

# COMP333: Assignment 2

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## QUESTION 1

- 1) A
- 2) A
- 3) A

## QUESTION 2

- 1) A
- 2) A
- 3) A

## QUESTION 3

- 1) A
- 2) A
- 3) A

## QUESTION 4

- 1) Loop invariant: TODO For this algorithm it runs until  $b$  is zero and for every iteration of the loop we divide  $b$  by 2. So this loop runs at least  $\log_2(b)$  times. During the loop operation we do 2 multiplications and 2 divisions, while 1 of the multiplications and 1 of the divisions is behind an if statement in the worse case scenario (Big-Oh), if a number was simply a 1 bit repeated it would always trigger the if statement.

So for the worse case scenario we have

$$\begin{aligned} &= \log_2(b)(2mul + 2div) \\ &= \log_2(b)(2(L(a)L(b)) + 2(L(a)(L(a) - L(b) + 1))) \\ &= \log_2(b)(2(L(a)(L(a) + 1))) \end{aligned}$$

- 2) A
- 3) A

## QUESTION 5

- time complexity karatsuba - In what circumstance would you expect Karatsuba's algorithm to be more efficient than the classical one?