# Assignment: 8 Puzzle Game

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Abstract—The puzzle can be solved by moving the tiles one by one in the single empty space and thus achieving the Goal state. Instead of moving the tiles in the empty space we can visualize moving the empty space in place of the tile. The empty space cannot move diagonally and can take only one step at a time.

Index Terms—Puzzle, Tiles

### I. Introduction

The 8-puzzle problem is a puzzle invented and popularized by Noyes Palmer Chapman in the 1870s. It is played on a 3-by-3 grid with 8 square blocks labeled 1 through 8 and a blank square. Your goal is to rearrange the blocks so that they are in order.

#### II. LITERATURE REVIEW

Sadikov and Bratko (2006) studied the suitability of pessimistic and optimistic heuristic functions for a real-time search in the 8-puzzle. They discovered that pessimistic functions are more suitable. They also observed the pathology, which was stronger with the pessimistic heuristic function. However, they did not study the influence of other factors on the pathology or provide any analysis of the gain of a deeper search.

# III. CONCLUSION

I test my code to see how many states it would take to get from the current state to the goal state. Then it came up with three.

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## REFERENCES

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```
from copy import deepcopy
from colorama import Fore, Back, Style
DIRECTIONS = {"D": [-1, 0], "U": [1, 0], "R": [0, -1], "L": [0, 1]}
END = [[1, 2, 3], [8, 0, 4], [7, 6, 5]]
# unicode
left_down_angle = '\u2514'
right_down_angle = '\u2518'
right_up_angle = '\u2510'
left_up_angle = '\u250C'
middle_junction = '\u253C'
top_junction = '\u252C'
bottom_junction = '\u2534'
right_junction = '\u2524'
left_junction = '\u251C'
bar = Style.BRIGHT + Fore.CYAN + '\u2502' + Fore.RESET + Style.RESET_ALL
dash = '\u2500'
first_line = Style.BRIGHT + Fore.CYAN + left_up_angle + dash + dash + dash + top_junction + dash + dash + top_junction + d
middle line = Style.BRIGHT + Fore.CYAN + left junction + dash + dash + dash + middle junction + dash + dash + dash + middle junct
last_line = Style.BRIGHT + Fore.CYAN + left_down_angle + dash + dash + dash + bottom_junction + dash + dash + dash + bottom_junct
def print_puzzle(array):
    print(first_line)
    for a in range(len(array)):
        for i in array[a]:
            if i == 0:
```

Fig. 1. Code

```
print(bar, Back.RED + ' ' + Back.RESET, end=' ')
           else:
               print(bar, i, end=' ')
        print(bar)
       if a == 2:
           print(last_line)
        else:
           print(middle_line)
class Node:
    def __init__(self, current_node, previous_node, g, h, dir):
        self.current_node = current_node
       self.previous_node = previous_node
       self.g = g
       self.h = h
       self.dir = dir
   def f(self):
       return self.g + self.h
def get_pos(current_state, element):
    for row in range(len(current_state)):
       if element in current_state[row]:
           return (row, current_state[row].index(element))
def euclidianCost(current_state):
   cost = 0
   for row in range(len(current_state)):
       for col in range(len(current_state[0])):
```

Fig. 2. Code

```
for row in range(len(current_state(0)):
    for col in range(len(current_state[0])):
        pos = get_pos(END, current_state[row][col])
        cost += abs(row - pos[0]) + abs(col - pos[1])
     return cost
def getAdjNode(node):
     listNode = []
     emptyPos = get_pos(node.current_node, θ)
     for dir in DIRECTIONS.keys():
          The Directions (\theta) = (emptyPos[0] + DIRECTIONS[dir][0], emptyPos[1] + DIRECTIONS[dir][1]) if 0 <= newPos[0] < len(node.current_node) and 0 <= newPos[1] < len(node.current_node[0]):
                newState = deepcopy(node.current_node)
                newState[emptyPos[0]][emptyPos[1]] = node.current_node[newPos[0]][newPos[1]]
                newState[newPos[0]][newPos[1]] = 0
                # listNode += [Node(newState, node.current_node, node.g + 1, euclidianCost(newState), dir)]
                listNode.append(Node(newState, node.current\_node, node.g + 1, euclidianCost(newState), dir))
     return listNode
def getBestNode(openSet):
     firstIter = True
     for node in openSet.values():
          if firstIter or node.f() < bestF:
    firstIter = False</pre>
               bestNode = node
bestF = bestNode.f()
     return bestNode
```

Fig. 3. Code

```
def buildPath(closedSet):
    node = closedSet[str(END)]
    branch = list()
   while node.dir:
       branch.append({
            'dir': node.dir,
            'node': node.current_node
       node = closedSet[str(node.previous_node)]
    branch.append({
        'dir': '',
        'node': node.current_node
    branch.reverse()
   return branch
def main(puzzle):
   open_set = {str(puzzle): Node(puzzle, puzzle, 0, euclidianCost(puzzle), "")}
    closed_set = {}
   while True:
        test_node = getBestNode(open_set)
        closed_set[str(test_node.current_node)] = test_node
        if test_node.current_node == END:
            return buildPath(closed_set)
        adj_node = getAdjNode(test_node)
        for node in adj_node:
```

Fig. 4. Code

```
str(node.current_node)].f() < node.f():
                continue
            open_set[str(node.current_node)] = node
        del open_set[str(test_node.current_node)]
if __name__ == '__main__':
    br = main([[1, 2, 3],
               [8, 6, 0],
               [7, 5, 4]])
    print('total steps : ', len(br) - 1)
    print()
    print(dash + dash + right_junction, "INPUT", left_junction + dash + dash)
    for b in br:
        if b['dir'] != '':
            letter = ''
            if b['dir'] == 'U':
                letter = 'UP'
            elif b['dir'] == 'R':
   letter = "RIGHT"
            elif b['dir'] == 'L':
                letter = 'LEFT'
            elif b['dir'] == 'D':
                letter = 'DOWN'
            print(dash + dash + right_junction, letter, left_junction + dash + dash)
        print_puzzle(b['node'])
        print()
    print(dash + dash + right_junction, 'ABOVE IS THE OUTPUT', left_junction + dash + dash)
```

Fig. 5. Code