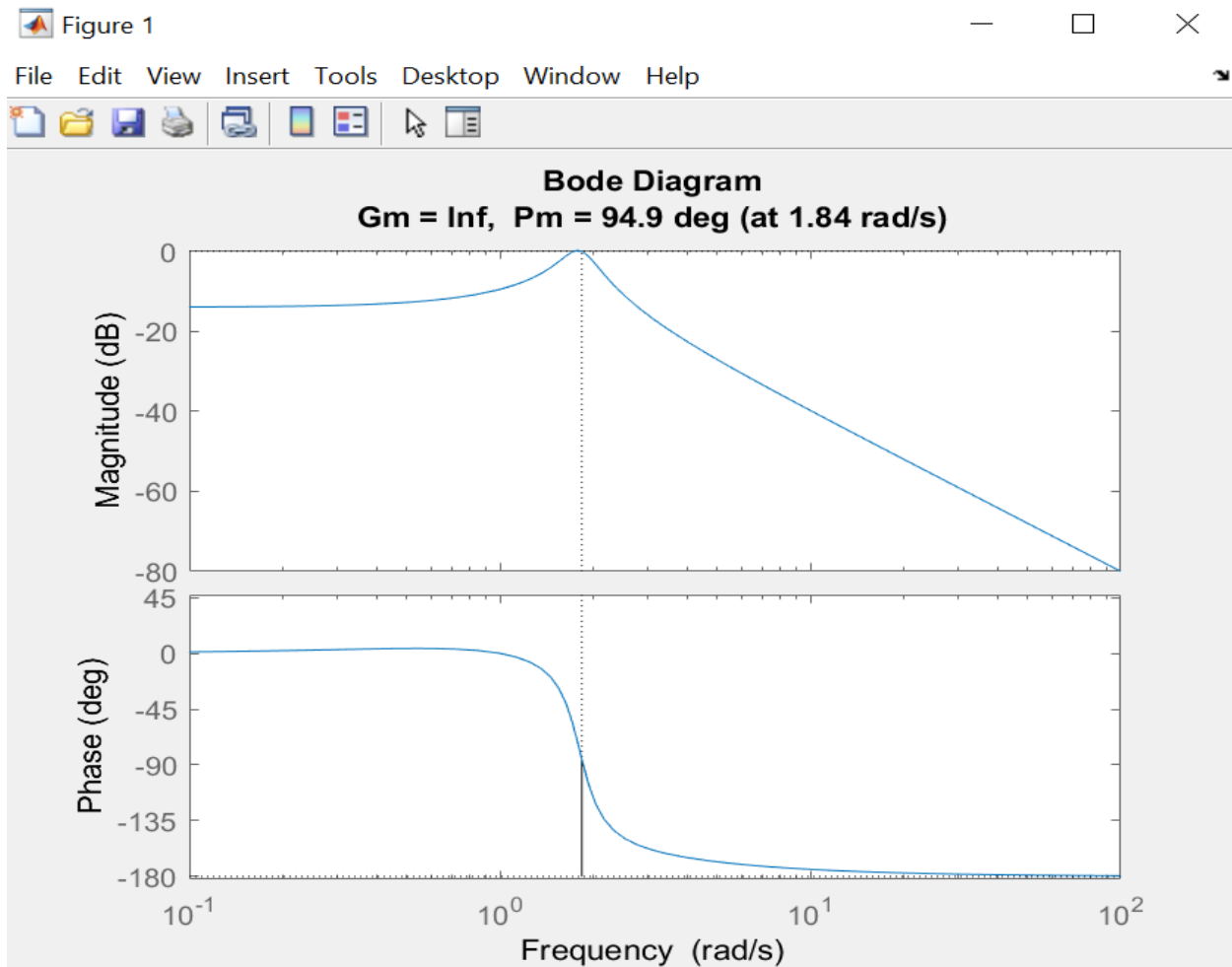


1a) Gain margin = Infinity, Phase margin = 94.9 degrees and system is stable.

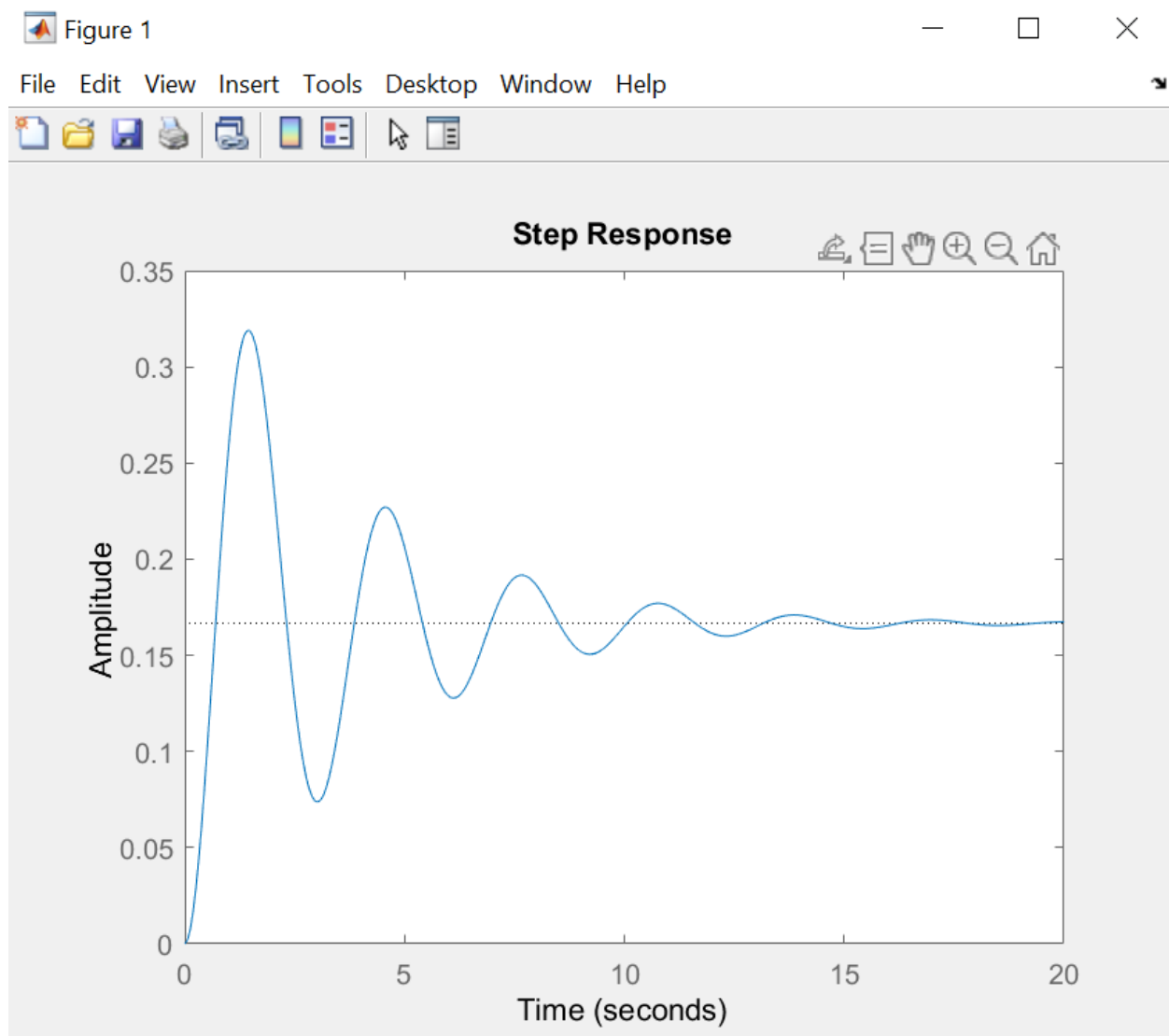


1b)  $C1 = G1 / (1 + G1)$

$$C1 = (s+1) / ((s+1) + (s^3 + 2s^2 + 4s + 5))$$

$$C1 = (s+1) / (s^3 + 2s^2 + 5s + 6)$$

1c)



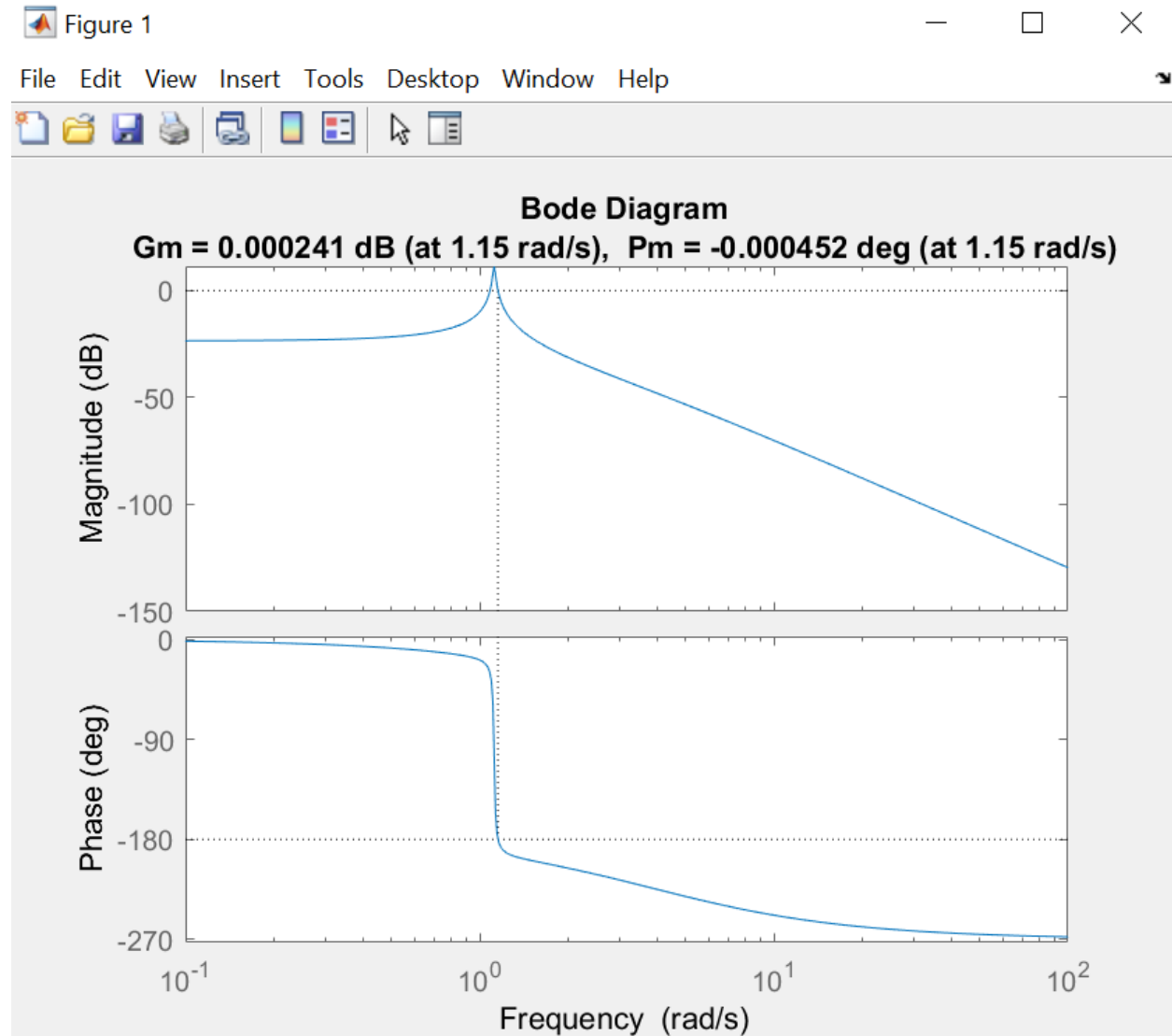
d) ans =

-0.2836 + 2.0266i

-0.2836 - 2.0266i

-1.4329 + 0.0000i

2a) Gain margin = 0.000241 dB, Phase margin = -0.000452 degrees and system is unstable.

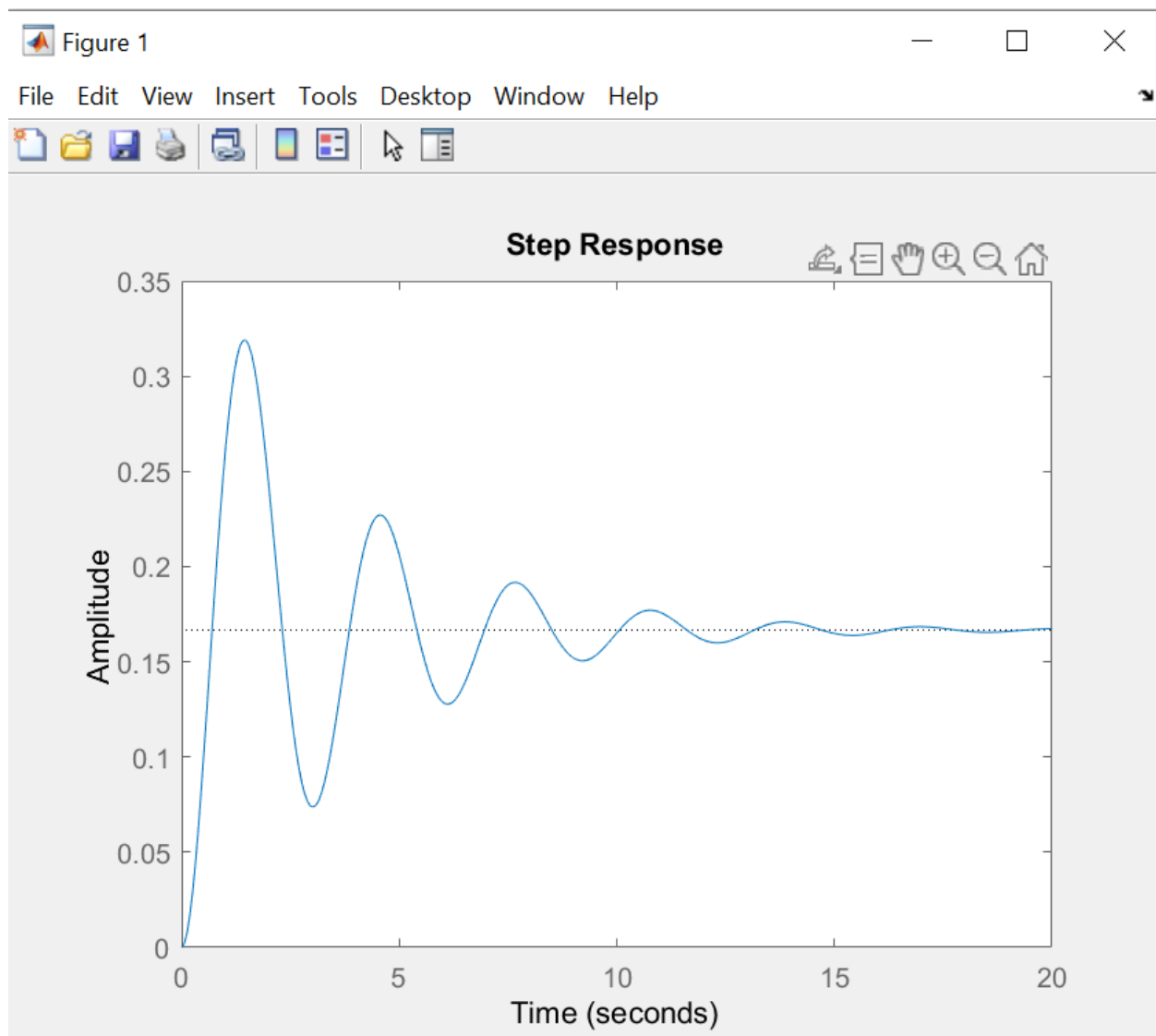


2b)

$$C2 = G2 / (1 + G2)$$

$$C2 = 1 / (3s^3 + 12s^2 + 4s + 16)$$

2c)



2d)

ans =

-4.0000 + 0.0000i

-0.0000 + 1.1547i

-0.0000 - 1.1547i

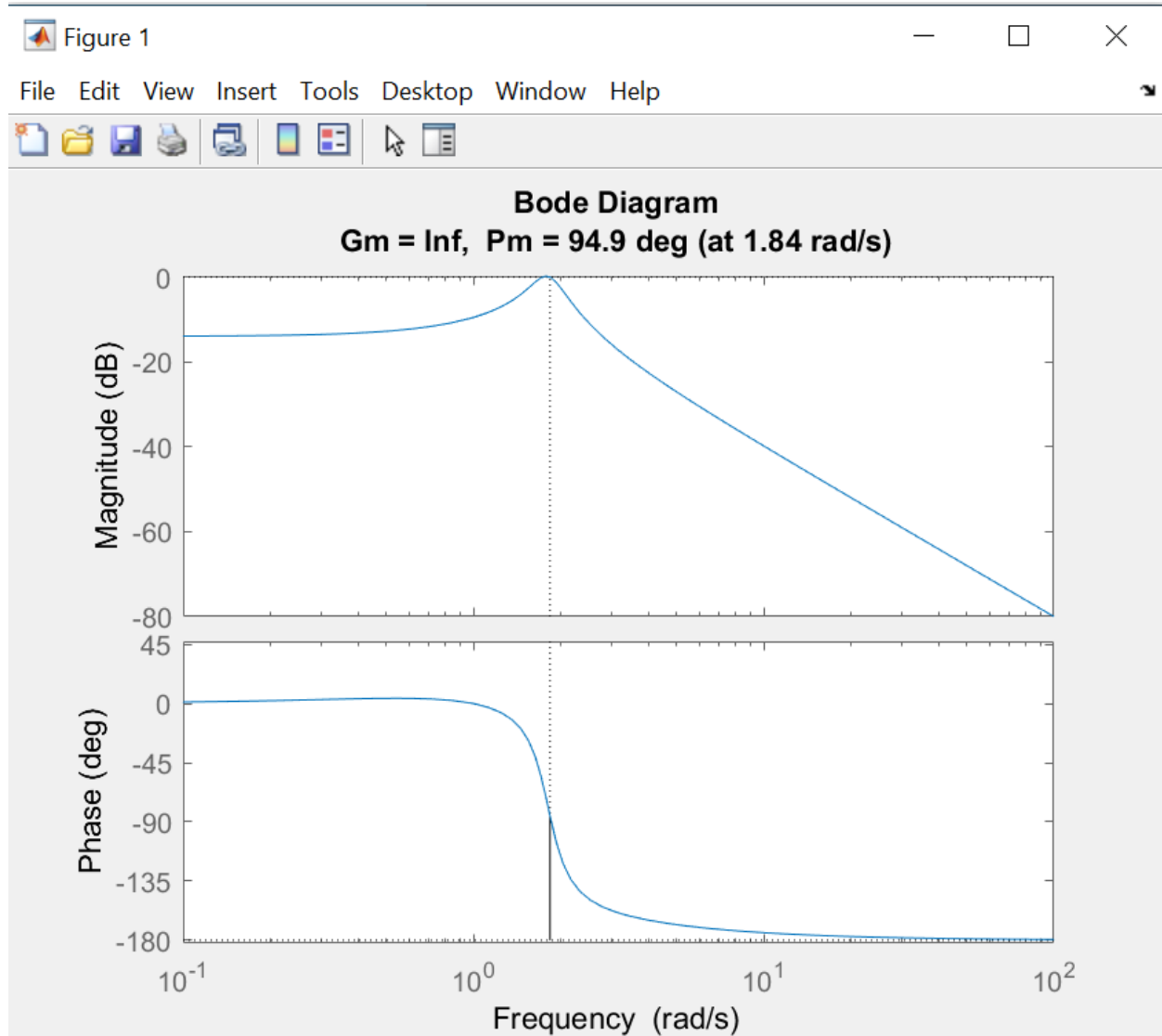
### Matlab code for Experiment 1

```
G1 = tf([1 1], [1 2 4 5]);  
margin(G1);  
C1= tf([1 1],[1 2 5 6]);  
step(C1);  
roots([1 2 5 6])
```

```
G2 = tf([1], [3 12 4 15]);  
margin(G2);  
C2= tf([1 1],[3 12 4 16]);  
step(C2);  
roots([3 12 4 16])
```

## Experiment 2

1a) Gain margin = Infinity, Phase margin=94.9 degrees and system is stable.



1b)

When K= 0.5

C1 =

0.5

-----

$s^3 + 4s^2 + 2s + 5$

When K= 1.5

C2 =

1.5

-----

$s^3 + 4s^2 + 2s + 5$

1c)

Roots of system when K =0.5

ans =

-3.8191 + 0.0000i

-0.0904 + 1.1406i

-0.0904 - 1.1406i

Roots of system when  $K=1.5$

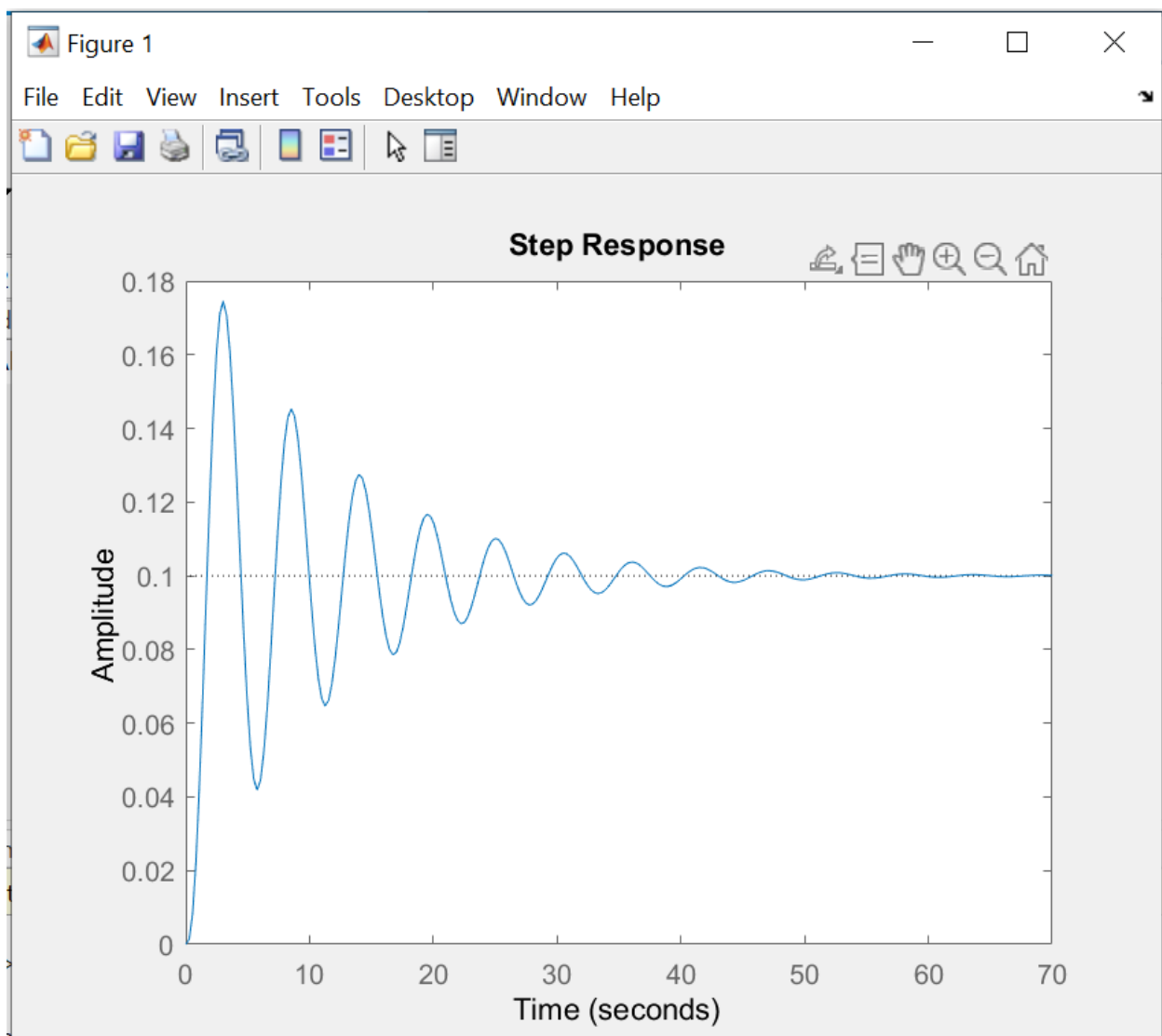
ans =

$-3.8191 + 0.0000i$

$-0.0904 + 1.1406i$

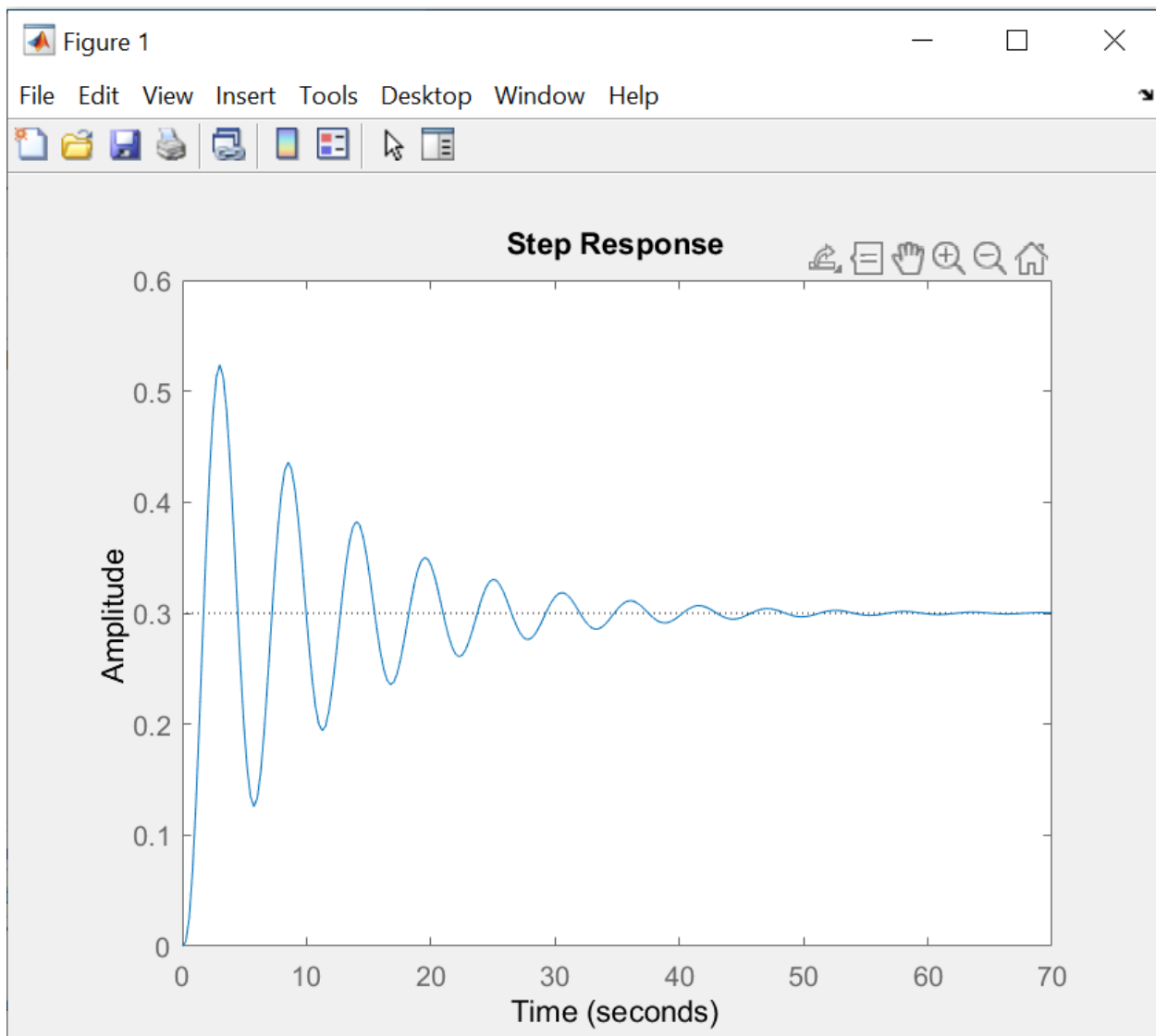
$-0.0904 - 1.1406i$

1d) When  $K=0.5$  and its magnitude decreases with respect to time.





When  $K = 1.5$  and its magnitude decreases with respect to time.



Matlab Code for Experiment 2

```
G1 = tf([1], [1 4 2 5]);  
margin(G1);  
C1= series([0.5],[G1]);  
C2= series([1.5],[G1]);  
step(C1);  
step(C2);  
roots([1 4 2 5])
```