



**Q1-** Using the multi-threading library `omp.h`, write a C++ program that computes  $\pi(x)$  for  $x = 10^n$ , s.t.  $0 \leq n \leq 7$  where  $\pi(x)$  is the number of primes less than or equal to  $x$ . Then, displays each value of  $x$  with the count of nonprime numbers and the taken parallel execution time.

**Q2-** Compute the result of multiplying two given square matrices A and B.

**Q3-** Ask the user to enter matrix size and fill the matrix in parallel by using the following series:

$$\frac{1!}{n+1} - \frac{2!}{n+2} + \frac{3!}{n+3} - \frac{4!}{n+4} + \dots + \frac{m!}{n+m}$$

where  $n$  is the current row number while  $m$  is the current column number.

**Q4-** Compute the result of multiplying Matrix A with Vector B using `pthread`.

**Q5-** Compute the result of the following algorithm using omp.

**Algorithm (Prefix-Sums)**

**Input:** An array  $X$  of  $n = 2^k$  elements  $(x_1, x_2, \dots, x_n)$ ,  
where  $k$  is a nonnegative integer.

**Output:** The prefix sums  $s_i$ , for  $1 \leq i \leq n$

**begin**

1. if  $n = 1$  then { set  $s_1 := x_1$ ; return  $S$  }

2. for  $1 \leq i \leq n/2$  *pardo*

set  $y_i := x_{2i-1} + x_{2i}$

3. set  $Z := \text{Prefix-Sums}(Y, n/2)$

4. for  $1 \leq i \leq n$  *pardo*

{

$i$  even : set  $s_i := z_{i/2}$

$i = 1$  : set  $s_1 := x_1$

$i$  odd  $> 1$  : set  $s_i := z_{(i-1)/2} + x_i$

}

5. return  $S$

**end**