



1. State each of the following sentences either it is right or wrong with correcting wrong ones.
 - a. If r_1, r_2, r_3 are RE, then $r_1 + (r_2 + r_3) = (r_1 + r_2) + r_3$.
 - b. Every DFA is a NFA.
 - c. The regular expression $R = aaaaa$ represents the language $L = \{\epsilon, a, aa, aaa, aaaa, \dots\}$ which is a set of all combinations of possible input $\{a\}$.

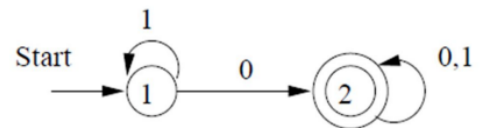
2. Choose all the correct answer.

- i. Which of the following expressions describes the language that starting and ending with a and having any combination of b's in between.

- A. $R = a b a$
- B. $R = a^* b^* a^*$
- C. $R = a b^* a$
- D. $R = a^* b a^*$

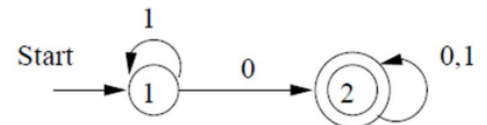
- ii. The regular expression of the shown state diagram is

- A. $R = 1^* 0 0 + 1^*$
- B. $R = 1^* 0 (0 + 1)^*$
- C. $R = 1^* 0 0 1^*$
- D. $R = 1^* 0^* 1^*$



- iii. Which of the following sentences describes the shown DFA correctly.

- A. It accepts only strings that include "10".
- B. It rejects string "0".
- C. It accepts string "10001".
- D. It rejects string "000".



3. Given that L_1 is a language that accepts all strings that ends with "11" over inputs of $\{0,1\}$. Answer the following questions:
 - a. Design a DFA machine of L_1 .
 - b. Design a NFA machine of L_1 .
 - c. Compare between the answers of a and b.
 - d. Convert the NFA obtained in b to its equivalent DFA with steps.
 - e. Compare between the answers of a and d.
4. Design a regular language that accepts at least two zeros in the given strings over inputs of $\{0,1\}$.