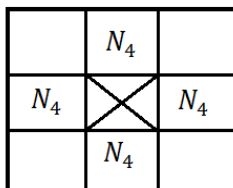
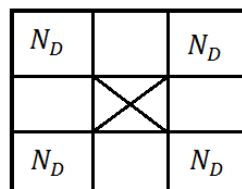
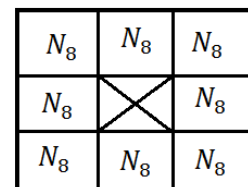


**Section Content:**

-  Neighboring
-  Connectivity
-  Image path
-  Labeling
-  Histogram

**Neighboring****Neighboring:**

- To identify **objects** in a digital pattern, we **need to locate groups of black pixels** that are "connected" to each other. In other words, the **objects** in each digital pattern are the **connected components** of that pattern.
- Relation between pixels in some way.
- Generally, objects are group of color/gray connected neighbor pixels

**Types of Neighboring:** $N_4$  four $N_D$  Diagonal $N_8 (f(X, Y)) = \{N_D \cup N_4\}$ **Connectivity****Connectivity:**

- Pixels are considered connected if and only if:
  - They're neighbors "according to some neighboring"
  - $f(X_1, Y_1), f(X_2, Y_2) \in \xi \rightarrow$  Where  $\xi$  is the gray levels connectivity set  $\{\dots, \dots, \dots\}$ .

**Example 1: Find the Connectivity**

- Giving the connectivity for the pixel  $f(1,1)$  giving the connectivity set  $\xi = \{3, 4, 5, 6, 7, 8, 9, 10\}$  for cases  $N_4, N_D, N_8$

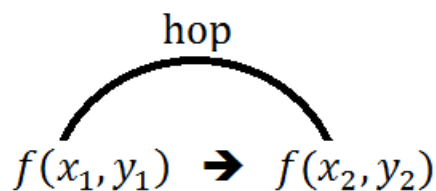
2	4	7
6	5	100
13	120	9

#### Answer Example 1

- In case of,  $N_4$  "5" is connected with  $F(1,0) = 4$  and  $F(0,1) = 6$ .
- In case of,  $N_D$  "5" is connected with  $F(2,0) = 7$  and  $F(2,2) = 9$ .
- In case of,  $N_8$  "5" is connected to  $F(1,0), F(0,1), F(2,0), F(2,2) = \{4, 6, 7, 9\}$ .

#### Image Path:

- The Image path is a sequence of connected pixels starts at the first pixel  $f(x_1, y_1)$  and ends at  $f(x_n, y_n)$ .
- This Path sometimes doesn't exist as there might be a disconnection in the Gray scale with respect to the connectivity set, could be unique, and could be multiple paths
- Image Path Length: The number of hops



#### Example 2 Find the Image Path Between $f(1,1)$ and $f(3,5)$

- Giving the connectivity set  $\xi = \{3, 4, 5, 6, 7, 8, 9, 10\}$  and neighbor  $N_4$

6	3	8	7	5	4	2
2	2	5	6	9	8	7
4	5	2	3	0	1	2
3	2	1	3	1	2	1
1	1	1	8	0	5	5

8	8	8	6	7	9	8
7	7	7	8	6	7	5

### Answer Example 2

Image path = {f(1,1), f(2,1), f(3,1), f(3,2), f(3,3), f(3,4), f(3,5)}

Image path length =  $n-1 = 7-1=6$

6	3	1	7	5	4	2
2	2	5	6	9	8	7
4	5	2	3	0	1	2
3	2	1	7	1	2	1
1	1	1	8	0	5	5
8	8	8	6	7	9	8
7	7	7	8	6	7	5

### Labeling of Connected Regions

- Region: is the group of connected pixels.
- Labeling is a mean to find out the regions that exists within an image matrix
- Image path

Example 3: get the labels for the pixels satisfying the rule of  $\xi = \{0 \rightarrow 20\}$  and neighbor N 8

100	100	100	110	120
110	90	5	7	100
5	100	6	110	120
7	100	100	120	10
110	5	70	110	8
111	110	7	10	120

Answer Example 3

100	100	100	110	120
110	90	5	7	100
5	100	6	110	120
7	100	100	120	10
110	5	70	110	8
111	110	7	10	120

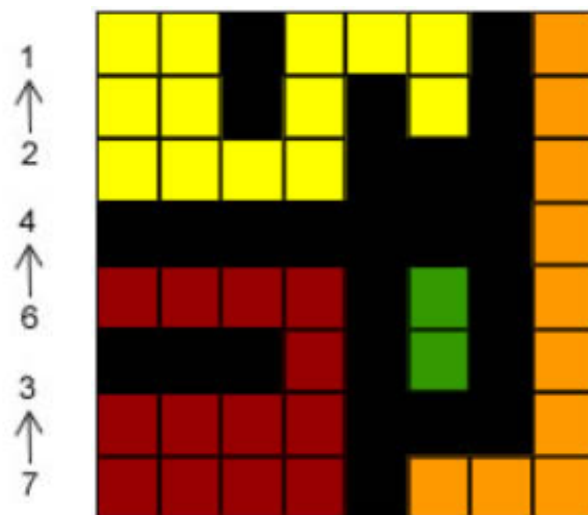
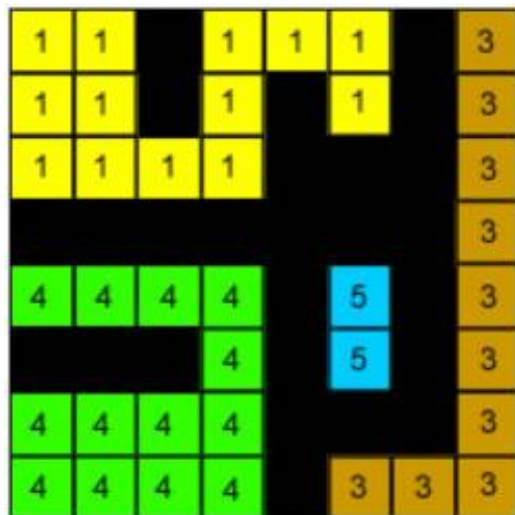
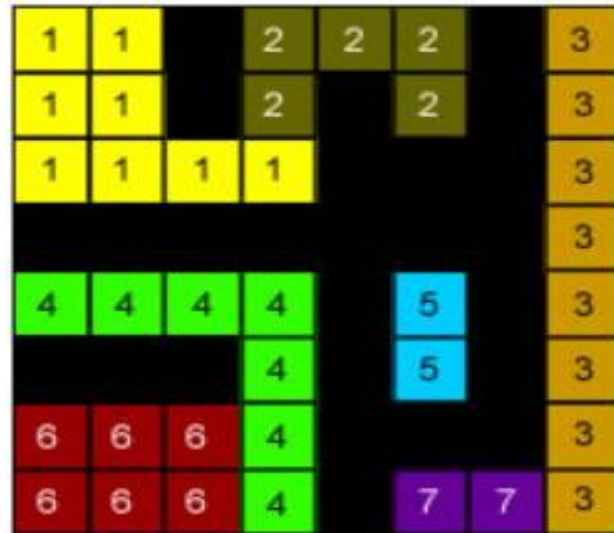
Finally, the found labels are L1 and L2

Label 1 =  $\{f(2,1), f(3,1), f(2,2)\}$

Label 2 =  $\{f(0,2), f(0,3), f(1,4), f(2,5), f(3,5), f(4,3), f(4,4)\}$

Example 3 perform labeling of connected regions using  $N_8$ ,  $\xi = \{1\}$

1	1	0	1	1	1	0	1
1	1	0	1	0	1	0	1
1	1	1	1	0	0	0	1
0	0	0	0	0	0	0	1
1	1	1	1	0	1	0	1
0	0	0	1	0	1	0	1
1	1	1	1	0	0	0	1
1	1	1	1	0	1	1	1



## Histogram

### Histogram:

- Histogram: count the number of occurrences per gray/color component value within the image matrix/matrices.
- So, histogram is a table of two columns: gray/color, counts.
- The total number of counts should be equal to  $M*N$  pixel counts

### Example 1:

Calculate the Following for the following Matrix: Find histogram

$$\begin{pmatrix} 5 & 5 & 4 & 5 \\ 10 & 20 & 5 & 4 \\ 10 & 20 & 5 & 10 \\ 20 & 4 & 5 & 100 \end{pmatrix}$$

**Answer:**

Gray Value	Count
4	3
5	6
10	3
20	3
100	1
Total count	16

**Example 2:**

Calculate the Following for the following Matrix: Find histogram

1	2	7	5	6
7	2	3	4	5
0	1	5	7	3
1	2	5	7	3
6	1	0	3	4

**Answer:**

Gray	Count
0	2
1	4
2	3
3	3
4	2
5	4
6	3
7	4
Total →	25