

EE-239AS hw3 Cong Peng 904760493

1.(a)  $\Pr(N=n) \sim \text{Poisson}(\lambda s) = \frac{(\lambda s)^n e^{-\lambda s}}{n!}$

$$\Pr(M=m | N=n) = \binom{n}{m} (1-p)^m p^{n-m}$$

$$\begin{aligned}\Pr(M=m) &= \Pr(M=m | N=n) \Pr(N=n) \\ &= \frac{((1-p)\lambda s)^m e^{-(1-p)\lambda s}}{m!}\end{aligned}$$

Hence,  $M \sim \text{Poisson}((1-p)\lambda s)$

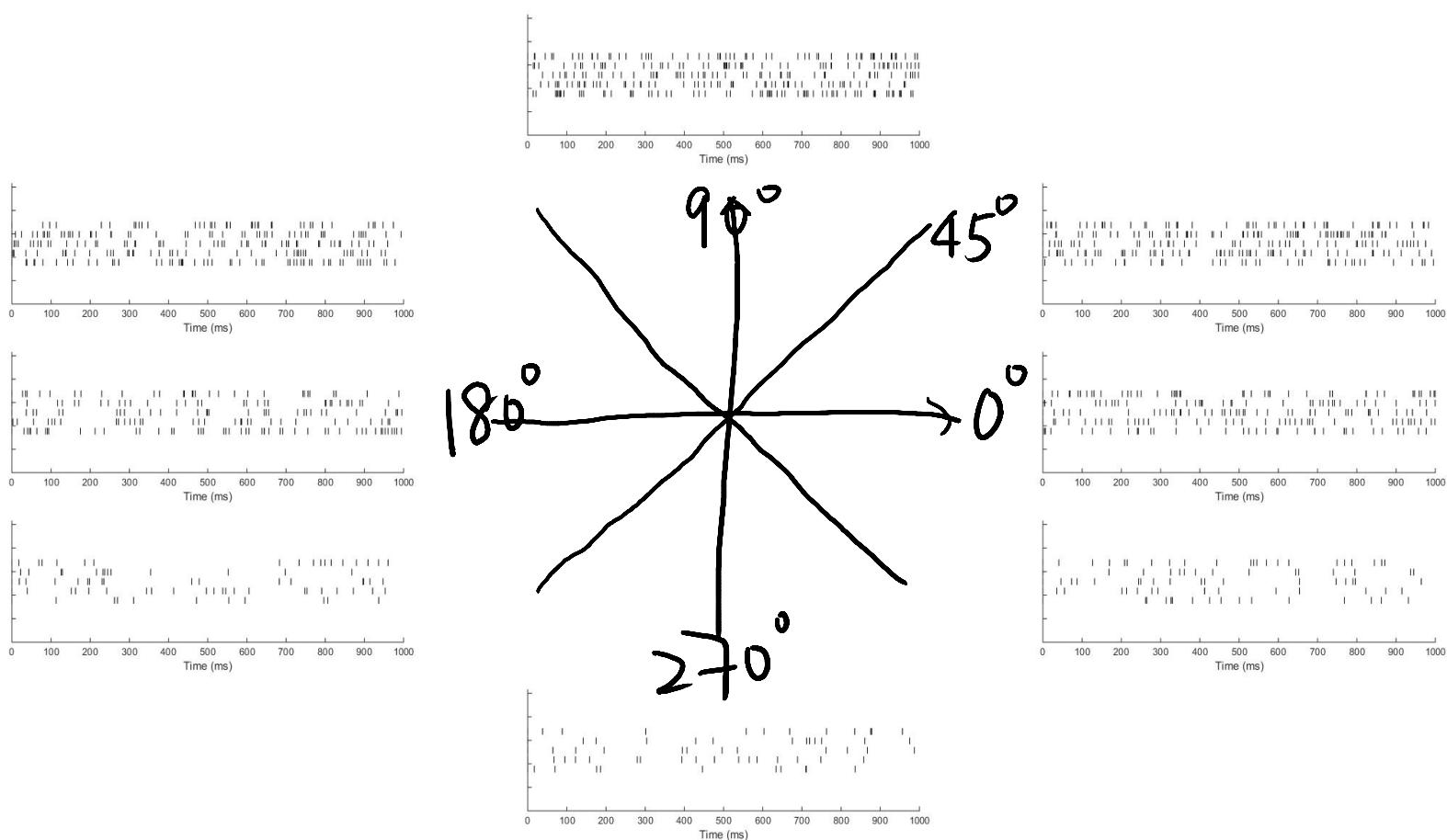
(b) rate:  $(1-p)\lambda$

(c) Similarly,  $N-M$  (# of spikes dropped within a  $T$  second) is also a Poisson distribution at a rate of  $p\lambda$

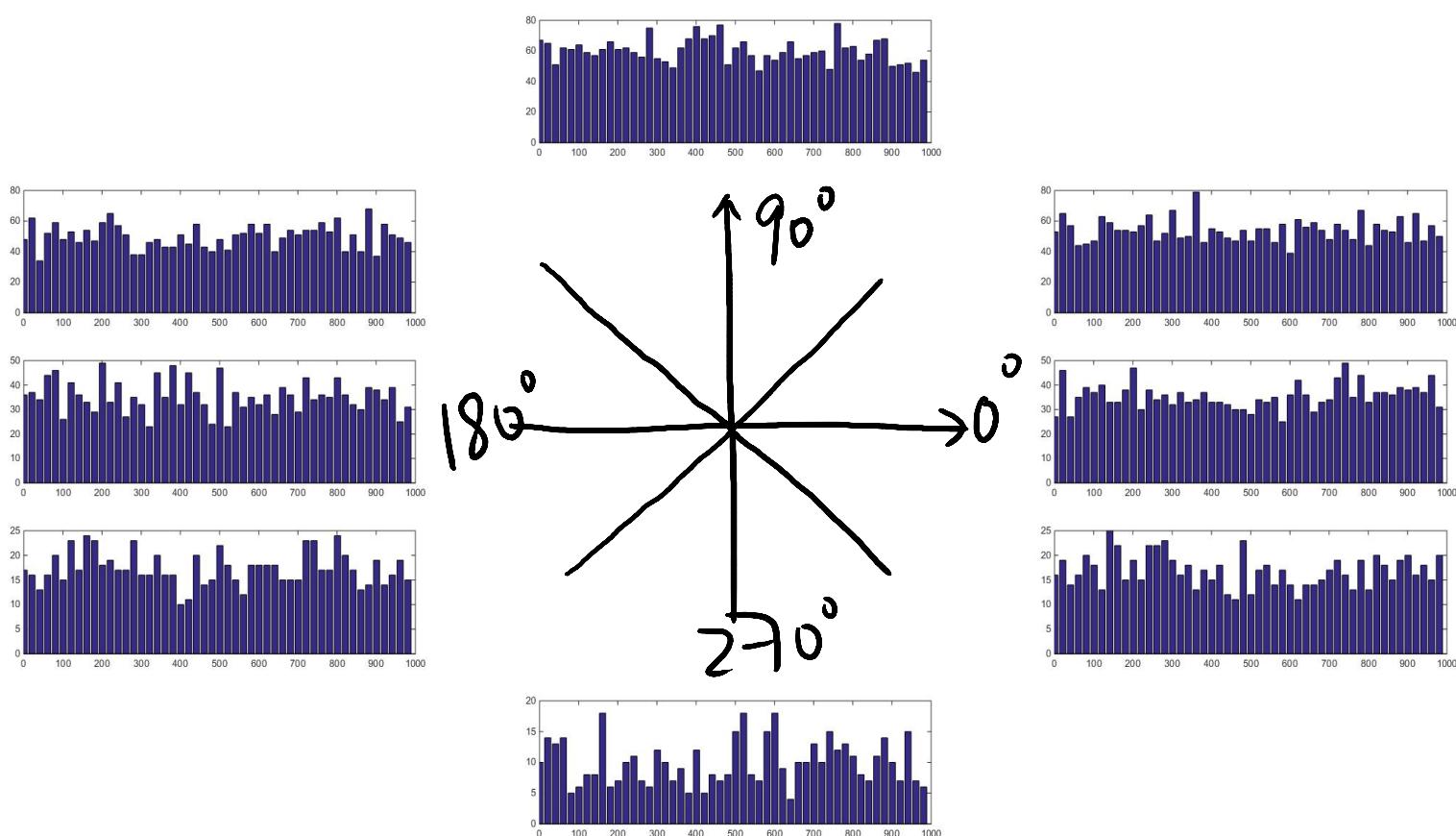
$$\Pr(N-M=r) = \frac{(p\lambda s)^r e^{-p\lambda s}}{r!}$$

## 2. Homogeneous Poisson process

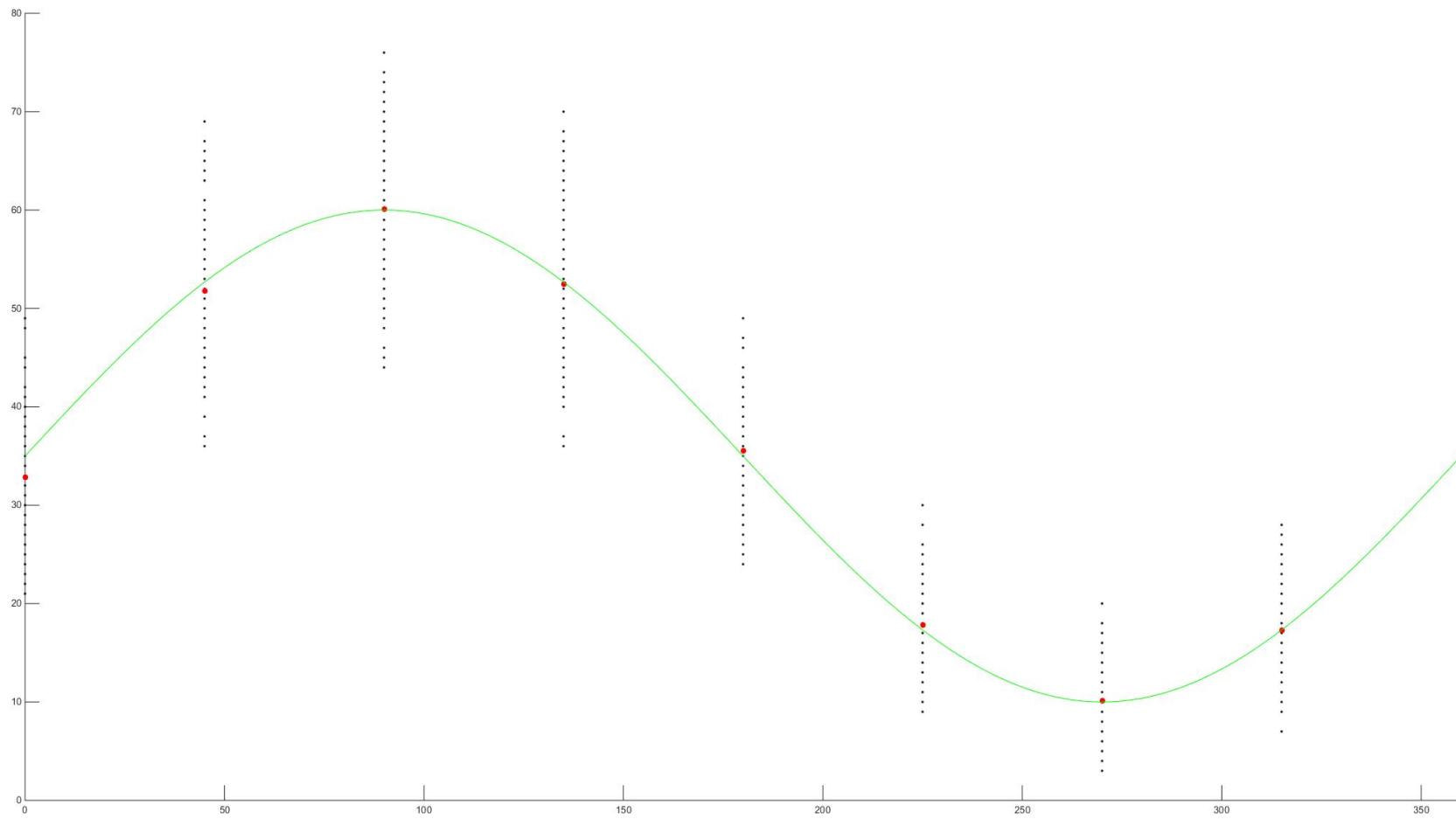
### (a) Spike trains



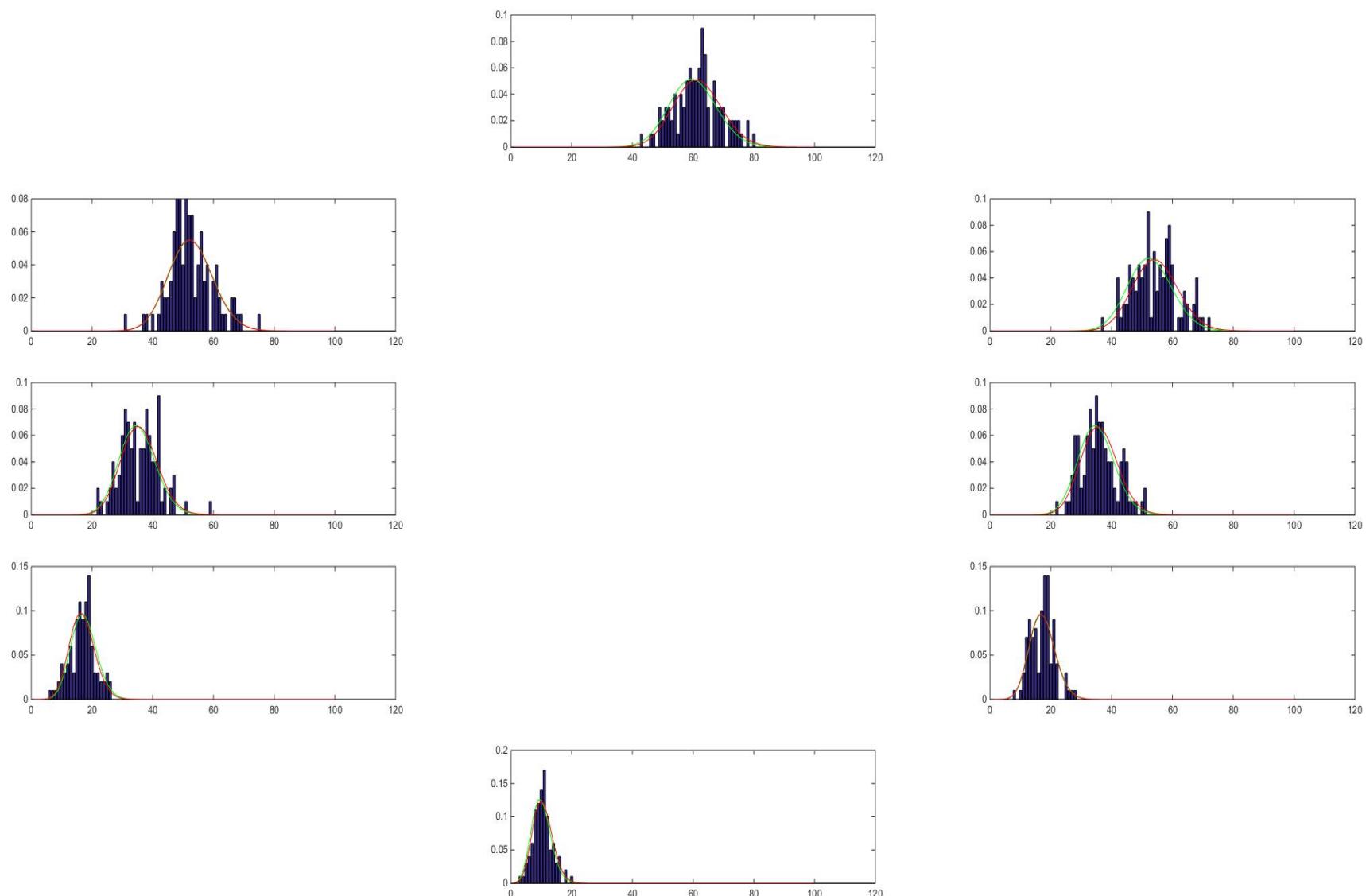
### (b) Spike histogram



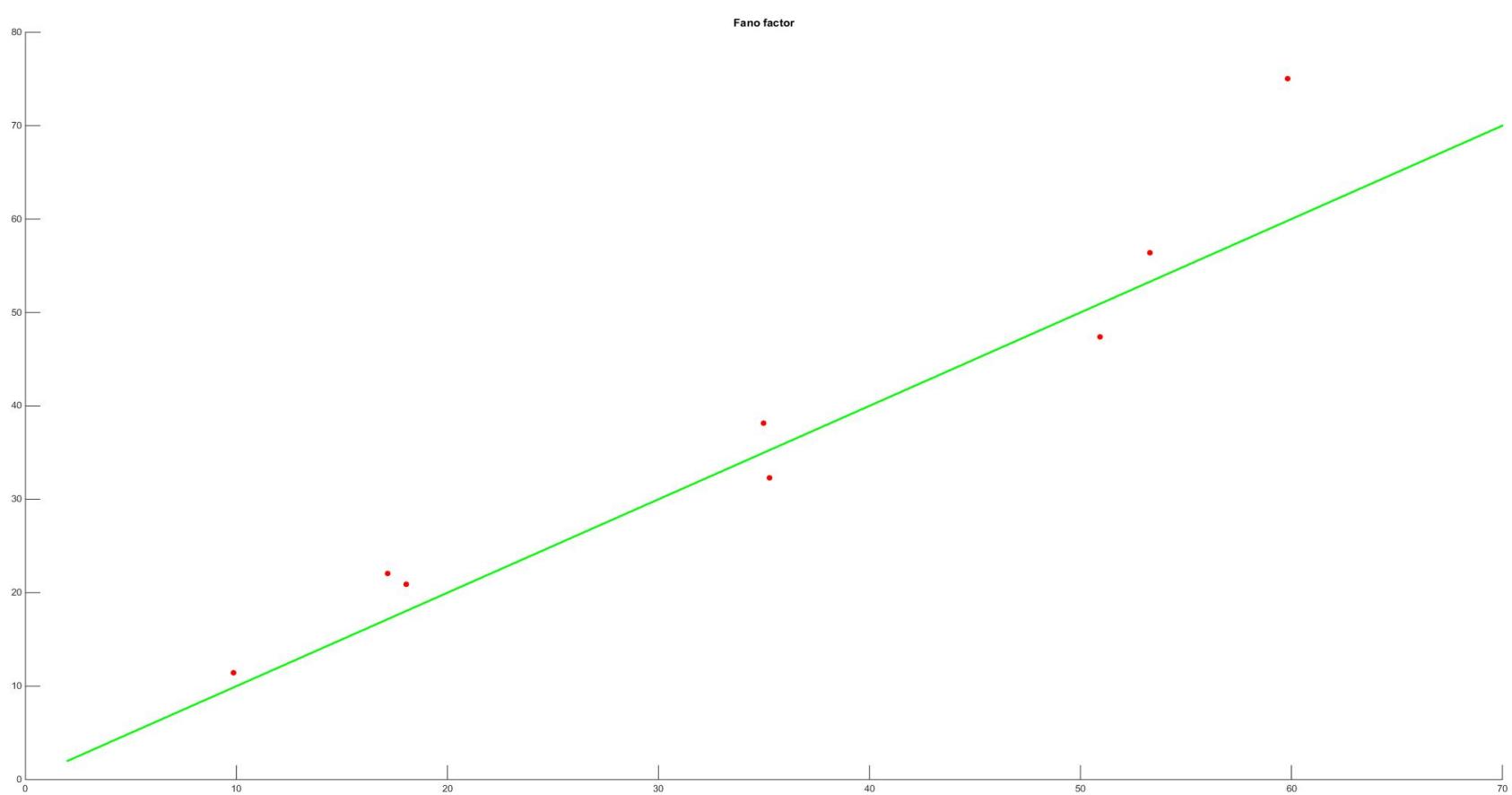
(c) Tuning curve



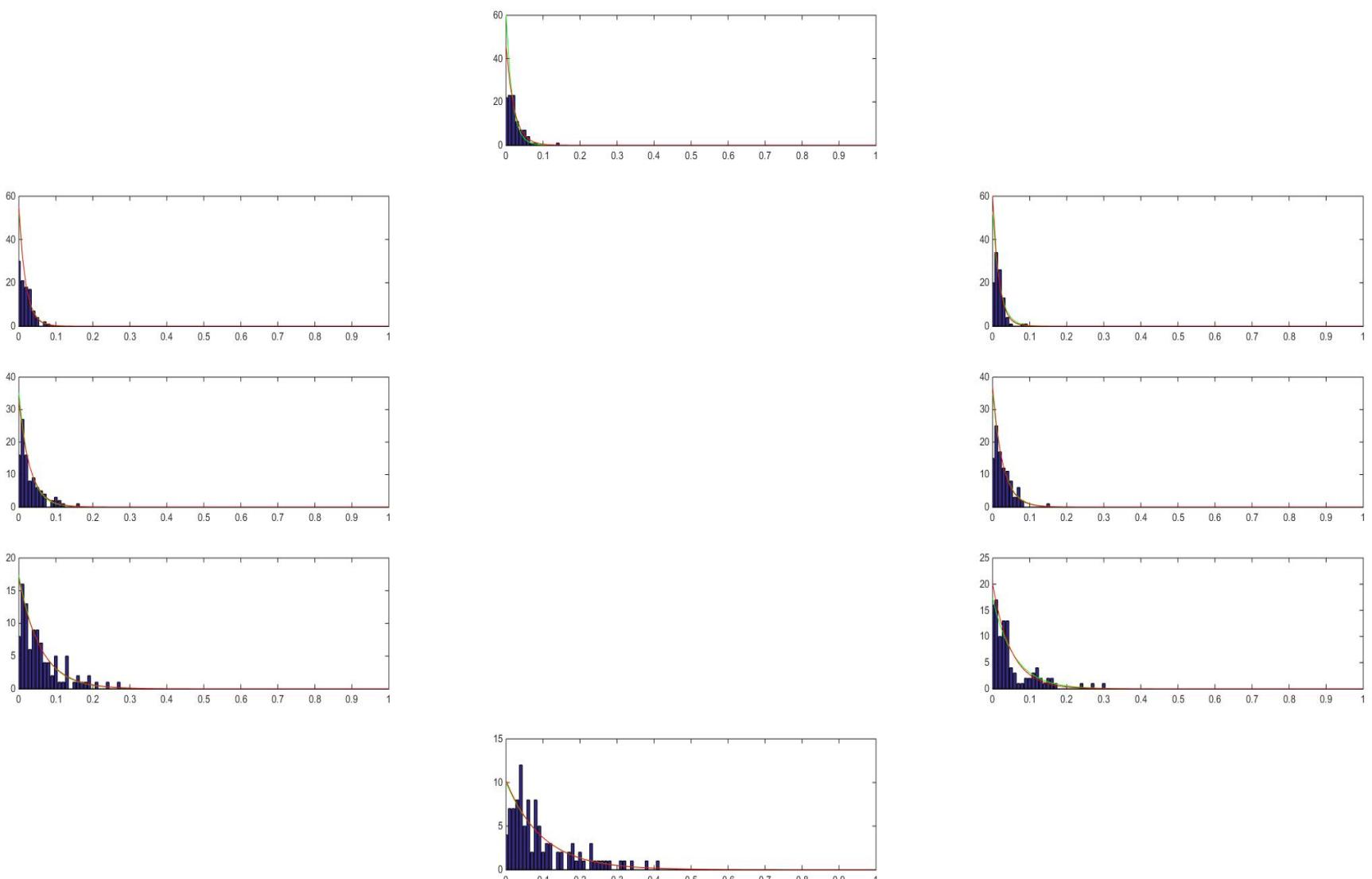
(d) Count distribution



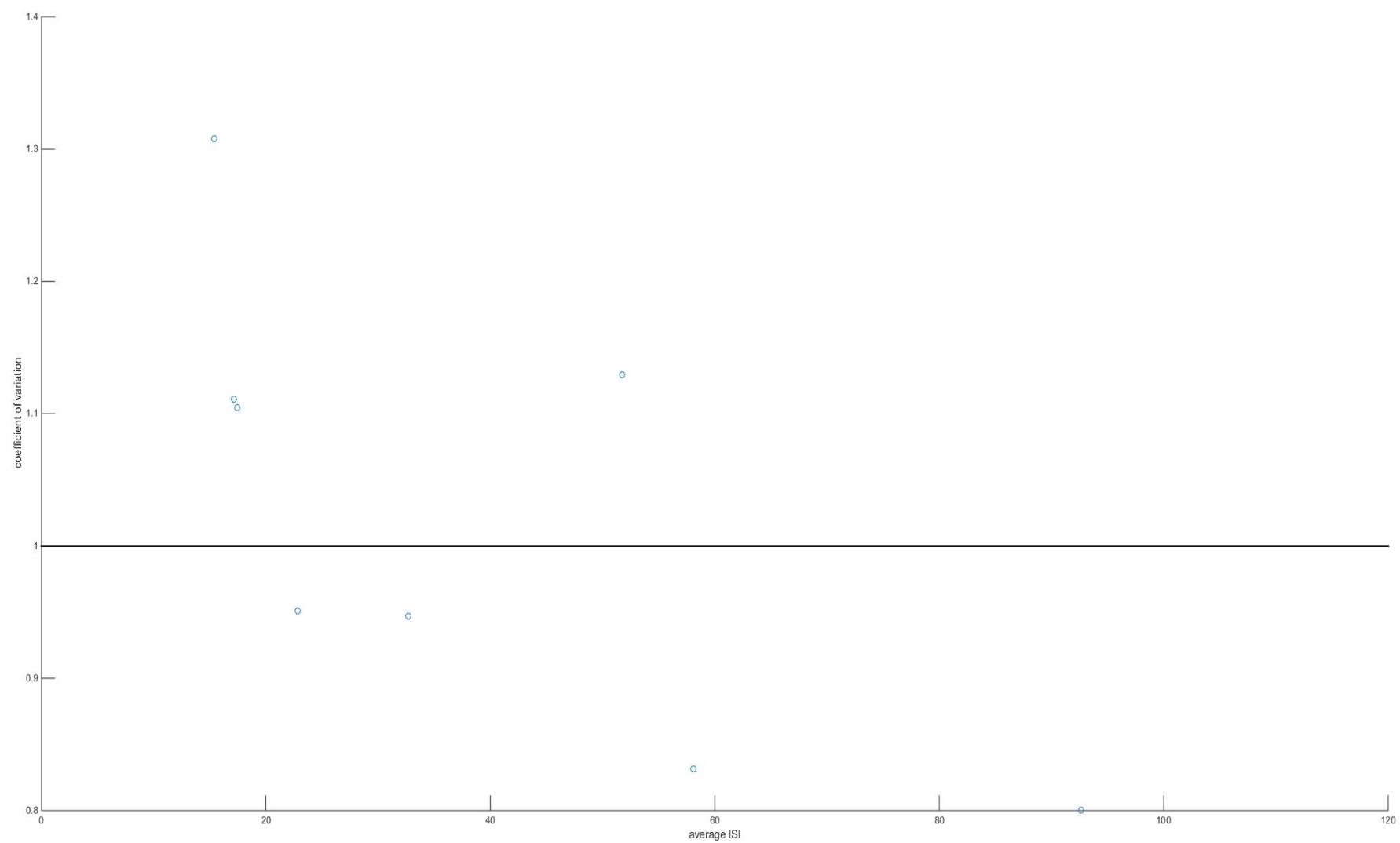
### (e) Fano Factor



### (f) ISI distribution

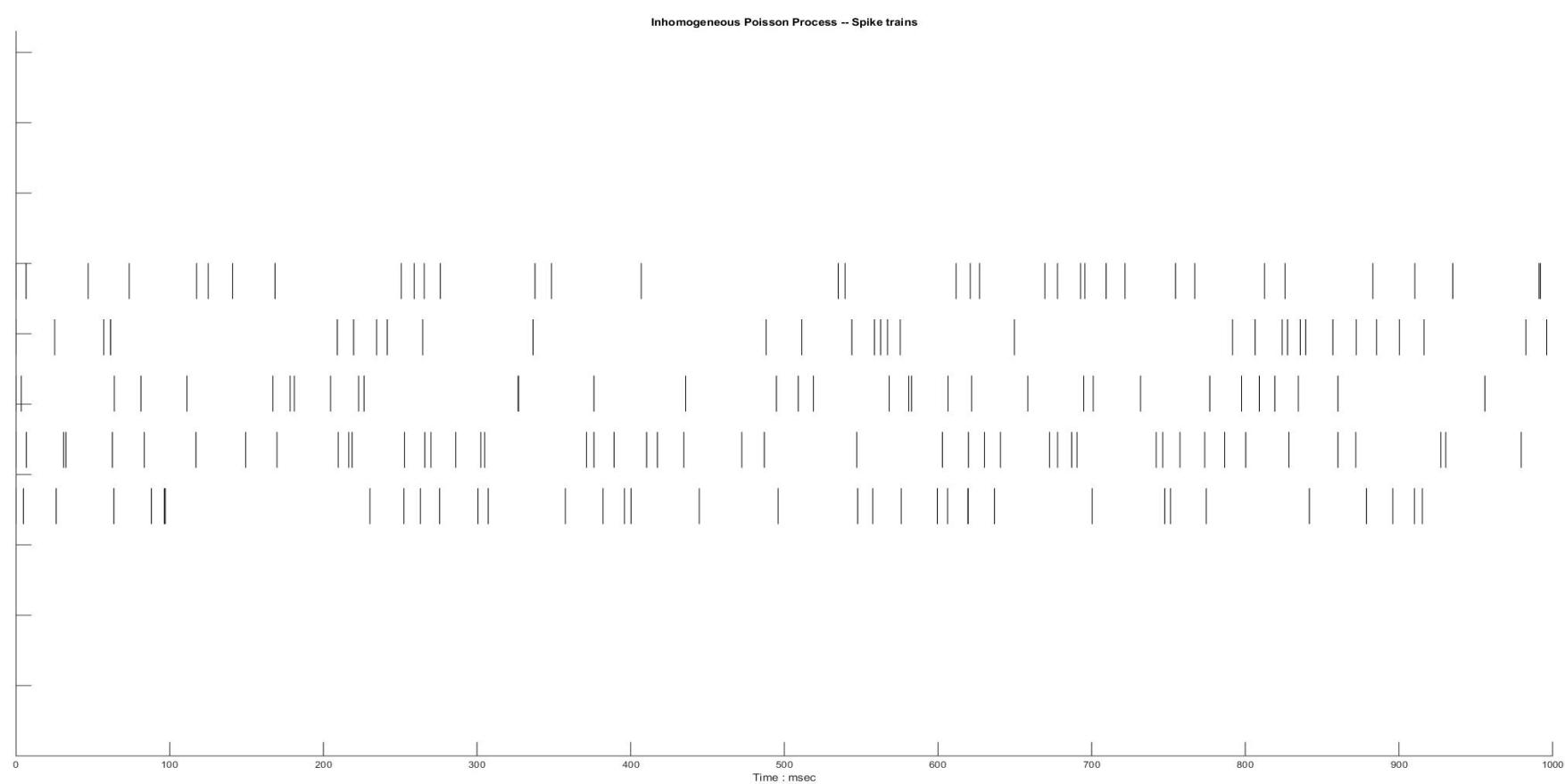


# (g) Coefficient of variation

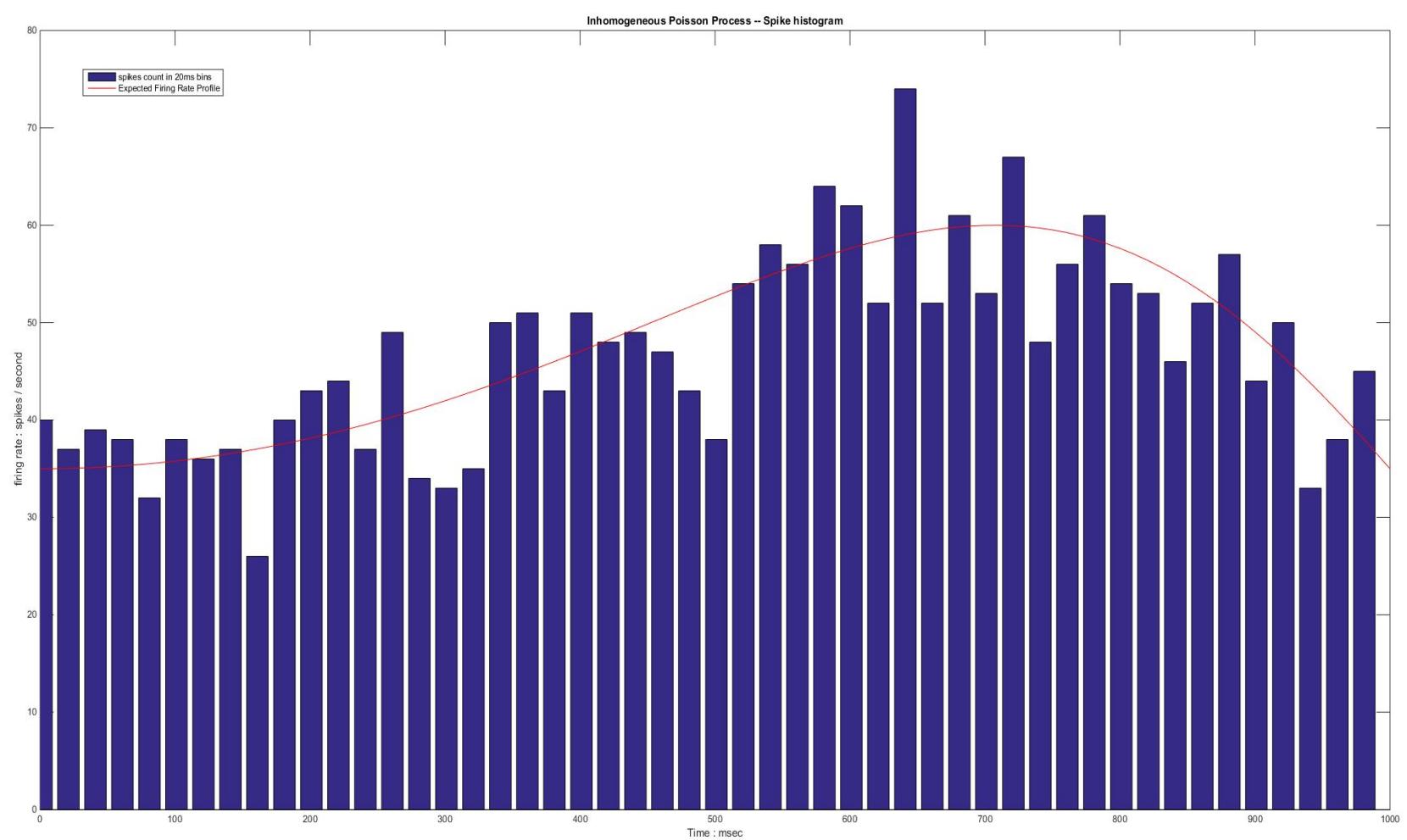


## 3. Inhomogenous Poisson Process

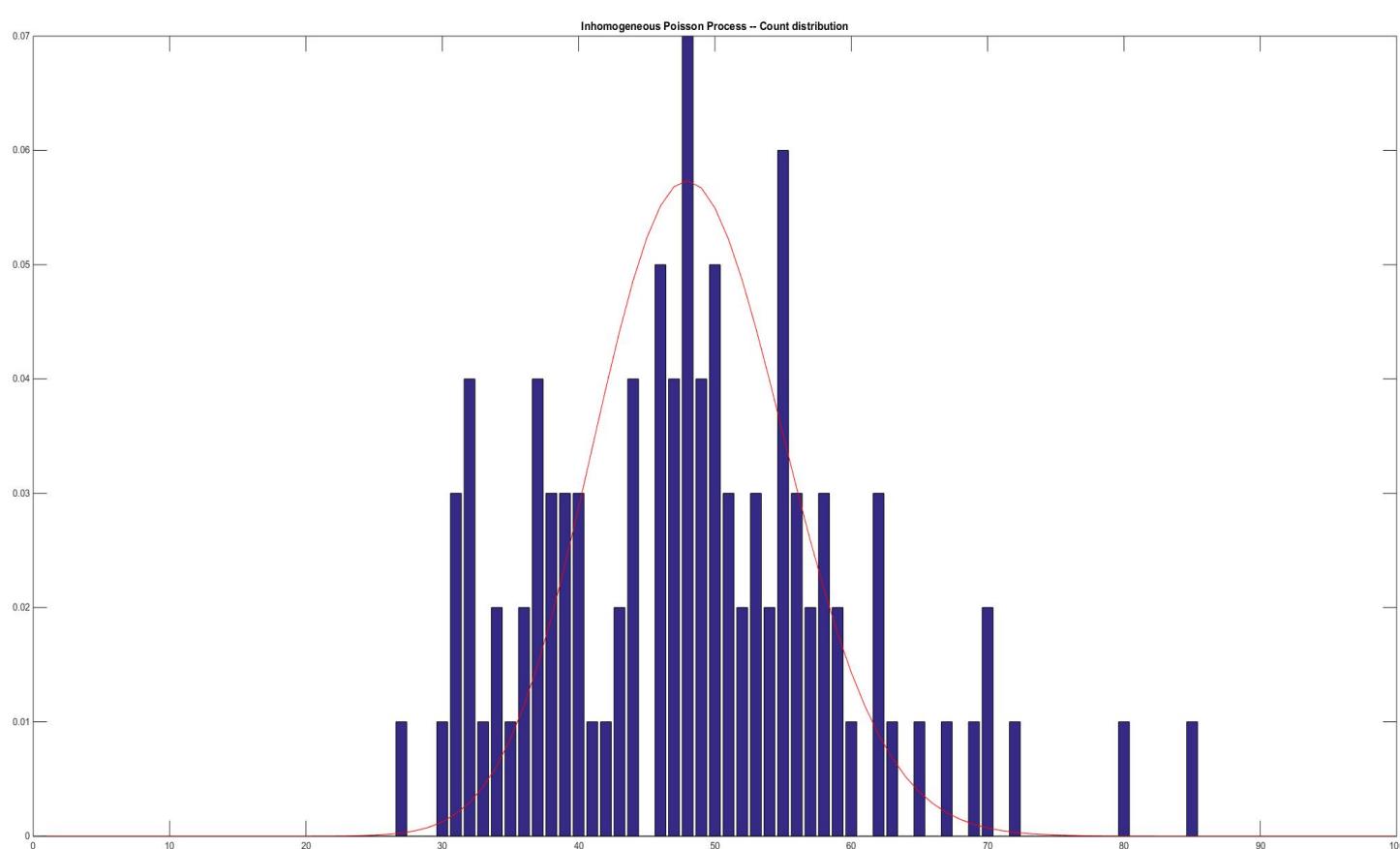
### (a) Spike Trains



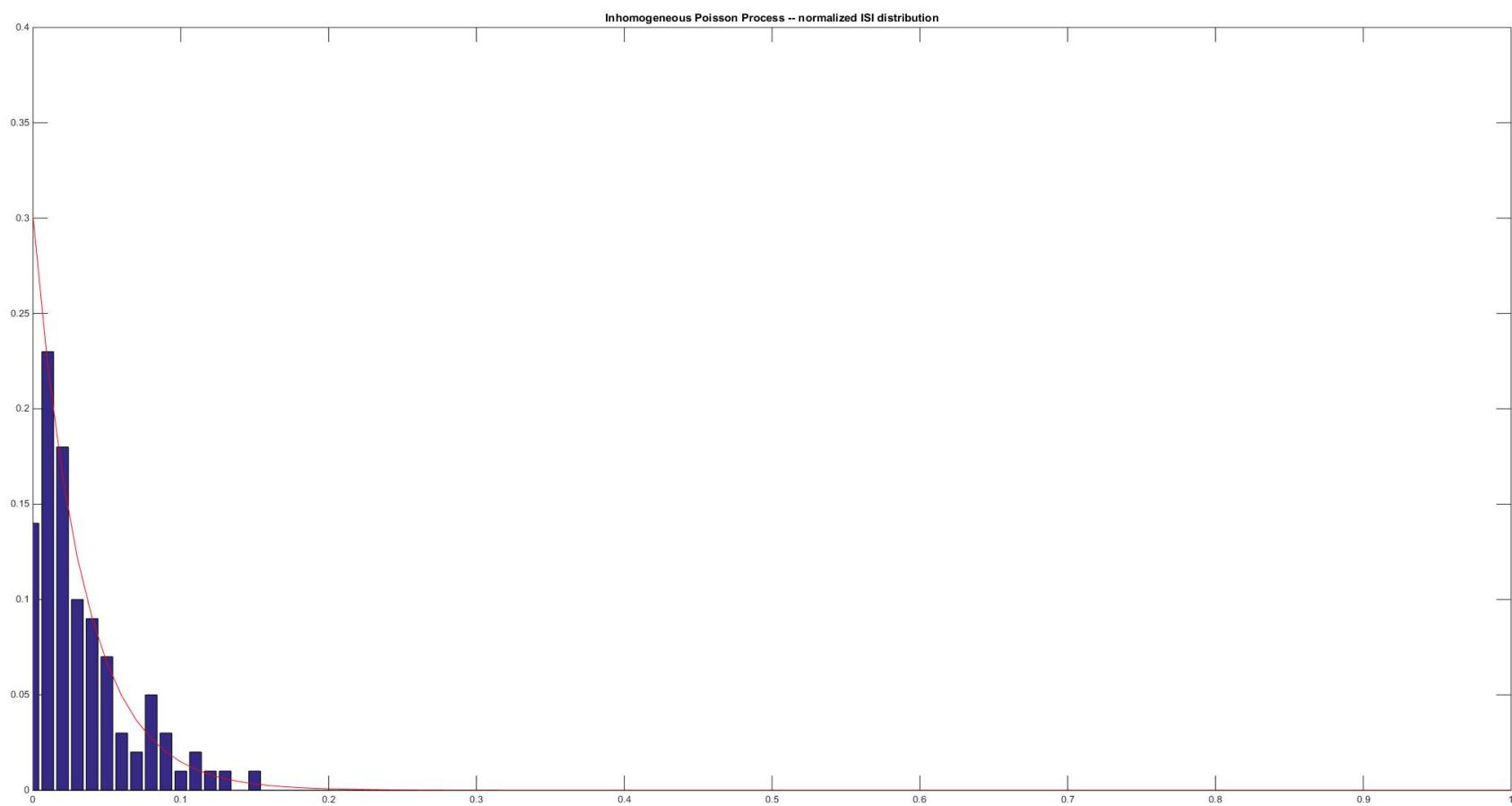
## (b) Spike histogram



## (c) Count distribution



(d) ISI distribution



4. Real Neural data

(a) Spike trains

(b) Spike histogram

(c) Tuning curve

