

## LAB SESSION 04

### Stack Implementation Using Arrays

#### THEORY

A stack is a linear data structure that follows the Last In First Out (LIFO) principle. The element that is inserted last is the one that gets removed first. Imagine a pile of books: you place one book on top of the other, and you always remove the top one first — this is how a stack operates.

There are two primary operations associated with stacks:

- `push()` – to insert an element
- `pop()` – to remove the top element

Other useful operations:

- `peek()` or `top()` – returns the top element without removing it
- `isEmpty()` – checks if the stack is empty
- `isFull()` – checks if the stack is full (in case of array implementation)

#### Stack Using Arrays

In an array-based stack, a fixed-size array is used to store the stack elements. A variable `top` is used to track the index of the last inserted element.

##### Example:

```
int stack[SIZE];
```

```
int top = -1; // Empty stack
```

Each `push()` increases `top`, while each `pop()` decreases it.

#### Stack Overflow and Underflow

- **Overflow** occurs when trying to push into a full stack.
- **Underflow** occurs when trying to pop from an empty stack.

#### Applications of Stack

- Undo feature in editors
- Reversing strings
- Balancing symbols (brackets, parentheses)
- Function call management (call stack)
- Expression evaluation (postfix, prefix)

#### PROCEDURE

1. Define a fixed-size array and initialize `top = -1`.
2. Implement `push`, `pop`, and `display` operations.
3. Add boundary checks for overflow and underflow.
4. Write a menu-driven program for stack operations.
5. Compile and test with sample inputs.

### Algorithm for PUSH(item)

1. Check if  $\text{top} == \text{SIZE} - 1$ .  
If true  $\rightarrow$  Print "Stack Overflow" and stop.
2. Otherwise:
  - Increment  $\text{top} \leftarrow \text{top} + 1$ .
  - Set  $\text{stack}[\text{top}] \leftarrow \text{item}$ .
  - Print "Item inserted successfully".

### Algorithm for POP()

1. Check if  $\text{top} == -1$ .
  - If true  $\rightarrow$  Print "Stack Underflow" and stop.
2. Otherwise:
  - Print "Deleted element:  $\text{stack}[\text{top}]$ ".
  - Decrement  $\text{top} \leftarrow \text{top} - 1$ .

### Algorithm for DISPLAY()

1. **Check** if  $\text{top} == -1$ .
  - If **true**  $\rightarrow$  Print "Stack is empty" and **stop**.
2. Otherwise:
  - Print "Stack elements are:".
  - For i from top down to 0:
    - Print  $\text{stack}[i]$ .

### EXERCISE

1. Modify the code to take user input for all operations.
2. Implement peek() operation.
3. Convert an infix expression to postfix using a stack.
4. Check for balanced parentheses in an expression.
5. Display stack elements without modifying them.