

$$t_{wall} := 10.5 \text{ mm} \quad S := 448 \text{ MPa}$$

$$F := 0.90$$

$$t_{Max.\text{minus}} := 0.21 \text{ mm} \quad E := 1.0$$

$$D_{Nominal.out} := 16 \text{ in} = 406.4 \text{ mm} \quad T := 1.0$$

$$TP := \frac{2 \cdot (t_{wall} - t_{Max.\text{minus}}) \cdot S \cdot F \cdot E \cdot T}{D_{Nominal.out}} = 204.1795 \text{ bar}$$

a) Hydrostatic Test Pressure Calculation

If the test pressure is required to give a hoop stress of 90 % OR 95 % of SMYS based on minimum wall thickness, it should be calculated as follows:

$$TP = \frac{2 \times (t_{min}) \times S \times F \times E \times T}{D_o}$$

Where,

TP	= Hydrostatic strength test pressure	MPa (g)
t _{min}	= specific minimum wall thickness of pipe (i.e. nominal wall thickness less maximum negative tolerance)	m
D _o	= nominal outside diameter of pipe	m
S	= Specified Minimum Yield Strength (SMYS)	Mpa
F	= Design factor (for hydrostatic strength test, i.e. 90% stress level, F = 0.90)	
E	= Longitudinal joint factor (for linepipe in accordance with DEP 31.40.20.37-Gen., E = 1.0)	
T	= Temperature derating factor (for hydrostatic strength test, T = 1.0)	

$$SMYS := 448 \text{ MPa}$$

$$TP_{min} := 90 \% \cdot SMYS = 4032 \text{ bar}$$

$$10.4132 \text{ mm} > 7.557 \text{ mm} = 1$$

Approx. Value

$$L_{DataSum} := 5.169 \text{ km} = 5169 \text{ m}$$

Exact Value

$$L_{TestPack} := 5118.170 \text{ m}$$

$$ID := 385.4 \text{ mm}$$

$$PV_1 := \frac{\pi \cdot ID^2 \cdot L_{DataSum}}{4} = 603.0035 \text{ m}^3$$

$$PV_2 := \frac{\pi \cdot ID^2 \cdot L_{TestPack}}{4} = 597.0738 \text{ m}^3$$

Error Percentage

$$\frac{PV_1 - PV_2}{PV_2} \cdot 100 = 0.9931$$

The error % is less than 1%; therefore negligible