

Cairo University Faculty of Engineering Electronics and Electrical Communication Department



Digital Communication Project 1

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Generating the data

```
A=5;
n = 100;
                                  % However many numbers you want.
ret 0=4;
                                  % to knows the number of ones in RZ waveform
1111000
Tx out = zeros (500, 7*n, 3);
out data1 = zeros(500,7*n);
                                 % Initialize output data for Non-Return Zero
Waveforms
Waveforms
                          % Initialize columns vector for delays
del no= zeros(500,1);
for i = 1:500 % Generate the Data
   Data = randi([0, 1], [1, n]); % Generate random int data 0 or 1 with length
of n
                            % Repete each opservation 7 times
   Tx=repmat(Data,7,1);
   del_no(i) = randi([1 7]);
   delay = repmat(randi([0 1]),del_no(i),1);
   Tx delayed=[delay ; Tx(:)];
   Tx final = Tx delayed(1:700,1);
   out_data1(i,:) = Tx_final'; % the output data for Non Return Zero
Waveforms 500*700
   Tx = A*((2*Tx)-1);
   Tx(1+ret 0:7,:)=zeros(7-ret 0,100); % map deta bits 0 to -A and 1 to A
   500*700
end
% Adding the 3 linecodes in 3D matrix (Tx out) after mapping them
Tx_out(:,:,1) = A*out_data1; %1- Unipolar Signaling ->map deta bits 0 to
-A and 1 to A
Tx out(:,:,2) = A*((2*out data1)-1); %2- Polar Non-Return to Zero ->map delay
bits 0 to -A and 1 to A
                                  %3- Polar Return to Zero
Tx_out(:,:,3) = out_data2;
for i = 1:500 % handel the delay in Polar return zero to follow the sequance 1111000
   if(del no(i) < ret 0)
      Tx out(i,:,3)=[zeros(1,del no(i)) out data2(i,(1+del no(i)):700)];
      start =del no(i)-ret 0+1;
       Tx out(i,1:del no(i),3)=[out data2(i,1:start) zeros(1,del no(i)-(start))];
   end
end
```

Processing on Unipolar Signaling

```
stat mean = zeros(1,700,3);
for i = 1:700
    stat mean(i,:,1) = sum(Tx out(:,i,1))/500;
end
% Time Mean for one wave form
time mean = zeros(1,3);
i = randi([0 500]);
time mean (1,1) = sum(Tx out(i,:,1))/700;
%Time Mean for all WaveForms
Time mean all=zeros(500,3);
for i=1:500
    Time mean all(i,1)=sum(Tx out(i,:,1))/700;
end
% Statistical ACF
stat acf = zeros(1,700,3);
for i=1:700
    stat acf(1,i,1) = sum(Tx out(:,1,1).*Tx out(:,i,1))/500;
end
% Time ACF
TimeAcf=zeros(700,3);
TimeAcf(1,1)=Tx out(1,1,1)*Tx out(1,1,1)*(1/700);
for i=0:699
    for j=1:700-i
        t1=Tx out(1,j,1);
        t2=Tx out(1, j+i, 1);
        TimeAcf(i+1,1) = TimeAcf(i+1,1) + t1*t2*(1/(700-i));
    end
end
% Bandwidth
PSD = zeros(1,690,3);
PSD(:,:,1) = fft(stat acf(:,11:700,1));
N = length(stat acf);
M=length (PSD);
freq axis = ((-0.5*M:0.5*M-1)*100)/M;
```

Output for Unipolar Signaling

```
figure
subplot(3,2,1)
plot(linspace(0,7000,700), Tx out(1,1:700,1), 'r', 'LineWidth', 1, 'MarkerSize', 50)
title('Unipolar NonReturnZero')
xlabel('time T(msec)')
ylabel('Amp (Volts)')
ylim([0 6])
grid on
subplot(3,2,2)
plot(freq axis,abs(fftshift(PSD(:,:,1))), 'r', 'LineWidth',1, 'MarkerSize',50)
title('Unipolar NonReturnZero BW')
xlabel('Freq f(Hz)')
ylabel('Power Spectral Density')
grid on
subplot(3,2,3)
plot(linspace(1,7000,700), stat mean(:,:,1), 'r', 'LineWidth',1, 'MarkerSize',50)
title ('Unipolar NRZ Statistical Mean')
xlabel('time T(msec)')
ylabel('Statistical Mean')
ylim([0 5])
grid on
subplot(3,2,4)
plot(linspace(0,10*300,300),stat acf(:,1:300,1),'r',...
linspace(0,10*300,300), stat acf(:,1:300,1), 'r', 'LineWidth',1, 'MarkerSize',50)
title('Unipolar NRZ Statistical ACF')
xlabel('time T(msec)')
ylabel('Statistical ACF')
grid on
subplot(3,2,5)
plot(linspace(1,500,500), Time mean all(:,1), 'r', 'LineWidth',1, 'MarkerSize',50)
title('Unipolar NRZ Time Mean')
xlabel('No of waveform')
ylabel('Time Mean')
ylim([0 5])
grid on
subplot(3,2,6)
plot(linspace(1,300,300), TimeAcf(1:300,1), 'r',-
linspace(1,300,300), TimeAcf(1:300,1), 'r', 'LineWidth', 1, 'MarkerSize', 50)
title('UniPolar NRZ Time AutoCorrelation Function')
xlabel('Samples')
ylabel('Time ACF')
grid on
```

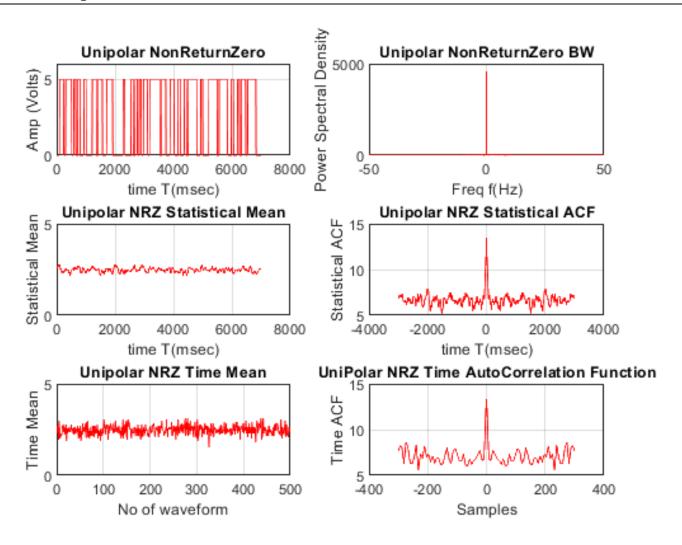


Figure 1:Unipolar NRZ

Comment:

- ❖ The statical mean is varying around (2.24 -> 2.78).
- ❖ The Time mean is varying around (2.1 -> 2.9).
- ❖ The waveform in frequency domain for this line code is an impulse signal.

Processing Polar Non-Return to Zero

```
for i = 1:700
    stat mean(i,:,2) = sum(Tx out(:,i,2))/500;
end
% Time Mean for one wave form
i = randi([0 500]);
time mean(1,2) = sum(Tx out(i,:,2))/700;
%Time Mean for all WaveForms
for i=1:500
    Time mean all(i, 2) = sum(Tx out(i, :, 2))/700;
end
% Statistical ACF
for i=1:700
    stat acf(1,i,2) = sum(Tx out(:,1,2).*Tx out(:,i,2))/500;
end
% Time ACF
TimeAcf(1,2)=Tx out(1,1,2)*Tx out(1,1,2)*(1/700);
for i=0:699
    for j=1:700-i
        t1=Tx out(1,j,2);
        t2=Tx out(1,j+i,2);
        TimeAcf(i+1,2) = TimeAcf(i+1,2) + t1*t2*(1/(700-i));
    end
end
% Bandwidth
PSD(:,:,2) = fft(stat_acf(:,11:700,2));
```

Output for Polar Non-Return to Zero

```
figure
subplot(3,2,1)
plot(linspace(0,7000,700), Tx out(1,1:700,2), 'y', 'LineWidth',1, 'MarkerSize',1)
title('Polar NonReturnZero')
xlabel('time T(msec)')
ylabel('Amp (Volts)')
ylim([-6 6])
grid on
subplot(3,2,2)
plot(freq axis,fftshift(abs(PSD(:,:,2))), 'y', 'LineWidth',1, 'MarkerSize',50)
title('Polar NonReturnZero BW')
xlabel('Freq f(Hz)')
ylabel('Power Spectral Density')
% ylim([0 400])
grid on
subplot(3,2,3)
plot(linspace(1,7000,700), stat mean(:,:,2),'y','LineWidth',1,'MarkerSize',50)
title('Polar NRZ Statistical Mean')
xlabel('time T(msec)')
ylabel('Statistical Mean')
ylim([-2 2])
grid on
subplot(3,2,4)
plot(linspace(0,10*300,300),stat acf(:,1:300,2),'y',...
linspace(0,10*300,300), stat acf(:,1:300,2), 'y', 'LineWidth',1, 'MarkerSize',50)
title('Polar NRZ Statistical ACF')
xlabel('time T(msec)')
ylabel('Statistical ACF')
grid on
subplot(3,2,5)
plot(linspace(1,500,500), Time mean all(:,2), 'y', 'LineWidth',1, 'MarkerSize',50)
title('Polar NRZ Time Mean')
xlabel('No of waveform')
ylabel('time Mean')
ylim([-2 2])
grid on
subplot(3,2,6)
plot(linspace(1,300,300), TimeAcf(1:300,2), 'y',-
linspace(1,300,300), TimeAcf(1:300,2), 'y', 'LineWidth', 1, 'MarkerSize', 50)
title('Polar NRZ Time AutoCorrelation Function')
xlabel('Samples')
ylabel('Time ACF')
grid on
```

Figure of Polar Non-Return to Zero

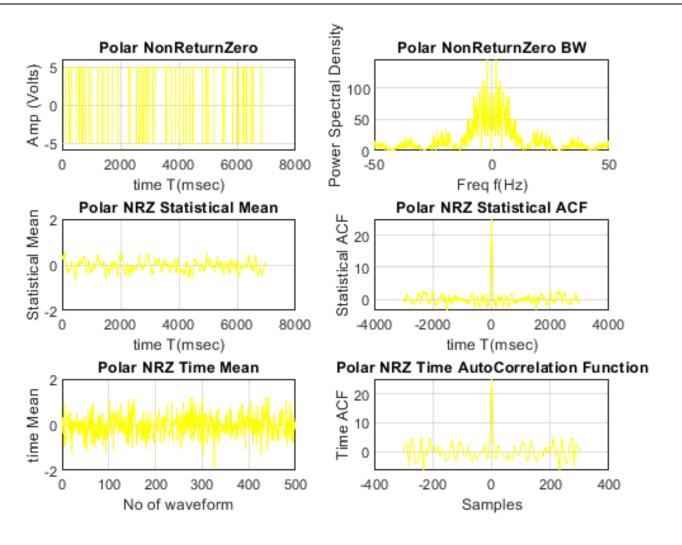


Figure 2:Polar NRZ

Comment:

- ❖ The statical mean is varying around (-0.5 -> 0.5).
- ❖ The Time mean is varying around (-0.8 -> 0.9).
- ❖ The bandwidth is 20 Hz.

Processing on Polar Return to Zero

```
for i = 1:700
    stat mean(i,:,3) = sum(Tx out(:,i,3))/500;
end
% Time Mean for one wave form
i = randi([0 500]);
time mean(1,3) = sum(Tx out(i,:,3))/700;
%Time Mean for all WaveForms
for i=1:500
    Time mean all(i,3)=sum(Tx out(i,:,3))/700;
end
% Statistical ACF
for i=1:700
    stat acf(1,i,3) = sum(Tx out(:,1,3).*Tx out(:,i,3))/500;
end
% Time ACF
TimeAcf(1,3)=Tx out(1,1,3)*Tx out(1,1,3)*(1/700);
for i=0:699
    for j=1:700-i
        t1=Tx out(1,j,3);
        t2=Tx out(1,j+i,3);
        TimeAcf(i+1,3) = TimeAcf(i+1,3) + t1*t2*(1/(700-i));
    end
end
% Bandwidth
PSD(:,:,3) = fft(stat_acf(:,11:700,3));
```

Output for Polar Return to Zero

```
figure
subplot(3,2,1)
plot(linspace(0,7000,700), Tx out(1,1:700,3), 'k', 'LineWidth',1, 'MarkerSize',1)
title('Polar ReturnZero')
xlabel('time T(msec)')
ylabel('Amp (Volts)')
ylim([-6 6])
grid on
subplot(3,2,2)
plot(freq axis,fftshift(abs(PSD(:,:,3))),'k','LineWidth',1,'MarkerSize',50)
title('Polar ReturnZero BW')
xlabel('Freq f(Hz)')
ylabel('Power Spectral Density')
grid on
subplot(3,2,3)
plot(linspace(1,7000,700), stat mean(:,:,3),'k','LineWidth',1,'MarkerSize',50)
title('Polar RZ Statistical Mean')
xlabel('time T(msec)')
ylabel('Statistical Mean')
ylim([-2 2])
grid on
subplot(3,2,4)
plot(linspace(0,10\times300,300),stat acf(:,1:300,3),'k',...
linspace(0,10*300,300), stat acf(:,1:300,3),'k','LineWidth',1,'MarkerSize',50)
title('Polar RZ Statistical ACF')
xlabel('time T(msec)')
ylabel('Statistical ACF')
grid on
subplot(3,2,5)
plot(linspace(1,500,500), Time mean all(:,3), 'k', 'LineWidth',1, 'MarkerSize',50)
title('Polar RZ time Mean')
xlabel('No of waveform')
ylabel('Time Mean')
ylim([-2 2])
grid on
subplot(3,2,6)
plot(linspace(1,300,300), TimeAcf(1:300,3), 'k',-
linspace(1,300,300), TimeAcf(1:300,3), 'k', 'LineWidth', 1, 'MarkerSize', 50)
title('Polar RZ Time AutoCorrelation Function')
xlabel('Samples')
ylabel('Time ACF')
grid on
```

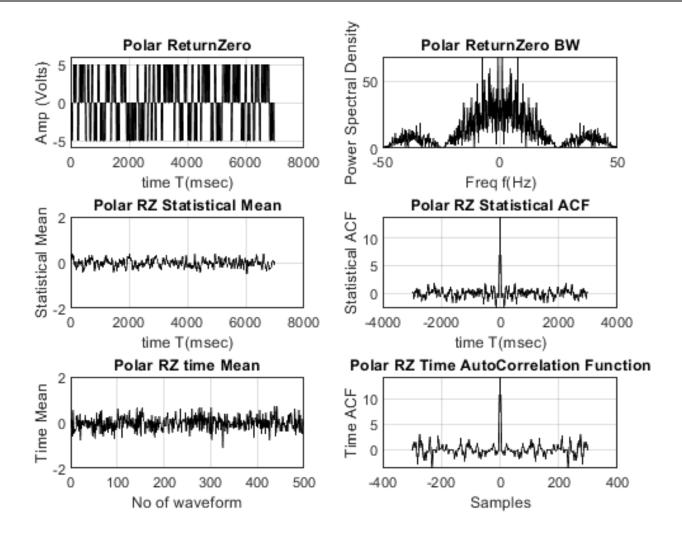


Figure 3:Polar RZ

Comment:

- ❖ The statical mean is varying around (-0.4 -> 0.5).
- ❖ The Time mean is varying around (-0.5 -> 0.5).
- ❖ The bandwidth is 50 Hz.

Conclusion

- This random process is stationary for all line codes due to it satisfied the two condition for the WSS:
 - 1) The mean doesn't depend on time.
 - 2) The Statistical ACF depends on τ only.
- This random process is Ergodic for all line codes except Polar RZ due to it satisfies the two condition:
 - 1) Time mean is close enough to the statistical mean.
 - 2) The Time Auto Correlation Function for one realization is close enough to the Auto Correlation Function for ensemble.