

Calculating c and n0

Asked 2 years, 2 months ago Active 1 year, 8 months ago Viewed 1k times



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I have a quiz in my course where a question goes: "We have found out that $f(n) = 7n^2 + 3n + 8$. This means that the function is of $O(???)$ and that $c = ???$ and $n_0 = ???$ "

I know that $O(n^2)$, but I've searched every source imaginable in order to find out how to calculate c and n_0 . In some threads here I reckon that you can pick a value for n_0 and then compute c with the given value for n_0 , but I assume my question requires specific (i.e. correct) values for c and n_0 since there seems to be only one right answer in the questions in the quiz.

big-o

edited Jul 14 '18 at 17:05



Flimzy

55.3k ● 13 ● 85 ● 126

asked Jul 14 '18 at 17:01



ronalfisher

11 ● 5

What are the options to your question in quiz as with that you can very easily verify if c and n_0 makes n^2 as upper bound or not – [Kapil](#) Jul 14 '18 at 17:08

There are no options for the answers I'm afraid, it is type in answers – [ronalfisher](#) Jul 14 '18 at 17:21

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Big-O notation will tell that certain function will not exceed simpler function beyond constant multiple (c) and for large values of $n(n_0)$. As we all know that $7n^2 + 3n + 8$ is $O(n^2)$ as for large values of n, $3n + 8$ will be insignificant. So we need to c and n_0 such that

$7n^2 + 3n + 8 \leq cn^2$ for all $n \geq n_0$

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$$7 + 3/n + 8/n^2 \leq c \text{ for all } n \geq n_0$$

if we choose $n_0 = 1$ we will get

$$7 + 3 + 8 \leq c$$

so we can set $c = 18$ and $n_0 = 1$ this can be one of the solutions which means

$$7n^2 + 3n + 8 \leq 18n^2 \text{ for all } n \geq 1$$

Also I believe there can never be one solution for this answer.

edited Jan 18 '19 at 9:23



cxruan
3 ● 3

answered Jul 14 '18 at 17:33



Kapil
1,509 ● 10 ● 23

2 should be $18n^2$ – Siddharth Chabra Jul 14 '18 at 17:38

In that case i don't feel that stupid anymore. Thanks – ronalfisher Jul 14 '18 at 19:37

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