Test 1: conditional statements, loops, functions Quantitative Economics, Fall 2025 October 17, 2025

### General notes

This test is designed to assess your understanding of fundamental programming concepts. It serves as a checkpoint to help you determine whether you have a solid grasp of the basics or if you need further practice. When writing code, you should follow **Julia** syntax; however, we will not be overly strict about small mistakes. The main goal is to demonstrate your understanding of the *logic* behind the code, not perfect memorization of syntax (although there are many syntax hints in this problem set—please make use of them!). Remember to close all conditional statements, loops, and functions with end; without this closure, the particular object is not properly defined. If you have any questions, don't hesitate to ask.

Note: No collaboration and no internet/AI use are allowed for this test. Complete it entirely on your own.

Your Name:

## Conditional statements

Write a short Julia program that decides what a person should do with their free time based on the weather conditions.

Your program should:

- Print "Go for a walk!" if the temperature is greater than 15 and less<sup>1</sup> than 30, and<sup>2</sup> it is **not** raining.
- Print "Go to a beach!" if the temperature is greater than or equal to 30 and it is not raining.
- Print "Stay inside!" for all other cases.

Start by creating two variables:

```
temp = 25
                    #variable for the temperature
                    #variable that is true whenever it rains
raining = false
```

Note that you do not need to write any function here, just a conditional statement.

- <sup>1</sup> In Julia, the condition a > x > b will be true whenever x is greater than b and less than a.
- <sup>2</sup> You will need some of these logical operators:
- 1. && is "AND"
- 2. || is "OR"
- 3. ! is "NOT"

# Loops

Write a short Julia program that multiplies all the numbers from 1 to 6. The goal is to define a variable product which, after the loop is executed, will be equal to:

$$\texttt{product} = 1 \cdot 2 \cdot 3 \cdot 4 \cdot 5 \cdot 6$$

#### How to do it?

- 1. Define a variable product and set its initial value<sup>3</sup>.
- 2. Use a for loop to go through all the numbers from 1 to  $6^4$ .
- 3. Inside the loop, update the value of product in a way analogous to how we updated my\_sum when calculating the sum<sup>5</sup>.
- 4. After the loop finishes, print the final value of product.

Note that you do not need to write any function here, just a loop.

- <sup>3</sup> When we were summing numbers using a loop, we initialized the variable  $my_sum = 0$ . Similarly, the variable product should also be initialized but not with 0. What value makes sense
- <sup>4</sup> Remember that in Julia you can define a range over which a loop will execute using 1:1:6, which means starting at 1, increasing by 1, until 6.
- $^{\scriptscriptstyle 5}$  Previously, when summing, we wrote  $my_sum = my_sum + i$ . Think carefully about what operation would play a similar role when finding a product.

## **Functions**

Define a function quadratic\_roots(a, b, c) that returns the real roots of a quadratic equation:

$$f(x) = ax^2 + bx + c$$

Note that the roots do not depend on x, so the function quadratic\_roots(a, b, c) should take only *a*, *b*, and *c* as inputs. **NOTE:** In this problem, we assume that the discriminant (often called delta) is always greater than o, so there will always be two real roots.

#### How to do it?

1. Start by defining a function. Recall that in Julia, a function can be defined using the following syntax:

```
function my_function(x)
    # some operations on the argument x
    return # return relevant object
end
```

Define your function in a similar way, except that it should take the arguments (a, b, c).

2. Inside the function, calculate the discriminant (often called delta<sup>6</sup>):

<sup>6</sup> Recall that in Julia, the mathematical expression  $x^2$  is written as  $x^2$ .

$$\Lambda = b^2 - 4ac$$

3. Inside the function, define  $x_1$  and  $x_2$  in the following way:

$$x_1 = \frac{-b + \sqrt{\Delta}}{2a}$$
  $x_2 = \frac{-b - \sqrt{\Delta}}{2a}$ 

In Julia, you can use the built-in square root function:

4. Return x\_1, x\_2.