

Explainable AI

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LEAP

Interpretable Machine Learning

A Guide for Making Black Box Models Explainable
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2022-03-29

<https://christophm.github.io/interpretable-ml-book/>

What is Explainable AI

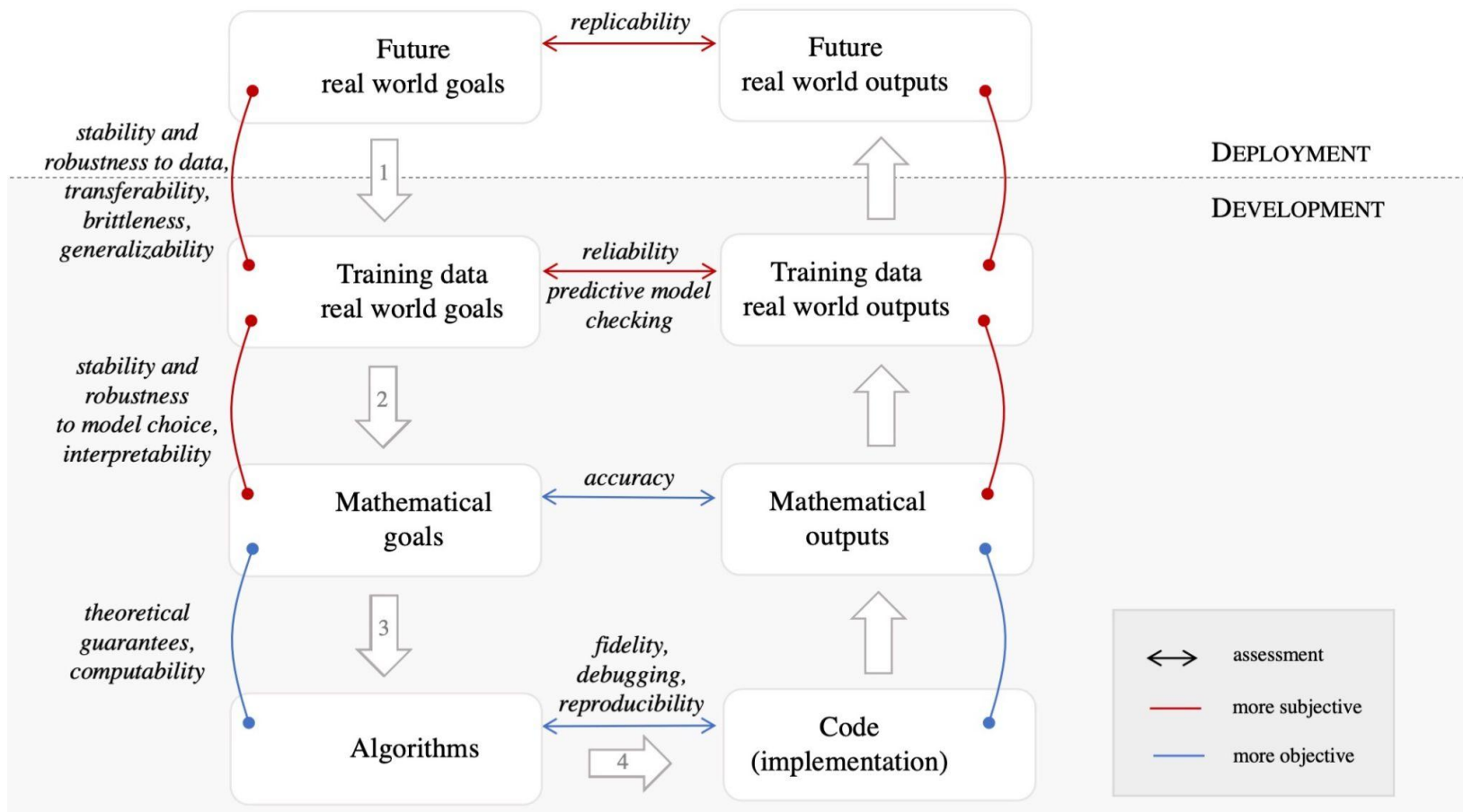
- ❑ A “black box” model: how to understand its properties by looking at its parameters
 - ❑ As opposed to “white box” models
 - ❑ [Recommended] diagnostics of linear models
- ❑ Machine learning algorithm is built upon data, features, learning goals, etc.
 - ❑ Interpretability, transparency
 - ❑ *“The running hypothesis is that by building more transparent, interpretable, or explainable systems, users will be better equipped to understand and therefore **trust** the intelligent agents”*

(Miller 2019; <https://doi.org/10.1016/j.artint.2018.07.007>)



What is Explainable AI

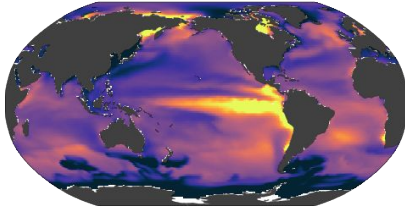
- ❑ Design interpretable machine learning workflow: *how well a human could understand the decisions of the workflow*, i.e., **interpretability** or explainability
 - ❑ Consistently predict the model's result
 - ❑ Perfect accuracy is not a requirement for trust
 - ❑ Most concerning the entire model
- ❑ Create explicitly **explanation** of derived AI decisions
 - ❑ Most concerning individual model outputs



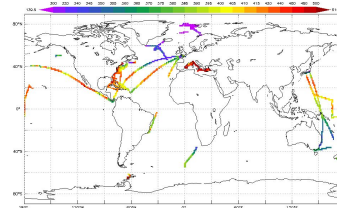
Machine learning workflows require decisions

Estimate how much carbon the ocean absorbs, at each location in space, over time, from sparse data

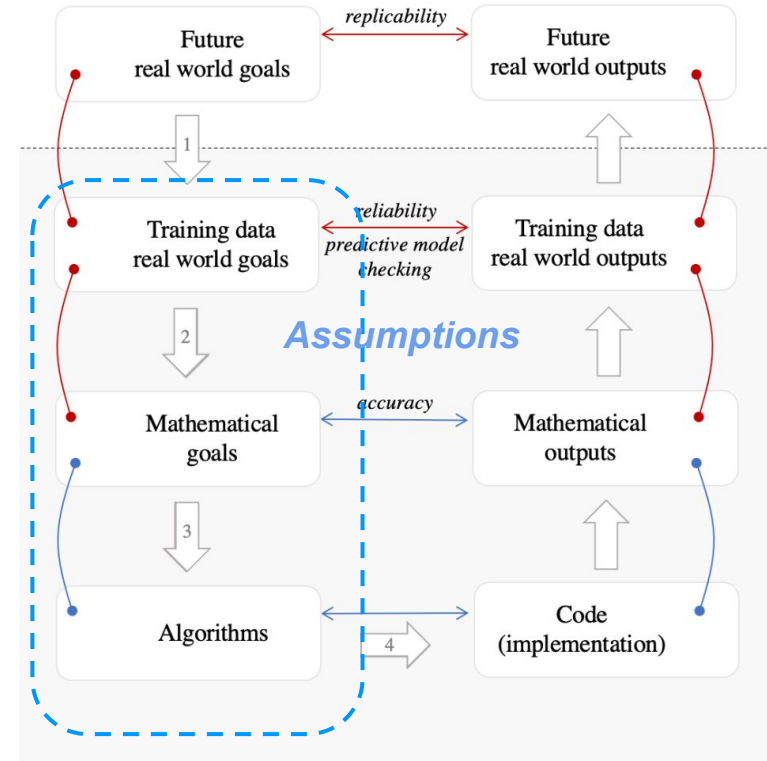
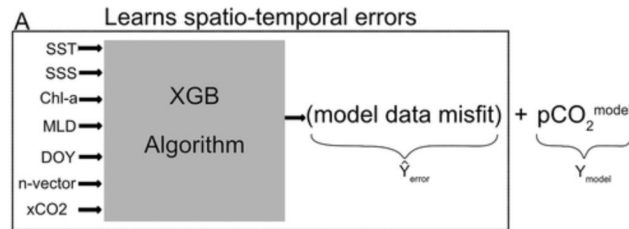
global ocean
biogeochemical models



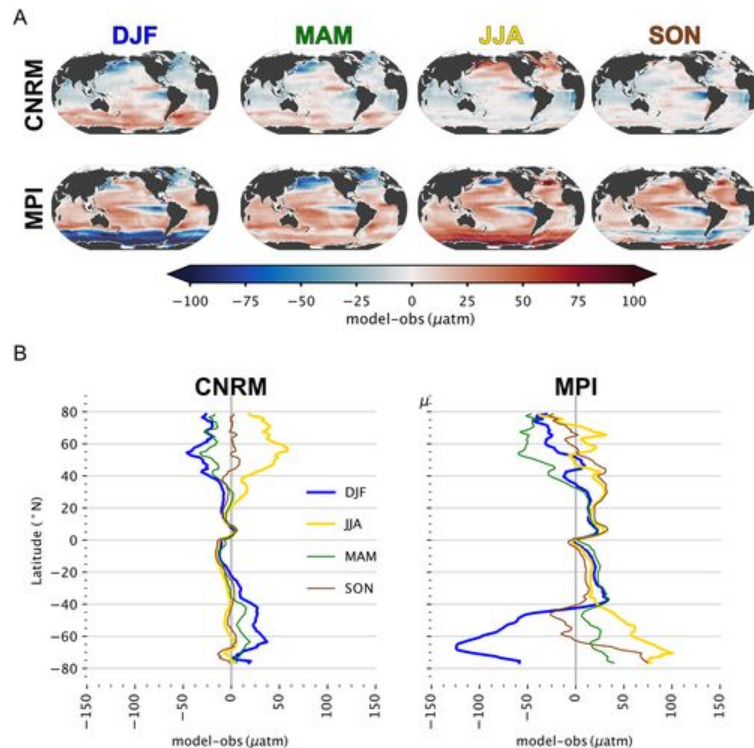
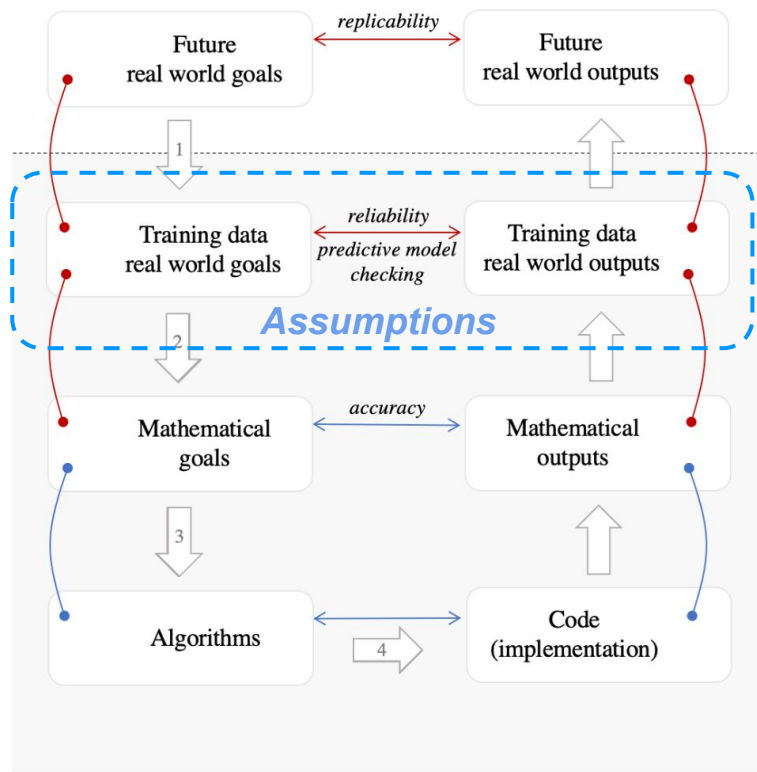
observational-based
data products



Learn a non-linear relationship between model-data mismatch and observed predictors



Interpretable results drive science forward



Interpretation methods

- Feature summaries and visualizations (e.g., partial dependence)
- Model coefficients
- Data prototypes
- Interpretable models
- Model-agnostic tools
- Local vs. global



Interpretable models - Linear Models

$$Y_i = \beta_0 + \beta_1 X_i + \varepsilon_i, \quad (*)$$

$$E(\varepsilon_i) = 0, \quad \text{Var}(\varepsilon_i) = \sigma^2$$

and $\varepsilon_i, \varepsilon_j$ are uncorrelated.

$$\begin{cases} b_1 &= \frac{\sum_{i=1}^n (X_i - \bar{X})(Y_i - \bar{Y})}{\sum_{i=1}^n (X_i - \bar{X})^2} \\ b_0 &= \frac{1}{n}(\sum_{i=1}^n Y_i - b_1 \sum_{i=1}^n X_i) = \bar{Y} - b_1 \bar{X} \end{cases}$$



Interpretable models - Linear Models

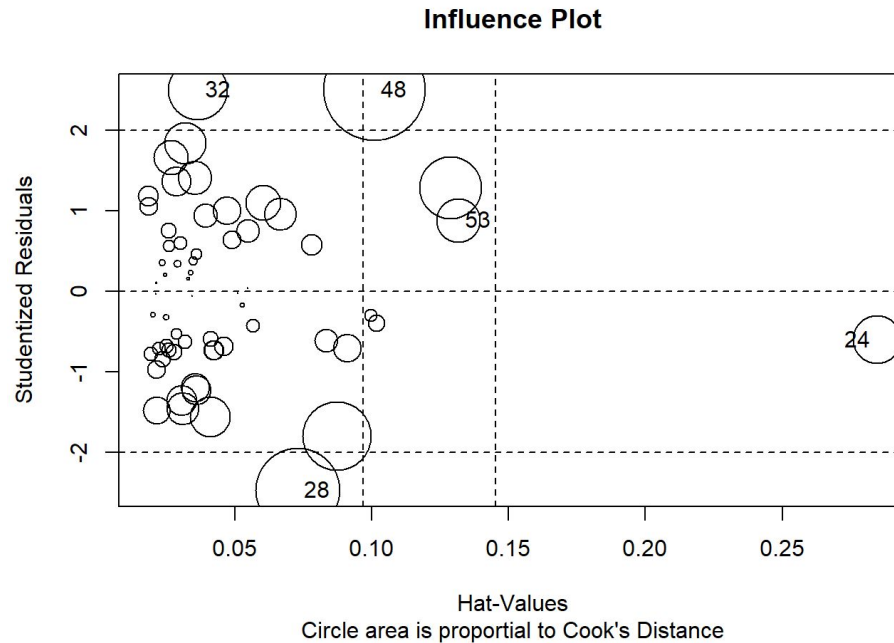
$$b_1 = \frac{\sum_{i=1}^n (X_i - \bar{X}) (Y_i - \bar{Y})}{\sum_{i=1}^n (X_i - \bar{X})^2} = \frac{\sum_{i=1}^n (X_i - \bar{X}) Y_i}{\sum_{i=1}^n (X_i - \bar{X})^2} = \sum_{i=1}^n K_i Y_i, \quad \text{where } K_i = \frac{(X_i - \bar{X})}{\sum_{i=1}^n (X_i - \bar{X})^2}.$$

$$\hat{\boldsymbol{\beta}} = (\mathbf{X}^\top \mathbf{X})^{-1} \mathbf{X}^\top \mathbf{y},$$

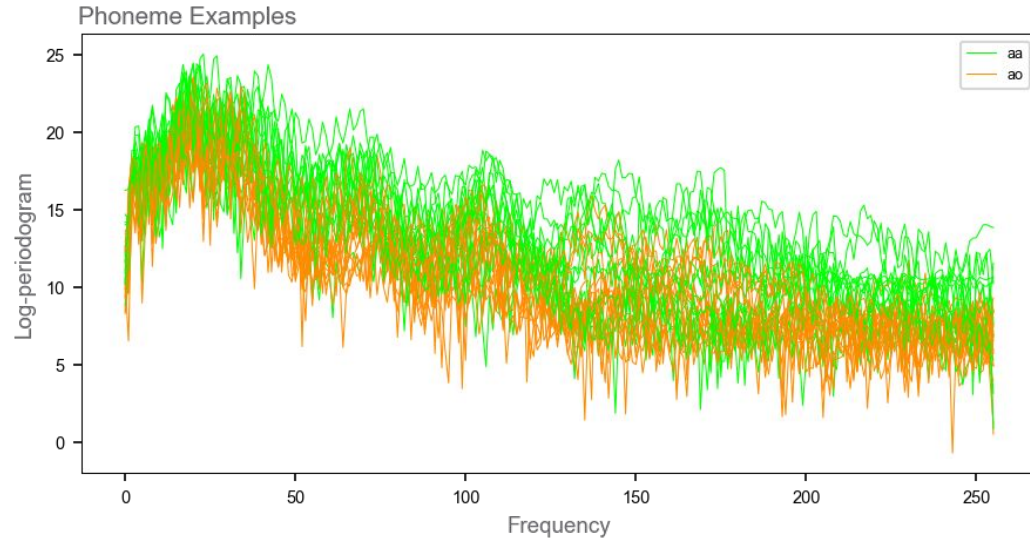
$$\hat{\mathbf{y}} = \mathbf{X} \hat{\boldsymbol{\beta}} = \mathbf{X} (\mathbf{X}^\top \mathbf{X})^{-1} \mathbf{X}^\top \mathbf{y}.$$



Interpretable models - Linear Models



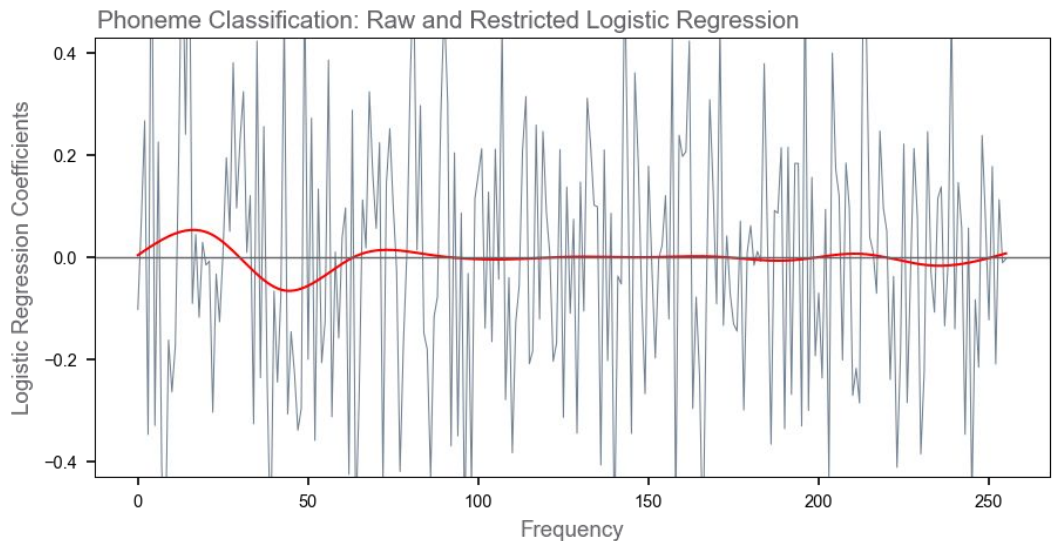
Interpretable models - Linear Models



<https://github.com/empathy87/The-Elements-of-Statistical-Learning-Python-Notebooks/blob/master/examples/Phoneme%20Recognition.ipynb>



Interpretable models - Linear Models



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Interpretation Tools - Shapley Values

- ❑ Model agnostic
- ❑ “How much has each feature value contributed to the prediction?”
- ❑ The Shapley value, for assigning payouts to players depending on their contribution to the total payout.
 - ❑ “Game” - the prediction task for one instance
 - ❑ “Gain” - the actual prediction for this instance minus the average prediction for all instances.
 - ❑ “Players” - the feature values of the instance

Interpretation Tools - Shapley Values

- ❑ The Shapley value is the average of all the marginal contributions to all possible “coalitions”.
- ❑ The values of features that are not in a coalition are replaced by values randomly drawn from observed data.

$$\phi_j(val) = \sum_{S \subseteq \{1, \dots, p\} \setminus \{j\}} \frac{|S|! (p - |S| - 1)!}{p!} (val(S \cup \{j\}) - val(S))$$

$$val_x(S) = \int \hat{f}(x_1, \dots, x_p) d\mathbb{P}_{x \notin S} - E_X(\hat{f}(X))$$



Interpretation Tools - Shapley Values

Approximate Shapley estimation for single feature value:

- Output: Shapley value for the value of the j-th feature
- Required: Number of iterations M, instance of interest x, feature index j, data matrix X, and machine learning model f
 - For all $m = 1, \dots, M$:
 - Draw random instance z from the data matrix X
 - Choose a random permutation o of the feature values
 - Order instance x: $x_o = (x_{(1)}, \dots, x_{(j)}, \dots, x_{(p)})$
 - Order instance z: $z_o = (z_{(1)}, \dots, z_{(j)}, \dots, z_{(p)})$
 - Construct two new instances
 - With j: $x_{+j} = (x_{(1)}, \dots, x_{(j-1)}, x_{(j)}, z_{(j+1)}, \dots, z_{(p)})$
 - Without j: $x_{-j} = (x_{(1)}, \dots, x_{(j-1)}, z_{(j)}, z_{(j+1)}, \dots, z_{(p)})$
 - Compute marginal contribution: $\phi_j^m = \hat{f}(x_{+j}) - \hat{f}(x_{-j})$
- Compute Shapley value as the average: $\phi_j(x) = \frac{1}{M} \sum_{m=1}^M \phi_j^m$

$$\hat{\phi}_j = \frac{1}{M} \sum_{m=1}^M \left(\hat{f}(x_{+j}^m) - \hat{f}(x_{-j}^m) \right)$$



Interpretation Tools - Shapley Values

- ❑ Desirable properties and theory
- ❑ Computational intensive
- ❑ Can still be misinterpreted
- ❑ Need access to the data
- ❑ Can still ignore innate correlations between features

