

## B. Hamon Odyssey

time limit per test: 1 second  
memory limit per test: 256 megabytes

Jonathan is fighting against DIO's Vampire minions. There are  $n$  of them with strengths  $a_1, a_2, \dots, a_n$ .

Denote  $(l, r)$  as the group consisting of the vampires with indices from  $l$  to  $r$ . Jonathan realizes that the *strength* of any such group is in its weakest link, that is, the bitwise AND. More formally, the *strength* level of the group  $(l, r)$  is defined as

$$f(l, r) = a_l \& a_{l+1} \& a_{l+2} \& \dots \& a_r.$$

Here,  $\&$  denotes the [bitwise AND operation](#).

Because Jonathan would like to defeat the vampire minions fast, he will divide the vampires into contiguous groups, such that each vampire is in **exactly** one group, and the **sum** of *strengths* of the groups is **minimized**. Among all ways to divide the vampires, he would like to find the way with the **maximum** number of groups.

Given the strengths of each of the  $n$  vampires, find the **maximum number** of groups among all possible ways to divide the vampires with the smallest sum of *strengths*.

### Input

The first line contains a single integer  $t$  ( $1 \leq t \leq 10^4$ ) — the number of test cases. The description of test cases follows.

The first line of each test case contains a single integer  $n$  ( $1 \leq n \leq 2 \cdot 10^5$ ) — the number of vampires.

The second line of each test case contains  $n$  integers  $a_1, a_2, \dots, a_n$  ( $0 \leq a_i \leq 10^9$ ) — the individual strength of each vampire.

The sum of  $n$  over all test cases does not exceed  $2 \cdot 10^5$ .

### Output

For each test case, output a single integer — the maximum number of groups among all possible ways to divide the vampires with the smallest sum of *strengths*.

### Example

input	Copy
3 3 1 2 3 5 2 3 1 5 2 4 5 7 12 6	
output	Copy
1 2 1	

### Note

In the first test case, the optimal way is to take all the  $n$  vampires as a group. So,  $f(1, 3) = 1 \& 2 \& 3 = 0$ .

In the second test case, the optimal way is to make 2 groups,  $(2, 3, 1)$  and  $(5, 2)$ . So,  $f(1, 3) + f(4, 5) = (2 \& 3 \& 1) + (5 \& 2) = 0 + 0 = 0$ .

Codeforces Round 882 (Div. 2)

Finished

Practice

→ Virtual participation

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Start virtual contest

→ Clone Contest to Mashup

You can clone this contest to a mashup.

Clone Contest

→ Submit?

Language: GNU G++20 13.2 (64 bit, win)

Choose file: Choose File No file chosen

Submit

→ Last submissions

Submission	Time	Verdict
<a href="#">256724311</a>	Apr/15/2024 08:11	Accepted
<a href="#">256724128</a>	Apr/15/2024 08:09	Wrong answer on test 2
<a href="#">256723955</a>	Apr/15/2024 08:06	Wrong answer on test 1
<a href="#">256723877</a>	Apr/15/2024 08:05	Wrong answer on test 1
<a href="#">256723758</a>	Apr/15/2024 08:04	Wrong answer on test 2
<a href="#">256723710</a>	Apr/15/2024 08:03	Wrong answer on test 2

→ Problem tags

bitmasks greedy two pointers \*1000

No tag edit access

→ Contest materials

Announcement (en)

Tutorial (en)