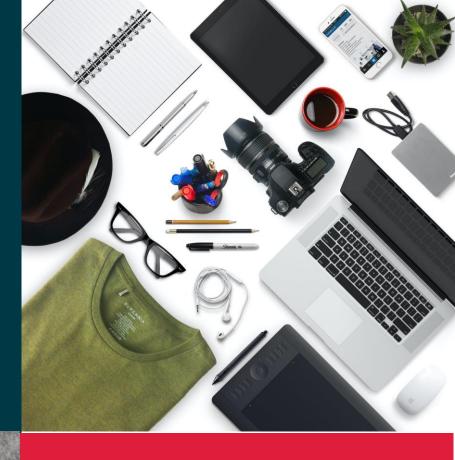


DSA - Algorithms Number 2







Course Planning

Algorithms	Data Structures	Algorithmic Approaches	Interview Practices
1.Introduction	1.Asymptotic Analysis	1.Search Algorithms	1.In-place Reversal
2.Number 1	2.Dynamic Array	2.Sort Algorithms	2.Two Heaps
3.Number 2	3.LinkedList	3.Dac Algorithms	3.Subsets
4.String 1	4.Stack	4.Recursion	4.Modified BS
5.String 2	5.Queue	5.Sliding Window	5.Bitwise XOR
6.Array 1	6.Tree	6.Two Pointers	6.Top 'K' Elements
7.Array 2	7.Heap	7.Fast & Slow	7.K-way Merge
8.Matrix	8.Trie	8.Cyclic Sort	8.Knapsack Problem
9.DP 1	9.Graph	9.Breadth First Search	9.Topological Sort
10.DP 2	10.Undirected Graph	10.Depth First Search	10.Mock Interview

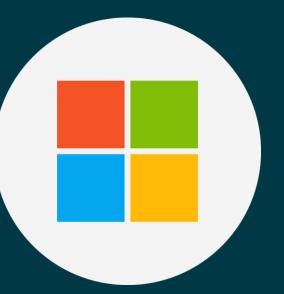


Asked by Microsoft









Explanation

367. Valid Perfect Square

Easy ☐ 1267 ☐ 194 ☐ Add to List ☐ Share

Given a **positive** integer *num*, write a function which returns True if *num* is a perfect square else False.

Follow up: Do not use any built-in library function such as sqrt.

Example 1:

Input: num = 16
Output: true

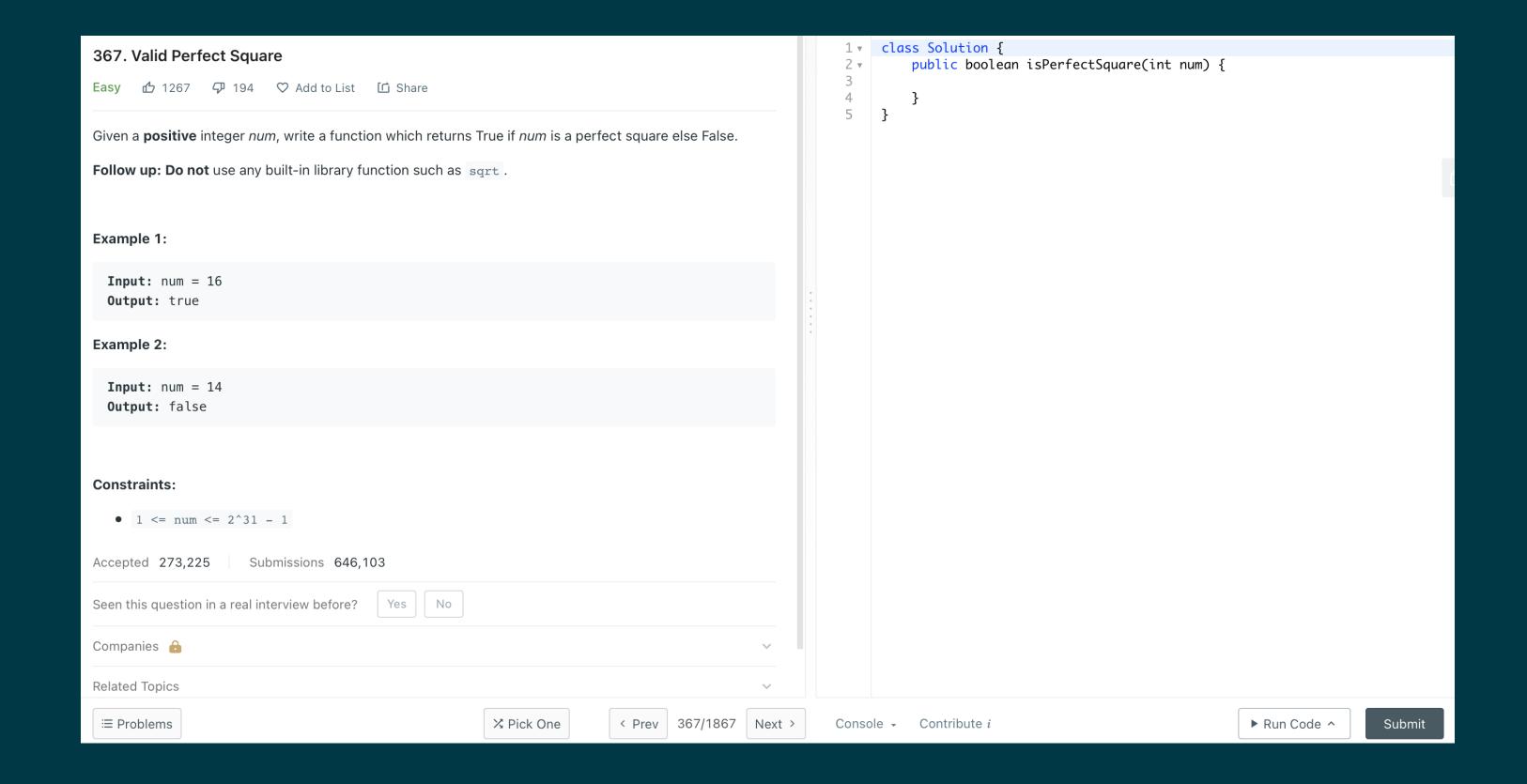
Example 2:

Input: num = 14
Output: false

Constraints:

• 1 <= num <= 2^31 - 1

Valid Perfect Square



First Theory

$$1+3+5+7+ ... + 2n-1 = n^2$$

First Solution

Success Details >

Runtime: 0 ms, faster than 100.00% of Java online submissions for Valid Perfect Square.

Memory Usage: 35.7 MB, less than 43.08% of Java online submissions for Valid Perfect Square.

Next challenges:

Sqrt(x) Sum of Square Numbers

Show off your acceptance:

(f) (y) (in)

Second Theory

Newton's Method

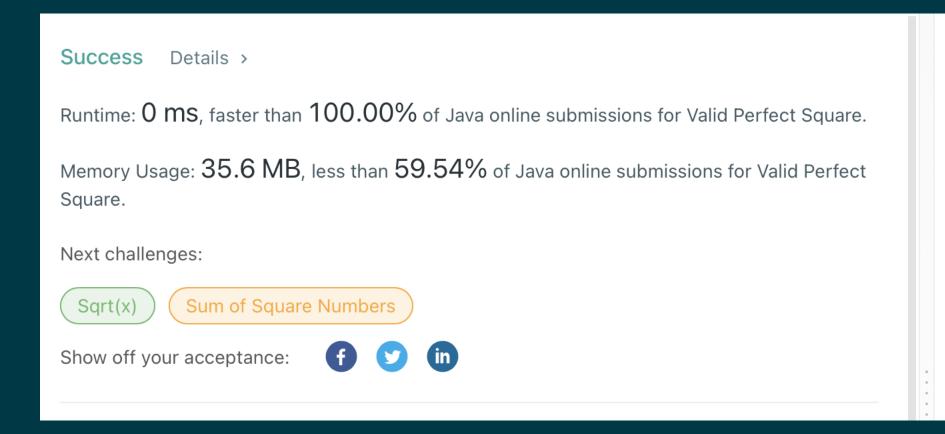
$$n = x^2$$

$$x^2 - n = 0$$

$$x = (x + n/x) / 2$$

$$egin{aligned} x_0 &pprox \sqrt{S}, \ x_{n+1} &= rac{1}{2} \left(x_n + rac{S}{x_n}
ight), \ \sqrt{S} &= \lim_{n o \infty} x_n. \end{aligned}$$

Second Solution



```
1  class Solution {
2  public boolean isPerfectSquare(int num) {
3
4     long x = num;
5
6  while(x * x > num){
          x = (x + num/x) / 2;
     }
9     return x*x == num;
10  }
11 }
```

Task 1 – Perfect Number

507. Perfect Number

Easy ⚠ 394 ☐ 741 ☐ Add to List ☐ Share

A perfect number is a positive integer that is equal to the sum of its positive divisors, excluding the number itself. A divisor of an integer x is an integer that can divide x evenly.

Given an integer n , return true if n is a perfect number, otherwise return false .

Example 1:

```
Input: num = 28
Output: true
```

Explanation: 28 = 1 + 2 + 4 + 7 + 14

1, 2, 4, 7, and 14 are all divisors of 28.

Example 2:

```
Input: num = 6
Output: true
```

Example 3:

Input: num = 496
Output: true

Example 4:

Task 2 – Ugly Number

```
263. Ugly Number
Easy 	☐ 782 	☐ 798 	☐ Add to List 	☐ Share
An ugly number is a positive integer whose prime factors are limited to 2, 3, and 5.
Given an integer n, return true if n is an ugly number.
Example 1:
  Input: n = 6
  Output: true
  Explanation: 6 = 2 \times 3
Example 2:
  Input: n = 8
  Output: true
  Explanation: 8 = 2 \times 2 \times 2
Example 3:
  Input: n = 14
  Output: false
  Explanation: 14 is not ugly since it includes the prime factor 7.
Example 4:
  Input: n = 1
  Output: true
```

Task 3 – Add Digits

258. Add Digits Easy ☐ 1190 ☐ 1309 ☐ Add to List ☐ Share Given an integer num, repeatedly add all its digits until the result has only one digit, and return it. Example 1: Input: num = 38 Output: 2 Explanation: The process is 38 --> 3 + 8 --> 11 11 --> 1 + 1 --> 2 Since 2 has only one digit, return it. Example 2: Input: num = 0 Output: 0 **Constraints:** • $0 \le \text{num} \le 2^{31} - 1$