Truth Table

Input					Output		
Sc	So	LDR	Lo	Lc	Forward	Reverse	Error
0	0	0	0	0	0	1	0
0	0	0	0	1	0	0	0
0	0	0	1	0	0	1	0
0	0	0	1	1	0	0	1
0	0	1	0	0	1	0	0
0	0	1	0	1	1	0	0
0	0	1	1	0	0	0	0
0	0	1	1	1	0	0	1
0	1	0	0	0	1	0	0
0	1	0	0	1	1	0	0
0	1	0	1	0	0	0	0
0	1	0	1	1	0	0	1
0	1	1	0	0	1	0	0
0	1	1	0	1	1	0	0
0	1	1	1	0	0	0	0
0	1	1	1	1	0	0	1
1	0	0	0	0	0	1	0
1	0	0	0	1	0	0	0
1	0	0	1	0	0	1	0
1	0	0	1	1	0	0	1
1	0	1	0	0	0	1	0
1	0	1	0	1	0	0	0
1	0	1	1	0	0	1	0
1	0	1	1	1	0	0	0
1	1	0	0	0	0	0	0
1	1	0	0	1	0	0	0
1	1	0	1	0	0	0	0
1	1	0	1	1	0	0	1
1	1	1	0	0	0	0	0
1	1	1	0	1	0	0	0
1	1	1	1	0	0	0	0
1	1	1	1	1	0	0	1

S_c Slide Switch to close the curtain by the user input

 $S_o \longrightarrow$ Slide Switch to open the curtain by the user input

 L_c \longrightarrow Limit Switch to indicate whether the curtain is close or not

 L_{\circ} Limit Switch to indicate whether the curtain is open or not

LDR — The sensor that determines whether the sun is shining or not

Forward — Motor movement to open the curtain

Reverse — Motor movement to close the curtain

Error ----- a LED that lights up when the two limit switches are on

Logic Design

1- Forward Equation:

Using SOP

 $Output = \overline{Sc} \, \overline{So} \, LDR \, \overline{Lo} \, \overline{Lc} + \, \overline{Sc} \, \overline{So} \, LDR \, \overline{Lo} \, Lc + \, \overline{Sc} \, So \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + \, \overline{Sc} \, So \, \overline{LDR} \, \overline{Lo} \, Lc + \, \overline{Sc} \, So \, \overline{LDR} \, \overline{Lo} \, Lc + \, \overline{Sc} \, So \, LDR \, \overline{Lo} \, Lc$

Abbreviate the equation

$$\therefore \ Output = \overline{Sc} \ \overline{So} \ LDR \ \overline{Lo} \left(\ \overline{Lc} + Lc \ \right) + \ \overline{Sc} \ So \ \overline{LDR} \ \overline{Lo} \left(\ \overline{Lc} + Lc \ \right) + \ \overline{Sc} \ So \ LDR \ \overline{Lo} \left(\ \overline{Lc} + Lc \ \right)$$

$$\therefore \ Output = \overline{Sc} \ \overline{So} \ LDR \ \overline{Lo} \ + \ \overline{Sc} \ So \ \overline{LDR} \ \overline{Lo} \ + \ \overline{Sc} \ So \ LDR \ \overline{Lo}$$

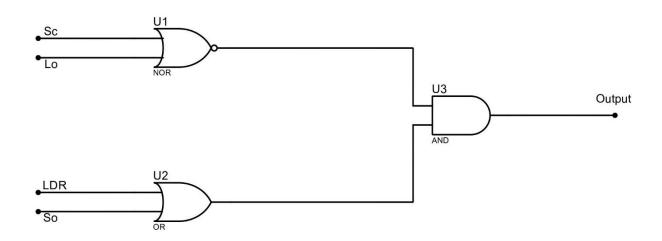
$$\therefore Output = \overline{Sc} \, \overline{Lo} \, (\, \overline{So} \, LDR + So \, \overline{LDR} + So \, LDR \,)$$

$$\therefore Output = \overline{Sc} \, \overline{Lo} \, (LDR \, (\overline{So} + So) + So \, \overline{LDR})$$

$$\therefore Output = \overline{Sc} \, \overline{Lo} \, \big(\, LDR + So \, \overline{LDR} \, \big)$$

$$\therefore Output = \overline{Sc} \, \overline{Lo} \, (LDR + So)$$

$$\therefore Output = \overline{Sc + Lo} (LDR + So) #$$



2- Reverse Equation:

Using SOP

 $Output = \overline{Sc} \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + \overline{Sc} \, \overline{So} \, \overline{LDR} \, Lo \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, Lo \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{So} \, \overline{LDR} \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{Lc} + Sc \, \overline{Lo} \, \overline{Lc} + Sc \, \overline{Lc} +$

Abbreviate the equation

$$\therefore \ Output = \overline{Sc} \ \overline{So} \ \overline{LDR} \ \overline{Lc} \ (\ \overline{Lo} + Lo \) + Sc \ \overline{So} \ \overline{LDR} \ \overline{Lc} \ (\ \overline{Lo} + Lo \) + Sc \ \overline{So} \ LDR \ \overline{Lc} \ (\ \overline{Lo} + Lo \)$$

$$\therefore \ Output = \overline{Sc} \ \overline{So} \ \overline{LDR} \ \overline{Lc} \ + \ Sc \ \overline{So} \ \overline{LDR} \ \overline{Lc} \ + \ Sc \ \overline{So} \ LDR \ \overline{Lc}$$

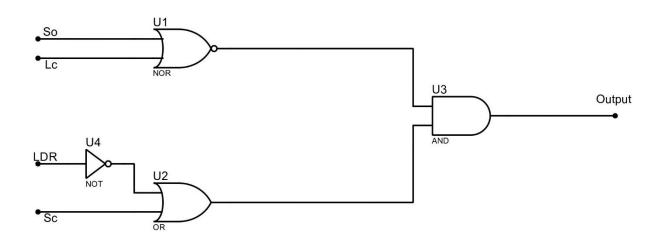
$$\therefore Output = \overline{So} \, \overline{Lc} \, (\, \overline{Sc} \, \overline{LDR} + Sc \, \overline{LDR} + Sc \, LDR \,)$$

$$\therefore Output = \overline{So} \, \overline{Lc} \, (\, \overline{LDR} \, (\, \overline{Sc} + Sc \,) + Sc \, LDR \,)$$

$$\therefore Output = \overline{So} \, \overline{Lc} \, \big(\, \overline{LDR} + Sc \, LDR \, \big)$$

$$\therefore \ Output = \overline{So} \ \overline{Lc} \left(\ \overline{LDR} + Sc \right)$$

$$\therefore Output = \overline{So + Lc} \left(\overline{LDR} + Sc \right) #$$



3- Error Equation:

The error happens when the two limit switches are on and the motor stops in this case.

 \therefore The equation is:

Output = Lo.Lc

