

Assignment 2: Related Work

- there are many challenges in genome assembly such as read length(short) and repeated sequences .
- so we will use de Bruijn Graph depends on k_mers(A k-mer is a substring over a read with specific L length) .
- we find the k-mers of every read without repetition of every edge
- number of k_mers= $L(\text{read length}) - K(k_mers \text{ length}) + 1$
- example read(ATTGTC) and $K=3$ so first k_mers is (ATT) second is (TTT) third (TTG) and no.of k_mers = $L-K+1=6-3+1=3$
- A de Bruijn graph $G_k(V, E)$ represents overlaps between k-mers, in which:
 - – The set of vertices is defined by $V = S = \{s_1, s_2, \dots, s_p\}$, where S is a set of unique k-mers over a given set of reads
 - – The set of edges is defined by $E = \{e_1, e_2, \dots, e_q\}$, where $e = (s_i, s_j)$ if and only if the $k - 1$ -th suffix of s_i matches exactly the $k - 1$ -th prefix of s_j . s_i and s_j must be adjacent k-mers in at least one read
- The life cycle of DBG for genome assembly can be summarized in two steps.
First, construction involves the generation of all k-mers to generate a node per distinct k-mer and an edge between two nodes if these k-mers have a $k - 1$ overlapped in at least one read. In the second step, the processing is carried on by simplifying the graph and traverse it to generate contiguous genome regions called contigs