

Existential imports if a statement is \neg
then its subj term
exists in the world

A statement needs a real world
reference in order to be true

→ I-type & O-type
existential import

for imaginary I & O one false @ same time

→ if both I & O are false, subcontrary relationship
& subaltern relationships would become problematic
Entire traditional square of opposition would become
useless.

→

But do A & E type have existential import?

(1) As imagined by Aristotle. Traditional interpretation.

Brush watch decs

We can't do thought experiments

= George Boole, Theano & some others else
moved logic

Boole ~~ass~~: Assume A type & type have no existential
import

I type & O type have existential
import

So A & E type don't need members in the set

BUT
help

Aristotle: A & O type has no members
What will be the truth value
diff or same??
truth values

Boole: Can be both true at the same time
or false

Aristotle: Contraries don't exist anymore!

Boole: Okay, yet that from your square
of opposition.

A type & I type?

A & I type shall be vacuously true.

I & O?
Both false

(Subaltern?
YES?!))

O & E?

Boolean \rightarrow avoiding the existential fallacy

A2 = All angels have wings

\rightarrow if they exist

If top true, bottom true.
If bottom false, top false.

I2 = Some angels have wings

then you
can't infer
this, with

the condition that they should exist.

Modern/Boolean interpretation relies on avoiding the existential fallacy.

Existential fallacy = Mistaken reasoning from presupposition that a class/set has members, even though that has not been explicitly implied.

In other words, it is the mistaken reasoning arising from the presupposition that all propositions have existential import.

E.g.: From the proposition, "A unicorn has three legs", concluding that "Some unicorn has three legs" is existential fallacy.

I can't follow it no more :!(

Aristotle: Don't bring logic into
fiction

Boole: Do bring logic into fiction.