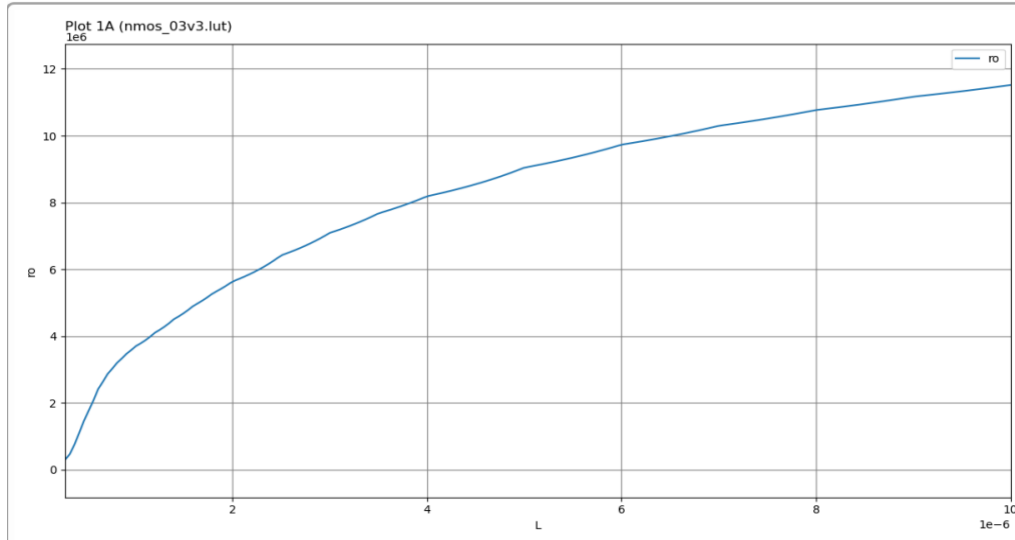


# Lab 02

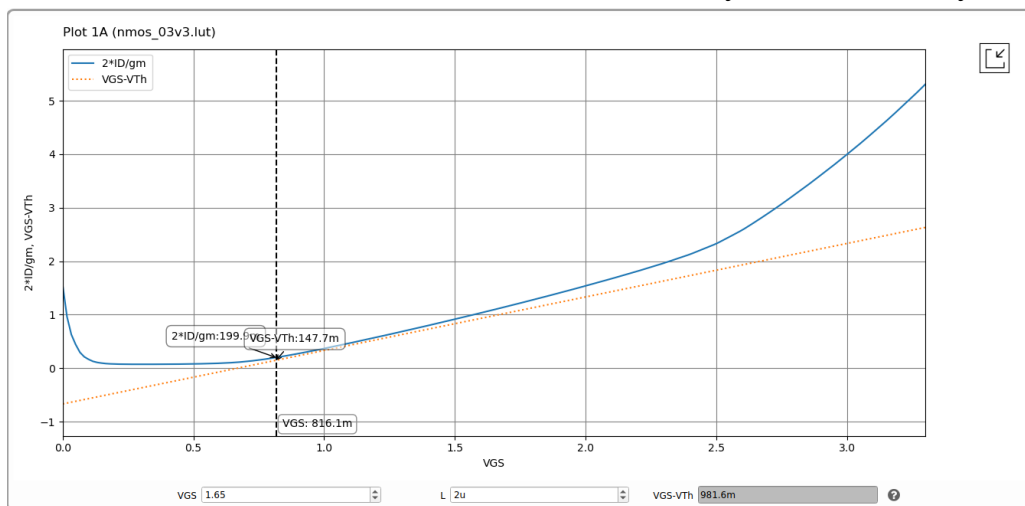
## PART 1: Sizing chart:

- Analysis:**

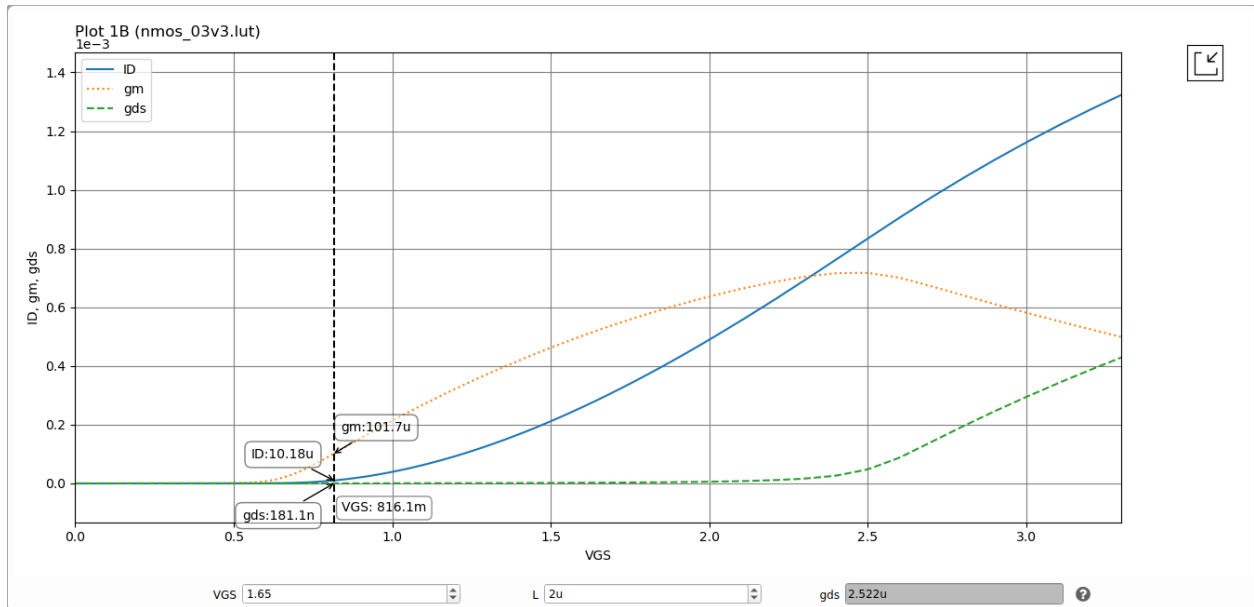
- We need to get DC gain= -10 and  $I_D = 10 \mu A$ . First, we will choose  $L = 2 \mu m$  to avoid short channel effects and get high  $r_o$  and we can check that we have high  $r_o$  from graph.



- $V_{RD} = 1$  then we get the resistance  $RD = \frac{V_{RD}}{I_D} = \frac{1}{10 \cdot 10^{-6}} = 100 k\Omega$ .
- Now, we know that the gain  $A = gm * RD = \frac{2I_D}{V^*} * RD = \frac{2V_{RD}}{V^*}$  so  $V^* = \frac{2}{10} = 200 mV$ .
- We will assume  $W = 10 \mu m$  and we know that  $I \propto W$  so we can get the right  $W$  with cross multiplication.
- Sweeping  $V^*$  with VGS to know the operating point.  $V_{ovQ} = 147.7 mV$ ,  $V_{GSQ} = 816.1 mV$ .



- We got  $V_{GS}=816.1\text{mV}$ . Now to calculate  $W$  and check that the gain is true we will sweep  $I_D$ ,  $g_m$ ,  $g_{ds}$  with  $V_{GS}$ .  $I_{DX} = 10.18\mu\text{A}$ ,  $g_{mx} = 101.7\mu\text{S}$ ,  $g_{dsx} = 181.1\text{nS}$ .



- Using cross multiplication  $W = 9.82\mu\text{m}$ .
- The values of  $I_D$ ,  $g_m$ ,  $g_{ds}$  at the operating point are:

	At point X	At operating point
$I_D$	$10.18\mu\text{A}$	$10\mu\text{A}$
$W$	$10\mu\text{A}$	<b><math>9.82\mu\text{m}</math></b>
$g_m$	$101.7\mu\text{S}$	$99.9\mu\text{S}$
$g_{ds}$	$181.1\text{nS}$	$177.9\text{nS}$

- Using the simulated results, we will check for the gain:  
 $A = -g_m(RD//r_o) = -9.81$ .  
and when neglecting  $r_o$   $A = -g_m * RD = -9.99$ .  
The gain almost meets the specs this errors because we neglected  $r_o$  in our analysis.

➤ Calculating operating point using ADT

ID  ?

Vstar  ?

L  ?

VDS  ?

VSB  ?

Stack  ?

Results:

	Name	TT-27.0
1	ID	10u
2	IG	N/A
3	L	2u
4	W	9.76u

Y-Expr  ?

Plot

ID  ?

Vstar  ?

L  ?

VDS  ?

VSB  ?

Stack  ?

Results:

	Name	TT-27.0
15	AREA	19.52p
16	gm	99.17u
17	gmb	38.82u
18	gds	176.7n

Y-Expr  ?

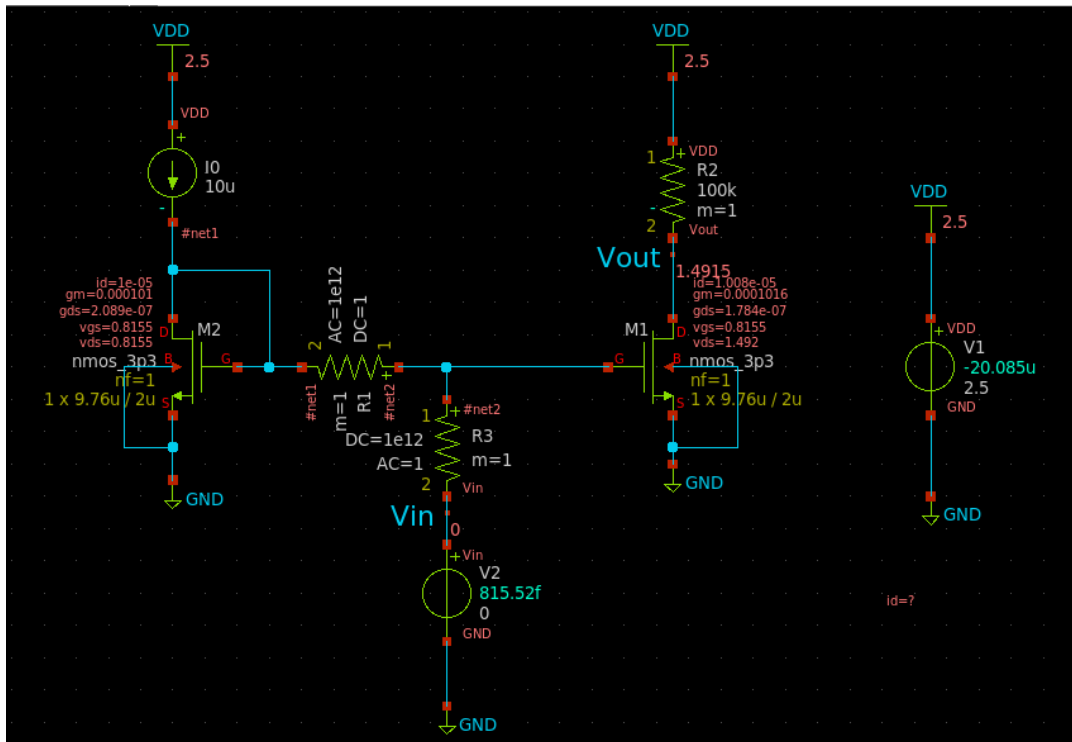
Plot

	Analytical	Simulation (ADT)
ID	$10\mu A$	$10\mu A$
W	$9.82\mu m$	$9.76\mu m$
gm	$99.9\mu S$	$99.17\mu S$
gds	$177.9nS$	$176.7nS$

## PART 2: CS Amplifier:

### 1. OP Analysis:

- **Schematic:**



- **DC Operating point:**

➤ DC OP:

```
ngspice 1 -> print all
@m.xml1.m0[gds] = 1.784013e-07
@m.xml1.m0[gm] = 1.016166e-04
@m.xml1.m0[id] = 1.008491e-05
@m.xml1.m0[vds] = 1.491508e+00
@m.xml1.m0[vgs] = 8.155202e-01
@m.xml2.m0[gds] = 2.088986e-07
@m.xml2.m0[gm] = 1.010052e-04
@m.xml2.m0[id] = 1.000003e-05
@m.xml2.m0[vds] = 8.155189e-01
@m.xml2.m0[vgs] = 8.155202e-01
net1 = 8.155215e-01
net2 = 8.155215e-01
v1#branch = -2.00849e-05
v2#branch = 8.155215e-13
vdd = 2.500000e+00
vin = 0.000000e+00
vout = 1.491511e+00
```

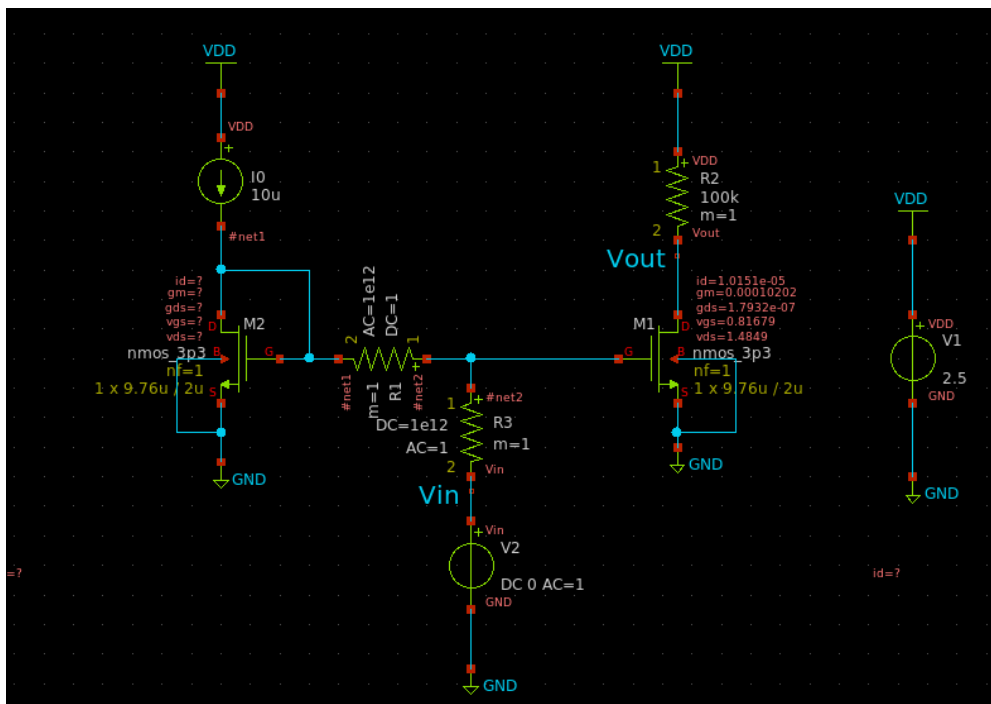
- Note: the DC OP annotation and the snapshot of the key parameters are on the schematic and DC OP above.
- Comparison between part1 and DC OP:

	Part1	DC OP
ID	$10\mu A$	$10.085\mu A$
VGS	$816.1mV$	$815.52mV$
VDS	$1.5V$	$1.4915V$
gm	$99.9\mu S$	$101.6\mu S$
gds	$176.7nS$	$178.4nS$
ro	$5.659M\Omega$	$5.605M\Omega$

- $r_o$  and  $R_D$  comparison:  
 $r_o = 5.605M\Omega$  and  $R_D = 100k\Omega$  so  $r_o$  is much higher than  $R_D$  and can be neglected.  
 When we use minimum  $L$ ,  $r_o$  will decrease so we may consider it.
- Calculate the intrinsic gain of the transistor:  
 From simulation  $intrinsic\ gain = \frac{g_m}{g_{ds}} = 569.5$   
 While analytically using the simulation results:  $A = g_m * (R_D // r_o) = 9.98$   
 The amplifier gain  $\ll$  the intrinsic gain as  $R_D$  is very small compared to  $r_o$  which reduces the gain a lot and we expect that as the intrinsic gain is the highest gain we can get.

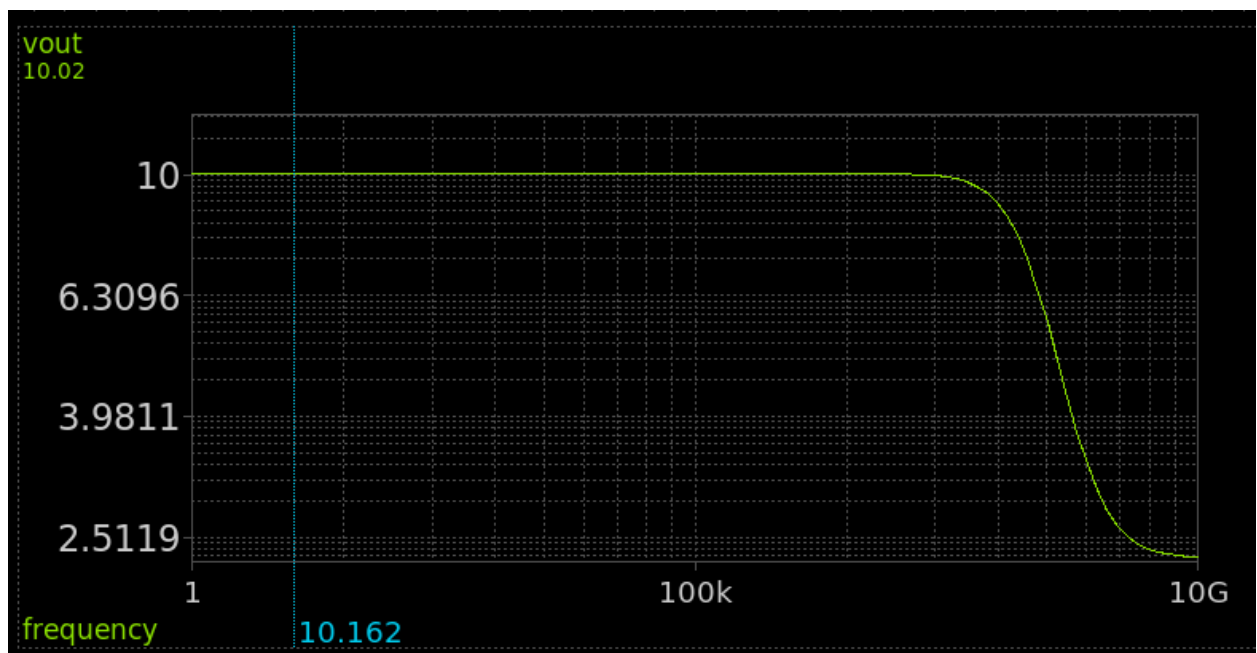
## 2. AC Analysis:

- **Schematic:**

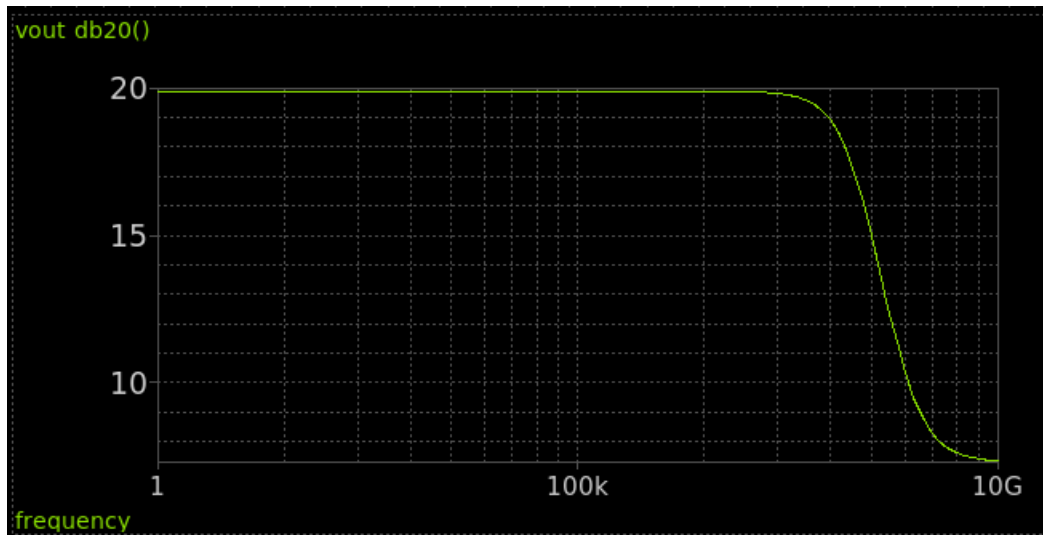


- **Boode plot:**

➤ Vout magnitude in log scale at on Y axis:



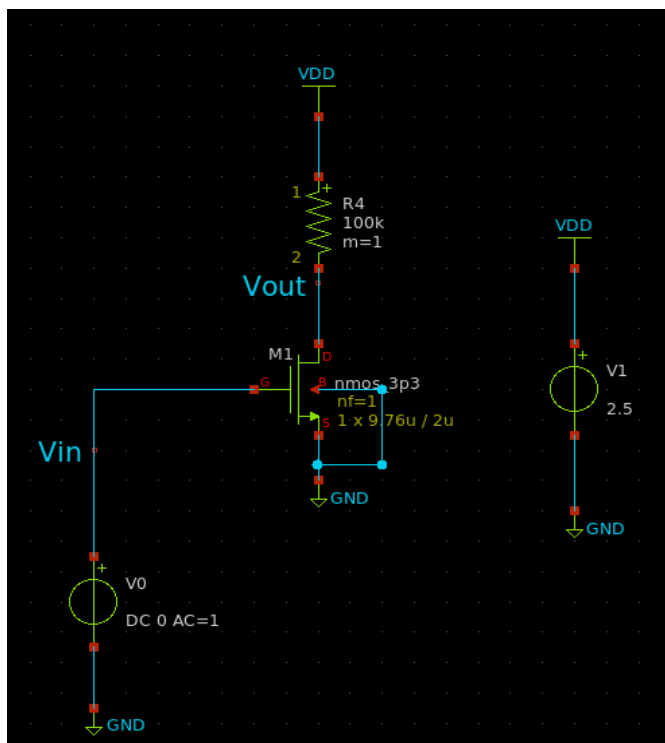
- Vout magnitude in dB:



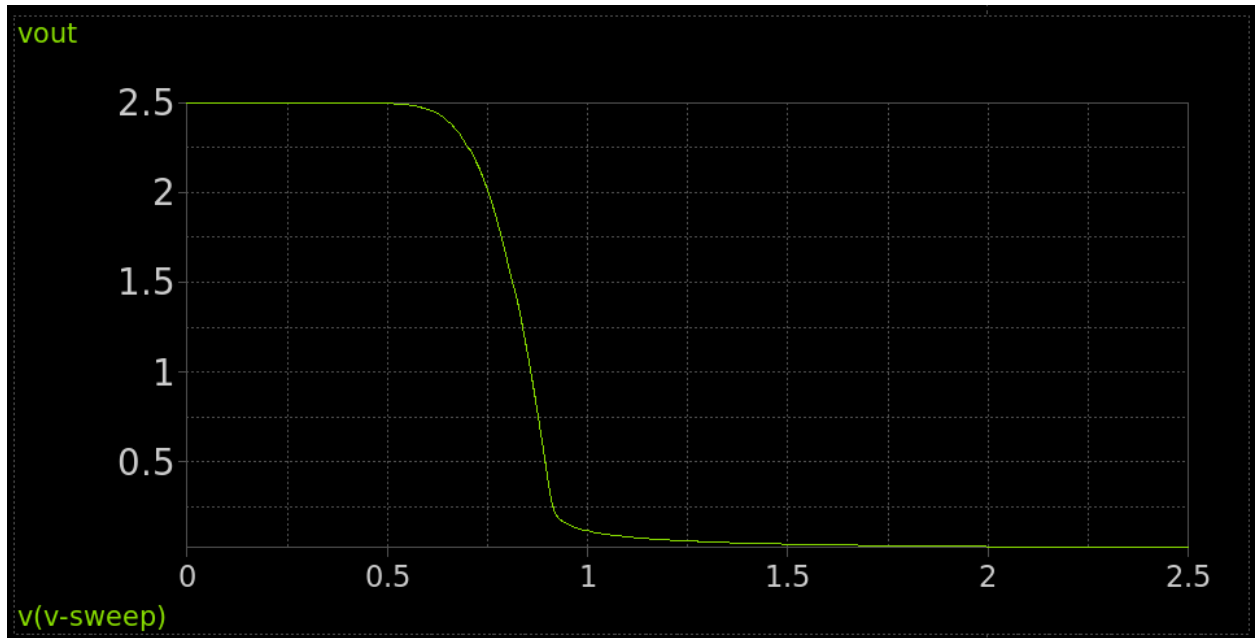
- DC gain=10.02 which meets the specs.

### 3. Gain Non-Linearity (Large Signal Operation DC Sweep):

- **Schematic:**

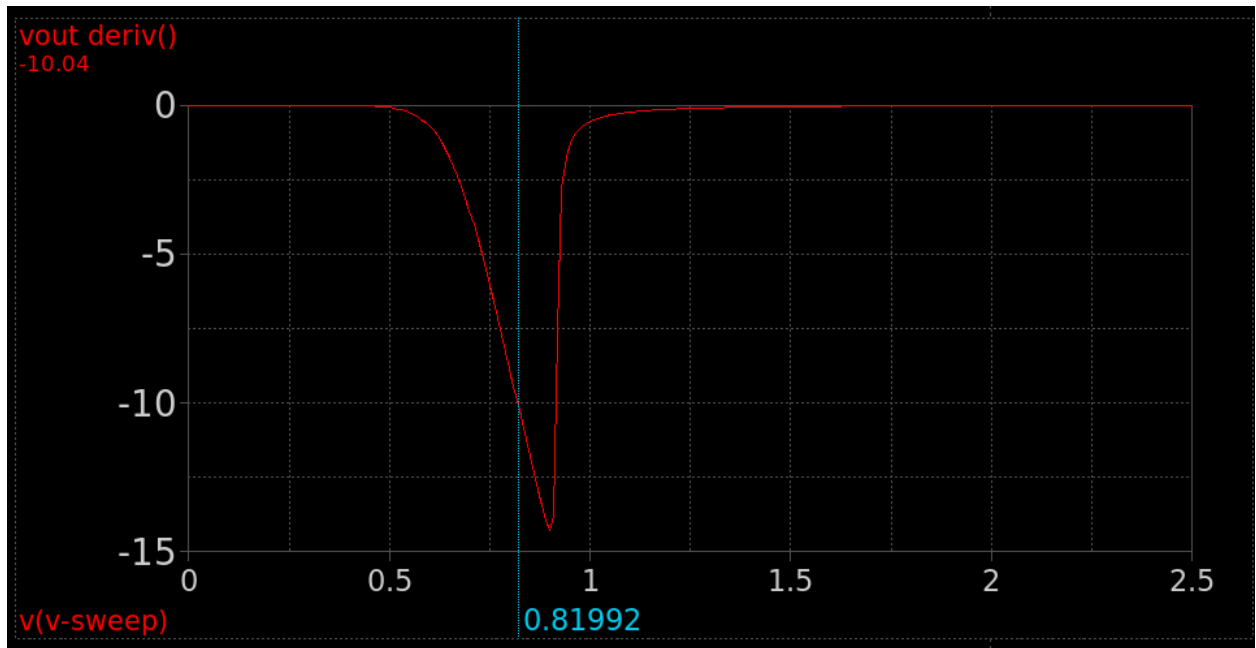


➤ VOUT vs VIN:



It is a non-linear relation as in the saturation region  $v_{out} = V_{DD} - I_D * R_D$  and  $I_D$  in saturation follows the square law with  $V_{in}$  so  $V_{out}$  has a quadratic relation with  $V_{in}$  in saturation. We can only consider it linear as an assumption for small signals only .

➤ Derivative of Vout VS Vin:

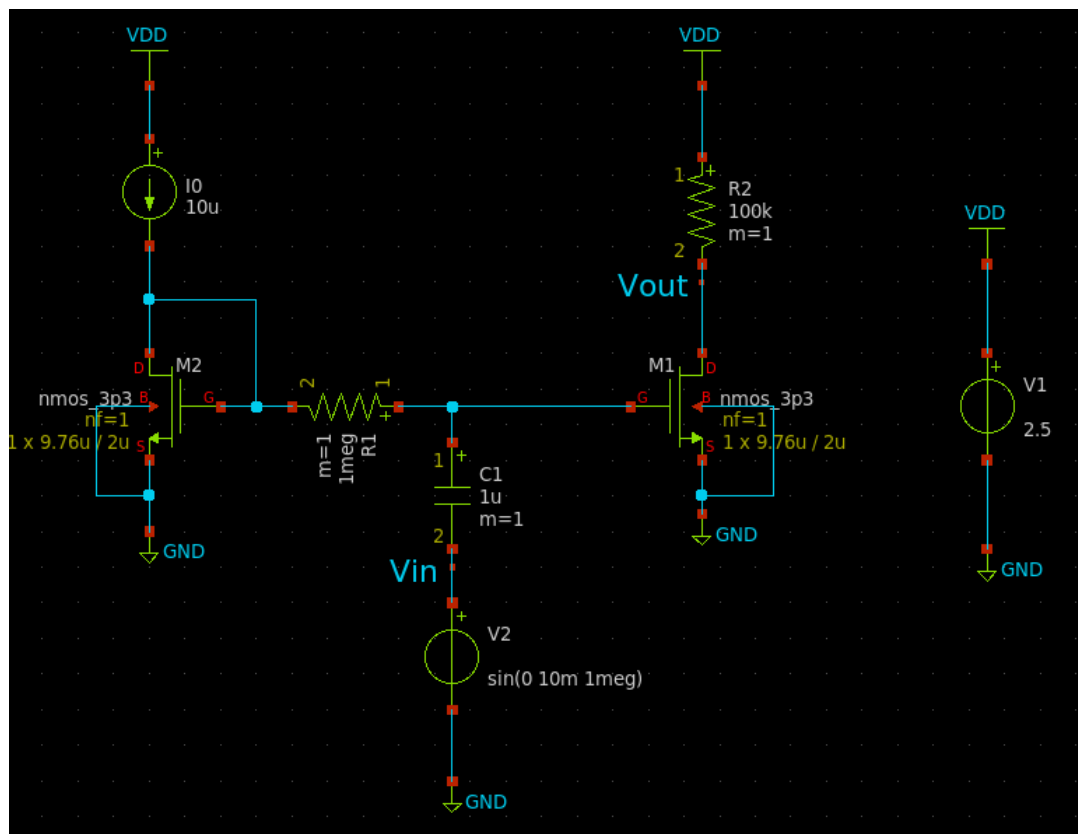


Gain is nonlinear with  $V_{in}$  as  $g_m$  depends on  $V_{in}$  and  $A = g_m * R_D$  then the gain is dependent on  $V_{in}$  and for the circuit to be linear the gain should be constant.

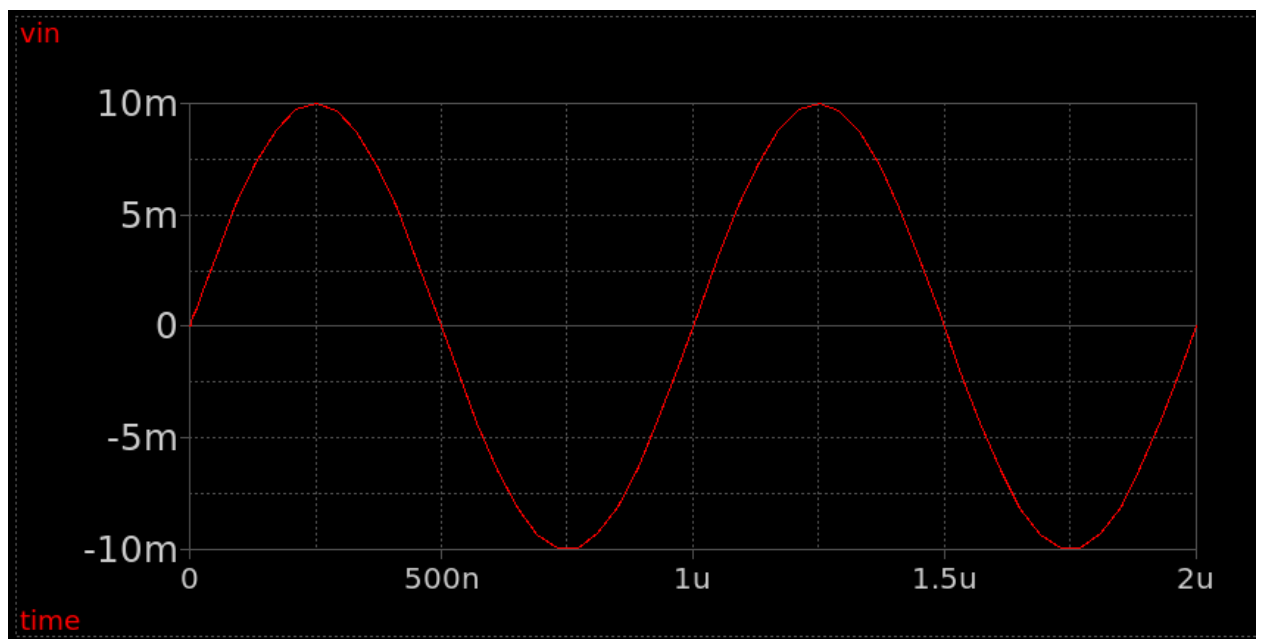


#### 4. Gain Non-Linearity (Transient Analysis):

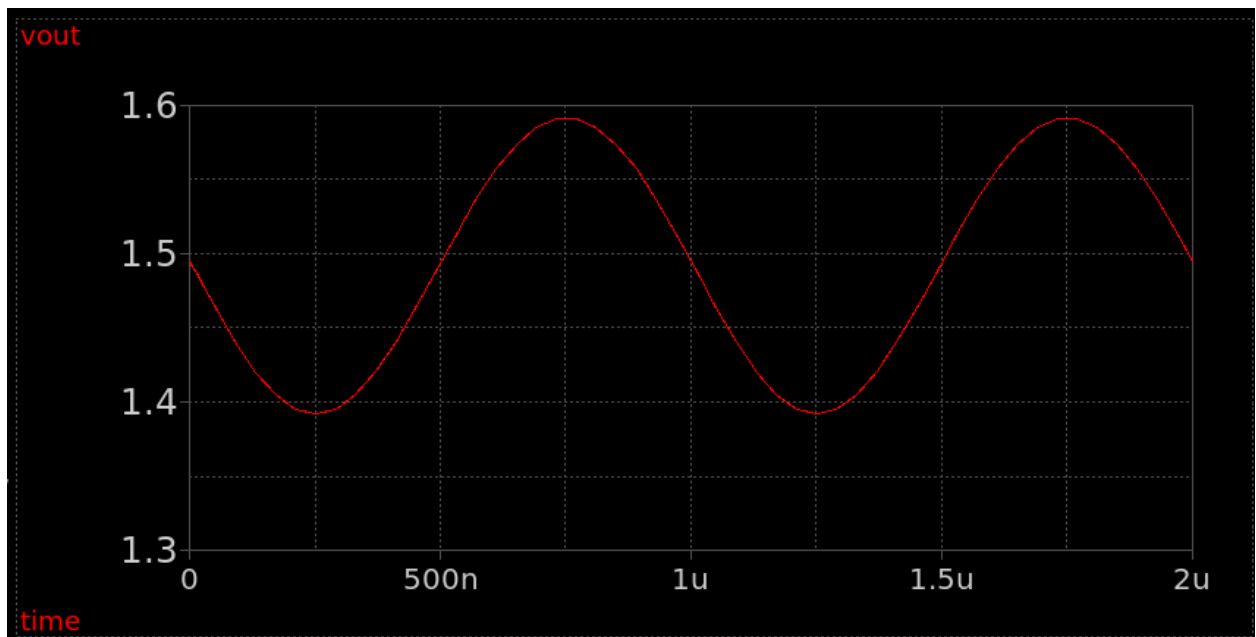
- **Schematic:**



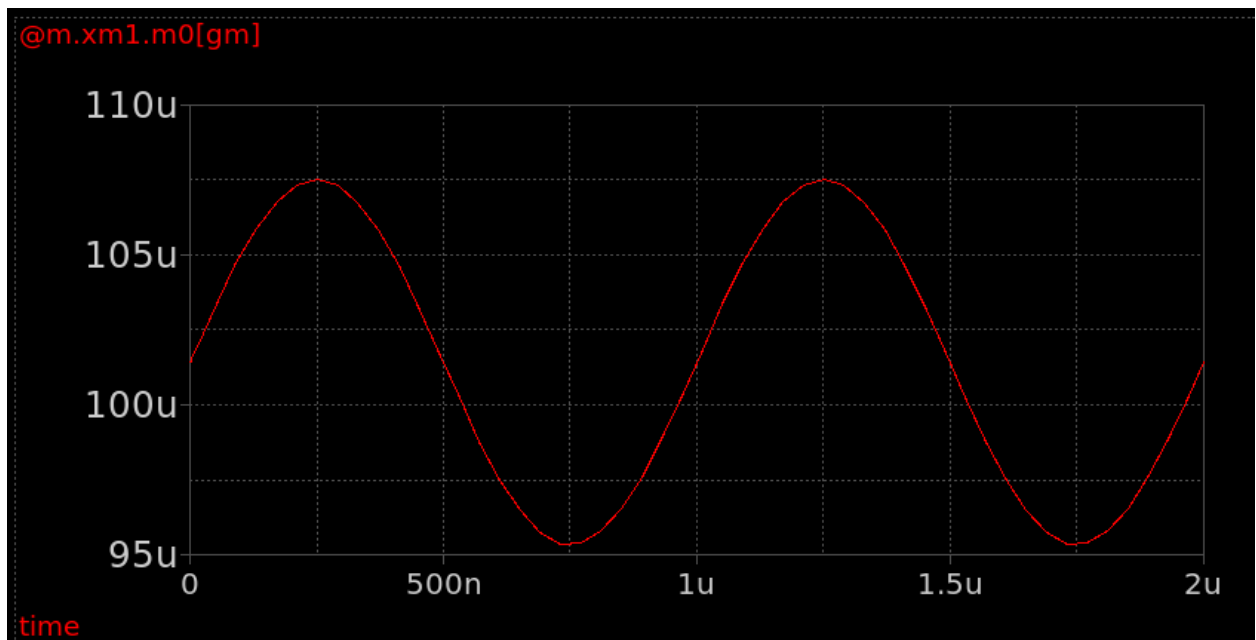
➤ Vin vs time:



- Vout vs time:



- gm vs time:



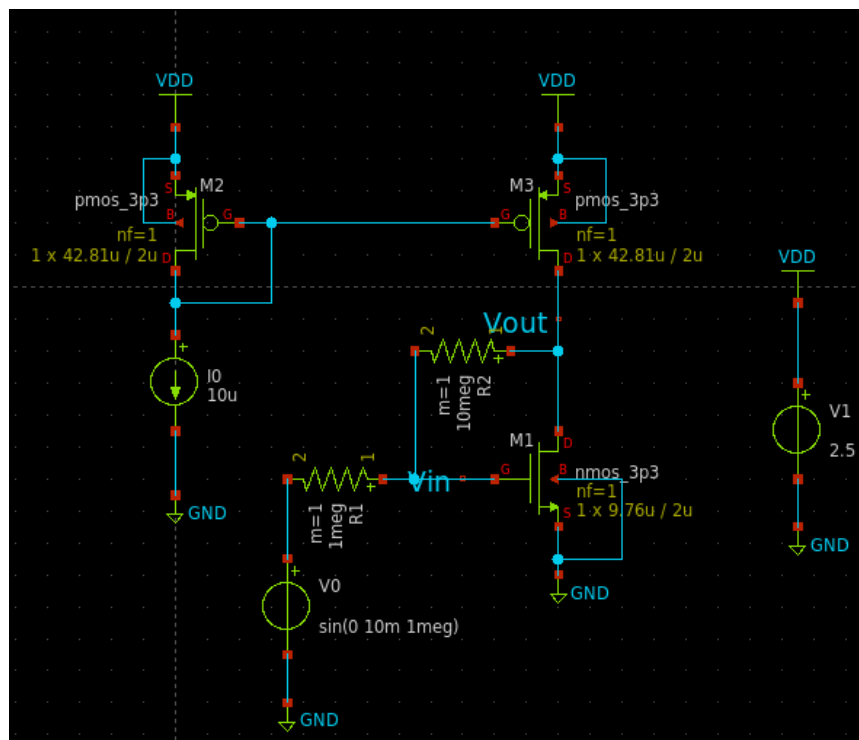
$g_m$  changes with time which means that  $g_m$  vary with the change in the operating point (the change in  $V_{GS}$  ( $V_{in}$ )) and this makes the gain depends on  $V_{in}$  so the gain is nonlinear.

- Is this amplifier linear?

No, the amplifier is not linear as the gain is not constant with the change in  $V_{in}$ . And as we saw in the  $V_{out}$  vs  $V_{in}$  graph doesn't show a linear relation.

## 5. Gain Linearization (Negative Feedback):

- **Schematic:**



- **Getting the sizing of PMOS:**

Plot 1A

Plot 1B

Plot 1C

Plot 1D

Import:

Plot 1B

OK

?

▼ LUT Settings

LUT

pmos\_03v3

?

Corner

TT

☐ All

?

Temp (°C)

27.0

☐ All

?

Frequency

1

?

ID

10u

?

Vstar

200m

?

L

2u

?

VDS

1

?

VSb

0

?

Stack

1

▼

?

Results:

	Name	TT-27.0
1	ID	10u
2	IG	N/A
3	L	2u
4	W	42.81u

➤ We know that  $A = \frac{-R_f}{R_{in}} = -10$  then  $R_{in} = 1\text{ M}\Omega$ .

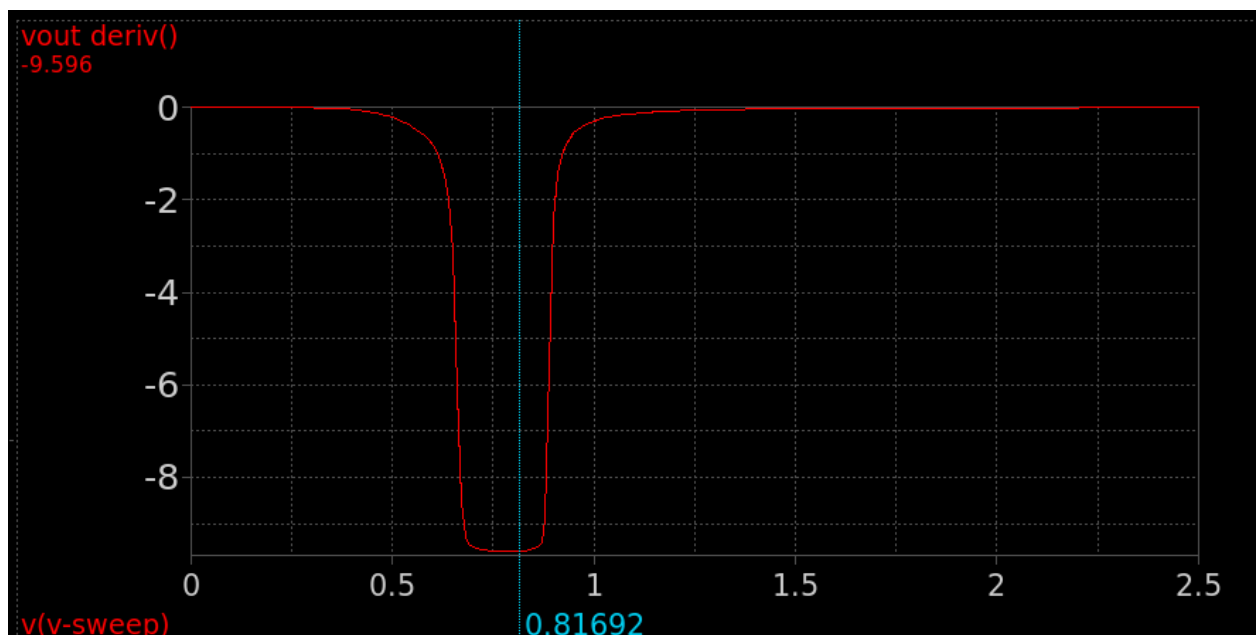
➤  $V_{in}$  and  $V_{out}$  vs  $V_{sig}$ :



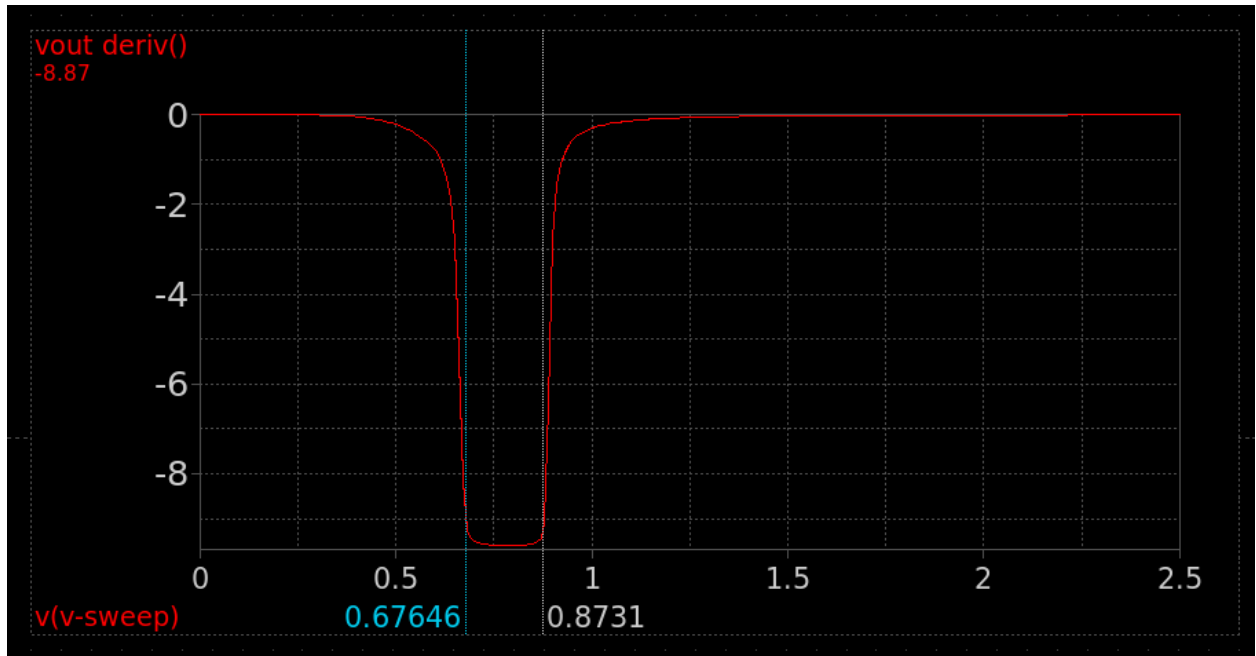
➤  $V_{in}$  equal  $V_{out}$  at the operating point  $V_{GSQ}$  as this makes the nmos have the same current as pmos then there is no current in the feedback resistance so voltage drop=0 and  $v_{out}=v_{in}$ .

➤  $V_{out}$  is linear in the region as the feedback makes the relation between  $v_{out}$  and  $v_{sig}$  constant as  $\frac{V_{out}}{V_{sig}} = \text{closed loop gain} = \frac{-R_F}{R_{in}} = -10$  then the relation is linear.

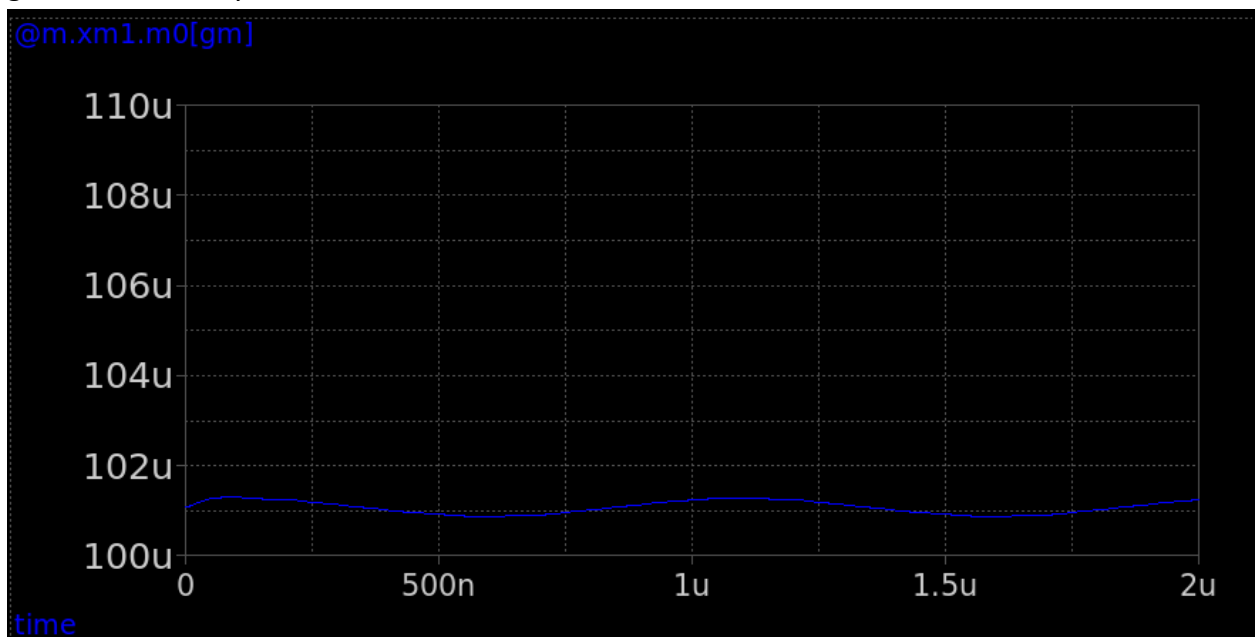
➤ derivative of  $V_{OUT}$  vs  $V_{SIG}$ :



- the gain is linear (independent of  $V_{in}$ ) because of the feedback resistance which stabilizes the input and reduce the changes in  $g_m$ ,  $A = \frac{-R_F}{R_{in}}$ .
- $V_{in}$  is almost constant at 816 mV as  $\frac{V_{out}}{V_{in}} = g_m * (r_{on}/r_{op})$  which is very high so the change in  $v_{in}$  is very small.
- Calculating DC input range at which gain is linear



- Analytically  $range = \frac{V_{DD} - v^*}{A} = \frac{2.2 - 2 \times 0.2}{10} = 210 \text{ mV}$  and from graph equals 196.6 mV.
- $g_m$  transient analysis:



- $g_m$  became more stable (less change) as the change in the input became smaller.