

## Written Assignment 1

### 50 points

Write out your answers to these problems neatly in a text file and submit your work by the due date.

Be sure to put your name on your paper.

Show your work!

Note: Only problem 6 involves two's-complement notation.

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1. (8 points) Convert the following binary numbers to their decimal representations:
  1.  $1001 \rightarrow (1 \cdot 2^3) + (1 \cdot 2^0) = 9$
  2.  $10110 \rightarrow (1 \cdot 2^4) + (1 \cdot 2^2) + (1 \cdot 2^1) = 22$
  3.  $101110 \rightarrow (1 \cdot 2^5) + (1 \cdot 2^3) + (1 \cdot 2^2) + (1 \cdot 2^1) = 46$
  4.  $101011 \rightarrow (1 \cdot 2^5) + (1 \cdot 2^3) + (1 \cdot 2^1) + (1 \cdot 2^0) = 43$
2. (8 points) Convert the following hexadecimal numbers to their decimal representations:
  1.  $3C \rightarrow (3 \cdot 16^1) + (12 \cdot 16^0) = 60$
  2.  $A9 \rightarrow (10 \cdot 16^1) + (9 \cdot 16^0) = 169$
  3.  $4E8 \rightarrow (4 \cdot 16^2) + (14 \cdot 16^1) + (8 \cdot 16^0) = 1256$
  4.  $507 \rightarrow (5 \cdot 16^2) + (0 \cdot 16^1) + (7 \cdot 16^0) = 1287$
3. (8 points) Convert the following decimal numbers to their hexadecimal and binary representations:
  1.  $37 \rightarrow 37 - (1 \cdot 2^5) - (1 \cdot 2^2) - (1 \cdot 2^0) = 0010(2) 0101(5)$
  2.  $1194 \rightarrow 1194 - (1 \cdot 2^{10}) - (1 \cdot 2^7) - (1 \cdot 2^5) - (1 \cdot 2^3) - (1 \cdot 2^1) = 0100(4) 1010(A) 1010(A)$
  3.  $359 \rightarrow 359 - (1 \cdot 2^8) - (1 \cdot 2^6) - (1 \cdot 2^5) - (1 \cdot 2^2) - (1 \cdot 2^1) - (1 \cdot 2^0) = 0001(1) 0110(6) 0111(7)$
  4.  $2047 \rightarrow 2047 - (1 \cdot 2^{10}) - (1 \cdot 2^9) - (1 \cdot 2^8) - (1 \cdot 2^7) - (1 \cdot 2^6) - (1 \cdot 2^5) - (1 \cdot 2^4) - (1 \cdot 2^3) - (1 \cdot 2^2) - (1 \cdot 2^1) - (1 \cdot 2^0) = 1111(F) 1111(F) 1111(F)$
4. (8 points) Do the binary arithmetic:
  1. 01110

$$\begin{array}{r} + 11011 \\ \hline 101001 \end{array}$$

$$\begin{array}{r} 2. \quad 10110 \\ + 01111 \\ \hline 100101 \end{array}$$

$$\begin{array}{r} 3. \quad 10101 \\ - 01100 \\ \hline 1001 \end{array}$$

$$\begin{array}{r} 4. \quad 11101 \\ - 01110 \\ \hline 1111 \end{array}$$

5. (8 points) Do the hexadecimal arithmetic:

$$\begin{array}{r} 1. \quad 2581 \\ + 94BD \\ \hline BA3E \end{array}$$

$$\begin{array}{r} 2. \quad F28 \\ + 31C \\ \hline 1244 \end{array}$$

$$\begin{array}{r} 3. \quad 5BE7 \\ - 36C1 \\ \hline 2526 \end{array}$$

$$\begin{array}{r} 4. \quad EAB \\ - B84 \\ \hline 327 \end{array}$$

6. (6 points) The integers in the following computations are indicated in hexadecimal, but represent 32-bit two's complement binary numbers. Perform the operations and indicate if overflow occurs and why. (If overflow occurs the result is invalid, but show it anyway.)

a. D4C3B2A1

b. 754C4612

+ 3456ABCD  
-----  
1091A5E6E

1111  
1101  
+ 0011  
-----  
10000  
(bits match,  
no overflow)

+ 1003A642  
-----  
854FEC54

111  
0111  
+ 0001  
-----  
1000  
(bits match,  
no overflow)

c. E044032F  
- A18492A2  
-----  
3EBF708D

E044032F  
+ 3EBF708D  
-----  
11F0373BC  
  
111  
1110  
+ 0011  
-----  
10001  
  
(bits match,  
no overflow)

d. 645C2041  
- 781D30B1  
-----  
-2C3EEF90

645C2041  
+ (-2C3EEF90)  
-----  
381D30B1  
  
11  
0110  
+ 0010  
-----  
1000  
  
(bits match,  
no overflow)

e. 7FFFFFFF  
+ 70000001  
-----  
F0000000  
E044032F  
+ 3EBF708D  
-----  
11F0373BC

f. E8866541  
- 920B011F  
-----  
567B6422  
E8866541  
+ 567B6422  
-----  
13F01C963

111	11
0111	1110
+ 0111	+ 0101
-----	-----
1110	10011
(bits match, no overflow)	(bits match, no overflow)

7. (4 points) Assume that:

1. Register 0 contains 00043E6C
2. Register 1 contains 0000007D
3. Register 7 contains FF028CC4

Here are some expressions which may be D(X,B) addresses. If they are valid, calculate the values (in hexadecimal), and if they are not valid, explain why not:

4.  $38(0,1) \rightarrow 38 - (1 \cdot 2^5) - (1 \cdot 2^2) - (1 \cdot 2^1) = 0010(2) 0110(6)$

	0000007D
+	26
	-----
	000000A3

5.  $0(0,7,1) \rightarrow$  not valid because there is an extra character

6.  $117(0,7) \rightarrow 117 - (1 \cdot 2^6) - (1 \cdot 2^5) - (1 \cdot 2^4) - (1 \cdot 2^2) - (1 \cdot 2^0) = 0111(7) 0101(5)$

	FF028CC4
+	75
	-----
	FF028D39

7.  $49(7,1) \rightarrow 49 - (1 \cdot 2^5) - (1 \cdot 2^4) - (1 \cdot 2^0) = 0011(3) 0001(1)$

	FF028CC4
	0000007D
+	31
	-----
	FF028D72