# NeTrainSim: A Longitudinal Freight Train Dynamics Simulator for Electric Energy Consumption

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#### **Presentation Outline**

- 1. Problem Statement
- 2. Motivation
- 3. Research Gap
- 4. Research Scope
- 5. NeTrainSim Description
- 6. Train Dynamics Formulation
- 7. Case Studies
- 8. Other Potential Utilization Areas
- 9. Conclusions
- 10.Q&A



### 1. Problem Statement

 Freight locomotives efficiently move cargo but are carbon-intensive.

 Class I freight locomotives consumed 3.7 billion gallons of diesel fuel and emitted 37 million tons of CO<sub>2</sub> in the past year.

U.S. Energy Information Administration. Annual Energy Outlook 2022. https://www.eia.gov/outlooks/aeo/data. Accessed May 19, 2022.

#### 2. Motivation

- To reach green environment, a simulator is required to:
  - 1. Assess freight network performance,
  - 2. design alternative powertrains,
  - Identify necessary infrastructure investments,
  - 4. Determine energy system response.

## 3. Research Gap

- Available network simulators do not track the second-by-second movements and interactions of multiple trains on a rail graph for energy/fuel consumption calculation.
  - Tools that track second-by-second movement of trains are single train simulators or multi-train simulators on a single track.
  - To our best of knowledge, there are no simulators that model an entire network graph.

## 4. Research Scope

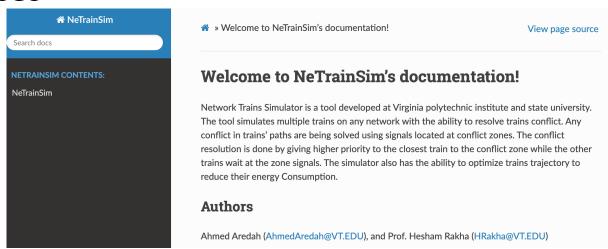
- Develop a network simulator that models:
  - 1. Train Interactions in the same direction,
  - 2. Train Interactions in **different** directions (resolve conflicts),
  - 3. Train dynamics considering each locomotive/car as a **point mass**, and
  - 4. Train **energy consumption** (diesel, electric, hydrogen, ...).



Network map and facilities. https://www.cpr.ca/en/choose-rail/network-and-facilities. Accessed Nov 29, 2022.

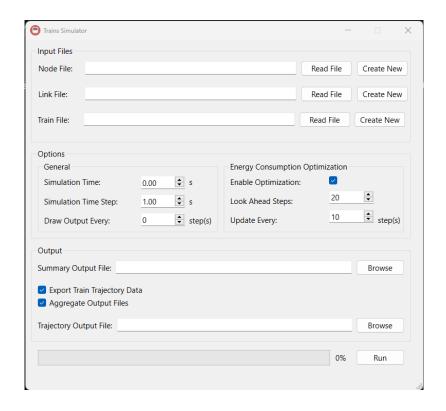
#### 5. NeTrainSim Overview

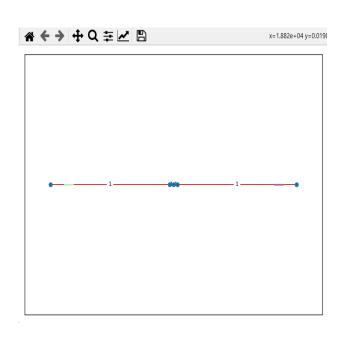
- <u>Ne</u>twork <u>Train</u> <u>Simulator</u>.
  - Time-based network modeling of all trains
    - Track the position of each locomotive and car at user specified time steps to compute the forces on the train
    - Does not model coupler forces
  - Open-Source Python OOP





### 5. NeTrainSim GUI





■ Form Trajectory Forces Train ID: 1 X-Axis Variable: Distance - Time (hr) Grade (%) — Curvature (%) Distance (km) Acceleration (m/s²) ← → | + Q = x=15.5 y=0.008

(a) Pre-processing GUI

(b) Simulation Visualization

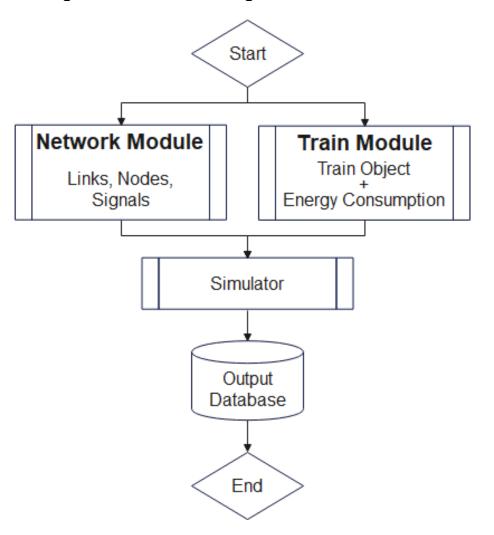
(c) Post-processing GUI

## 5. NeTrainSim Inputs

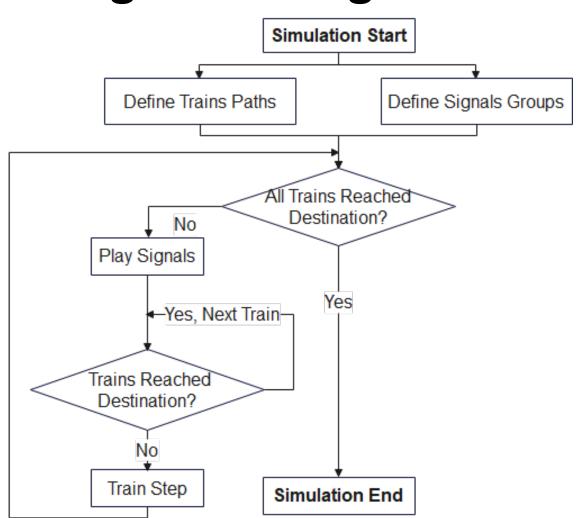
- 1. A network graph (nodes, links, signals),
- 2. Train configuration and schedule,
  - Energy sources
    - Diesel
    - Electric battery
    - Electric gantry
    - Hydrogen fuel cell



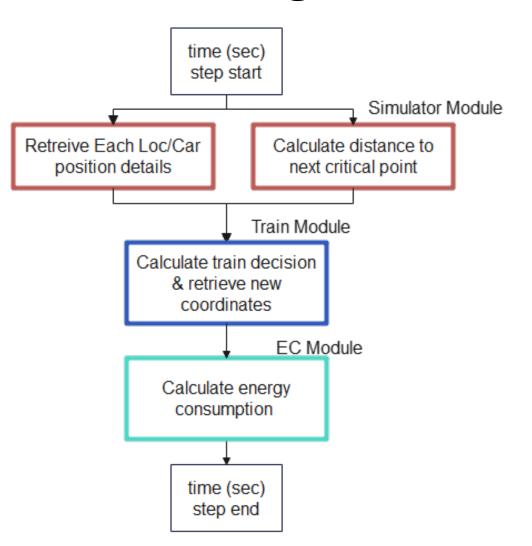
5. NeTrainSim Input/Output Interface



## 5. NeTrainSim High-level Logic



## 5. NeTrainSim Detailed Logic



Tractive Force (N):

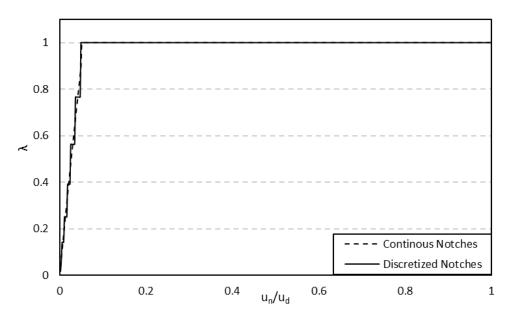
$$F_{t|n}(t) = \sum_{l} min\left(\frac{1000\eta_n\lambda_n(t)P_l^{max}}{u_n(t)}, \mu m_l g\right)$$

Resistance Force (N):

Stance Force (N). 
$$R_r = \frac{4.44822 \times 1.10231}{1000} \sum_{c,l} m_{c,l} \left( \frac{1.5 + \frac{16329.34}{m_{c,l}^a} + 0.0671 u_n(t) + \frac{16329.34}{m_{c,l}} + \frac{1.5 + \frac{1$$

m: total weight of car/locomotive,  $\eta$ : Transmission efficiency,  $\lambda_n$ : Throttle level (notch number).  $P_l^{max}$ : Max power of locomotive,  $u_n(t)$ : Current speed,  $\mu$ : Friction coef.,  $A_{c,l}$ : Frontal area,  $K_{c,l}$ : Streamlining coef., G: Grade, C: Curvature

### $\lambda_n$ - Notch number:



Time to activate brakes:  $T_n =$ 

$$T_n = \frac{L_c^{max}}{u_s} + t_{pr}$$

$$s_n(t) = s_n^j + T_n u_n(t)$$

Safe spacing:

$$\tilde{u}_n(t + \Delta t) = min\left(\frac{s_n(t) - s_n^j}{T_n}, u_f\right)$$

Time to collision:

$$TTC = min\left(\frac{s_n(t) - s_n^j}{max(u_n(t) - u_{n-1}(t), 0.0001)}, TTC_{max}\right)$$

 $u_s$ : Speed of Sound,  $L_c^{max}$ : Brakes signal travelled length,  $t_{pr}$ : Driver perception-reaction time,  $s_n^j$ : Spacing when stopped, **TTC**: Time To Collision,  $\mu$ : friction coef.,  $T_n$ : time step,  $a_n^{max}(t)$ : max acceleration,  $s_n(t)$ : train Spacing,  $s_n^j$ : train critical length.

#### **Acceleration:**

**Estimate:** 

$$a_{n,1-1}(t) = \max\left(\frac{\widetilde{u}_n(t+\Delta t) - u_n(t)}{TTC}, -\mu g\right)$$

Clear headway:

$$a_{n,1-2}(t) = \min\left(\frac{\widetilde{u}_n(t+\Delta t) - u_n(t)}{T_n}, a_n^{max}(t)\right)$$

**Acceleration selection:** 

$$a_{n,1-3}(t) = (1 - \beta_1)a_{n,1-1}(t) + \beta_1 a_{n,1-2}(t)$$

$$\beta_1 = \begin{cases} 0, & a_{n,1-1}(t) < 0 \\ 1, & a_{n,1-1}(t) \ge 0 \end{cases}$$

 $u_n(t)$ : current speed,  $u_{n-1}(t)$ : leader speed,  $\widetilde{u}_n(t+\Delta t)$ : next time step predicted speed,. **TTC**: Time To Collision,  $\mu$ : friction coef.,  $T_n$ : Time to activate brakes,  $a_n^{max}(t)$ : max acceleration,  $\mu$ : Friction coef.

#### **Acceleration:**

Train Following: 
$$a_{n,1-4}(t) = max \left( min \left( \frac{u_{n-1}(t) - u_n(t)}{T_n}, a_n^{max}(t) \right), -\mu g \right)$$

Acceleration selection: 
$$a_{n,1}(t) = \beta_2 a_{n,1-3}(t) + (1-\beta_2) a_{n,1-4}(t)$$
 
$$\beta_2 = \begin{cases} 1, & \text{spacing ahead is within range policy} \\ 0, & \text{spacing ahead is not within range policy} \end{cases}$$

 $u_n(t)$ : current speed,  $u_{n-1}(t)$ : leader speed,  $\mu$ : friction coef.,  $a_n^{max}(t)$ : max acceleration.

#### **Acceleration:**

$$a_{n,2}(t) = \min\left(\frac{\left(u_n(t)^2 - u_{n-1}(t)^2\right)^2}{4\left(\max\left(s_n(t) - s_n^j - T_n u_n(t), 0.0001\right)\right)^2 d_{des}}, \mu g\right)$$

Acceleration selection: 
$$a_n(t) = (1 - \gamma)a_{n,1}(t) + \gamma a_{n,2}(t)$$
 
$$\gamma = \frac{u_n(t) - u_{n-1}(t) + \sqrt{\left(u_n(t) - u_{n-1}(t)\right)^2}}{2 \times \max(|u_n(t) - u_{n-1}(t)|, 0.0001)}$$

 $u_n(t)$ : current speed,  $u_{n-1}(t)$ : leader speed,  $\mu$ : friction coef.

#### **Acceleration Summary:**

Estimate: 
$$a_{n,1-1}(t) = max \left(\frac{\widetilde{u}_n(t+\Delta t) - u_n(t)}{TTC}, -\mu g\right)$$
 Clear headway: 
$$a_{n,1-2}(t) = min \left(\frac{\widetilde{u}_n(t+\Delta t) - u_n(t)}{T_n}, a_n^{max}(t)\right)$$
 
$$a_{n,1-3}(t)$$
 Train Following: 
$$a_{n,1-4}(t) = max \left(min \left(\frac{u_{n-1}(t) - u_n(t)}{T_n}, a_n^{max}(t)\right), -\mu g\right)$$
 Collision Avoidance: 
$$a_{n,2}(t) = min \left(\frac{\left(u_n(t)^2 - u_{n-1}(t)^2\right)^2}{4\left(max\left(s_n(t) - s_n^j - T_n u_n(t), 0.0001\right)\right)^2 d_{des}}, \mu g\right)$$

 $u_n(t)$ : current speed,  $u_{n-1}(t)$ : leader speed,  $\widetilde{u}_n(t+\Delta t)$ : next time step predicted speed,. **TTC**: Time To Collision,  $\mu$ : friction coef.,  $T_n$ : Time to activate brakes,  $a_n^{max}(t)$ : max acceleration,  $s_n(t)$ : train Spacing,  $s_n^j$ : train critical length.

Wang, J., Rakha, H.A., 2018. Longitudinal train dynamics model for a rail transit simulation system. Transp. Res. Part C Emerg. Technol. 86, 111–123. https://doi.org/10.1016/j.trc.2017.10.011

#### **Acceleration:**

Acceleration Smoothing:  $a_n(t) = \alpha \times a_n(t) + (1 - \alpha) \times a_n(t - \Delta t)$ 

Jerk constraint:

$$\widetilde{a}_{n}(t) = \min(|a_{n}(t)|, |a_{n}(t - \Delta t)| + j_{max}\Delta t) * -1^{p}$$

$$p = \begin{cases} 0, & a_{n}(t) \geq 0 \\ 1, & a_{n}(t) < 0 \end{cases}$$

Speed:

$$u_n(t + \Delta t) = max(min(u(t) + \widetilde{a}(t) \times \Delta t, u_f), 0)$$

 $u_n(t)$ : current speed,  $u_{n-1}(t)$ : leader speed,  $\widetilde{u}_n(t+\Delta t)$ : next time step predicted speed,. **TTC**: Time To Collision,  $\mu$ : friction coef.,  $T_n$ : time step,  $a_n^{max}(t)$ : max acceleration,  $s_n(t)$ : train Spacing,  $s_n^j$ : train critical length.

## 6. NeTrainSim Model: Energy Consumption

Train power:

$$P_{W|n}(t) = (m_n a_n(t) + R_n(t)) \times u_n(t)$$

**Regenerative coef.:**  $\eta_{re}(t) = \begin{cases} \frac{1}{e^{\frac{\gamma}{|a(t)|}}} & \forall P_{W|n}(t) < 0 \\ 0 & \forall P_{W|n}(t) \geqslant 0 \end{cases}$ 

$$f(t) = \begin{cases} e^{|a(t)|} \\ 0 & \forall P_{W|n}(t) \geqslant 0 \end{cases}$$

Consumed power: 
$$P_{B,n}(t) = \begin{cases} \frac{P_{W|n}(t)}{\eta_{W-T}} + P_A, & \forall P_{W|n}(t) > 0 \\ P_{W|n}(t) \times \eta_{re|n} \times \eta_{W-T} + P_A & \forall P_{W|n}(t) \le 0 \end{cases}$$

 $\eta_{re}$ : regenerative eff.,  $\gamma$ : regenerative coef.,  $\mathbf{a(t)}$ : train acceleration,  $P_{W|n}$ : driving used power,  $\eta_{W-T}$ : driveline eff.,  $P_A$ : used auxiliary power

#### 7. Case Studies

A. 2 Scenarios: Validate train dynamics results,

B. 1 Scenario: Test conflict resolution, and

C. 1 Scenario: Network run.

### • 2 Scenarios: Validate train dynamics results:

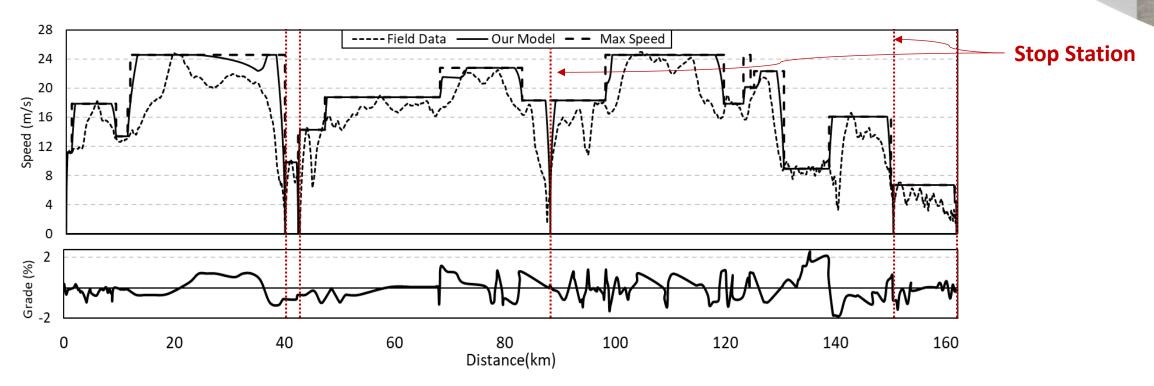
Value	Train Characteristics	Value
162	Track Length (km)	322
3262	Max Locomotive Power (kW)	2445.9
3	Number of Locomotives	11
71	Number of Cars	139
198	Locomotive Weight (ton)	190
44	Car Weight (ton)	100
	162 3262 3 71 198	Track Length (km)  Max Locomotive Power (kW)  Number of Locomotives  Number of Cars  Locomotive Weight (ton)

**Trains Characteristics in Scenario I** 

**Trains Characteristics in Scenario II** 

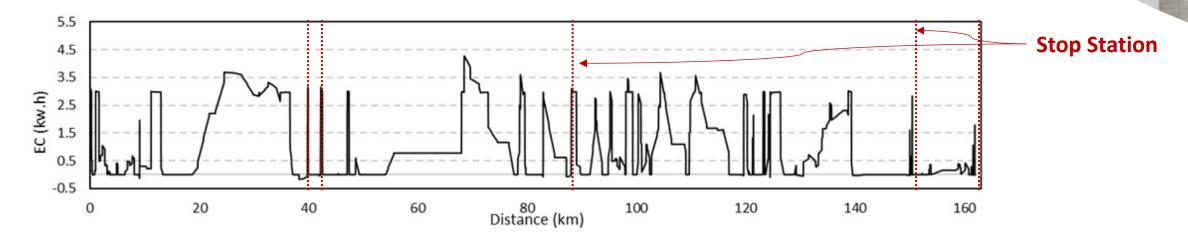
### A. Validate train dynamics results - Scenario I

Speed Profile in Scenario I



A. Validate train dynamics results – Scenario I (Cont.)

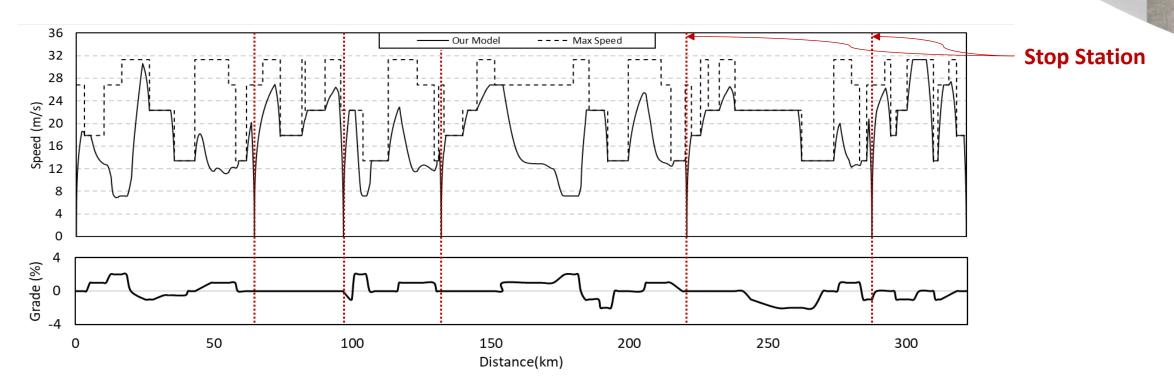
**Instantaneous Energy Consumption in Scenario I** 



Electric Total Energy Consumption (MWh) = 10.12 (Predicted)
10.58 (Ground Truth)

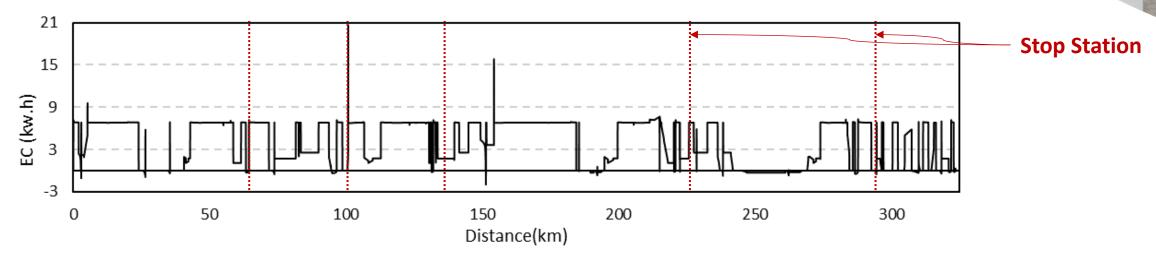
#### A. Validate train dynamics results - Scenario II

**Speed Profile in Scenario II** 



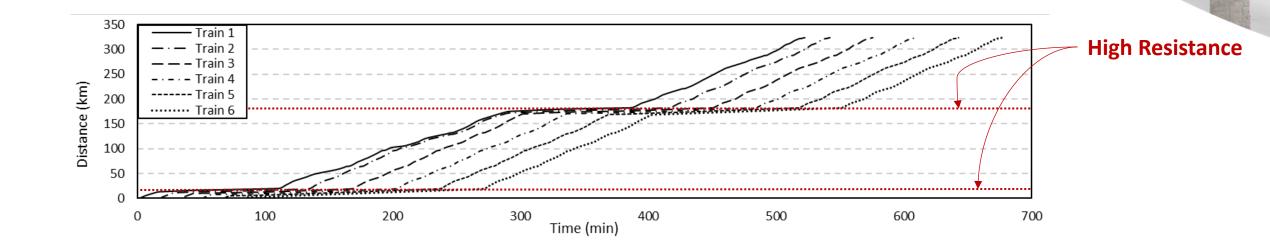
A. Validate train dynamics results - Scenario II (Cont.)

**Instantaneous Energy Consumption in Scenario II** 

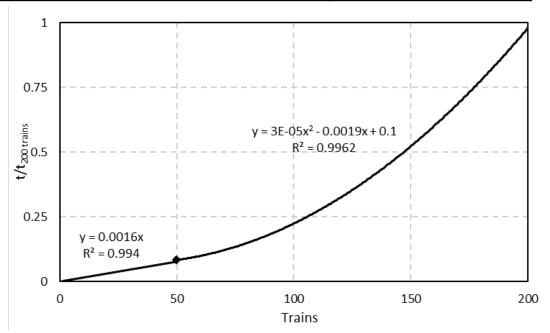


**Electric Total Energy Consumption (MWh) = 83.5** 

#### A. Scenario II - Extension - Following Model



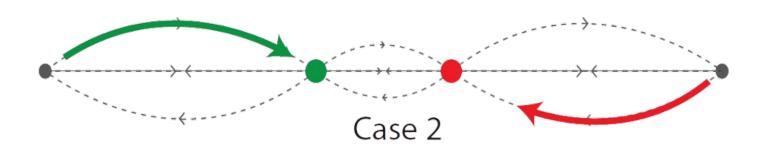
#### A. Scenario II - Extension - Following Model (Cont.)



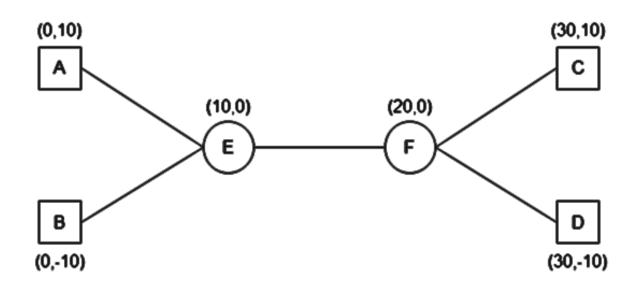
 $O(\#train^2)$ 

#### B. <u>Test conflict resolution – Scenario III:</u>

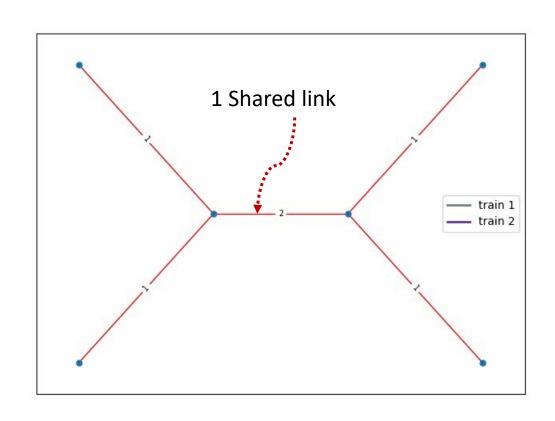


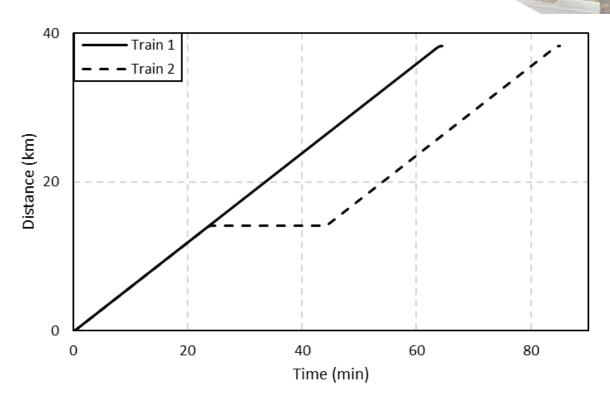


#### B. Test conflict resolution - Scenario III (Cont.):

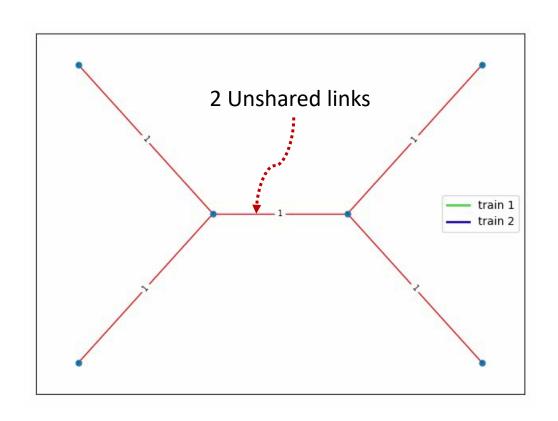


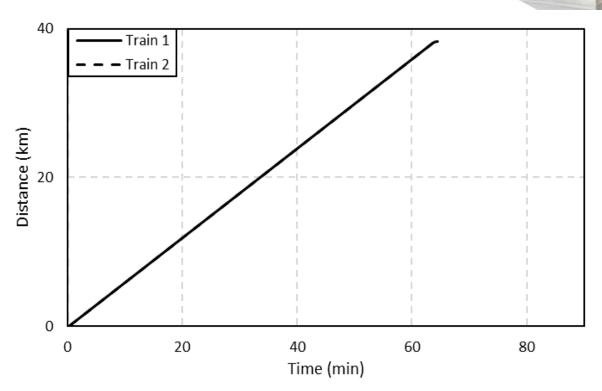
#### B. Test conflict resolution - Scenario III - Case 1:



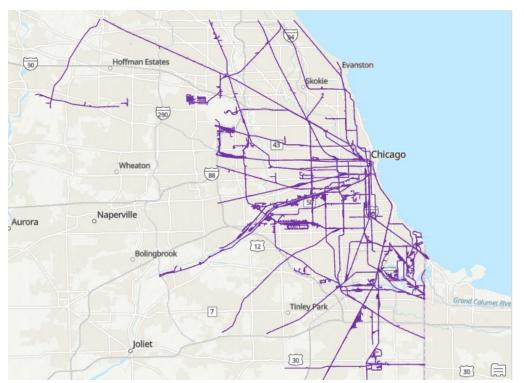


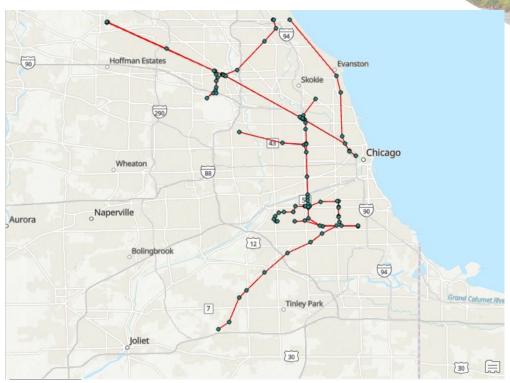
#### B. Test conflict resolution - Scenario III - Case 2:





#### B. Network Run – Scenario VI:

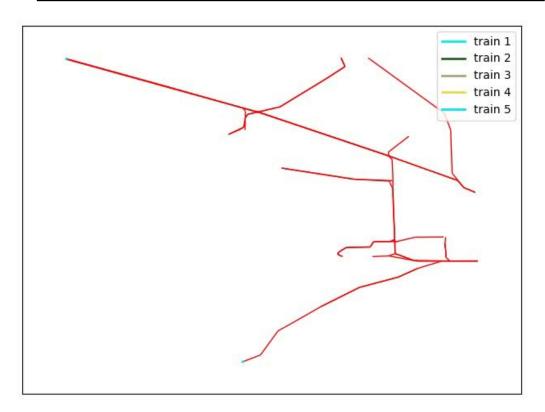


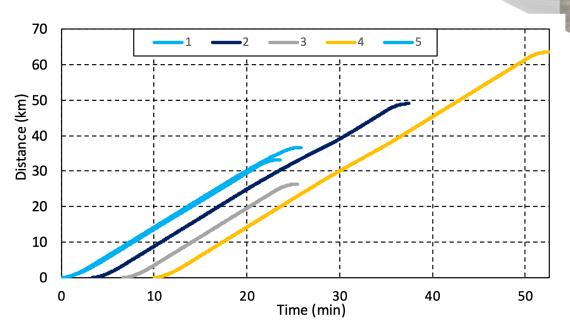


(a) Original Chicago Network

(b) Simplified Chicago Network

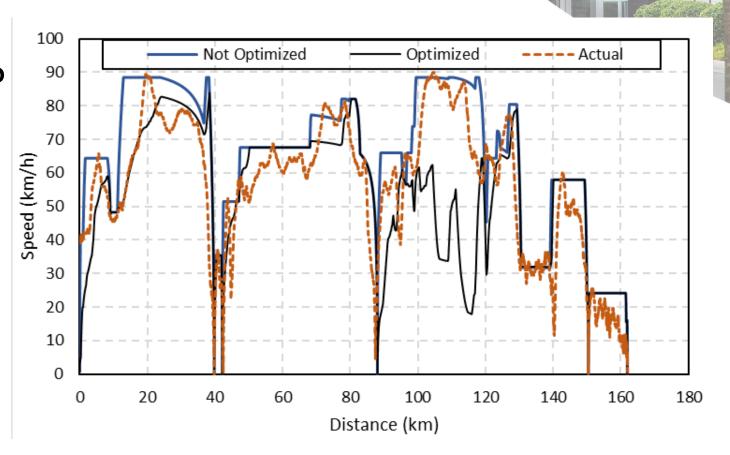
#### B. Network Run – Scenario VI (Cont.):





## 7. Trajectory Optimization

- Lookahead distance?
- Update throttle level?



### 8. Other Potential Utilization Areas

- Commodities path planning,
- Compare energy consumption of different energy sources,
- Optimize recharge station locations,
- Infrastructure-decision-making-investment tool.

#### 9. Conclusion

- NeTrainSim: A Network Train Simulator.
- Energy consumption for different powertrains.
- Train following.
- Conflict resolution.
- Trajectory optimization.

# **Funded by**

The US Department of Energy



# Thank you!



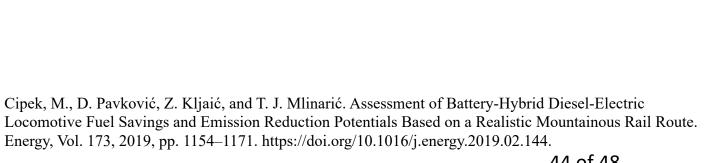
#### **Literature Review**

- Simulator Types:
  - Macroscale simulators typically ignore the in-train forces to achieve scalability.
  - Microscale simulators include longitudinal dynamics and/or any relative motion between vehicles in the direction of the train movement.

- Simulator Types (Cont.):
  - Whole-trip simulators replicate one fixedconfiguration train running on a fixed route for the in-train forces and their patterns.
  - Short-trip provide a microanalysis of a single train vehicle or the train as a whole.

Wu, Q. Optimisations of Draft Gear Designs for Heavy Haul Trains. Central Queensland University, Australia, 2017.

- Whole-trip Simulators in Literature:
  - Cipek et al.:
    - Converted a diesel locomotive to a battery hybrid equivalent,
    - Derived fuel consumption and gases emissions models.

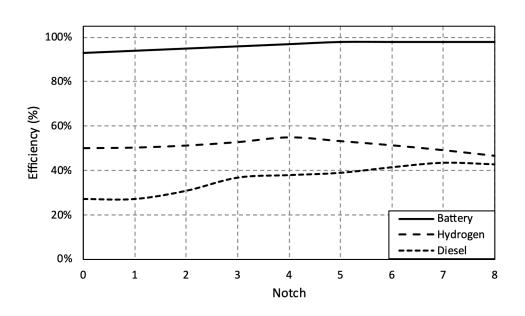


- Whole-trip Simulators in Literature (Cont.):
  - Train Energy and Dynamics Simulator (TEDS) for:
    - Safety and risk evaluations,
    - Energy consumption studies,
    - Incident investigations,
    - Train operation studies,
    - Ride quality evaluations.

- Whole-trip Simulators in Literature (Cont.):
  - Analysis of Train/Track Interaction Forces Simulator (ATTIF) for:
    - Accident investigation,
    - Train configuration evaluation,
    - Assist in the training of train operators.

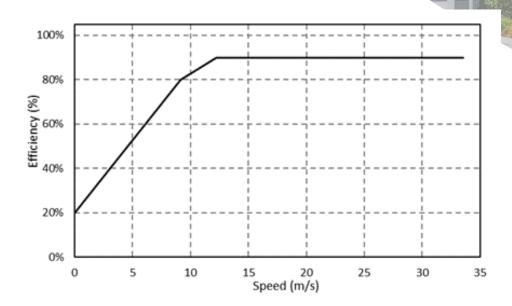
- Whole-trip Simulators in Literature (Cont.):
  - Train Dynamics and Energy Analyzer/train Simulator
  - (TDEAS) for:
    - Longitudinal train dynamics,
    - Energy analyses.

# **NeTrainSim Model: Energy Consumption**



(A) DC Bus to Tank Efficiency by Notch Number

Locomotives drive-line efficiencies by energy source



(B) Wheel to DC Bus Efficiency by train Speed