

# **The American Origin of the French Revolution**

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# SUMMARY

## ■ Can institutions be imported?

- French Revolution was more intense in regions of French sailors who were exposed to American culture during American revolutionary War

## ■ Highlights

- Historical quasi-experimental setting
- Placebo group of sailors who got stuck
- Micro-geographic historic data
  - Including birthplace of soldiers
- Transparent discussion of identification challenges

**Contributes to literatures  
on origins of institutional  
change and the effects of  
return migration**

## ■ Scope for improvement

- Do we need to worry about endogenous location choice upon return?
- Relevance for today? People are more knowledgeable about foreign countries, are there still useful lessons for effects of return migration?

# CAUSALITY I

- Main estimation equations

$$y_i = \beta \ln \text{Rochambeau}_i + X'_i \gamma + \varepsilon_i$$

$$y_i = \beta_1 \ln \text{Rochambeau}_i + \beta_2 \ln \text{NotSailed}_i + X'_i \gamma + \varepsilon_i$$

- Where does this come from?

- Assume DGP

**Omitted variable**

$$y_i = a \ln \text{Rochambeau}_i + b X_i + c O_i + e_i$$

$$y_i = b \ln \text{NotSailed}_i + f X_i + g O_i + v_i \Rightarrow O_i = \frac{1}{g} y_i - \frac{b}{g} \ln \text{NotSailed}_i - \frac{f}{g} X_i - \frac{1}{g} v_i$$

- Plug  $O$  into main equation to get rid of the OVB

## CAUSALITY II

▪ **So,**

$$y_i = \frac{ga}{g-c} \ln \text{Rochambeau}_i - \frac{cb}{g-c} \ln \text{NotSailed}_i + \frac{bg-cf}{g-c} X_i + \underbrace{\frac{g}{g-c} e_i - \frac{c}{g-c} v_i}_{\text{error}}$$

▪ **Gives**  $y_i = \beta_1 \ln \text{Rochambeau}_i + \beta_2 \ln \text{NotSailed}_i + X' \gamma + \varepsilon_i$

▪ **With**  $\frac{ga}{g-c} = \beta_1; -\frac{cb}{g-c} = \beta_2 \quad \frac{bg-cf}{g-c} = \gamma$

- Causal effect despite omitted variable  $O$  if it is the same for Rochambeau and NotSailed soldiers!

**Paper does a good job developing the narrative, so are we good?**

**Maybe we are even better...**

# CAUSALITY III

- **Actually, the DGP is:**

$$y_i = a \text{LnTRUERochambeau}_i + b X_i + c O_i + e_i$$

$$y_i = b \text{LnTRUENotSailed}_i + f X_i + g O_i + v_i$$

- We can assume that the actual location follows the DGP:

$$\text{LnTRUERochambeau}_i = h \text{LnRochambeau}_i + m R_i$$

$$\text{LnTRUENotSailed}_i = k \text{LnNotSailed}_i + n R_i$$

- Where  $\text{LnRochambeau}$  and  $\text{LnNotSailed}$  capture **brith places** and  $L$  captures **other factors** that determine location choice upon return

# CAUSALITY IV

- We would estimate the following equation (with the seemingly perfect data):

$$y_i = \frac{ga}{g-c} \ln \text{TRUERochambeau}_i - \frac{cb}{g-c} \ln \text{TRUENotSailed}_i \\ + \frac{bg-cf}{g-c} X_i + \frac{g}{g-c} e_i - \frac{c}{g-c} v_i$$

- Identification police:  $\text{cov}(R, e) > 0 \Rightarrow \text{cov}(\ln \text{TRUERochambeau}, e) > 0$  !!!
  - $\ln \text{TRUERochambeau}_i$  contains  $R$ , endogeneity problem
  - Upon return, soldier choose regions with revolutionary attitude!
  - Standard remedy is an IV that is uncorrelated with  $R$ : **Birthplace**
    - **Authors collected and use it in reduced-form!**

**!!! Using the birthplace is a feature not a bug!!!**

**Can sell empirical strategy as addressing an OV problem!**

# LOCATION CHOICE IN A RE-MIGRATION MODEL

- Number of soldiers born in  $b$  choosing  $i$

$$\text{TRUERochambeau}_{ib} = \lambda_{ib} \bar{L} = \frac{R_i^\epsilon \exp(-\tau \text{Dist}_{ib})}{\sum_i R_i^\epsilon \exp(-\tau \text{Dist}_{ib})}$$

- $\lambda_{ib}$  is the location choice probability and  $\bar{L}$  is the soldier endowment
- Where  $\epsilon$  is the variance of Extreme-Value taste shock (see e.g. Ahlfeldt, Bald, Roth, Seidel (2025), among many others)
- Avoids MAUP (modifiable areal unit problem)
- IV / reduced-form removes trouble-maker  $R_i$  from the equation

$$\text{Rochambeau}/V_i = \sum_b \text{Rochambeau}_b \exp(-\tau \text{Dist}_{ib})$$

**A full model is not needed, but market access measure as may be more transparent than ad-hoc assumption of soldiers returning to meta-region**

**THANKS**