

## Lecture 10

# Regularization

STAT 479: Deep Learning, Spring 2019

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<http://stat.wisc.edu/~sraschka/teaching/stat479-ss2019/>

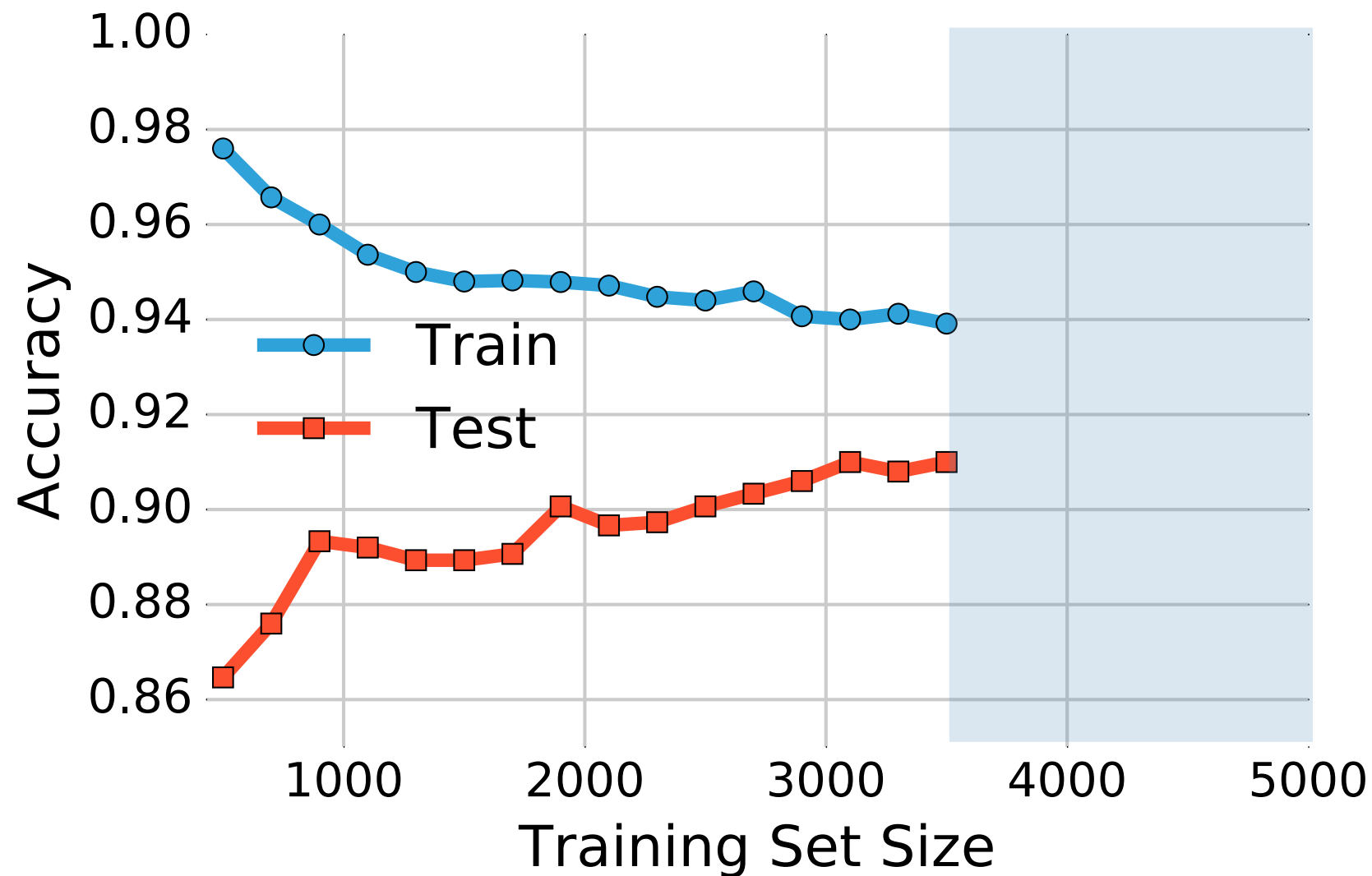
# Overview: Regularization / Regularizing Effects

- Early stopping
- $L_1/L_2$  regularization (norm penalties)
- Dropout

**Goal:** reduce overfitting

usually achieved by reducing model capacity and/or reduction of the variance of the predictions (as explained last lecture)

# Best Way to Reduce Overfitting is Collecting More Data



Softmax on MNIST subset (kept test set size constant)

# Best Way to Reduce Overfitting is Collecting More Data

- Collecting more data is always recommended
- If not possible, data augmentation is also helpful (e.g., for images: random rotation, crop, translation ...) -- actually, this is always recommended (and easy to do)
- Additionally, reducing the capacity (e.g., regularization) helps

(In statistics, I notice the tendency to come up with more and more complex modeling techniques, based on heavy and unrealistic assumptions, whereas usually the data amount and quality is the real bottleneck ... e.g., a Bayes Optimal Classifier is not really more useful than logistic regression if the data is no good => "garbage in garbage out" principle)

# Data Augmentation in PyTorch via torchvision

```
training_transforms = torchvision.transforms.Compose([
    #torchvision.transforms.RandomRotation(degrees=20),
    #torchvision.transforms.Resize(size=(34, 34)),
    #torchvision.transforms.RandomCrop(size=(28, 28)),
    torchvision.transforms.RandomAffine(degrees=(-20, 20), translate=(0.15, 0.15),
                                         resample=PIL.Image.BILINEAR),
    torchvision.transforms.ToTensor(),
    torchvision.transforms.Normalize(mean=(0.5, 0.5, 0.5), std=(0.5, 0.5, 0.5)),
    # normalize does (x_i - mean) / std
    # if images are [0, 1], they will be [-1, 1] afterwards
])

test_transforms = torchvision.transforms.Compose([
    torchvision.transforms.ToTensor(),
    torchvision.transforms.Normalize(mean=(0.5, 0.5, 0.5), std=(0.5, 0.5, 0.5)),
])

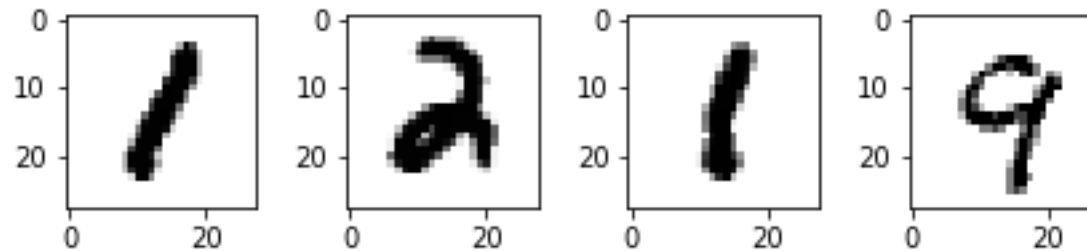
# for more see
# https://pytorch.org/docs/stable/torchvision/transforms.html

train_dataset = datasets.MNIST(root='data',
                               train=True,
                               transform=training_transforms,
                               download=True)

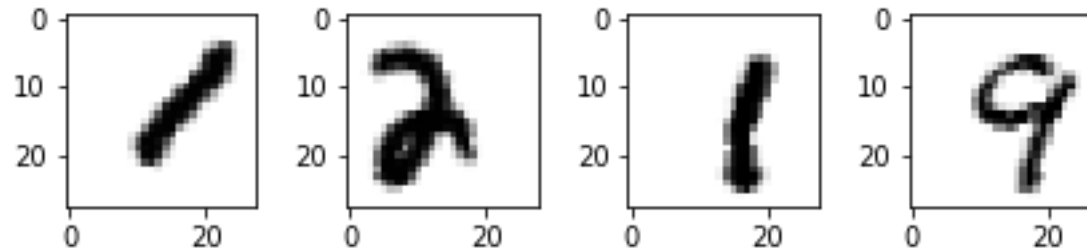
test_dataset = datasets.MNIST(root='data',
                              train=False,
                              transform=test_transforms)
```

# Data Augmentation in PyTorch via torchvision

Original

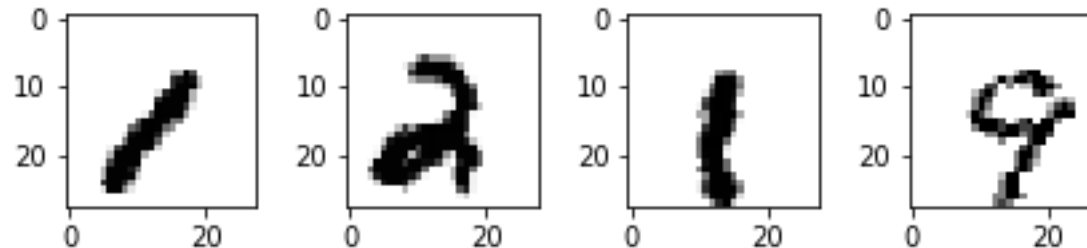


Augmented



note that it is random

Augmented w/o



`resample=PIL.Image.BILINEAR`

note that it is random

[https://github.com/rasbt/stat479-deep-learning-ss19/tree/master/L10\\_regularization/code/data-augmentation.ipynb](https://github.com/rasbt/stat479-deep-learning-ss19/tree/master/L10_regularization/code/data-augmentation.ipynb)

**Now: Other Ways for Dealing with Overfitting  
if Collecting More Data is not Feasible  
=> Reducing Network's Capacity by Other Means**

# Now: Other Ways for Dealing with Overfitting if Collecting More Data is not Feasible => Reducing Network's Capacity by Other Means

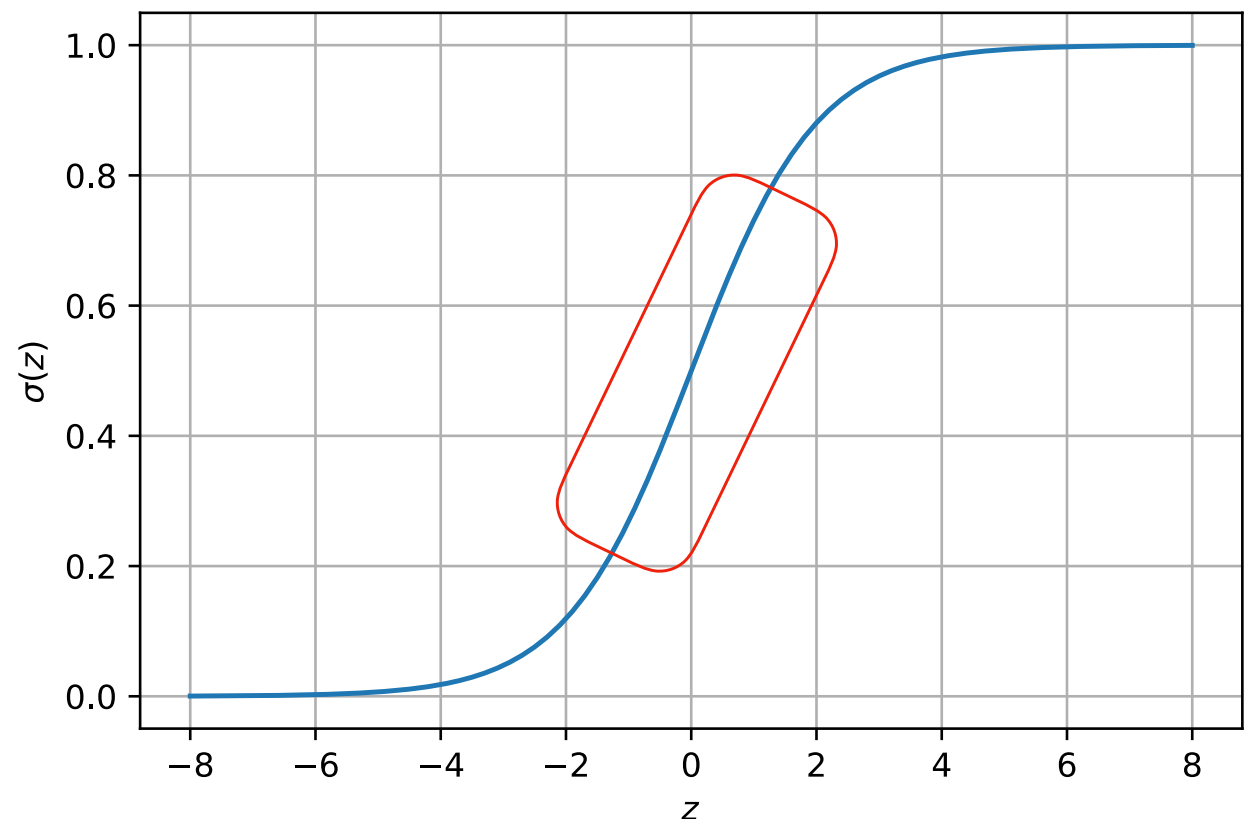
- smaller architecture: fewer hidden layers & units, dropout, (dead ReLUs, L1 norm penalty)
- smaller weights: Early stopping, norm penalties
- adding noise: Dropout



# Now: Other Ways for Dealing with Overfitting if Collecting More Data is not Feasible => Reducing Network's Capacity by Other Means

- smaller architecture: fewer hidden layers & units, dropout, (dead ReLUs, L1 norm penalty)
- smaller weights: Early stopping, norm penalties
- adding noise: Dropout

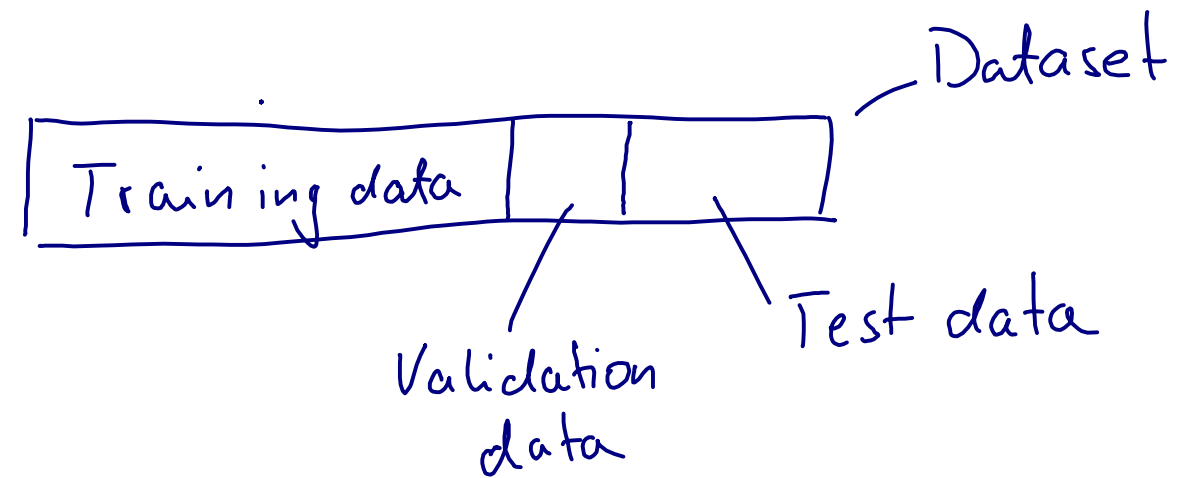
Consider extreme case  
(and think of what that leads to,  
in context of last lecture)



# Early Stopping

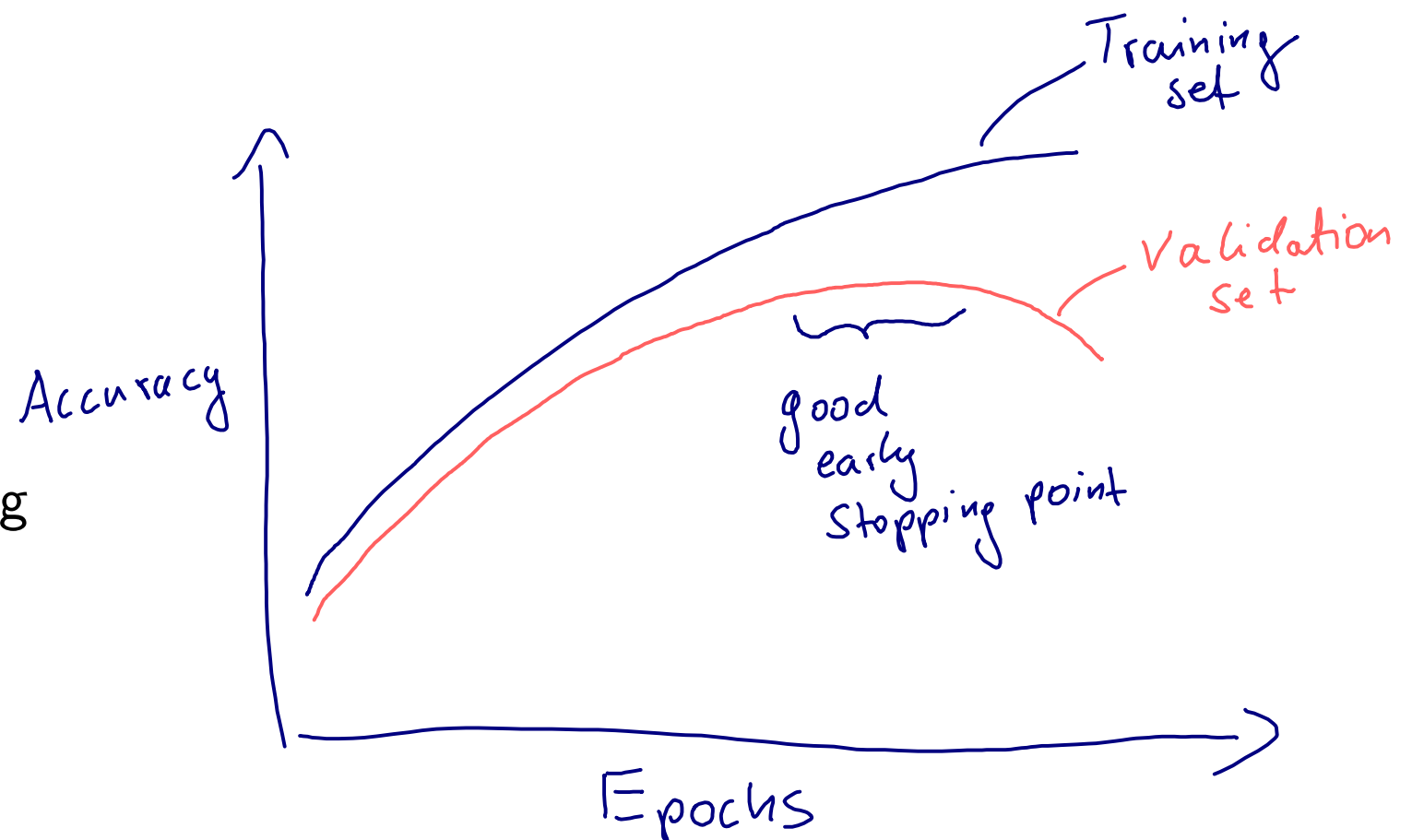
## Step 1: Split your dataset into 3 parts (always recommended)

- use test set only once at the end (for unbiased estimate of generalization performance)
- use validation accuracy for tuning (always recommended)



## Step 2: Early stopping (not very common anymore)

- reduce overfitting by observing the training/validation accuracy gap during training and then stop at the "right" point



# $L_1/L_2$ Regularization

As I am sure you already know it from various statistics classes, we will keep it short:

- $L_1$ -regularization  $\Rightarrow$  LASSO regression
- $L_2$ -regularization  $\Rightarrow$  Ridge regression (Thikonov regularization)

Basically, a "weight shrinkage" or a "penalty against complexity"

# L<sub>1</sub>/L<sub>2</sub> Regularization

$$\text{Cost}_{\mathbf{w}, \mathbf{b}} = \frac{1}{n} \sum_{i=1}^n \mathcal{L}(y^{[i]}, \hat{y}^{[i]})$$

$$\text{L2-Regularized-Cost}_{\mathbf{w}, \mathbf{b}} = \frac{1}{n} \sum_{i=1}^n \mathcal{L}(y^{[i]}, \hat{y}^{[i]}) + \frac{\lambda}{n} \sum_j w_j^2$$

where:  $\sum_j w_j^2 = \|\mathbf{w}\|_2^2$

and  $\lambda$  is a hyperparameter

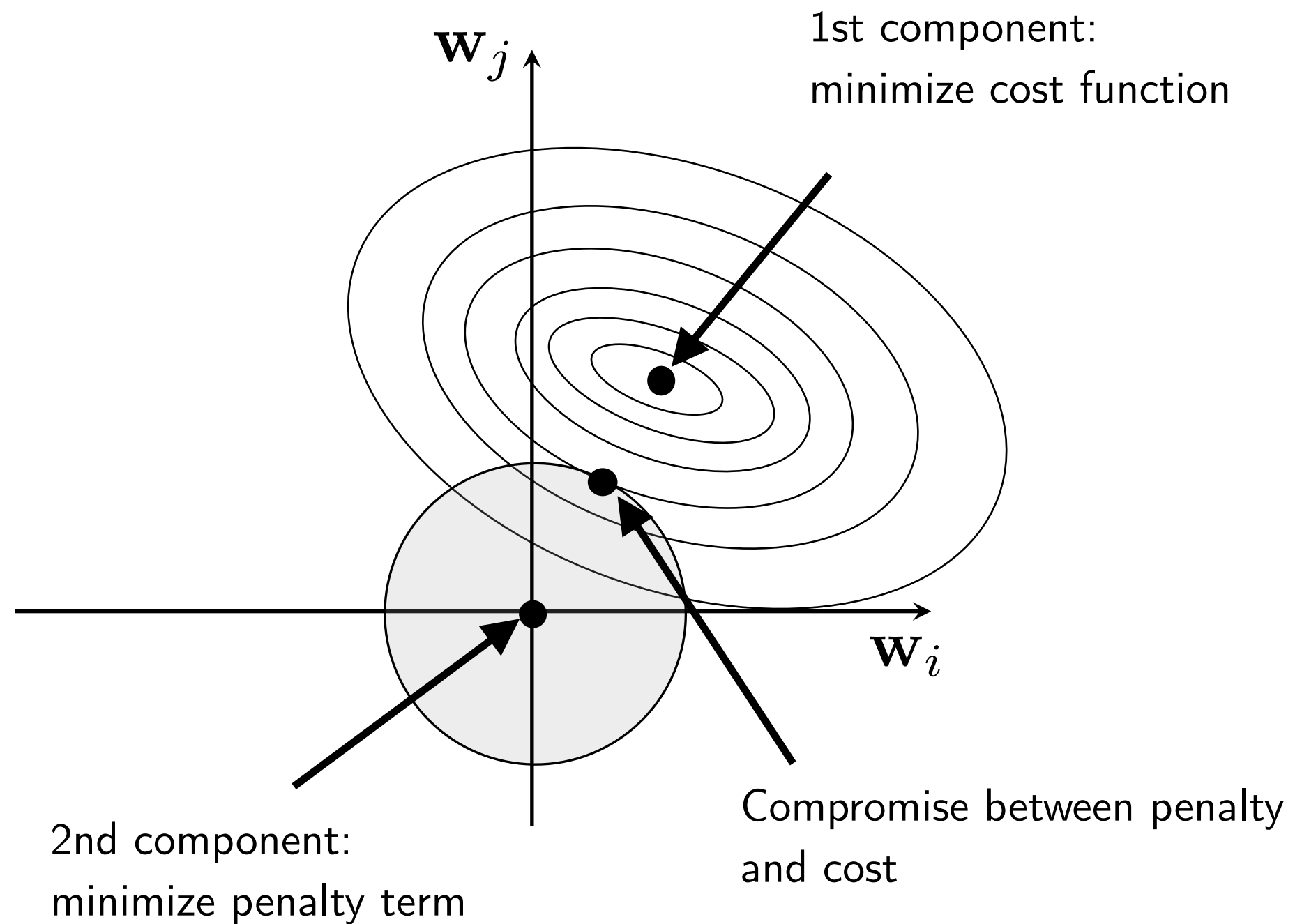
# L<sub>1</sub>/L<sub>2</sub> Regularization

$$\text{L1-Regularized-Cost}_{\mathbf{w}, \mathbf{b}} = \frac{1}{n} \sum_{i=1}^n \mathcal{L}(y^{[i]}, \hat{y}^{[i]}) + \frac{\lambda}{n} \sum_j |w_j|$$

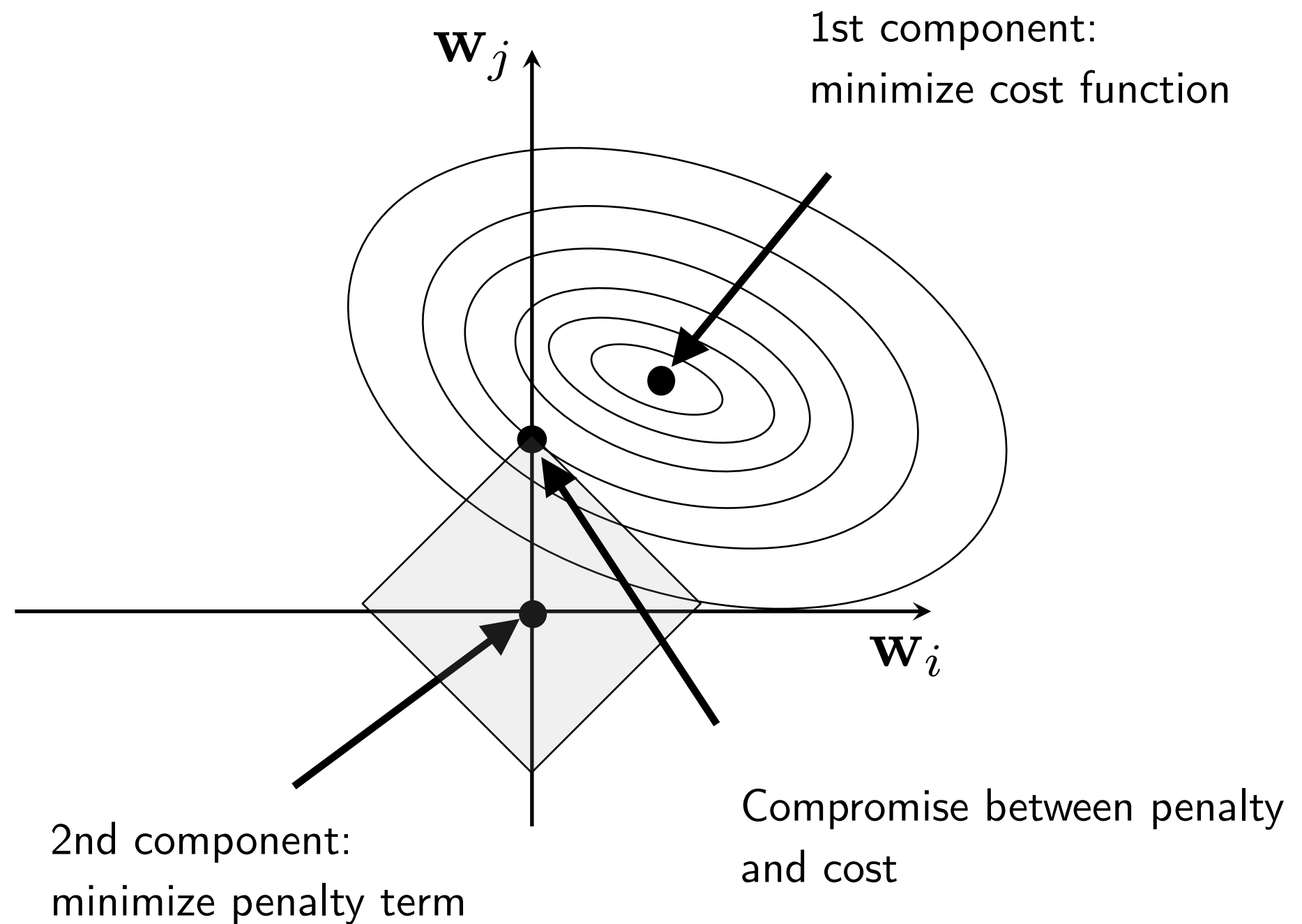
where:  $\sum_j |w_j| = \|\mathbf{w}\|_1$

- L1-regularization encourages sparsity (which may be useful)
- However, usually L1 regularization does not work well in practice and is very rarely used
- Also, it's not smooth and harder to optimize

# Geometric Interpretation of $L_2$ Regularization



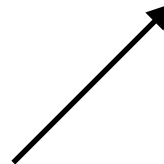
# Geometric Interpretation of $L_2$ Regularization



# L<sub>2</sub> Regularization for Neural Nets

$$\text{L2-Regularized-Cost}_{\mathbf{w}, \mathbf{b}} = \frac{1}{n} \sum_{i=1}^n \mathcal{L}(y^{[i]}, \hat{y}^{[i]}) + \frac{\lambda}{n} \sum_{l=1}^L ||\mathbf{w}^{(l)}||_F^2$$

sum over layers



where  $||\mathbf{w}^{(l)}||_F^2$  is the Frobenius norm (squared):

$$||\mathbf{w}^{(l)}||_F^2 = \sum_i \sum_j (w_{i,j}^{(l)})^2$$



# L<sub>2</sub> Regularization for Neural Nets

Regular gradient descent update:

$$w_{i,j} := w_{i,j} - \eta \frac{\partial \mathcal{L}}{\partial w_{i,j}}$$

Gradient descent update with L2 regularization:

$$w_{i,j} := w_{i,j} - \eta \left( \frac{\partial \mathcal{L}}{\partial w_{i,j}} + \frac{2\lambda}{n} w_{i,j} \right)$$

# L<sub>2</sub> Regularization for Logistic Regression in PyTorch

Manually:

```
optimizer = torch.optim.SGD(model.parameters(), lr=0.1)
```

```
for epoch in range(num_epochs):
```

```
    ##### Compute outputs #####  
    out = model(X_train_tensor)
```

```
    ##### Compute gradients #####
```

```
    #####
```

```
    ## Apply L2 regularization (weight decay)
```

```
    cost = F.binary_cross_entropy(out, y_train_tensor, reduction='sum')
```

```
    cost = cost + 0.5 * LAMBDA * torch.mm(model.linear.weight,  
                                           model.linear.weight.t())
```

```
    # note that PyTorch also regularizes the bias, hence, if we want  
    # to reproduce the behavior of SGD's "weight_decay" param, we have to add  
    # the bias term as well:
```

```
    cost = cost + 0.5 * LAMBDA * model.linear.bias**2
```

```
    #-----
```

```
optimizer.zero_grad()  
cost.backward()
```

(Note that I am using 0.5 here because PyTorch does it;  
Could be considered "convenient " as the exponent "2"  
cancels in the derivative. This implementation exactly  
matches the one on the next slide)

[https://github.com/rasbt/stat479-deep-learning-ss19/blob/master/L10\\_regularization/code/L2-log-reg.ipynb](https://github.com/rasbt/stat479-deep-learning-ss19/blob/master/L10_regularization/code/L2-log-reg.ipynb)

# L<sub>2</sub> Regularization for Logistic Regression in PyTorch

Automatically:

```
#####  
## Apply L2 regularization  
optimizer = torch.optim.SGD(model.parameters(),  
                             lr=0.1,  
                             weight_decay=LAMBDA)  
#-----  
  
for epoch in range(num_epochs):  
  
    #### Compute outputs ####  
    out = model(X_train_tensor)  
  
    #### Compute gradients ####  
    cost = F.binary_cross_entropy(out, y_train_tensor, reduction='sum')  
    optimizer.zero_grad()  
    cost.backward()  
  
https://github.com/rasbt/stat479-deep-learning-ss19/blob/master/L10\_regularization/  
code/L2-log-reg.ipynb
```

Question: Why is the bias usually not regularized (if you think of linear models)?

# L<sub>2</sub> Regularization for Neural Nets in PyTorch

- For all layers, same as before ("automatic approach" via `weight_decay`)
- Or, manually:

```
for epoch in range(NUM_EPOCHS):
    model.train()
    for batch_idx, (features, targets) in enumerate(train_loader):

        features = features.view(-1, 28*28).to(DEVICE)
        targets = targets.to(DEVICE)

        ### FORWARD AND BACK PROP
        logits, probas = model(features)

        cost = F.cross_entropy(logits, targets)

        # regularize loss
        L2 = 0.
        for p in model.parameters():
            L2 = L2 + (p**2).sum()
        cost = cost + 2./targets.size(0) * LAMBDA * L2

        optimizer.zero_grad()
        cost.backward()
```

# L<sub>2</sub> Regularization for Neural Nets in PyTorch

- For all layers, same as before ("automatic approach" via `weight_decay`)
- Or, manually:

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for epoch in range(NUM_EPOCHS):
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        features = features.view(-1, 28*28).to(DEVICE)
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```
        ### FORWARD AND BACK PROP
        logits, probas = model(features)
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```
        cost = F.cross_entropy(logits, targets)
```

```
        # regularize loss
```

```
        L2 = 0.
```

```
        for p in model.parameters():
```

```
            L2 = L2 + (p**2).sum()
```

```
        cost = cost + 2./targets.size(0) * LAMBDA * L2
```

```
        optimizer.zero_grad()
```

```
        cost.backward()
```

Why did I use "`/target.size(0)`" here?

# L<sub>2</sub> Regularization for Neural Nets in PyTorch

- Or, if you only want to regularize the weights, not the biases:

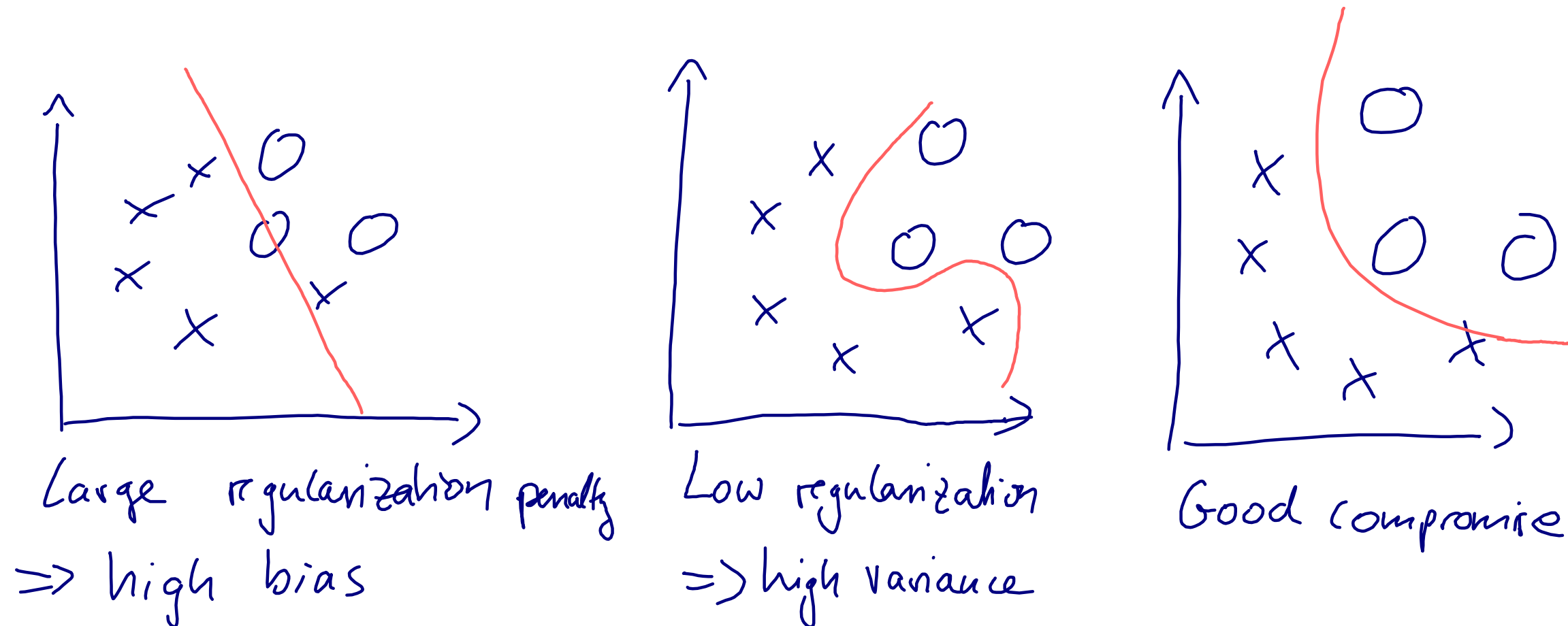
```
# regularize loss
L2 = 0.
for name, p in model.named_parameters():
    if 'weight' in name:
        L2 = L2 + (p**2).sum()

cost = cost + 2./targets.size(0) * LAMBDA * L2

optimizer.zero_grad()
cost.backward()
```

# Effect of Norm Penalties on the Decision Boundary

Assume a nonlinear model





# Dropout

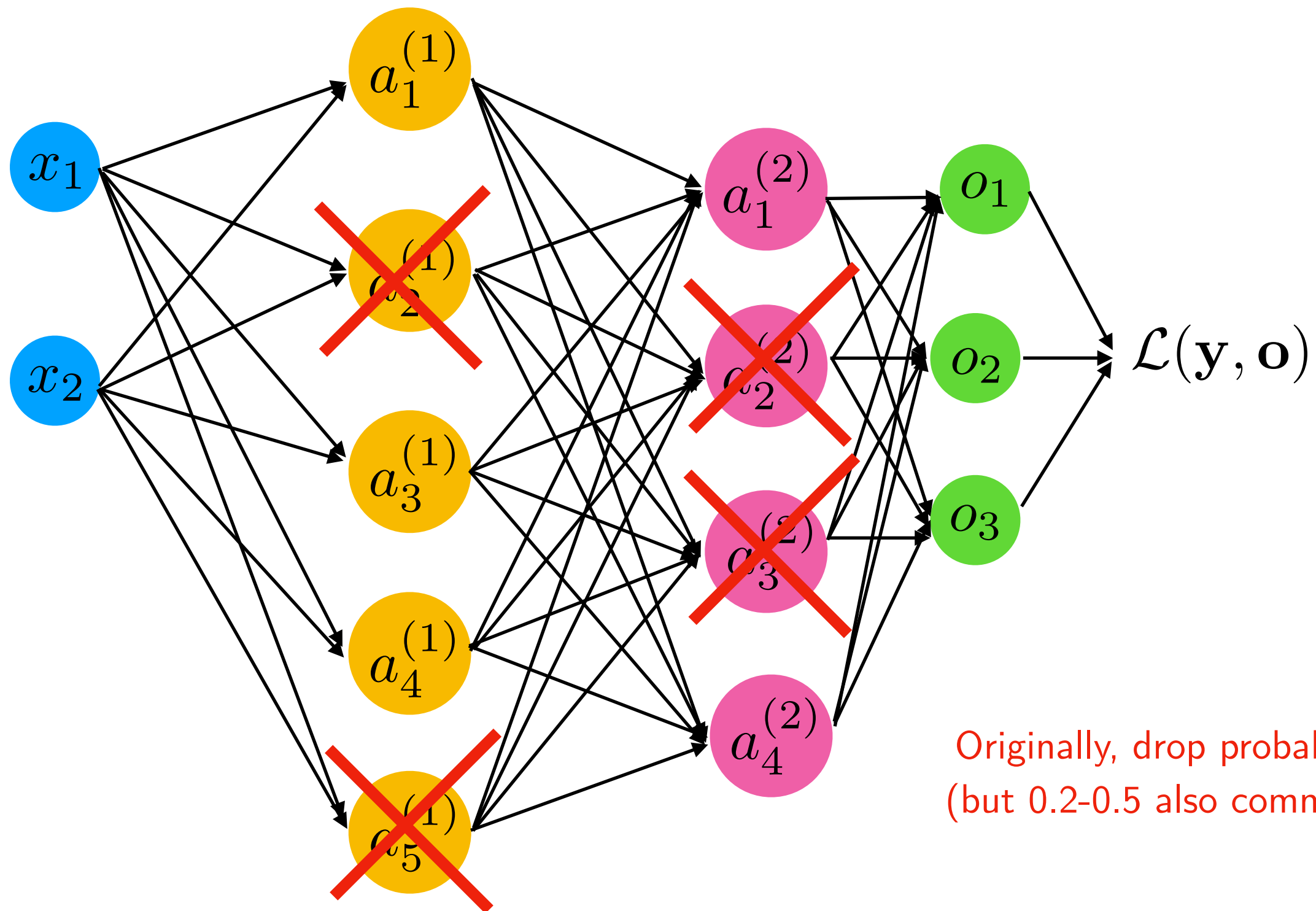
# Dropout

## Original research articles:

Hinton, G. E., Srivastava, N., Krizhevsky, A., Sutskever, I., & Salakhutdinov, R. (2012). Improving neural networks by preventing co-adaptation of feature detectors. *arXiv preprint arXiv:1207.0580*.

Srivastava, N., Hinton, G., Krizhevsky, A., Sutskever, I., & Salakhutdinov, R. (2014). Dropout: a simple way to prevent neural networks from overfitting. *The Journal of Machine Learning Research*, 15(1), 1929-1958.

# Dropout in a Nutshell: Dropping Nodes



Originally, drop probability 0.5  
(but 0.2-0.5 also common now)

# Dropout in a Nutshell: Dropping Nodes

How do we drop the nodes practically/efficiently?

Bernoulli Sampling (during training):

- $p :=$  drop probability
- $\mathbf{v} :=$  random sample from uniform distribution in range  $[0, 1]$
- $\forall i \in \mathbf{v} : v_i := 0$  if  $v_i > p$  else  $v_i$
- $\mathbf{a} := \mathbf{a} \odot \mathbf{v}$

Then, after training to make predictions (DL jargon: "inference")

$$\mathbf{a} := \mathbf{a} / (1 - p)$$

# Dropout in a Nutshell: Dropping Nodes

How do we drop the nodes practically/efficiently?

Bernoulli Sampling (during training):

- $p :=$  drop probability
- $\mathbf{v} :=$  random sample from uniform distribution in range  $[0, 1]$
- $\forall i \in \mathbf{v} : v_i := 0$  if  $v_i > p$  else 1
- $\mathbf{a} := \mathbf{a} \odot \mathbf{v}$

Then, after training to make predictions (DL jargon: "inference")

$$\mathbf{a} := \mathbf{a} / (1 - p)$$

Q for you: Why is this required?

# Dropout: Co-Adaptation Interpretation

## Why does Dropout work well?

- Network will learn not to rely on particular connections too heavily
- Thus, will consider more connections (because it cannot rely on individual ones)
- The weight values will be more spread-out (may lead to smaller weights like with L2 norm)
- Side note: You can certainly use different dropout probabilities in different layers (assigning them proportional to the number of units in a layer is not a bad idea, for example)

# Dropout: Ensemble Method Interpretation

## Model Averaging (Ensembling)

If you are interested in more details, see FS 2018 ML class (L07):

[https://github.com/rasbt/stat479-machine-learning-fs18/blob/master/07\\_ensembles/07\\_ensembles\\_notes.pdf](https://github.com/rasbt/stat479-machine-learning-fs18/blob/master/07_ensembles/07_ensembles_notes.pdf)

# Dropout: Ensemble Method Interpretation

- In DL, we typically don't do regular ensembling (majority vote over a large number of networks, bagging, etc.) because it is very expensive to fit neural nets
- However, we know that the squared error for a prediction by a randomly selected model is larger than the squared error using an ensemble prediction (here, average over class probabilities)

$$E[(y - \hat{y}^{\{i\}})^2] = (y - E[\hat{y}^{\{i\}}])^2 + (\hat{y}^{\{i\}} - E[\hat{y}^{\{i\}}])^2$$

(expectation is over models  $i$ )

If you are interested in more details and where this comes from, see FS 2018 ML class (L08):

[https://github.com/rasbt/stat479-machine-learning-fs18/blob/master/08\\_eval-intro/08\\_eval-intro\\_notes.pdf](https://github.com/rasbt/stat479-machine-learning-fs18/blob/master/08_eval-intro/08_eval-intro_notes.pdf)



# Dropout: Ensemble Method Interpretation

- Now, in dropout, we have a different model for each minibatch
- Via the minibatch iterations, we essentially sample over  $M=2^h$  models, where  $h$  is the number of hidden units
- Restriction is that we have weight sharing over these models, which can be seen as a form of regularization
- During "inference" we can then average over all these models (but this is very expensive)

# Dropout: Ensemble Method Interpretation

- During "inference" we can then average over all these models (but this is very expensive)

This is basically just averaging log likelihoods:

$$p_{\text{Ensemble}} = \left[ \prod_{j=1}^M p^{\{i\}} \right]^{1/M} = \exp \left[ 1/M \sum_{j=1}^M \log(p^{\{i\}}) \right]$$

(you may know this as the "geometric mean" from other classes)

For multiple classes, we need to normalize so that the probas sum to 1:

$$p_{\text{Ensemble}, j} = \frac{p_{\text{Ensemble}, j}}{\sum_{j=1}^k p_{\text{Ensemble}, j}}$$

# Dropout: Ensemble Method Interpretation

- During "inference" we can then average over all these models (but this is very expensive)
- However, using the last model after training and scaling the predictions by a factor  $1/(1-p)$  approximates the geometric mean and is much cheaper  
(actually, it's exactly the geometric mean if we have a linear model)

# Inverted Dropout

- Most frameworks implement inverted dropout
- Here, the activation values are scaled by the factor  $1/(1-p)$  during training instead of scaling the activations during "inference"
- I believe Google started this trend (because it's computationally cheaper in the long run if you use your model a lot after training)
- PyTorch's Dropout implementation is also inverted Dropout

# Dropout in PyTorch

Here, it is very important that you use `model.train()` and `model.eval()`!

```
for epoch in range(NUM_EPOCHS):
```

```
    model.train()
```

```
    for batch_idx, (features, targets) in enumerate(train_loader):
```

```
        features = features.view(-1, 28*28).to(DEVICE)
```

```
        ### FORWARD AND BACK PROP
```

```
        logits, probas = model(features)
```

```
        cost = F.cross_entropy(logits, targets)
```

```
        optimizer.zero_grad()
```

```
        cost.backward()
```

```
        minibatch_cost.append(cost)
```

```
        ### UPDATE MODEL PARAMETERS
```

```
        optimizer.step()
```

```
    model.eval()
```

```
    with torch.no_grad():
```

```
        cost = compute_loss(model, train_loader)
```

```
        epoch_cost.append(cost)
```

```
        print('Epoch: %03d/%03d Train Cost: %.4f' % (
            epoch+1, NUM_EPOCHS, cost))
```

```
        print('Time elapsed: %.2f min' % ((time.time() - start_time)/60))
```

# Dropout in PyTorch ([more] Object-Oriented API)

```
class MultilayerPerceptron(torch.nn.Module):

    def __init__(self, num_features, num_classes, drop_proba,
                  num_hidden_1, num_hidden_2):
        super(MultilayerPerceptron, self).__init__()

        self.my_network = torch.nn.Sequential(
            torch.nn.Linear(num_features, num_hidden_1),
            torch.nn.ReLU(),
            torch.nn.Dropout(drop_proba),
            torch.nn.Linear(num_hidden_1, num_hidden_2),
            torch.nn.ReLU(),
            torch.nn.Dropout(drop_proba),
            torch.nn.Linear(num_hidden_2, num_classes)
        )

    def forward(self, x):
        logits = self.my_network(x)
        probas = F.softmax(logits, dim=1)
        return logits, probas
```

# Dropout in PyTorch (Functional API)

```
class MultilayerPerceptron(torch.nn.Module):

    def __init__(self, num_features, num_classes, drop_proba,
                  num_hidden_1, num_hidden_2):
        super(MultilayerPerceptron, self).__init__()

        self.drop_proba = drop_proba
        self.linear_1 = torch.nn.Linear(num_features,
                                         num_hidden_1)

        self.linear_2 = torch.nn.Linear(num_hidden_1,
                                         num_hidden_2)

        self.linear_out = torch.nn.Linear(num_hidden_2,
                                            num_classes)

    def forward(self, x):
        out = self.linear_1(x)
        out = F.relu(out)
        out = F.dropout(out, p=self.drop_proba, training=self.training)
        out = self.linear_2(out)
        out = F.relu(out)
        out = F.dropout(out, p=self.drop_proba, training=self.training)
        logits = self.linear_out(out)
        probas = F.log_softmax(logits, dim=1)
        return logits, probas
```

# Dropout in PyTorch (Functional API)

Example implementation of the 3 previous slides:

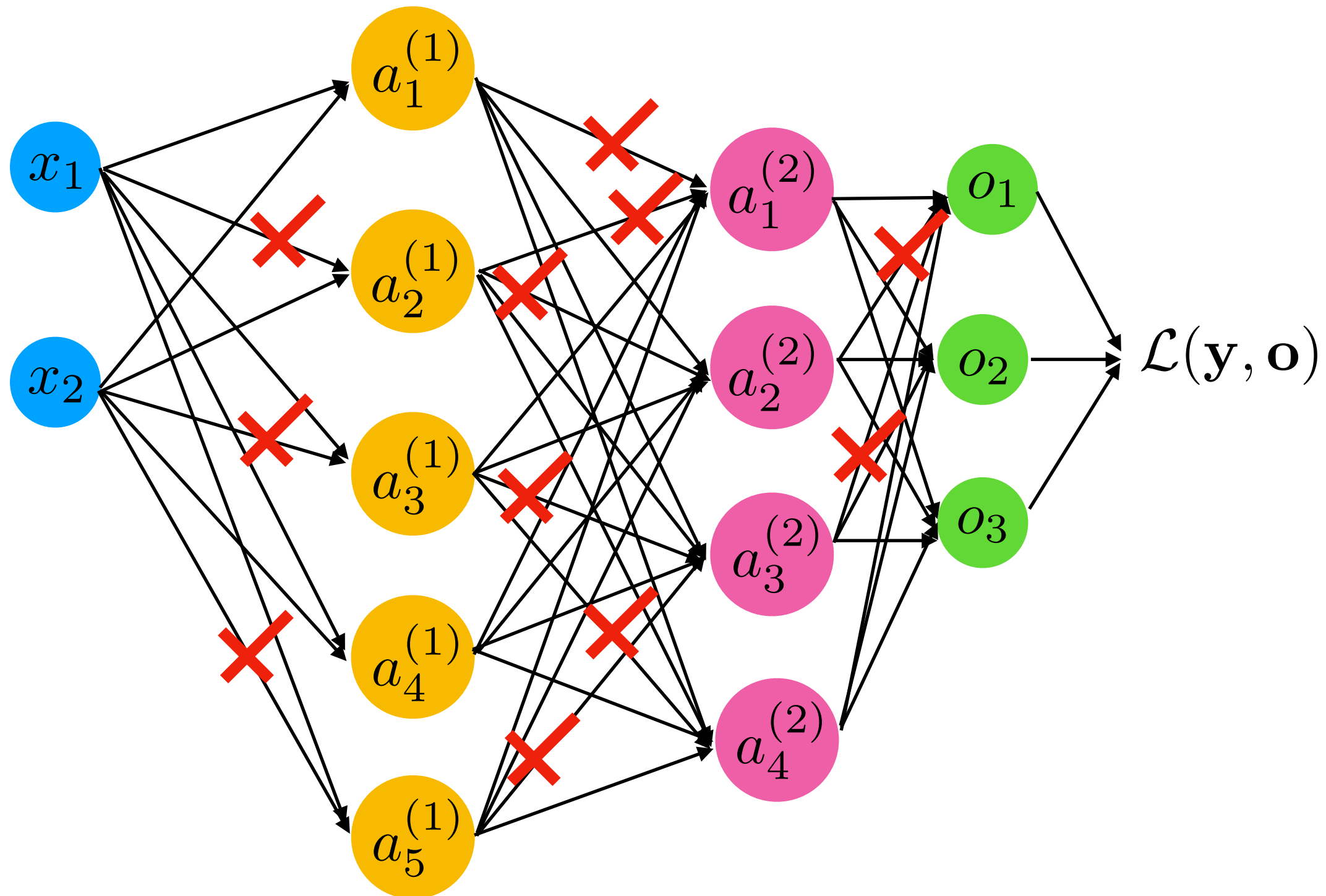
[https://github.com/rasbt/stat479-deep-learning-ss19/tree/master/L10\\_regularization/code/dropout.ipynb](https://github.com/rasbt/stat479-deep-learning-ss19/tree/master/L10_regularization/code/dropout.ipynb)



# Dropout: More Practical Tips

- Don't use Dropout if your model does not overfit
- However, in that case above, it is then recommended to increase the capacity to make it overfit, and then use dropout to be able to use a larger capacity model (but make it not overfit)

# DropConnect: Randomly Dropping Weights



# DropConnect

- Generalization of Dropout
- More "possibilities"
- Less popular doesn't work so well in practice

## Original research article:

Wan, L., Zeiler, M., Zhang, S., Le Cun, Y., & Fergus, R. (2013, February). Regularization of neural networks using dropconnect. In *International conference on machine learning* (pp. 1058-1066).

# Reading Assignments (today optional)

- Srivastava, N., Hinton, G., Krizhevsky, A., Sutskever, I., & Salakhutdinov, R. (2014). Dropout: a simple way to prevent neural networks from overfitting. *The Journal of Machine Learning Research*, 15(1), 1929-1958.  
<http://jmlr.org/papers/volume15/srivastava14a/srivastava14a.pdf>

# DL Competition

- Highest accuracy wins (needs to be reproducible)
- \$50 Amazon Gift Card
- Participate alone or in group (up to 5)
- Details in: <https://github.com/rasbt/stat479-deep-learning-ss19/blob/master/dl-competition/stat479-ss2019-comp.ipynb>

The screenshot shows the GitHub interface for the repository 'rasbt / stat479-deep-learning-ss19'. The repository is on the 'master' branch, and the selected file is 'stat479-ss2019-comp.ipynb' within the 'dl-competition' directory. The file has 1132 lines (1131 sloc) and is 107 KB in size. The repository has 1 contributor. The file content is a text-based introduction to the course.

rasbt / **stat479-deep-learning-ss19** Unwatch

**<> Code** Issues 0 Pull requests 0 Projects 0 Wiki Insights Settings

Branch: master **stat479-deep-learning-ss19 / dl-competition / stat479-ss2019-comp.ipynb**

**rasbt** dl competition

1 contributor

1132 lines (1131 sloc) | 107 KB

STAT 479: Deep Learning (Spring 2019)  
Instructor: Sebastian Raschka (sraschka@wisc.edu)  
Course website: <http://pages.stat.wisc.edu/~sraschka/teaching/stat479-ss2019/>  
GitHub repository: <https://github.com/rasbt/stat479-deep-learning-ss19>

# DL Competition

- Accuracy score submission Form: [https://docs.google.com/forms/d/e/1FAIpQLSfvw\\_JNsImfW0fZbQhUsM5XYeLGEUOCcKrN1Zyb1R0wQ0hd7g/viewform?usp=sf\\_link](https://docs.google.com/forms/d/e/1FAIpQLSfvw_JNsImfW0fZbQhUsM5XYeLGEUOCcKrN1Zyb1R0wQ0hd7g/viewform?usp=sf_link) (link in Notebook)

## Stat 479 DL Competition

See <https://github.com/rasbt/stat479-deep-learning-ss19/blob/master/dl-competition/stat479-ss2019-comp.ipynb> for details.

Your email address ([sraschka@wisc.edu](mailto:sraschka@wisc.edu)) will be recorded when you submit this form. Not you?  
[Switch account](#)

**\* Required**

**Test Set Accuracy (e.g., 95.5) \***

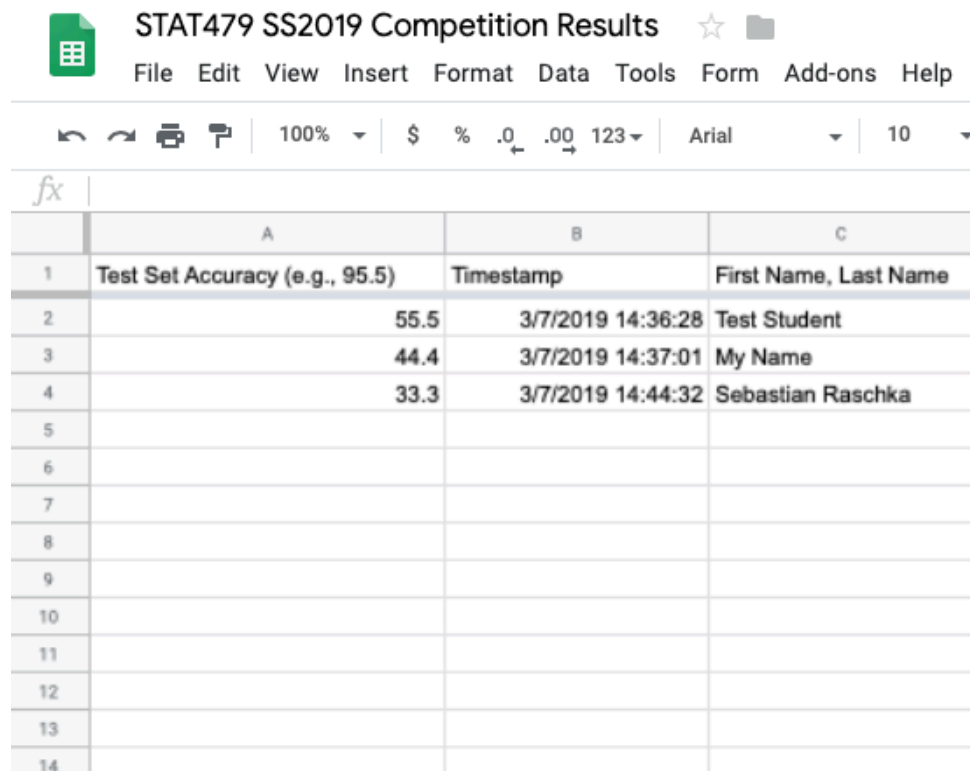
Your answer

**First Name, Last Name \***

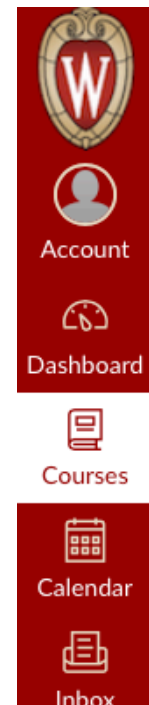
Your answer

# DL Competition

- Live Leaderboard: <https://docs.google.com/spreadsheets/d/11lsz5AT0p6pkYh9Az8ZWxKPD8SleUkq32mv0keIHnEw/edit#gid=1372722537> (link in Notebook)
- Submit code to Canvas until May 1st 11:59 pm



	A	B	C
1	Test Set Accuracy (e.g., 95.5)	Timestamp	First Name, Last Name
2	55.5	3/7/2019 14:36:28	Test Student
3	44.4	3/7/2019 14:37:01	My Name
4	33.3	3/7/2019 14:44:32	Sebastian Raschka
5			
6			
7			
8			
9			
10			
11			
12			
13			
14			



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## [Optional] Deep Learning Competition

✓ Published

Edit

This is an optional competition that you can participate in to test your deep learning skills! There will be no grade or points for this competition, and participation is entirely optional.

The winner of this competition will receive a \$50 Amazon gift card that you can use for whatever you like :). In case of a tie, the earliest submission (latest submission date is Wed, May 01 11:59 pm) with the best score wins.

You can submit your solution as a single participant or as a group up to 5

(private, automatically updated, viewing only)



## Requesting GPUs when using CUDA tools

Submit a Python job that requires 1 GPU device

```
#!/bin/bash
#SBATCH --mail-user=user@stat.wisc.edu
#SBATCH --mail-type=ALL
#SBATCH -p gpu
#SBATCH --gres=gpu:1
#SBATCH --mem=2G
#SBATCH -D /workspace/user
#SBATCH -c 4
mycondaenv/bin/python code.py --outpath output --seed 0 --cuda 0 --numworkers 3
```

In this example, we set the partition with `-p` to `gpu` to get the GPU node on the cluster. We request 1 GPU with the directive `--gres:gpu:1`. Total memory for this job is 2 gigabytes, `--mem=2G`. We set our working directory with `-D` so that we can use relative paths in our execution line of the script. Lastly, we request 4 CPUs to go with our GPU job for subprocesses. We request 4 cpus because our Python job `--numworkers` is set to 3, and there is one parent process along with them, for a total of 4 CPU processes. Be mindful of CPU requests and do not request too little, or too much for your GPU job. If one GPU job uses all the CPU on the node, no other GPU job can run on the node. There are currently a total of 8, NVIDIA RTX 2080ti devices in total.

Depending on what tools you are using to work with CUDA and GPUs, your syntax for the actual execution may differ. In this example, and in many other tools, the `--cuda` option is set to 0, which is not an absolute number that refers to the device. Instead, you are asking for cuda device '0' which will be the first GPU device available, which could be GPU 0,1,2,3,4,5,6 or 7.

If you have specific GPU questions please consult with the lab to get your job running efficiently.

## New Department GPUs

- grad students log in as usual, just need to specify GPU in SLURM submit script
- undergrad students can get an account via request:
  - you need to be somewhat familiar with Linux/Unix
  - email me first with and I will arrange with our sysadmin (will need student ID number)