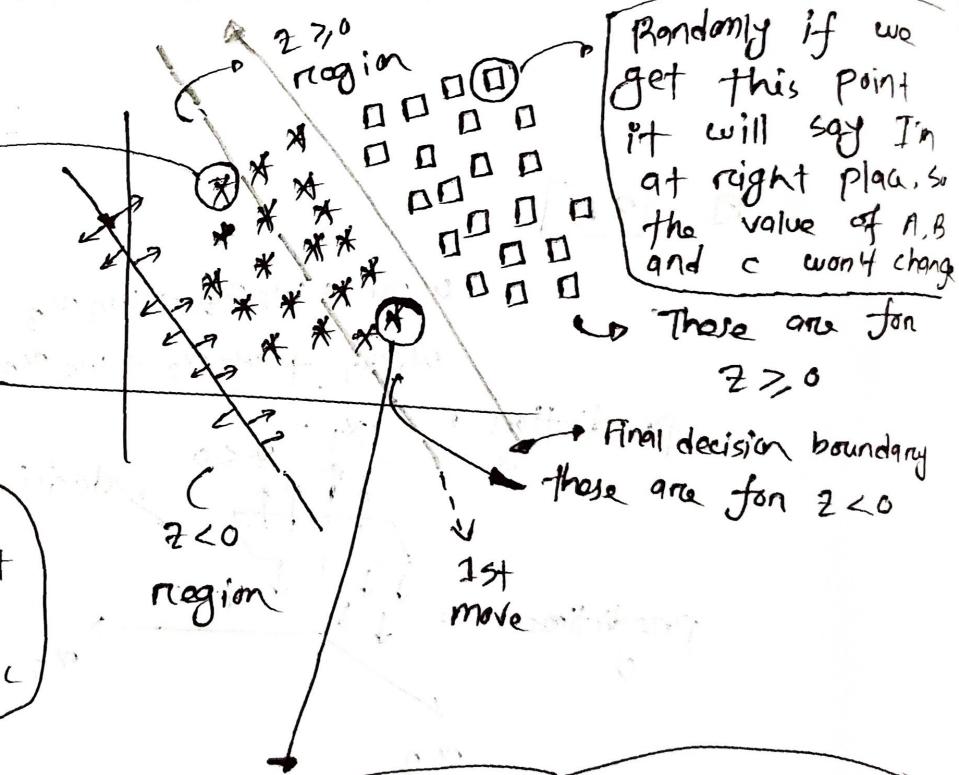


Day-06 : Perceptron Trick. How to train a perceptron.

Our purpose is to find the values of weights and bias such that the decision boundary fit at the proper place.

Initially we start taking the random values of weights like for $Ax_1 + Bx_2 + C = 2$, $A = 1, B = 1$ and $C = 0$ then we ask every point by running a loop, is the point in the right place?

we ask this point are you in right place?
He will say No.
I'm at wrong place
I should be at $z \geq 0$ region.
Then the decision line move to up of this point. we will get new decision boundary so that new A, B and C



This is called epochs
After looping like 1000 or more times we will get (possibility) the best fitting decision boundary line. consequently the values of A, B and C.

Randomly If we get this point it will say I'm at the wrong place and come up to me (decision line) then the line will be change so, that A, B and C.

[Or for all the points we can use the method of convergent]

use desmos.com for
real experience

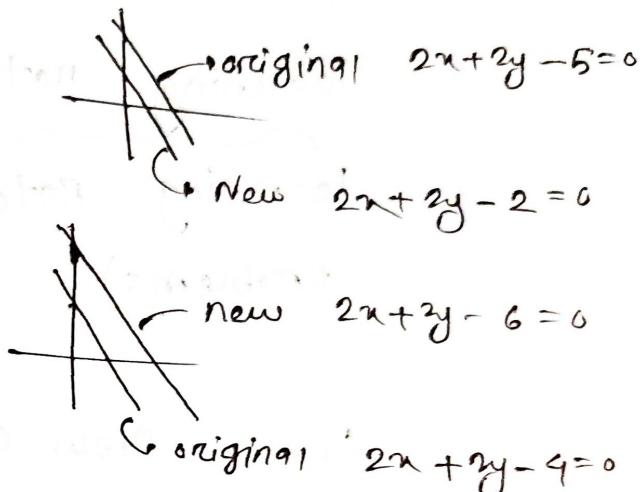
generally we are discussing on 2D

↑

Transformation of decision boundary line is depend
on the values of A, B and C

C) For increasing C the new line parallel go to
the lower position.

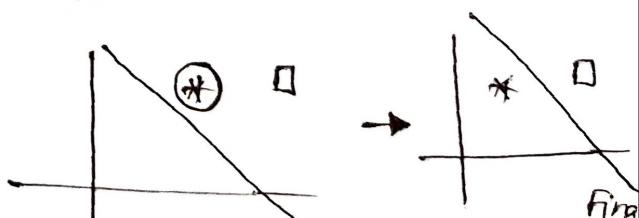
and for decreasing C the
new line parallel go to
upper position



For A and B we know
the fact.

Important: for moving the decision line we
need the point which is in the wrong place.
our goal is to move the decision boundary in
such way such that the point gets the
right region.

We can do this mathematically



New coefficient = old coefficient

→ coordinates

Here $c = 1$

But the perceptron doesn't do this large
transformation at a time. It does the change
transformation of the line a little at a time

After keeping transformation like this way finally we it classify the misclassified the point.

This small changes happened fixing / multiplying the coordinates by a small values — called learning rate. (Initially we fix the value of learning rate 0.01 or 0.001 depending on the problems):

learning rate

New Coef = old coef - n . coordinate of missclassified point

we can divide it in two parts:

(i)

i) Perception training loop:

1. Input a feature vector x (eg $[x_1, x_2]$)
2. predict using initial weight w and bias b ,
 $y_{pred} = \text{sign}(w_1x_1 + w_2x_2 + b)$
3. Compare prediction y_{pred} with actual y_{true} (Keep in mind label +1 or -1)
4. If $y_{pred} \neq y_{true}$ update the weights and bias

We can write $\hat{y} = Ax_0 + bx_0 + c$

$$\hat{y} = w_0x_0 + w_1x_1 + w_2x_2 \quad \text{where } w_0 = b \text{ and } x_0 = 1$$
$$= \sum_{i=0}^2 w_i x_i = \begin{bmatrix} w_0 \\ w_1 \\ w_2 \end{bmatrix} \cdot \begin{bmatrix} x_0 \\ x_1 \\ x_2 \end{bmatrix} \quad [+1 \text{ or } -1]$$

$$w_1 \text{ new} = w_1 \text{ old} + \eta \cdot y_{\text{true}} \cdot x_1$$

$$w_2 \text{ new} = w_2 \text{ old} + \eta \cdot y_{\text{true}} \cdot x_2$$

$$b \text{ new} = b \text{ old} + \eta \cdot y_{\text{true}}$$

यदि label $[+1 \text{ or } -1]$ ना $2^{nd} \quad [+1 \text{ or } 0]$ तो
उसके आधार पर loop एवं चर्दि if condition

चला (6) 2 (6)

(प्रक्रिया):

ii

1. Input a feature vector x_i and bias
2. predict with initial weights $w = [w_1, w_2, b]$

$$y_{\text{pred}} = \sum w_i x_i$$

3. If $y_{\text{pred}} \geq 0$ and $x_i \in \text{Negative region}$

$$w_{\text{new}} = w_{\text{old}} - \eta \cdot x_i$$

If $y_{\text{pred}} < 0$ and $x_i \in \text{positive region}$

$$w_{\text{new}} = w_{\text{old}} + \eta \cdot x_i$$

अब loop तक तक तक अपेक्षा ना decision
line एवं best fit तक (अपेक्षा misclassification

अपेक्षा ना उत्तम तक तक epochs की अपेक्षा ना
उत्तम अपेक्षा).

* epochs की? misclassification की? epochs की? उत्तम अपेक्षा ना

ଏବେକ୍ଟିଭ ନ ଥାବେ ଆମରା - (ii) ସାପର ଲୁଗ୍ଗ ଅର୍ଥ
 (ଯୋଗୀତା) label [1. or 0] - ଏହି ଲୁଗ୍ଗ ଏକାକି
 ସିଲେବ ଲୂପ ଚାଲାଇ ପାରି, ଏବେକ୍ଟିଭ,

$$w_{\text{new}} = w_{\text{old}} + \eta \cdot (\hat{y}_i - \hat{y}_i) \cdot x_i$$

ଯେତେ $\hat{y}_i = \hat{y}_i$ ଅର୍ଥାତ୍ $y_{\text{actual}} = y_{\text{predicted}}$
 ଆଶାଦେ ଲୋଗୋ ଦ୍ୱାରା କରିବାରେ ଏହି କାମ ଆପଣଙ୍କ କରି
 ଶେଷ ଅଛି in this case,

$$w_{\text{new}} = w_{\text{old}}$$

ଫେରୁ ଯେତେ $y_i \neq \hat{y}_i$ and $\hat{y}_i = 0$ but $\hat{y}_i = 1$
 then $w_{\text{new}} = w_{\text{old}} + \eta \cdot x_i$

and if $y_i \neq \hat{y}_i$, but $\hat{y}_i = 0$ but $y_i = 1$ then

$$w_{\text{new}} = w_{\text{old}} + \eta \cdot x_i$$