# **Introduction to Neural Networks**

## LAB # 11 & 12



# Fall 2021 Data Analytics Lab

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"On my honor, as student of University of Engineering and Technology, I have neither given nor received unauthorized assistance on this academic work."

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### **Introduction to Neural Network:**

Before that, let's study a little mathematics (Linear Algebra)

Scalar (0D)

Vector (1D)

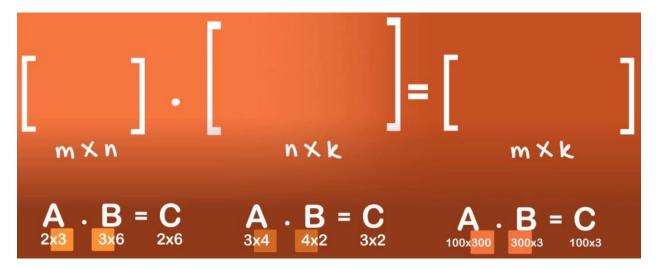
Matrix (2D) -> combination of vectors

Tensor -> collection of matrices

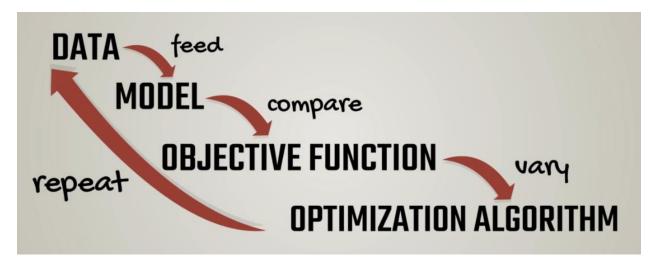


Transposing an array (vector, matrix or tensor) -> x.T in python

Dot product (scalar product) -> np.dot(x,y)



# Ingredients of an Algorithm:



Training the model:

Coffee machine making coffee

Self-driving cars

# **Types of Machine Learning:**

Supervised

Unsupervised

**Reinforcement Learning** 

#### What is a model?

Example: Linear Regression

Y=xw+b

## **Objective Function:**

Objective function is the measure used to evaluate how well the model's outputs match the desired correct values.

It has two types:

- Loss Function (Example: Supervised Learning) aka cost function
  - o For example: Regression cost function: L2 norm.
  - Classification: Cross entropy
- Reward Function (Example: Reinforcement Learning)

Optimization Algorithm: Example, Gradient Descent

#### Task 1:

#### Choosing the objective function and the optimization method

```
In [27]: # Again, we use a loss function. mean_squared_error is the scaled L2-norm (per observation)
mean_loss = tf.losses.mean_squared_error(labels=targets, predictions=outputs) / 2.
# Note that there also exists a function tf.nn.l2_loss.

# Instead of implementing Gradient Descent on our own, in TensorFlow we can simply state
# "Minimize the mean loss by using Gradient Descent with a given learning rate"
# Simple!
optimize = tf.train.GradientDescentOptimizer(learning_rate=0.05).minimize(mean_loss)
```

#### Prepare for execution

```
In [28]: # So far we've defined the placeholders, variables, the loss function and the optimization method.
# The actual training happens inside sessions.
sess = tf.InteractiveSession()
```

#### Initializing variables

```
In [29]: # Before we start training, we need to initialize our variables: the weights and biases.

initializer = tf.global_variables_initializer()

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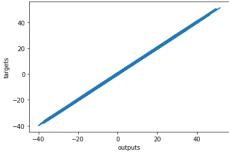
sess.run(initializer)

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```

```
Learning
```

```
In [31]: # As in the previous lab, we train for a set number (100) of iterations over the dataset
          for i in range(100):
              # sess.run is the session's function to actually do something, anything.
              # Above, we used it to initialize the variables.
              # Here, we use it to feed the training data to the computational graph, defined by the feed_dict parameter
              # So the line of code means: "Run the optimize and mean_loss operations by filling the placeholder # objects with data from the feed_dict parameter".
              _, curr_loss = sess.run([optimize, mean_loss],
                  feed_dict={inputs: training_data['inputs'], targets: training_data['targets']})
              print(curr_loss)
          224.36153
          96.79172
          45.56499
          24.258543
          14.921057
          10.505043
          8.188638
         6.8132415
          5.8881536
          5.197546
          4.6420927
          4.1735177
          3.7667549
          3.4077315
          3.087803
                                                                                                                               Go to Settings to activate W
          2.801146
          2.5434911
```

#### Plotting the data



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#### Task 2:

## Simple Linear Regression. Minimal example

#### Import the relevant libraries

```
In [1]: import numpy as np
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
```

#### Generate random input data to train on

```
In [2]: observations = 1000
xs = np.random.uniform(low=-10, high=10, size=(observations,1))
zs = np.random.uniform(-10, 10, (observations,1))
inputs = np.column_stack((xs,zs))
print (inputs.shape)
(1000, 2)
```

#### Generate the targets we will aim at

```
In [3]: # We want to make a function and see if the algorithm has learned it.

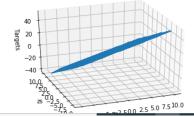
# We add a small random noise to the function i.e. f(x,z) = 2x - 3z + 5 + <small noise> as in real life datasets to Settings to activate noise = np.random.uniform(-1, 1, (observations,1))
```

#### Plot the training data

The point is to see that there is a strong trend that our model should learn to reproduce.

```
In [7]: targets = targets.reshape(observations,)
    fig = plt.figure()
    ax = fig.add_subplot(111, projection='3d')
    ax.plot(xs, zs, targets)

ax.set_xlabel('xs')
    ax.set_ylabel('zs')
    ax.set_zlabel('Targets')
    ax.vlew_init(azim=250)
    plt.show()
    targets = targets.reshape(observations,1)
```



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#### Set a learning rate

```
In [9]: # Play around with learning rate.
learning_rate = 0.05
```

#### Train the model

```
In [14]: for i in range (1000):
    outputs = np.dot(inputs, weights) + biases
    deltas = outputs - targets

loss = np.sum(deltas ** 2) / 2 / observations

print (loss)

deltas_scaled = deltas / observations

# Finally, apply the gradient descent update rules

# The weights are 2x1, Learning rate is 1x1 (scalar), inputs are 1000x2, and deltas_scaled are 1000x1

# Transpose the inputs so that we get an allowed operation.

weights = weights - learning_rate * np.dot(inputs.T, deltas_scaled)

biases = biases - learning_rate * np.sum(deltas_scaled)

0.1682932421214414

0.16813933888891543

0.167915681123002

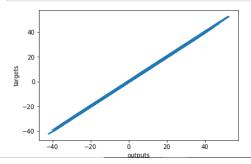
0.16784962943556467

0.16771331885526878
```

#### Plot last outputs vs targets

Since they are the last ones at the end of the training, they represent the final model accuracy. The closer this plot is to a 45 degree line, the closer target and output values are.

```
In [16]:
    plt.plot(outputs,targets)
    plt.xlabel('outputs')
    plt.ylabel('targets')
    plt.show()
```



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