane.I);
            airPlane.rigidBodySolver = RigidBodySolver(airPlane.Mass,
airPlane.I, airPlane.invI, airPlane.dt, airPlane.g);
            [S, C, \sim] = SCT(airPlane.ICs(7:9));
            airPlane.initialGravity = airPlane.Mass*airPlane.g*[
                S.theta;
                -S.phi*C.theta;
                -C.phi*C.theta;
            ];
            airPlane.u0 = airPlane.ICs(1);
            airPlane.v0 = airPlane.ICs(2);
            airPlane.w0 = airPlane.ICs(3);
            airPlane.theta0 = airPlane.ICs(8);
            airPlane.z0 = airPlane.ICs(12);
        end
        function [dForce, dMoment] = airFrame1(obj, state, forces,
moments, dControl)
            [Da, Dr, De, Dth] = feval(@(x) x{:}, num2cell(dControl));
            Ixx = obj.I(1,1);
            Iyy = obj.I(2,2);
            Izz = obj.I(3,3);
            state dot = obj.rigidBodySolver.DOF6(state, forces, moments);
            ds = state - obj.ICs;
```

```
ds_dot = state_dot - obj.ICs_dot0;
            beta0 = asin(obj.ICs(2)/obj.Vt0);
            beta = asin(state(2)/obj.Vt0);
            dbeta = beta-beta0;
            dX = obj.Mass*(obj.airPlaneDerivatives.XU*ds(1) + ...
                    obj.airPlaneDerivatives.XW*ds(3)+ ...
                    obj.airPlaneDerivatives.XDE*De+ ...
                    obj.airPlaneDerivatives.XD TH*Dth);
            dY = obj.Mass*(obj.airPlaneDerivatives.YV*ds(2)+ ...
                obj.airPlaneDerivatives.YB*dbeta + ...
                obj.airPlaneDerivatives.YDA*Da + ...
                obj.airPlaneDerivatives.YDR*Dr);
            dZ = obj.Mass*(obj.airPlaneDerivatives.ZU*ds(1) + ...
                obj.airPlaneDerivatives.ZW*ds(3) + ...
                obj.airPlaneDerivatives.ZWD*ds dot(3) + ...
                obj.airPlaneDerivatives.ZQ*ds(5) + ...
                obj.airPlaneDerivatives.ZDE*De + ...
                obj.airPlaneDerivatives.ZD TH*Dth);
            dL = Ixx*(obj.airPlaneDerivatives.LB*dbeta + ...
                obj.airPlaneDerivatives.LP*ds(4) + ...
                obj.airPlaneDerivatives.LR*ds(6) + ...
                obj.airPlaneDerivatives.LDR*Dr + ...
                obj.airPlaneDerivatives.LDA*Da);
            dM = Iyy*(obj.airPlaneDerivatives.MU*ds(1) + ...
                obj.airPlaneDerivatives.MW*ds(3) + ...
                obj.airPlaneDerivatives.MWD*ds dot(3) + ...
                obj.airPlaneDerivatives.MQ*ds(5) + ...
                obj.airPlaneDerivatives.MDE*De+ ...
                obj.airPlaneDerivatives.MD TH*Dth);
            dN = Izz*(obj.airPlaneDerivatives.NB*dbeta + ...
                obj.airPlaneDerivatives.NP*ds(4) + ...
                obj.airPlaneDerivatives.NR*ds(6) + ...
                obj.airPlaneDerivatives.NDR*Dr + ...
                obj.airPlaneDerivatives.NDA*Da);
            dForce = [dX dY dZ];
            dMoment = [dL dM dN];
        end
        function [A long, B long, C long, D long] = fullLinearModel(obj)
            [A_long, B_long, C_long, D_long] =
obj.airPlaneDerivatives.fullLinearModel(obj.ICs, obj.g);
        function [A phug, B phug, C phug, D phug] = longPeriodModel(obj)
            [A_phug, B_phug, C_phug, D_phug] =
obj.airPlaneDerivatives.longPeriodModel(obj.ICs, obj.g);
        end
   end
end
```

#### AirPlaneDerivatives.m

```
classdef AirPlaneDerivatives < handle</pre>
    %UNTITLED2 Summary of this class goes here
        Detailed explanation goes here
    properties
        % Longtudinal
        XU, ZU, MU, XW, ZW, MW, ZWD, ZQ, MWD, MQ, XDE, ZDE, MDE, XD TH,
ZD TH, MD TH
        % Lateral
        ΥV
        YB
        LBd, NBd, LPd, NPd, LRd, NRd, LDAd, LDRd, NDAd, NDRd
        LB, NB, LP, NP, LR, NR, YDA, YDR, LDA, NDA, LDR, NDR
    end
    methods
        function obj = AirPlaneDerivatives(SD Lat dash , SD Long,
Inertia, ICs, g)
            [obj.YV, obj.YB, obj.LBd, obj.NBd, obj.LPd, obj.NPd, ...
                obj.LRd, obj.NRd, obj.YDA, obj.YDR, obj.LDAd, ...
                obj.NDAd, obj.LDRd, obj.NDRd] = feval(@(x) x\{:\},
num2cell(SD_Lat_dash));
            [obj.XU, obj.ZU, obj.MU, obj.XW, obj.ZW, obj.MW, obj.ZWD,...
                obj.ZQ, obj.MWD, obj.MQ, obj.XDE, obj.ZDE, obj.MDE,
obj.XD TH,...
                obj.ZD TH, obj.MD TH] = feval(@(x) x\{:\},
num2cell(SD Long));
            LateralSD2BodyAxes(obj, Inertia);
        end
        function [obj] = LateralSD2BodyAxes(obj, Inertia)
            Ixx = Inertia(1);
            Izz = Inertia(9);
            Ixz = -Inertia(3);
            G = 1/(1 - Ixz^2 / Ixx / Izz);
            syms LB_ LP_ LR_ LDR_ LDA_ NB_ NP_ NR_ NDR_ NDA_
            eq1 = (LB_+Ixz*NB_/Ixx)*G == obj.LBd;
            eq2 = (NB_+Ixz*LB_/Izz)*G == obj.NBd;
            eq3 = (LP + Ixz*NP / Ixx)*G == obj.LPd;
            eq4 = (NP_+Ixz*LP_/Izz)*G == obj.NPd;
            eq5 = (LR + Ixz*NR / Ixx)*G == obj.LRd;
            eq6 = (NR + Ixz*LR / Izz)*G == obj.NRd;
            eq7 = (LDR + Ixz*NDR / Ixx)*G == obj.LDRd;
            eq8 = (NDR_+Ixz*LDR /Izz)*G == obj.NDRd;
            eq9 = (LDA + Ixz*NDA / Ixx)*G == obj.LDAd;
            eq10 = (NDA +Ixz*LDA /Izz)*G == obj.NDAd;
            [A,B] = equationsToMatrix(...
            [eq1, eq2, eq3, eq4, eq5, eq6, eq7, eq8, eq9, eq10],...
            [LB LP LR LDR LDA NB NP NR NDR NDA]);
            X = A \setminus B;
            X = vpa(X);
            obj.LB = X(1);
```

```
obj.LP = X(2);
            obj.LR = X(3);
            obj.LDR = X(4);
            obj.LDA = X(5);
            obj.NB = X(6);
            obj.NP = X(7);
            obj.NR = X(8);
            obj.NDR = X(9);
            obj.NDA = X(10);
        end
        function [A, B, C, D] = fullLinearModel(obj, ICs, q)
            u0 = ICs(1);
            w0 = ICs(3);
            theta0 = ICs(8);
            A = [obj.XU obj.XW -w0 -g*cos(theta0)]
                obj.ZU/(1-obj.ZWD) obj.ZW/(1-obj.ZWD) (obj.ZQ+u0)/(1-
obj.ZWD) -g*sin(theta0)/(1-obj.ZWD)
                obj.MU+obj.MWD*obj.ZU/(1-obj.ZWD)
obj.MW+obj.MWD*obj.ZW/(1-obj.ZWD) obj.MQ+obj.MWD*(obj.ZQ+u0)/(1-obj.ZWD)
-obj.MWD*g*sin(theta0)/(1-obj.ZWD)
                0 0 1 0];
            B = [obj.XDE obj.XD TH;
                obj.ZDE/(1-obj.ZWD) obj.ZD TH/(1-obj.ZWD);
                obj.MDE+obj.MWD*obj.ZDE/(1-obj.ZWD)
obj.MD TH+obj.MWD*obj.ZD TH/(1-obj.ZWD);
                0 01;
            C = eye(4);
            D = zeros(4,2);
        end
        function [A, B, C, D] = longPeriodModel(obj,ICs, g)
            u0 = ICs(1);
            A = [obj.XU - q]
                -obj.ZU/(u0+obj.ZQ) 0];
            B = [obj.XDE obj.XD TH]
                -obj.ZDE/(obj.ZQ+u0) -obj.ZD TH/(obj.ZQ+u0)];
            C = eye(2);
            D = zeros(2,2);
        end
    end
end
```

#### RigidBodySolver.m

```
classdef RigidBodySolver < handle</pre>
    %UNTITLED3 Summary of this class goes here
       Detailed explanation goes here
    properties
       Mass, Inertia, invInertia, dt, g
    methods
        function obj = RigidBodySolver(Mass, Inertia, invInertia, dt,g)
            obj.Mass = Mass;
            obj.Inertia = Inertia;
            obj.invInertia = invInertia;
            obj.dt = dt;
            obj.g = g;
        end
        function state = nextStep(RBS, currentState, Force, Moments)
            K = zeros(12, 4);
            K(:, 1) = RBS.dt*DOF6(RBS, currentState ,Force, Moments);
            K(:, 2) = RBS.dt*DOF6(RBS, currentState+0.5*K(:, 1), Force,
Moments);
            K(:, 3) = RBS.dt*DOF6(RBS, currentState+0.5*K(:, 2), Force,
Moments);
            K(:, 4) = RBS.dt*DOF6(RBS, currentState+K(:, 3) ,Force,
Moments);
            state = currentState + (...
                K(:, 1) + \dots
                2*K(:, 2)+...
                2*K(:, 3)+...
                K(:, 4))/6;
        end
        function F = DOF6(RBS, currentState, forces, Moments)
            % (Sin, Cos, Tan) of (phi, theta, epsi)
            [S, C, T] = SCT(currentState(7:9));
            s theta = S.theta;
            c theta = C.theta;
            t theta = T.theta;
            s epsi = S.epsi;
            c epsi = C.epsi;
            s phi = S.phi;
            c phi = C.phi;
            Forces = forces + RBS.Mass*RBS.g*[
                -s theta;
                s_phi*c_theta;
                c_phi*c_theta;
            ];
            % (u, v, w) dot
            u v w dot = (1/RBS.Mass)*Forces - cross(...
                currentState(4:6, 1), currentState(1:3, 1)...
            ) ;
```

```
% (p, q, r) dot
             p_q_r_{dot} = RBS.invInertia * (Moments - cross(...
                 currentState(4:6, 1), RBS.Inertia * currentState(4:6,
1) ...
             ));
             % (phi, theta, epsi) dot
             phi_theta_epsi_dot = [
                 1, s_phi*t_theta, c_phi*t_theta;
             0, c_phi, -s_phi;
0, s_phi/c_theta, c_phi/c_theta;
] * currentState(4:6, 1);
             % (x, y, z) dot
             x_y_z_dot = [
                 c_theta*c_epsi, (s_phi*s_theta*c_epsi - c_phi*s_epsi),
(c phi*s theta*c epsi + s phi*s epsi);
                 c_theta*s_epsi, (s_phi*s_theta*s_epsi + c_phi*c_epsi),
(c_phi*s_theta*s_epsi - s_phi*c_epsi);
                 -s theta, s phi*c theta, c phi*c theta
             ] * currentState(1:3, 1);
             F = [u_v_w_dot; p_q_r_dot; phi_theta_epsi_dot; x_y_z_dot];
        end
    end
end
```

#### SCT.m

```
Calculate Sin, Cos , Tan for any set of three angles
% and return results in struct form for easy access in code.
function [S, C, T] = SCT(ICs)
    S = struct(...
        'phi', sin(ICs(1)),...
        'theta', sin(ICs(2)),...
        'epsi', sin(ICs(3))...
    );
    C = struct(...
        'phi', cos(ICs(1)),...
        'theta', cos(ICs(2)),...
        'epsi', cos(ICs(3))...
    );
    T = struct(...
        'phi', tan(ICs(1)),...
        'theta', tan(ICs(2)),...
        'epsi', tan(ICs(3))...
    );
end
```

#### Main.m

```
clc; clear; close all;
%% Inputs
% Forces, Moments and Inertia
plane = AirPlane("NT-33A 4.xlsx");
steps = (plane.timeSpan(2) - plane.timeSpan(1))/plane.dt;
Result = NaN(12, steps);
Result(:,1) = plane.ICs;
time V = linspace(0, plane.timeSpan(2), steps+1);
%% Longitudenal Full Linear Model
% Two Inputs - Four Output Each
[A_long, B_long, C_long, D_long] = plane.fullLinearModel();
LongSS = ss(A_long, B_long, C_long, D_long);
LongTF = tf(LongSS);
%% Servo Transfer Function
servo = tf(10,[1 10]);
integrator = tf(1,[1 \ 0]);
differentiator = tf([1 \ 0], 1);
engine timelag = tf(0.1, [1 0.1]);
%% pitch control theta/theta com
theta dE = LongTF(4,1);
OL_theta_thetacom = -servo * theta_dE;
pitchControldesignValues =
matfile("DesignValues/pitchControldesignValues.mat");
pitch PD tf = pitchControldesignValues.C2;
pitch PI tf = pitchControldesignValues.C1;
CL theta thetacom tf = tf(pitchControldesignValues.IOTransfer r2y);
pitch C action tf = tf(pitchControldesignValues.IOTransfer r2u);
```

```
figure;
step(CL theta thetacom tf)
figure;
step(pitch_C_action_tf)
%% Velocity Controller u/u com
u dTh = LongTF(1, 2);
OL u ucom = u dTh * servo * engine timelag;
velocityControldesignValues =
matfile("DesignValues/velocityControldesignValues.mat");
velocity PD tf = velocityControldesignValues.C2;
velocity PI tf = velocityControldesignValues.C1;
CL u ucom tf = tf(velocityControldesignValues.IOTransfer r2y);
velocity_C_action_tf = tf(velocityControldesignValues.IOTransfer_r2u);
figure;
step(CL u ucom tf)
figure;
step(altitude C action tf)
%% Altitude Controller h/h com
w de = LongTF(2,1);
theta de = LongTF(4, 1);
w theta = minreal(w de/theta de);
h theta = -1 * integrator * (w theta - plane.u0);
OL h thetacom = minreal(CL theta thetacom tf * h theta);
altitudeControldesignValues =
matfile("DesignValues/altitudeControldesignValues.mat");
altitude PD tf = altitudeControldesignValues.C2;
altitude PI tf = altitudeControldesignValues.C1;
CL h thetacom tf = tf(altitudeControldesignValues.IOTransfer r2y);
altitude C action tf = tf(altitudeControldesignValues.IOTransfer r2u);
figure;
step(CL h thetacom tf)
figure;
step(altitude C action tf)
```