

1. Relational Algebra

$$a) \pi_{s.id, s.name} (\sigma_{Reserves.bid = 103} (Sailors \bowtie Reserves))$$

$$b) \pi_{s.id, s.name} (\sigma_{Boats.color = 'red'} (Sailors \bowtie Reserves \bowtie Boats))$$

$$c) \pi_{s.id, s.name} \left(\sigma_{Boats.color = 'red' \vee Boats.color = 'green'} (Sailors \bowtie Reserves \bowtie Boats) \right)$$

$$d) \pi_{s.id, s.name} (\sigma_{color='red'} (Sailors \bowtie Reserves \bowtie Boats)) \\ \cap \pi_{s.id, s.name} (\sigma_{color='green'} (Sailors \bowtie Reserves \bowtie Boats))$$

2. Relational Algebra

$$a) \pi_{student.id, student.name} (\sigma_{course.dept_name = "Comp. Sci."} (student \bowtie takes \bowtie course))$$

$$b) \pi_{student.id, student.name} (student \bowtie takes) \text{ --- } \\ \pi_{student.id, student.name} (\sigma_{takes.year < 2019} (student \bowtie takes))$$

3. Relational Algebra

$$a) \pi_{employee.eid, employee.ename, employee.street, employee.city} \left(\sigma_{company.cname = "First Bank Corporation"} (employees \bowtie works \bowtie (\pi_{cid, c.name} (company))) \right) \\ \wedge works.salary > 10000$$

$$b) \pi_{employee.eid, employee.ename} (employee \bowtie works \bowtie company)$$

$$c) \pi_{e1.eid, e1.ename, e2.eid, e2.ename} \left(\sigma_{e1.street = e2.street} (\rho_{e1}(employees) \bowtie \rho_{e2}(employees)) \right) \\ \wedge e1.city = e2.city \\ \wedge e1.eid \neq e2.eid$$

$$d) \pi_{ename} (\sigma_{cid=manager_id} (\pi_{manager_id} (\pi_{eid} (\sigma_{ename='Peter Parker'} (employee)) \bowtie manages) \times \rho_{e2}(employee)))$$