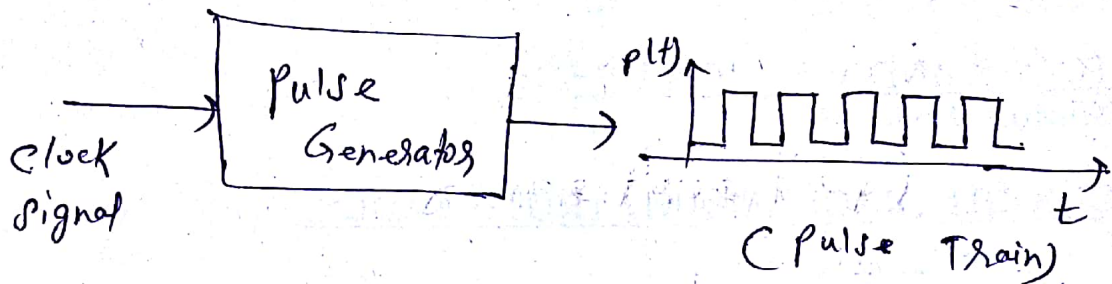


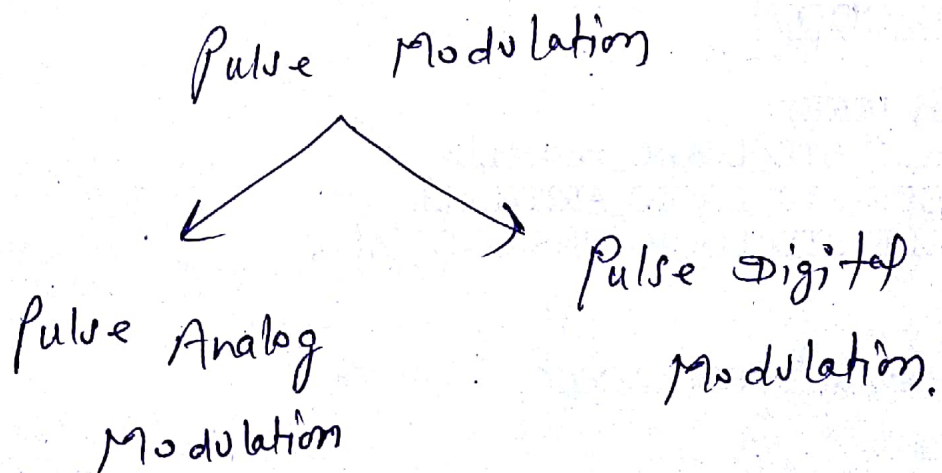
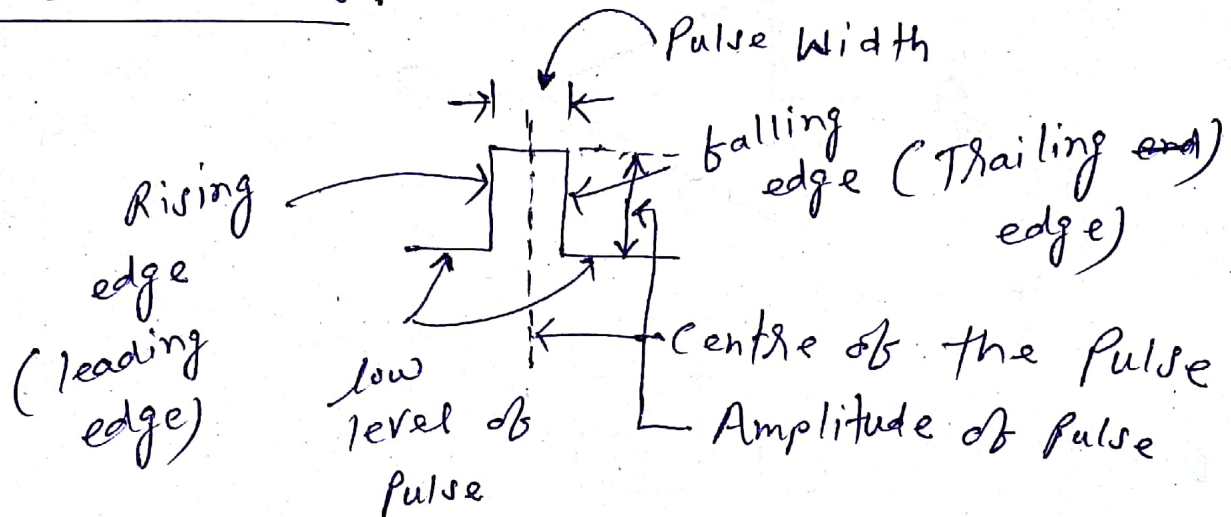
## Unit - 4

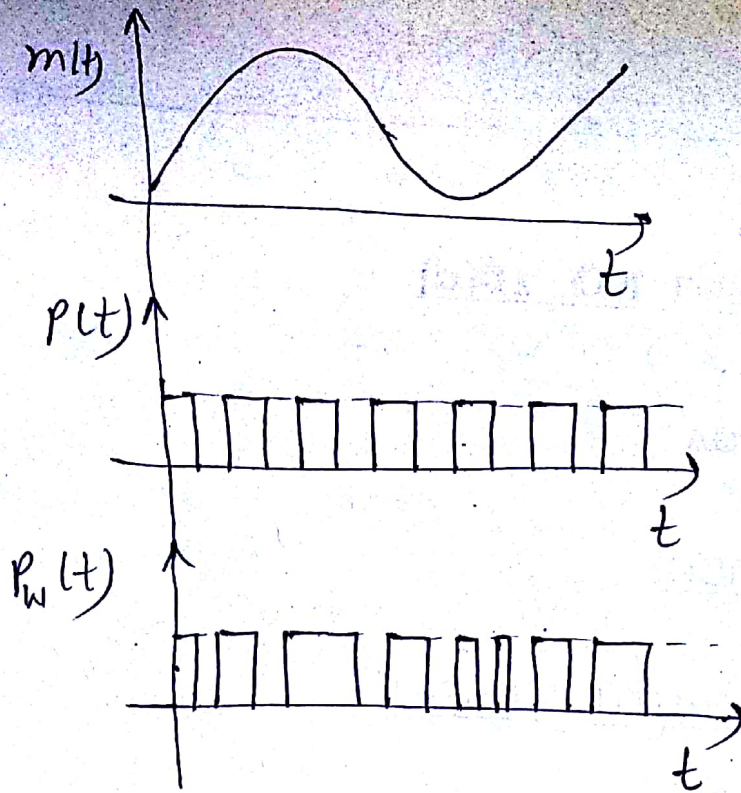
### Pulse Modulation

In this type of modulation, the carrier is not a continuous wave but a pulse train



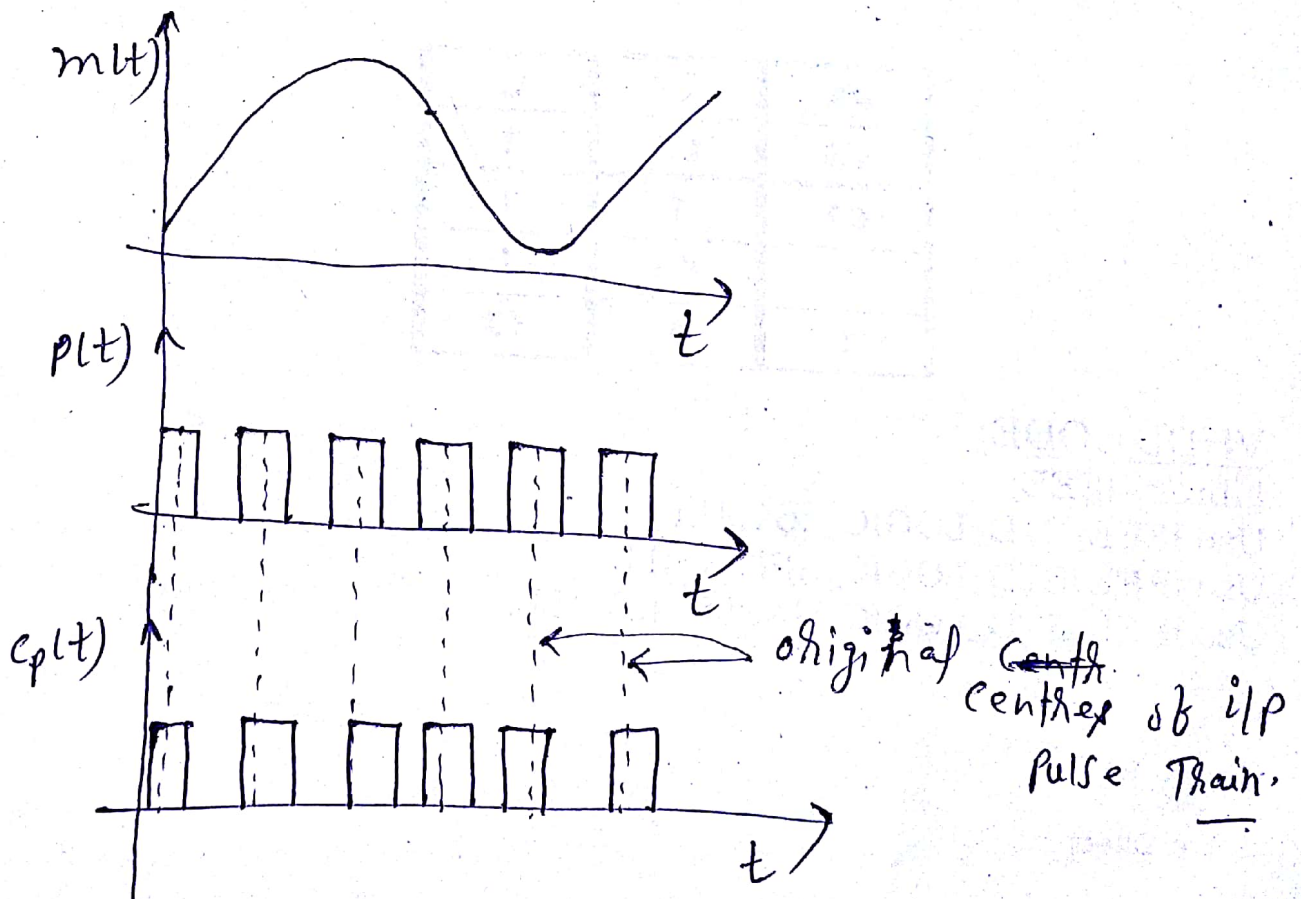
#### Pulse characteristics:





### Pulse Position Modulation:

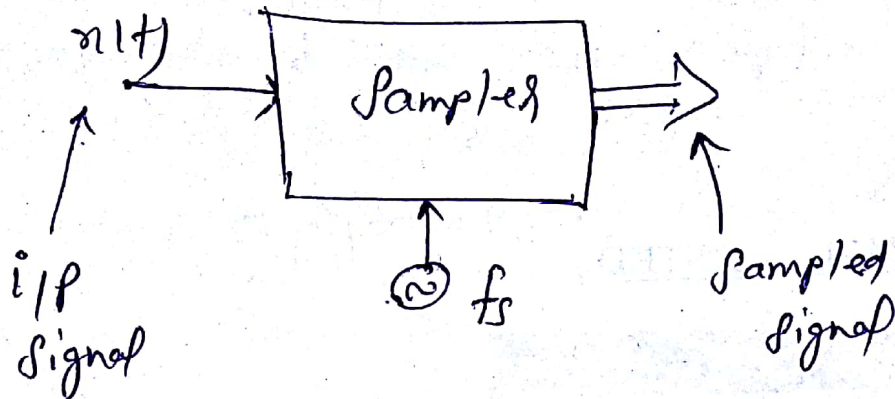
Here in this type central position of the pulse change with respect to the change in the amplitude of modulating signal





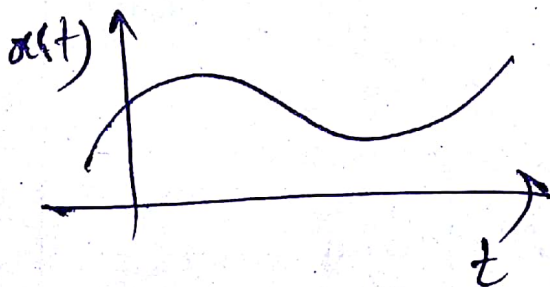
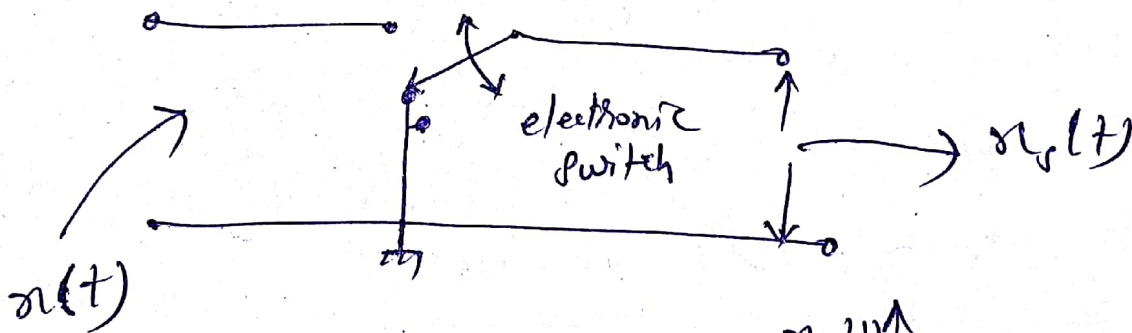
# Sampling

Sampling is a process of taking samples of i/p signal at certain regular interval of time defined by the i/p sampling function.



$$f_s : \text{Sampling rate} = \frac{1}{T_s}$$

The simplest sampler is the switch



## Pulse Analog Modulation:

Under this type of modulation pulse characteristics changes in accordance with the modulating signal  $m(t)$ .

These characteristics may be:

1. Amplitude of the pulse ( $A_p$ )
2. Width of the pulse ( $W_p$ )
3. Central Position of the pulse ( $C_p$ )

Hence on the basis of this, there can be following type of Pulse Analog Modulation:

- a) Pulse Amplitude Modulation (PAM)
- b) Pulse Width Modulation (PWM)
- c) Pulse Position Modulation (PPM)

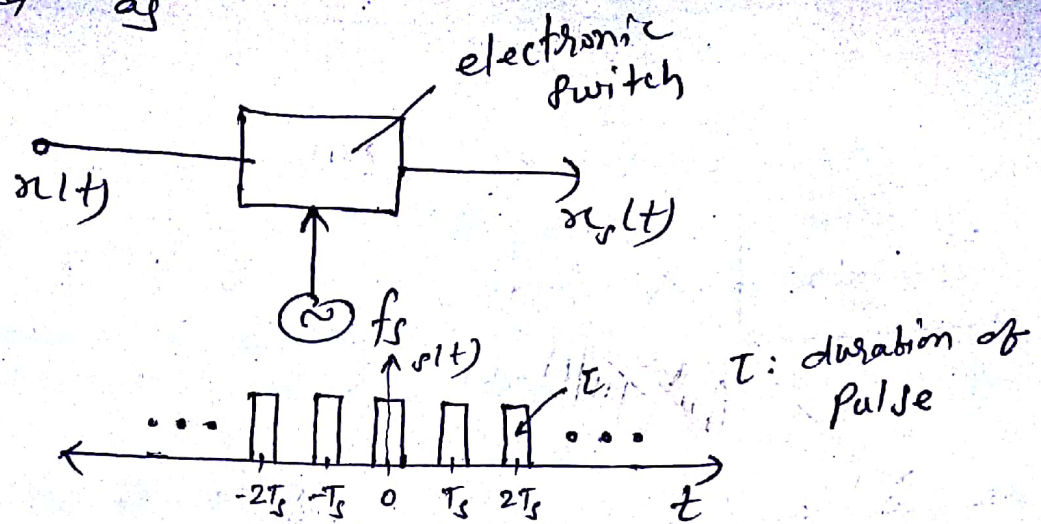
Now if  $A_p$  changes w.r.t. the instantaneous change in the amplitude of modulating signal then it is called as Pulse Amplitude Modulation (PAM)

$$\text{e.g. } A_p = f(m(t)) \quad (4.1)$$

Here width & centre of pulse remains fix as that of the original pulse train.



Electronic switch samples  $x(t)$  can also be realised as



(4.3)

$$x_s(t) = x(t) p(t)$$

$p(t)$  is the sampling or switching function and

$$p(t) = C_0 + \sum_{n=1}^{\infty} 2C_n \cos 2\pi n f_s t \quad (4.4)$$

or in terms of exponential function

$$p(t) = \sum_{n=-\infty}^{\infty} C_n e^{j2\pi n f_s t}$$

using equation (4.4) equation (4.3) can be written as

$$x_s(t) = C_0 x(t) + 2C_1 x(t) \cos 2\pi f_s t + 2C_2 x(t) \cos 4\pi f_s t + 2C_3 x(t) \cos 6\pi f_s t + \dots$$

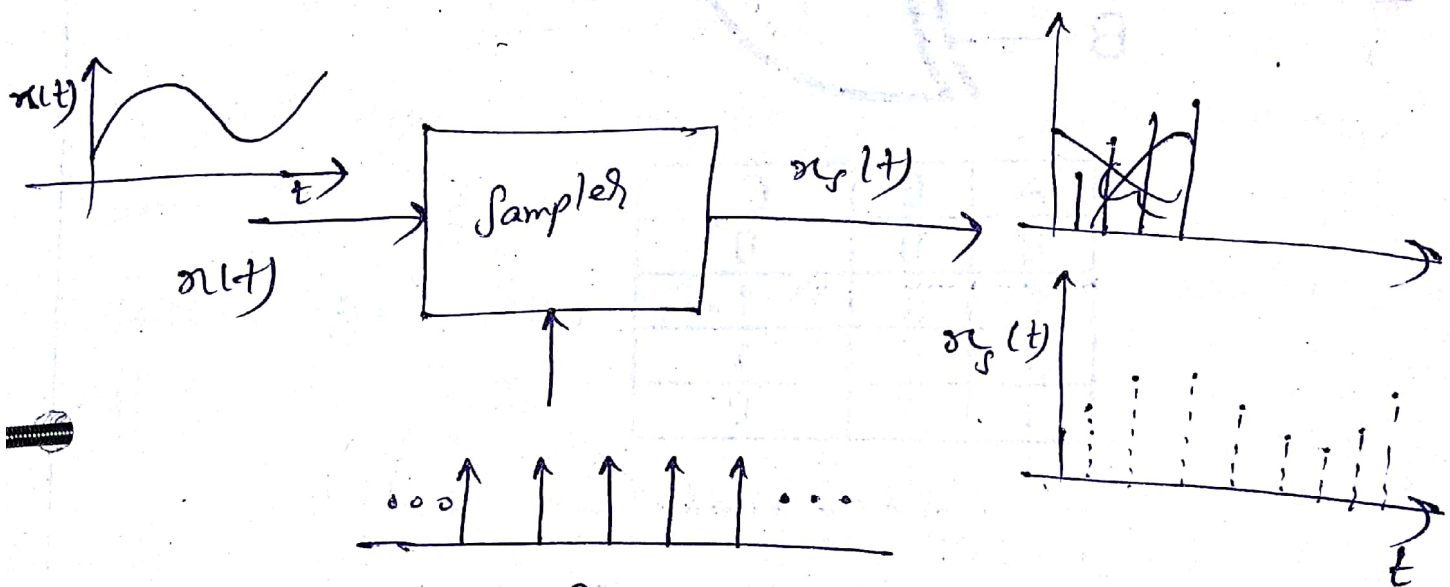
## Type of Sampling

Sampling can be of following types:

- a). Instantaneous Sampling
- b). Natural Sampling
- c). Flat-Top Sampling

1). Instantaneous Sampling:

Here this type of sampling is done at a faster rate  $\delta$  at the instants of sampling.



$$\delta(t) = \sum_{n=-\infty}^{\infty} \delta(t - nT_s) = \text{Sampling function}$$

$$x_s(t) = x(t) \delta(t)$$

$$= x(t) \sum_{n=-\infty}^{\infty} \delta(t - nT_s)$$

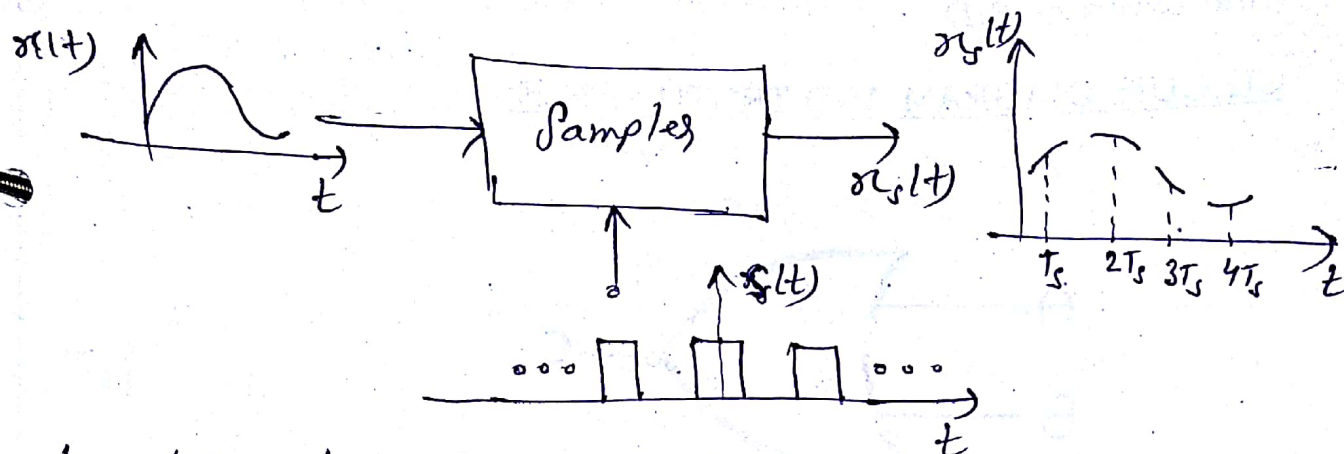
$$= \sum_{n=-\infty}^{\infty} x(t) \delta(t - nT_s)$$



Hence  $X_s(t) = \sum_{n=-\infty}^{\infty} x(t) \delta(t - nT_s)$

### Natural Sampling :

In this type of sampling the samples of the output waveform matches with that of input signal.



In this type of sampling the switch remains on for longer time.

Here the pulses can be expressed mathematically as

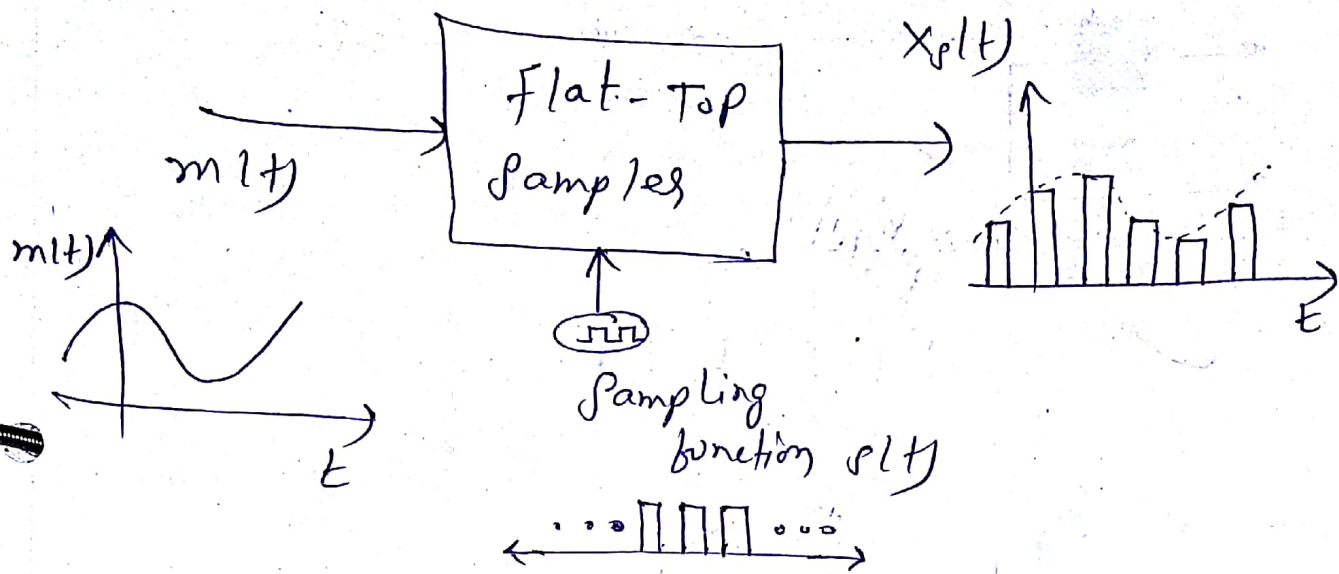
$$p(t) = \sum_{k=-\infty}^{\infty} \text{rect}\left(\frac{t - kT_s}{\tau}\right)$$

Here pulse duration is  $\tau$

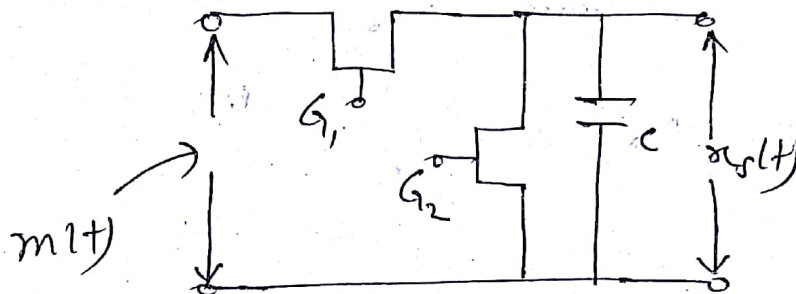
### Flat-Top Sampling :

In this type of sampling the o/p pulses have amplitude variation as per the instantaneous value of signal

but the pulse amplitude remain constant  
 for the duration of pulse.



Flat-Top Signal Generator.



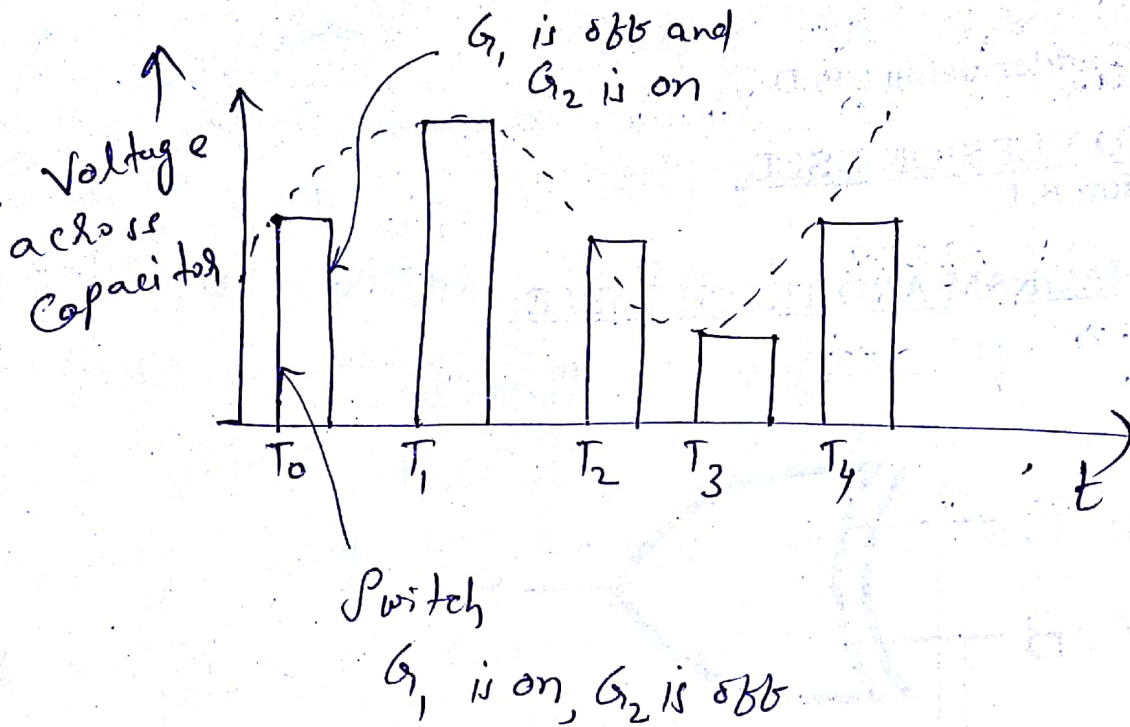
Here  $G_1$  : Sampling Switch

$G_2$  : Dump Switch

$G_1$  &  $G_2$  are specially designed switch based on FET technology, characteristics of such switches are that  $G_1$  is having a very low 'on' resistance & very high 'off' resistance



Similarly  $G_2$  is also having ~~low~~ very low resistance in on condition & very high resistance in off condition.



Hence to get such waveform  $G_1$  &  $G_2$  should have the following type of clocking signal

