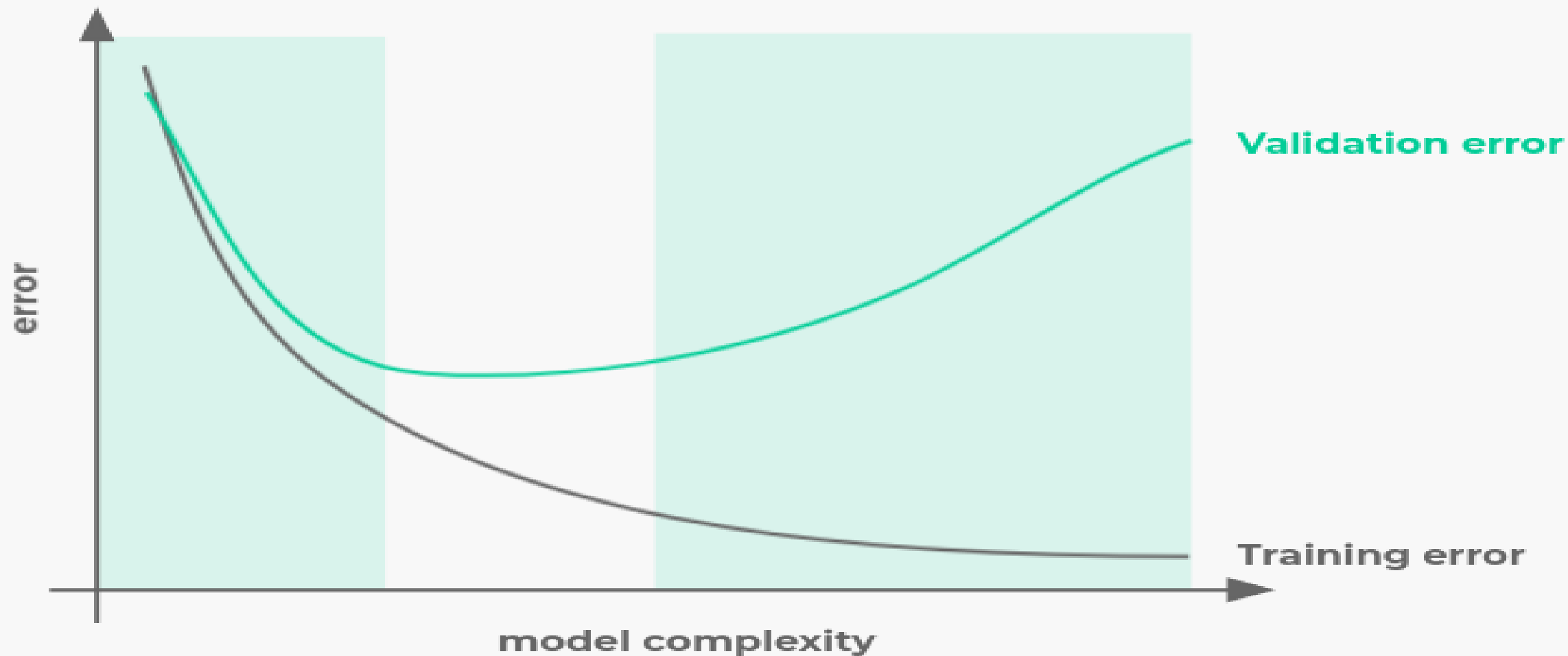
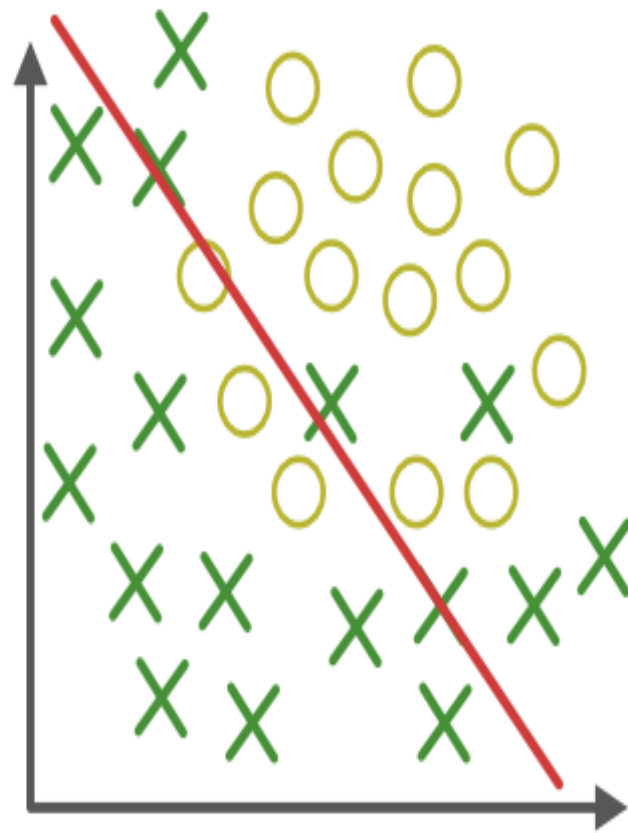


# Dropout in Neural network

high bias  
underfitting

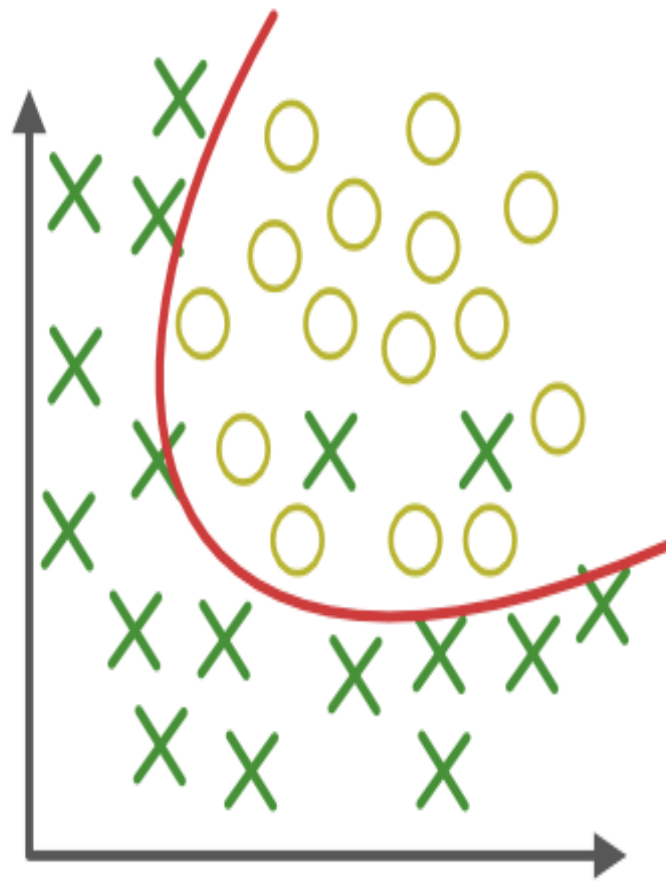
high variance  
overfitting



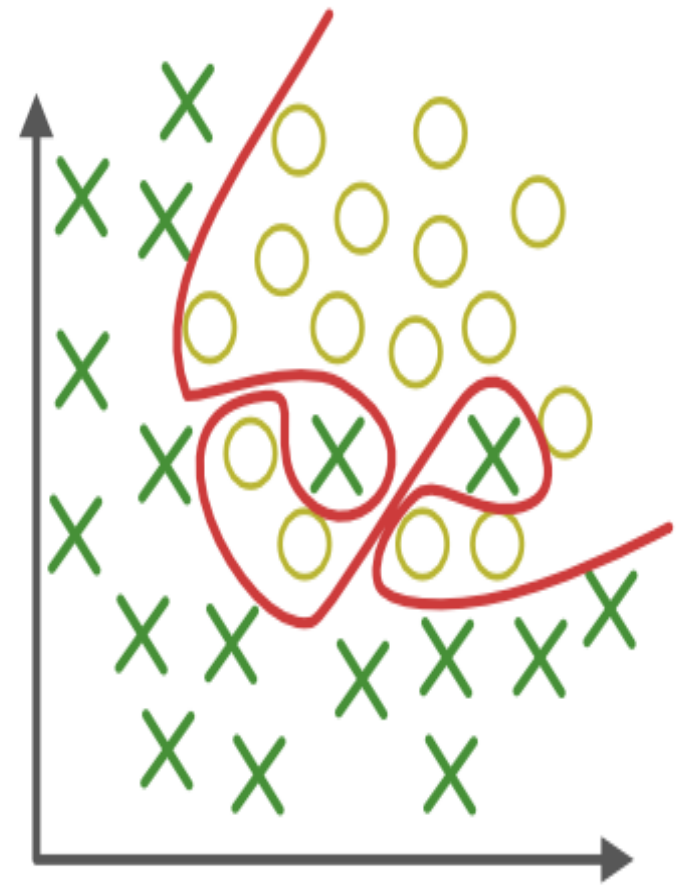


**Under-fitting**

(too simple to  
explain the variance)



**Appropriate-fitting**

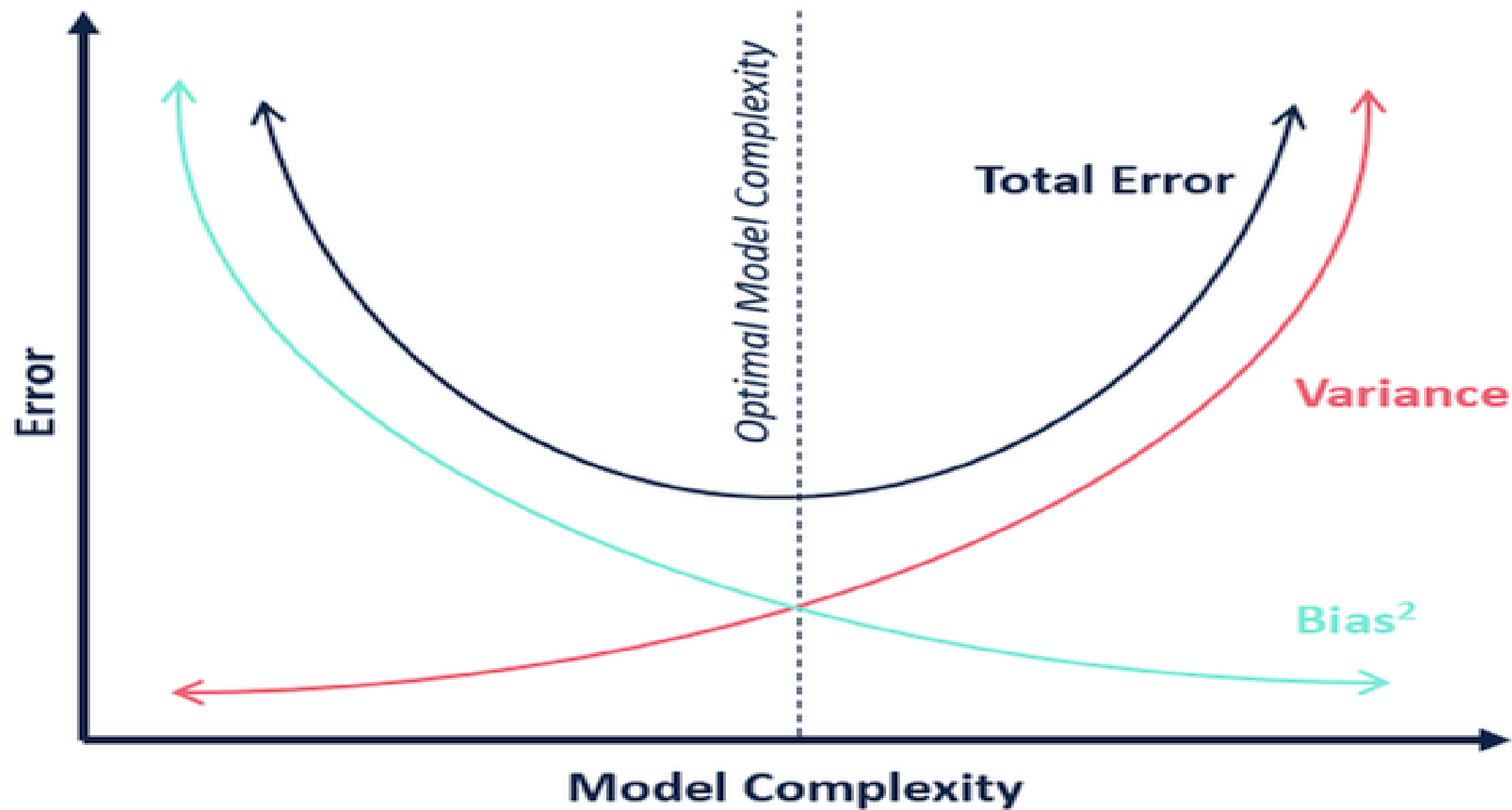


**Over-fitting**

(forcefitting--too  
good to be true)

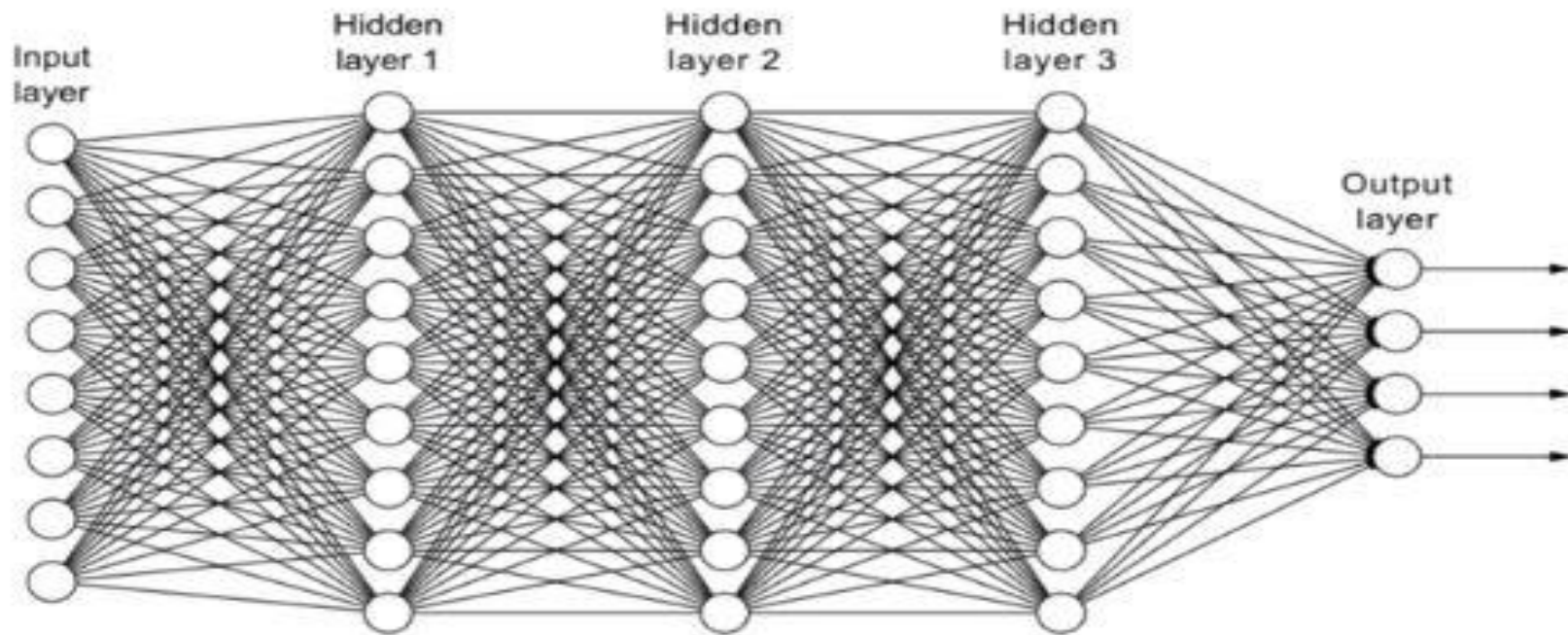


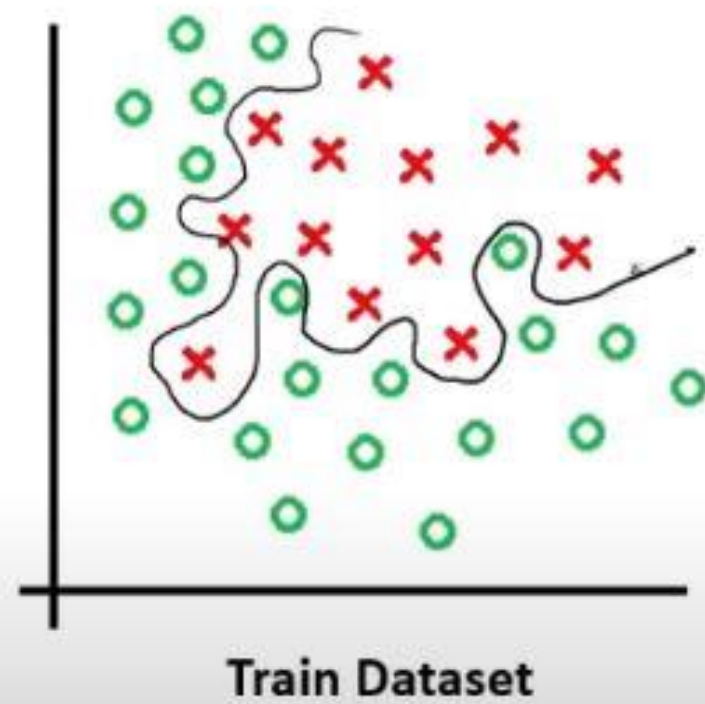
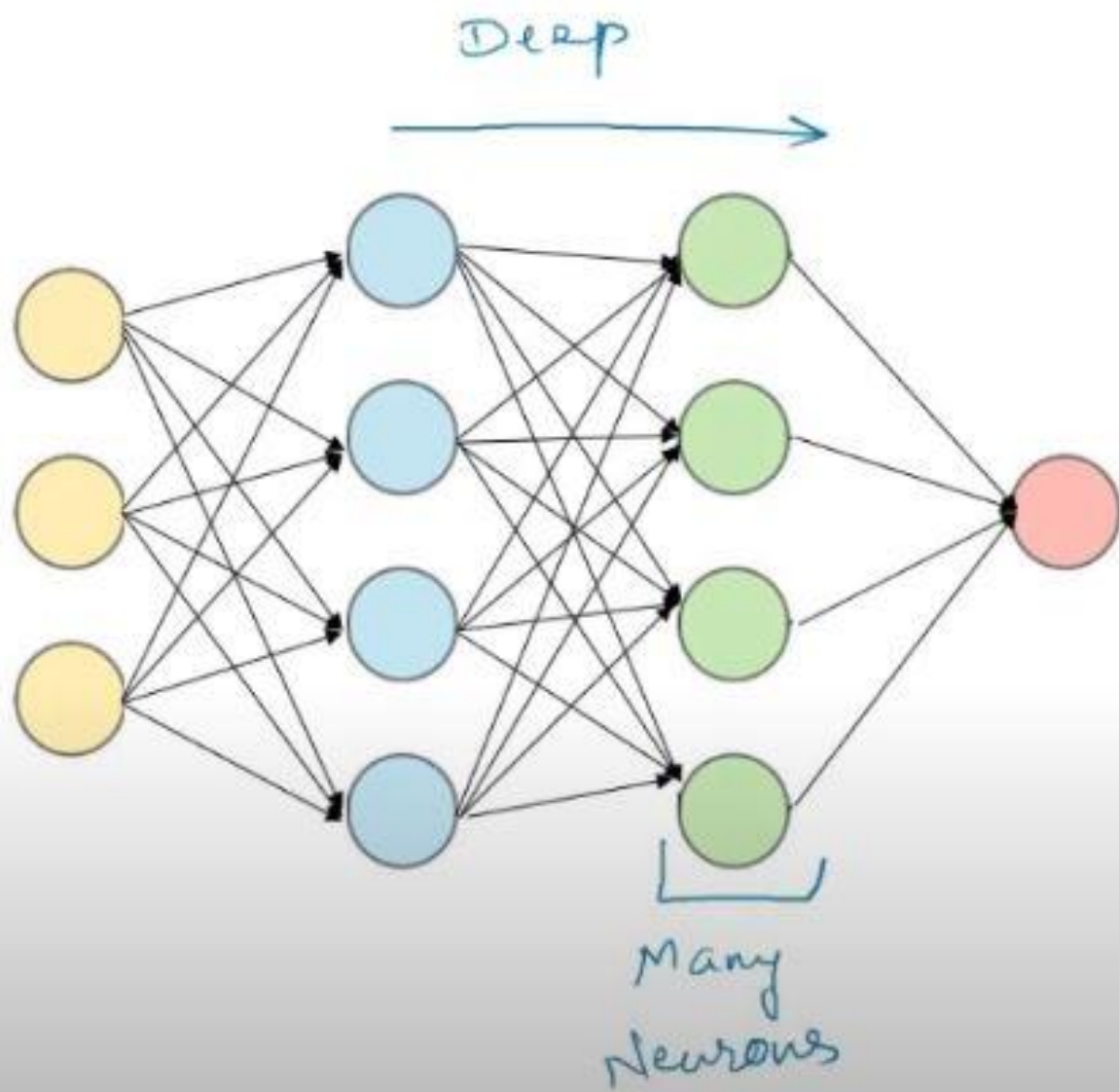
- low bias refers to a model that is able to capture the underlying patterns and relationships in the data accurately. It means that the model is flexible enough to fit the training data well.
- On the other hand, high variance refers to a model that is overly complex and sensitive to the training data. It means that the model may fit the training data too closely, resulting in poor generalization to new, unseen data.
- In simpler terms, low bias implies that the model is not making many assumptions about the data, allowing it to learn complex patterns. High variance, however, suggests that the model is overfitting the training data, resulting in poor performance on new data.
- Finding the right balance between low bias and high variance is crucial in machine learning, as both extremes can lead to poor model performance.

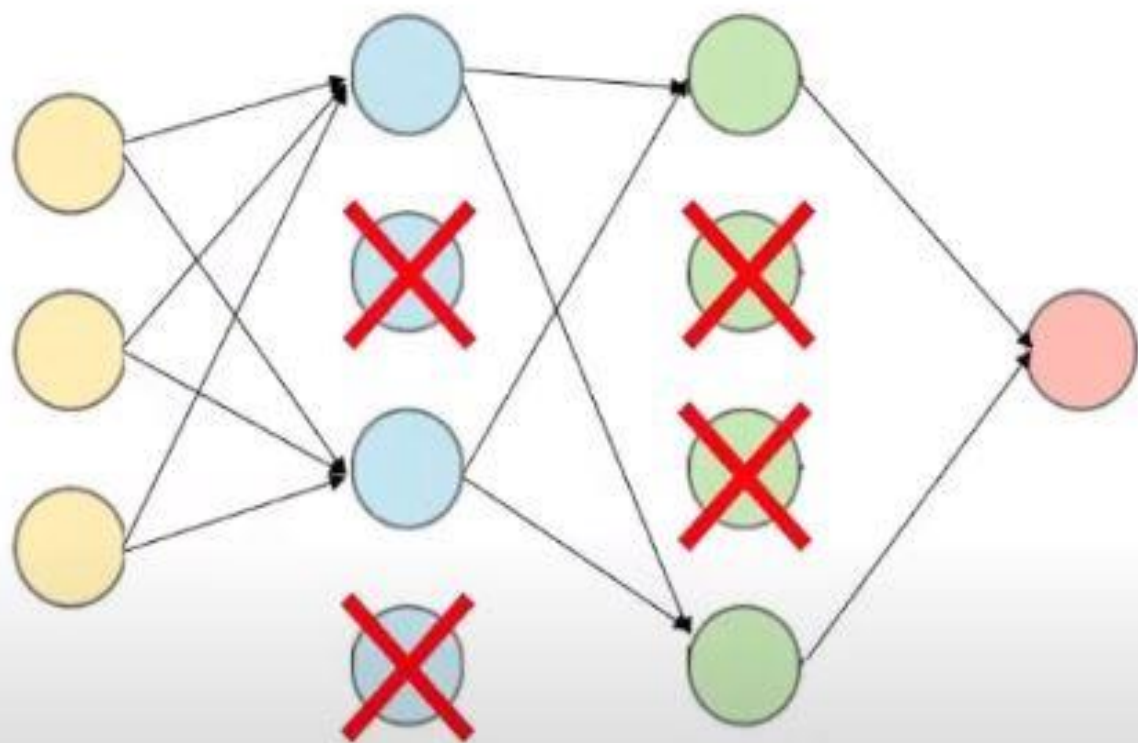


# How to reduce Overfitting?

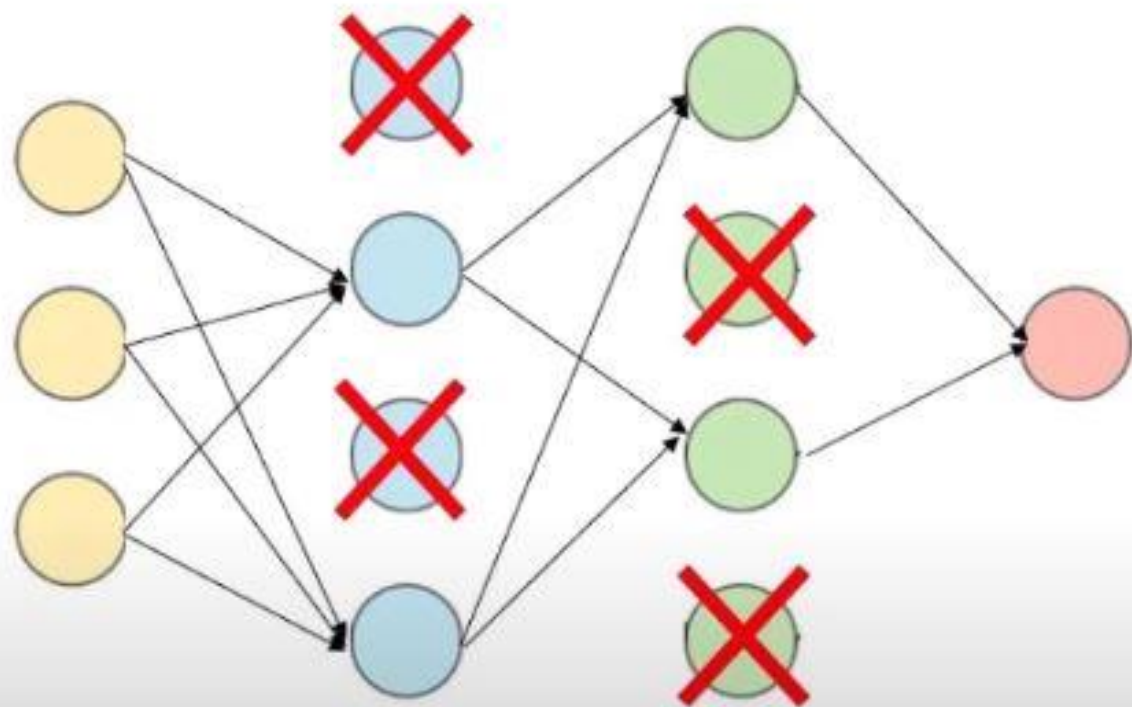
- Reduce complexity of Neural Network
- Regularization
- Dropout
- Reduce the number of epochs - the training duration











$\text{new} = \underline{A}$

```
D = np.random.rand(A.shape[0], A.shape[1])
```

```
[[0.13691879 0.12486968 0.76703112 0.80144702]
 [0.61693956 0.71061175 0.39941722 0.57400298]
 [0.01633737 0.94949367 0.93394508 0.27578972]
 [0.46148637 0.09595069 0.96184166 0.66788549]
 [0.15366178 0.32287791 0.47652757 0.26758814]]
```

$D = D < \text{keep\_rate} = 0.8$

```
[[ True  True  True False]
 [ True  True  True  True]
 [ True False False  True]
 [ True  True False  True]
 [ True  True  True  True]]
```

```
A = A * D
```

```
[[0.23869521 0.96682018 0.11877874 0.57609517]
 [0.94703416 0.51971021 0.11884226 0.26263551]
 [0.02637477 0.60834206 0.97092361 0.32589815]
 [0.34884988 0.36680243 0.95451758 0.83512696]
 [0.43897514 0.54082403 0.90827132 0.82675546]] *
[[ True  True  True False]
 [ True  True  True  True]
 [ True False False  True]
 [ True  True False  True]
 [ True  True  True  True]] =
[[0.23869521 0.96682018 0.11877874 0.
 [0.94703416 0.51971021 0.11884226 0.26263551]
 [0.02637477 0.
 [0.34884988 0.36680243 0.
 [0.43897514 0.54082403 0.90827132 0.82675546]]
```

# Forward Propagation

---

$Z1 = W1 * A0 + B1$

$A1 = f ( Z1 )$

$D1 = \text{np.random.rand}(A1.\text{shape}[0], A1.\text{shape}[1]) < \text{keep\_rate}$

$A1 = A1 * D1$

$Z2 = W2 * A1 + B2$

$A2 = f ( Z2 )$

$D2 = \text{np.random.rand}(A2.\text{shape}[0], A2.\text{shape}[1]) < \text{keep\_rate}$

$A2 = A2 * D2$

$Z3 = W3 * A2 + B3$

$A3 = f ( Z3 )$

# Forward Propagation

---

$$Z1 = W1 * A0 + B1$$

$$A1 = f ( Z1 )$$

$$\left\{ \begin{array}{l} \underline{D1} = \text{np.random.rand}(A1.\text{shape}[0], A1.\text{shape}[1]) < \text{keep\_rate} \\ \underline{A1} = \underline{A1} * \underline{D1} / \text{keep\_rate} \end{array} \right.$$

$$Z2 = W2 * A1 + B2$$

$$A2 = f ( Z2 )$$

$$\left\{ \begin{array}{l} D2 = \text{np.random.rand}(A2.\text{shape}[0], A2.\text{shape}[1]) < \text{keep\_rate} \\ A2 = A2 * D2 / \text{keep\_rate} \end{array} \right.$$

$$Z3 = W3 * A2 + B3$$

$$A3 = f ( Z3 )$$

# How to reduce Underfitting?

- Make the Neural Network more complex
- Add more training data so the network can learn more about the specific task
- Preprocessing of the data - Remove noise as an example
- Increase number of epochs - Increase training duration
- Fine-tune parameters for the network and training process