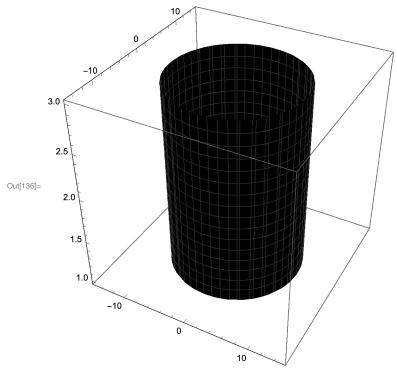
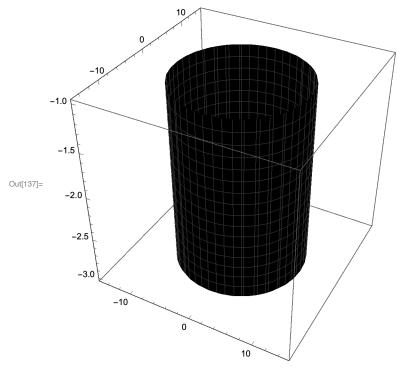
In[136]≔ parteSup = ContourPlot3D[x^2 + y^2 == 100, \_representación 3D de contornos

 $\{x, -15, 15\}, \{y, -15, 15\}, \{z, 1, 3\}, ColorFunction \rightarrow GrayLevel]$ Let  $[x, -15, 15], \{y, -15, 15\}, \{z, 1, 3\}, [x, 1, 3], [x, 1,$ 



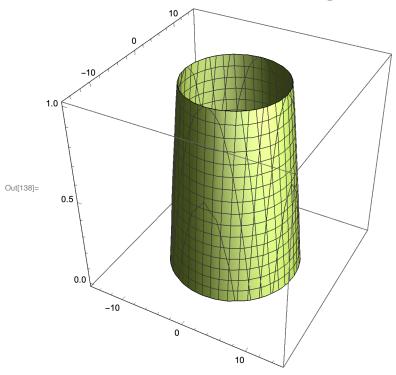
In[137]:= parteInf = ContourPlot3D[x^2 + y^2 == 100, \_representación 3D de contornos

 $\{x, -15, 15\}, \{y, -15, 15\}, \{z, -3, -1\}, ColorFunction \rightarrow GrayLevel]$ Let  $\{x, -15, 15\}, \{y, -15, 15\}, \{z, -3, -1\}, \{y, -15, 15\}, \{y, -15, 1$ 



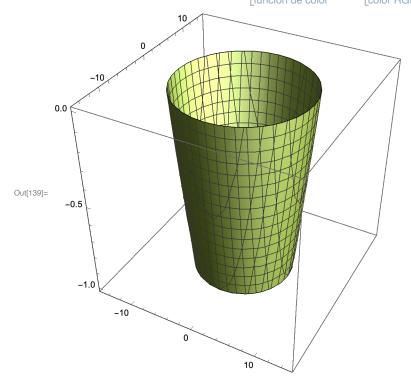
In[138]:= cremaAba = ContourPlot3D[-0.0239  $x^2$  - 0.0239  $y^2$  + 2.347 == z, \_representación 3D de contornos

 $\{x, -15, 15\}, \{y, -15, 15\}, \{z, 0, 1\}, ColorFunction \rightarrow White]$ Let the proof of the proof of

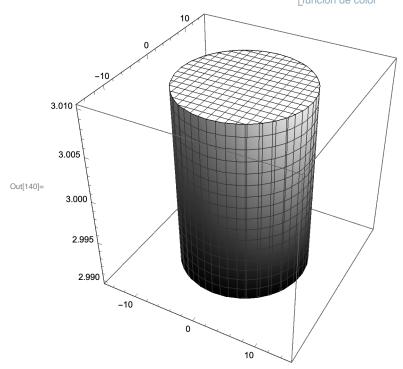


 $In[139] = cremaArr = ContourPlot3D[0.0228 x^2 + 0.0228 y^2 - 2.285 == z, \{x, -15, 15\}, Lepresentación 3D de contornos$ 

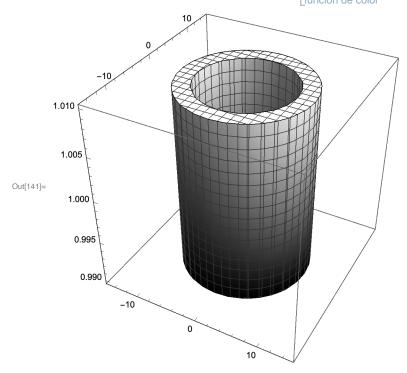
 $\{y, -15, 15\}, \{z, -1, 0\}, \begin{array}{c} \text{ColorFunction} \rightarrow \text{RGBColor}[255, 255, 255]] \\ \text{ $ \underline{$}$ function de color } \end{array}$ 



## In[140]:= tapaSup1 = RegionPlot3D[x^2+y^2 $\leq$ 100, {x, -15, 15}, \_representación de región 3D



ln[141]:= tapaSup2 = RegionPlot3D[56.25 <=  $x^2 + y^2 \le 100$ , {x, -15, 15}, \_representación de región 3D



In[142]:= tapaInf2 = RegionPlot3D[56.25  $\le x^2 + y^2 \le 100$ ,  $\{x, -15, 15\}$ , representación de región 3D

