

## Sample-1: Easy

You have an array **A** of integers with **n** elements. There are **q** queries to process and each **query** consists of four integers: **l, r, x, and y**.

For the subarray of **A** ranging from index **l** to **r**, you need to assign a **sequence** of integers for each subsequent element. The **sequence** should start from **x** and increase by **y**. This means:

- **A[l]** will be assigned the value of **x**.
- **A[l+1]** will be assigned the value of **x+y**.
- **A[l+2]** will be assigned the value of **x+2\*y**.
- Continuing this pattern, **A[l+i]** will be assigned the value of **x+i\*y**, where **i** ranges from **0 to (r-l)**.

Find the **sum of all integers** in **A** after processing all queries. Since answer can be large, return it **modulo 10<sup>9</sup>+7**.

### Input Format

1. The first line contains an integer, **n**, denoting the number of elements in **A**.
2. Each line **i** of the **n** subsequent lines (where  $0 \leq i < n$ ) contains an integer describing **A[i]**.
3. The next line contains an integer, **q**, denoting the number of rows in queries.
4. Each line **i** of the **q** subsequent lines (where  $0 \leq i < q$ ) contains 4 space separated integers each describing the row **queries[i]**.
5. The 4 space separated integers denote the value of **l, r, x** and **y** for the **i-th query**.

### Constraints

- $1 \leq n \leq 10^5$
- $0 \leq A[i] \leq 10^9$
- $1 \leq q \leq 10^5$
- $0 \leq queries[i][j] \leq 10^5$

### Sample Input 1

```
5
5
5
0
3
0
5
0 2 1 2
0 1 6 5
2 3 8 0
2 4 9 6
3 4 8 9
```

### Sample output 1

```
51
```

### Explanation-1

Here, **n** = 5  
**A** = [5, 5, 0, 3, 0]  
**q** = 5  
**queries** = [[0, 2, 1, 2], [0, 1, 6, 5], [2, 3, 8, 0], [2, 4, 9, 6], [3, 4, 8, 9]]

for query 1:

```
l = 0, r = 2, x = 1, y = 2
A[0] = 1
A[1] = 3
A[2] = 5
```

So, **A** = [1, 3, 5, 3, 0]

for query 2:

```
l = 0, r = 1, x = 6, y = 5
A[0] = 6
A[1] = 11
```

So, **A** = [6, 11, 5, 3, 0]

for query 3:

```
l = 2, r = 3, x = 8, y = 0
A[2] = 8
A[3] = 8
```

So, **A** = [6, 11, 8, 8, 0]

for query 4:

```
l = 2, r = 4, x = 9, y = 6
A = [6, 11, 9, 15, 21]
```

for query 5:

```
l = 3, r = 4, x = 8, y = 9
A = [6, 11, 9, 8, 17]
```

Hence, answer is  $6+11+9+8+17 = 51$

### Sample Input 2

```
5
3
9
2
5
4
5
1 2 6 3
1 2 2 8
1 2 5 5
1 3 1 8
1 2 2 9
```

### Sample output 2

```
37
```

### Explanation 2

Here, **n** = 5  
**A** = [3, 9, 2, 5, 4]  
**q** = 5  
**queries** = [[1, 2, 6, 3], [1, 2, 2, 8], [1, 2, 5, 5], [1, 3, 1, 8], [1, 2, 2, 9]]

for query 1:

```
l = 1, r = 2, x = 6, y = 3
```

Hence, answer is  $3+1+1+1+10 = 16$

So, A = [3, 6, 9, 5, 4]

for query 2:

l = 1, r = 2, x = 2, y = 8  
So, A = [3, 2, 10, 5, 4]

for query 3:

l = 1, r = 2, x = 5, y = 5  
So, A = [3, 5, 10, 5, 4]

for query 4:

l = 1, r = 3, x = 1, y = 8  
So, A = [3, 1, 9, 17, 4]

for query 5:

l = 1, r = 2, x = 2, y = 9  
A = [3, 2, 11, 17, 4]

Hence, answer is  $3+2+11+17+4 = 37$

### Sample Input 3

```
5
0
1
0
0
1
5
1277
0136
1111
3491
2310
```

### Sample output 3

```
16
```

### Explanation 3

Here, n = 5

A = [0, 1, 0, 0, 1]

q = 5

queries = [[1, 2, 7, 7], [0, 1, 3, 6], [1, 1, 1, 1], [3, 4, 9, 1], [2, 3, 1, 0]]

for query 1:

l = 1, r = 2, x = 7, y = 7  
A = [0, 7, 14, 0, 1]

for query 2:

l = 0, r = 1, x = 3, y = 6  
A = [3, 9, 14, 0, 1]

for query 3:

l = 1, r = 1, x = 1, y = 1  
A = [3, 1, 14, 0, 1]

for query 4:

l = 3, r = 4, x = 9, y = 1  
A = [3, 1, 14, 9, 10]

for query 5:

l = 2, r = 3, x = 1, y = 0  
A = [3, 1, 1, 1, 10]



## Sample 2: Medium

You are given three integers **X**, **Y** and **Z** and two arrays **A** and **B** both of length **N**. You are also given an integer **sum** which is initially equal to 0.

You have to perform **N operations** and in each **i<sup>th</sup>** operation you must do **only one** of the following :

1. Subtract **B[i]** from sum.
2. Decrease both of **X** and **Y** by 1, then add **A[i] \* X \* Y \* Z** to **sum**.
3. Decrease both of **Y** and **Z** by 1, then add **A[i] \* X \* Y \* Z** to **sum**.

However, after each operation, **X**, **Y** and **Z** must all remain greater than or equal to 0.

Find the **maximum sum you can obtain after performing all operations**. Since answer can be large, return it **modulo 10<sup>9</sup>+7**.

### Input Format

1. The first line contains an integer, **N**, denoting the number of operations.
2. The next line contains an integer, **X**.
3. The next line contains an integer, **Y**.
4. The next line contains an integer, **Z**.
5. Each line **i** of the **N** subsequent lines (where  $1 \leq i \leq N$ ) contains an integer describing **A[i]**.
6. Each line **i** of the **N** subsequent lines (where  $1 \leq i \leq N$ ) contains an integer describing **B[i]**.

### Constraints

- $1 \leq N \leq 10^3$
- $1 \leq X \leq 10^3$
- $1 \leq Y \leq 10^3$
- $1 \leq Z \leq 10^3$
- $1 \leq A[i] \leq 10^6$
- $1 \leq B[i] \leq 10^9$

### Sample Input-1:

```
2
1
2
2
0
0
10
5
```

### Sample output-1:

```
0
```

### Explanation-1:

Here,  $N = 2$ ,  $X = 1$ ,  $Y = 2$ ,  $Z = 2$

$A = [0, 0]$

$B = [10, 5]$

It is given that in starting,  $\text{sum} = 0$

### operation 1:

Apply type 2 operation (i.e. Decrease both of **X** and **Y** by 1, then add **A[1]\*X\*Y\*Z** to **sum**)

$X = 0$ ,  $Y = 1$ ,  $Z = 2$

$\text{sum} = \text{sum} + 0*0*1*2 = 0$

### operation 2:

Apply type 3 operation (i.e. Decrease both of **Y** and **Z** by 1, then add **A[2]\*X\*Y\*Z** to **sum**)

$X = 0$ ,  $Y = 0$ ,  $Z = 1$

$\text{sum} = \text{sum} + 0*0*0*1 = 0$

Hence, answer is the final value of **sum** i.e.  $\text{sum} = 0$ .

### Sample Input-2:

```
2
10
11
11
1
10
10
0
```

### Sample output-2:

```
9990
```

### Explanation-2:

Here,  $N = 2$ ,  $X = 10$ ,  $Y = 11$ ,  $Z = 11$

$A = [1, 10]$

$B = [10, 0]$

It is given that in starting,  $\text{sum} = 0$

### operation 1:

Apply type 1 operation (i.e. Subtract B[1] from sum.)  
sum = sum - 10 = -10

operation 2:

Apply type 3 operation

(i.e. Decrease both of Y and Z by 1, then add A[2]\*X\*Y\*Z to sum)

X = 10, Y = 10, Z = 10

sum = sum + 10\*10\*10\*10 = 9990

Hence, answer is the final value of sum i.e. sum = 9990.

**Sample Input-3:**

3  
3  
3  
3  
1  
2  
3  
1  
2  
3

Hence, answer is the final value of sum i.e. sum = 35.

**Sample output-3:**

35

**Explanation-3:**

Here, N = 3, X = 3, Y = 3, Z = 3

A = [1, 2, 3]

B = [1, 2, 3]

It is given that in starting, sum = 0

operation 1:

Apply type 1 operation

(i.e. Subtract B[1] from sum.)

sum = sum - 1 = -1

operation 2:

Apply type 2 operation (i.e. Decrease both of X and Y by 1, then add A[2]\*X\*Y\*Z to sum)

X = 2, Y = 2, Z = 3

sum = sum + 2\*2\*2\*3 = 23

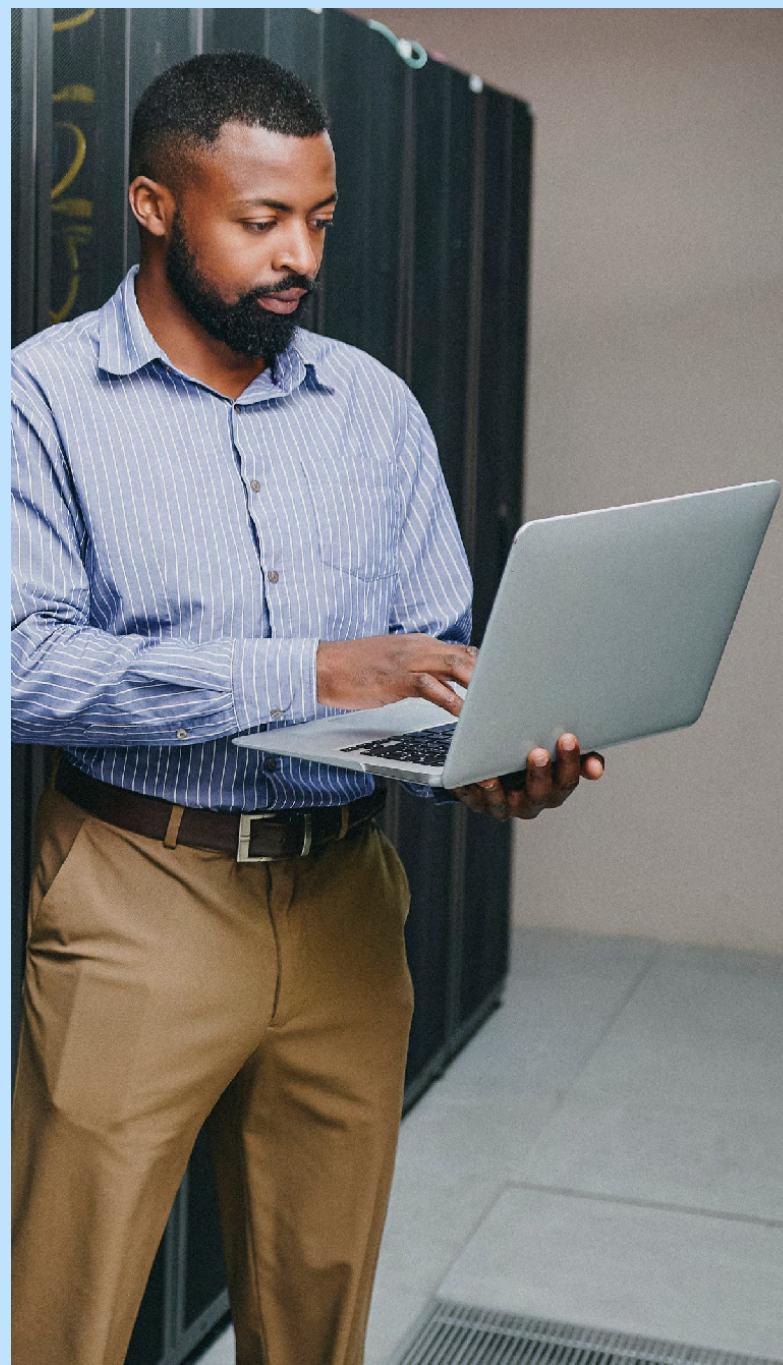
operation 3:

Apply type 3 operation

(i.e. Decrease both of Y and Z by 1, then add A[3]\*X\*Y\*Z to sum)

X = 2, Y = 1, Z = 2

sum = sum + 3\*2\*1\*2 = 35



### Sample 3 : Hard

You are given a tree with **n** nodes rooted at **node 1**. You are also given an array **color** representing the colour of each node in the tree.

A set of nodes is **beautiful** if it satisfies the following conditions:

- All nodes in the set have different colors.
- For any pair of nodes (**u, v**), either u is the ancestor of v or v is the ancestor of u within the tree.

You're given **q** queries where each query provides an integer **s** representing a node in the tree.

The **answer** to each query is the **maximum size of a beautiful set** that can be formed by selecting nodes from the subtree rooted at **node s**.

Find the **sum of answers to all queries**. Since answer can be large, return it **modulo 10<sup>9</sup>+7**.

#### Notes:

- The parent of **node 1** is **0**.

#### Input Format

- The first line contains an integer, N, denoting the number of operations.
- The next line contains an integer, X.
- The next line contains an integer, Y.
- The next line contains an integer, Z.
- Each line i of the N subsequent lines (where  $1 \leq i \leq N$ ) contains an integer describing A[i].
- Each line i of the N subsequent lines (where  $1 \leq i \leq N$ ) contains an integer describing B[i].

#### Constraints

- $1 \leq N \leq 10^3$
- $1 \leq X \leq 10^3$
- $1 \leq Y \leq 10^3$
- $1 \leq Z \leq 10^3$
- $1 \leq A[i] \leq 10^6$
- $1 \leq B[i] \leq 10^9$

#### Sample Input-1:

```
5
0
1
2
1
3
4
3
4
3
5
```

```
3
4
3
3
```

#### Sample output-1:

```
5
```

#### Sample Explanation - 1:

Here, n = 5

p = [0, 1, 2, 1, 3]

color = [4, 3, 4, 3, 5]

q = 3

queries = [4, 3, 3]

for query 1:

s = 4, means we need to select beautiful set of maximum size in the subtree of node 4 .

we can select nodes {4} to form beautiful set of maximum size.

so, answer for this query is 1 .

for query 2:

s = 3, means we need to select beautiful set of maximum size in the subtree of 3 .

we can select nodes {3, 5} to form beautiful set of maximum size .

so, answer for this query is 2 .

for query 3:

s = 3, means we need to select beautiful set of maximum size in the subtree of 3 .

we can select nodes {3, 5} to form beautiful set of maximum size.

so, answer for this query is 2 .

Hence, answer is 1 + 2 + 2 = 5 .

#### Sample input-2:

```
5
0
1
1
2
2
1
5
4
5
2
3
5
4
3
```

#### Sample output-2:

3

### **Sample Explanation - 2:**

Here, n = 5

p = [0, 1, 1, 2, 2]

color = [1, 5, 4, 5, 2]

q = 3

queries = [5, 4, 3]

for query 1:

s = 5, means we need to select beautiful set of maximum size in the subtree of node 5.

we can select nodes {5} to form beautiful set of maximum size.

so, answer for this query is 1.

for query 2:

s = 4, means we need to select beautiful set of maximum size in the subtree of node 4.

we can select nodes {4} to form beautiful set of maximum size.

so, answer for this query is 1 .

for query 3:

s = 3, means we need to select beautiful set of maximum size in the subtree of node 3.

we can select nodes {3} to form beautiful set of maximum size.

so, answer for this query is 1.

Hence, answer is 1 + 1 + 1 = 3 .

### **Sample Input-3:**

5  
0  
1  
1  
1  
3  
5  
5  
5  
1  
5  
4  
2

4  
5  
1

### **Sample output-3:**

5

### **Sample Explanation - 3:**

Here, n = 5

p = [0, 1, 1, 1, 3]

color = [5, 5, 5, 1, 5]

q = 4

queries = [2, 4, 5, 1]

for query 1:

s = 2, means we need to select beautiful set of maximum size in the subtree of node 2.

we can select nodes {2} to form beautiful set of maximum size.

so, answer for this query is 1 .

for query 2:

s = 4, means we need to select beautiful set of maximum size in the subtree of 4.

we can select nodes {4} to form beautiful set of maximum size.

so, answer for this query is 1.

for query 3:

s = 5, means we need to select beautiful set of maximum size in the subtree of 5.

we can select nodes {5} to form beautiful set of maximum size.

so, answer for this query is 1.

for query 4:

s = 1, means we need to select beautiful set of maximum size in the subtree of 1.

we can select nodes {1, 4} to form beautiful set of maximum size .

so, answer for this query is 2 .

Hence, answer is 1 + 1 + 1 + 2 = 5 .

For more information, contact [askus@infosys.com](mailto:askus@infosys.com)

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