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% EDO de dimensión 1 simple con resolución con código propio
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```
clear all
close all
f=@(t,u) cos(t*u)*sin(t) ; % Función de la ED
t0=2; % Tiempo inicial
tf=50; % Tiempo final
solu(1)=1; % Solución inicial
dt=0.01; % Paso de tiempo
tline=t0:dt:tf; % Los tiempos que simulamos

for i=2:length(tline)
    solu(i)=solu(i-1)+dt*f(t0+dt*i,solu(i-1));
end
```

```
figure(1)
clf
plot(tline,solu,'linewidth',2)
grid on
axis tight
title('Solution')
xlabel('Time (s)')
ylabel('u(t)')
```

```
% EDO con el resolutor de Matlab
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```
[t,y] = ode45(f, [2 50], 1);
```

```
figure(2)
clf
plot(t,y,'linewidth',2)
grid on
axis tight
title('Solution')
xlabel('Time (s)')
ylabel('u(t)')
```

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% PARA HACER: CON EULER Y ODE45
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```
% Resolver  $du/dt = t - \log(u)$  con  $u(1)=1$  y estimar  $u(100)$ 
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```
% EDO de dimensión 1 acopladas
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```
clear all

f=@(u,v,t) -0.1*v*u+0.1*u; % Función de la ED
g=@(u,v,t) +0.1*u*v-0.5*v;

t0=0; % Tiempo inicial
tf=100; % Tiempo final
solu(1)=0.5; % Solución inicial
solv(1)=0.7; % Solución inicial
dt=0.01; % Paso de tiempo
tline=t0:dt:tf; % Los tiempos que simulamos
```

```

for i=2:length(tline)
    solu(i)=solu(i-1)+dt*f(solu(i-1),solv(i-1),t0+dt*i);
    solv(i)=solv(i-1)+dt*g(solu(i-1),solv(i-1),t0+dt*i);
end

```

```

figure(3)
clf
hold on
plot(tline,solu,'b','linewidth',2)
plot(tline,solv,'r','linewidth',2)
grid on
axis tight
title('Solution')
xlabel('Time (s)')
ylabel('Density')
legend('Subs.','Bact.')

```

```

h=@(t,u) [-0.1*u(1)*u(2)+0.1*u(1);+0.1*u(1)*u(2)-0.5*u(2)];

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```

[t,y] = ode45(h,[0 100],[0.5; 0.7]);
figure(4)
clf
hold on
plot(t,y(:,1),'b','linewidth',2)
plot(t,y(:,2),'r','linewidth',2)
grid on
axis tight
title('Solution')
xlabel('Time (s)')
ylabel('Density')
legend('Subs.','Bact.')

```

```

% PARA HACER: CON EULER Y ODE45

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```

% du/dt=v y dv/dt=0.1*(1-u^2)*v-v; con u(0)=0.4 y v(0)=0.6 y estimar la solucion a tiempo 30

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% Con cambio de variables resolver d^2u/dt^2+u*du/dt= 0 con u(0)=0.2 y u/dt(0)=0.4 y estimar la solucion a tiempo 10

```

```
clear all
close all
%Creation del tiempo fisico
h=0.001; %paso de tiempo
I=0:h:9;
%%%%% Definicion de las condiciones iniciales
xs(1)=1; %% corresponde a la soluicon en el tiempo 0
xs(2)=1;
%%%% Iteration de Taylor orden 2
for n=3:length(I)
    xs(n)=2*xs(n-1)-xs(n-2)+h^2*((4*I(n)^2-3)*...
        exp(-I(n)^2)+xs(n-1));
end

%%%% Metodo de resolucioin mediante sistema de
%%%% ecuacion de orden 1
xs1(1)=1; %% esta variable es la solucion de mi sistema
xs2(1)=0;
%%%% Metodo de Taylor orden 1
for n=2:length(I)
    xs1(n)=xs1(n-1)+h*(xs2(n-1));
    xs2(n)=xs2(n-1)+h*(xs1(n-1)+((4*I(n)^2-3)*exp(-I(n)^2)));
end

%%%% Solucion exacta:
for n=1:length(I)
    xe(n)=exp(-I(n)^2);
end

%%%% calcular el error
for n=1:length(I)
    errxs(n)=abs(xs(n)-xe(n));
    errxs1(n)=abs(xs1(n)-xe(n));
end
disp(['error medio metodo T2:' num2str(mean(errxs))])
disp(['error medio metodo ST1:' num2str(mean(errxs1))])

figure(1)
clf
hold on
plot(I,xs,'b')
plot(I,xs1,'g')
plot(I,xe,'r')
legend('T2','ST1','Ex.')
xlabel('Time')
ylabel('Solution')

figure(2)
clf
hold on
plot(I,errxs,'b')
plot(I,errxs1,'g')
legend('T2','ST1')
xlabel('Time')
```

```
ylabel('Error')
```

```

clear all
close all
eqc=1;
eqo=1;

dt=.01;
dx=.1;
Itmax=1000;
L=0:dx:5;

if eqc==1
    %%%% EDP: Ecuacion de calor
    %%%%  $k \frac{d^2u}{dx^2} = \frac{du}{dt}$ ,  $U(t,0)=u(t,L)=0$ ,  $u(x,0)=f(x)$ 

    k=.1; %.01 .5 1.
    eps=.01;
    %%%% Estado inicial f(x)
    t=1;
    uc=zeros(Itmax,length(L));
    uc(t,20:30)=1;
    %%%% Output grafico
    figure(1)
    plot(L,uc(t,:), 'r')

    %%%% Bucle explicita
    while (t<Itmax)&(norm(uc(t,:),2)>eps)
        t=t+1;
        for x=2:length(L)-1
            uc(t,x)=uc(t-1,x)+dt*(k*(uc(t-1,x+1)+uc(t-1,x-1)-2*uc(t-1,x))/(dx^2));
        end

        %%%% Output grafico
        figure(1)
        clf
        plot(L,uc(t,:), 'r')
        axis([0 5 0 1])
        title(['Solution | Current norm: ' num2str(norm(uc(t,:),2)) ' | iteration: ' num2str(t) ])
    end

    figure(2)
    clf
    surface(uc, 'edgecolor', 'none', 'facecolor', 'interp')
    colorbar
    ylabel('tiempo')
    xlabel('espacio')
    zlabel('Temperature')
    axis tight
    view(45,45)
end

if eqo==1
    %%%% EDP: Ecuacion de ondas
    %%%%  $a^2 \frac{d^2u}{dx^2} = \frac{d^2u}{dt^2}$ ,  $U(t,0)=u(t,L)=0$ ,  $u(x,0)=f(x)$ ,  $u'(x,0)=g(x)$ 
    a=1; %.01 .5 1.

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```
eps=.01;
%%%% Estado inicial f(x)
t=1;
uo=zeros(Itmax,length(L));
uo(t,:)=0;
g=-0.5*cos(2*pi*L/5);
t=t+1;
uo(t,:)=uo(t,)+g;
%%%% Output grafico
figure(1)
plot(L,uo(t,:), 'r')

%%%% Buole explicita
while(t<Itmax)&(norm(uo(t,:),2)>eps)
    t=t+1;
for x=2:length(L)-1
    uo(t,x)=-uo(t-2,x)+2*uo(t-1,x)+(dt^2)*(a^2*(uo(t-1,x+1)+uo(t-1,x-1)-2*uo(t-1,x)))/ ✓
(dx^2));
end

%%%% Output grafico
figure(1)
clf
plot(L,uo(t,:), 'r')
axis([0 5 -100 100])
title(['Solution | Current norm: ' num2str(norm(uo(t,:),2)) ' | iteration: ' num2str ✓
(t) ])
end

figure(2)
clf
surface(uo, 'edgecolor', 'none', 'facecolor', 'interp')
colorbar
ylabel('tiempo')
xlabel('espacio')
zlabel('Temperature')
axis tight
view(45,45)
end
```