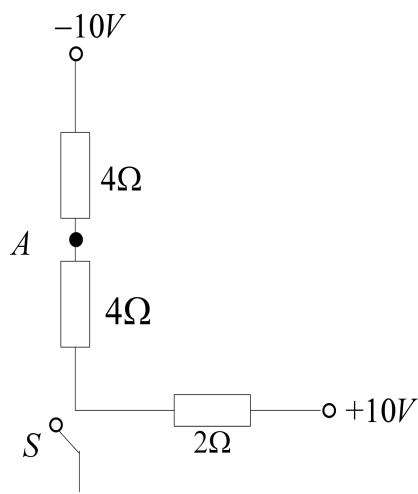
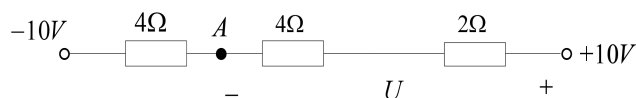


课时一 练习题

1. 求当 S 打开和闭合时 A 点的电位

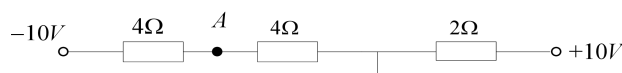


解：S 打开



$$U_A = 10 - V_A = \frac{4+2}{4+2+4}(10 - (-10)) \Rightarrow U_A = -2V$$

S 闭合

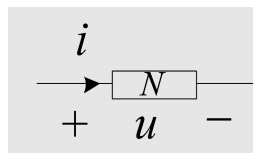


$$V_A = \frac{4}{4+4}(-10) = -5V$$

2. 如图电路 N，电压电流参考方向如图：

若 $i = 1A, u = 3V$ ，则 N 吸收功率_____；

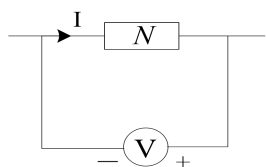
若 $i = -1A, u = 4V$ ，则 N 产生功率_____。



解：u 与 i 关联，若 $i = 1A, u = 3V$ ，则 $P_{\text{吸收}} = ui = 3W$ ；若 $i = -1A, u = 4V$ ，则 $P_{\text{产生}} = -ui = 4W$ 。

3. 如图一般直流电路 N 电流参考方向。忽略电压表内阻对测试电路的影响。

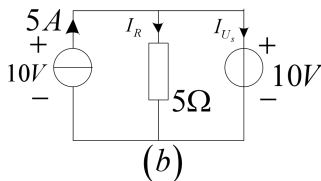
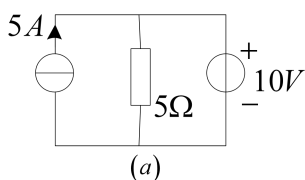
$V = 5V$ 。N 吸收功率为 $10W$ ，则 $I = \underline{-2A}$



解析：I 与 U 为非关联方向。

$$\therefore P_{\text{吸}} = -UI = 10W \therefore I = -2A$$

4. 如图(a)判断下列电路中的电压源和电流源是产生还是消耗功率，产生或消耗多少？



解：①标方向如(b)

②电流源产生功率 $P_{\text{产生}} = UI = 10 \times 5 = 50W$

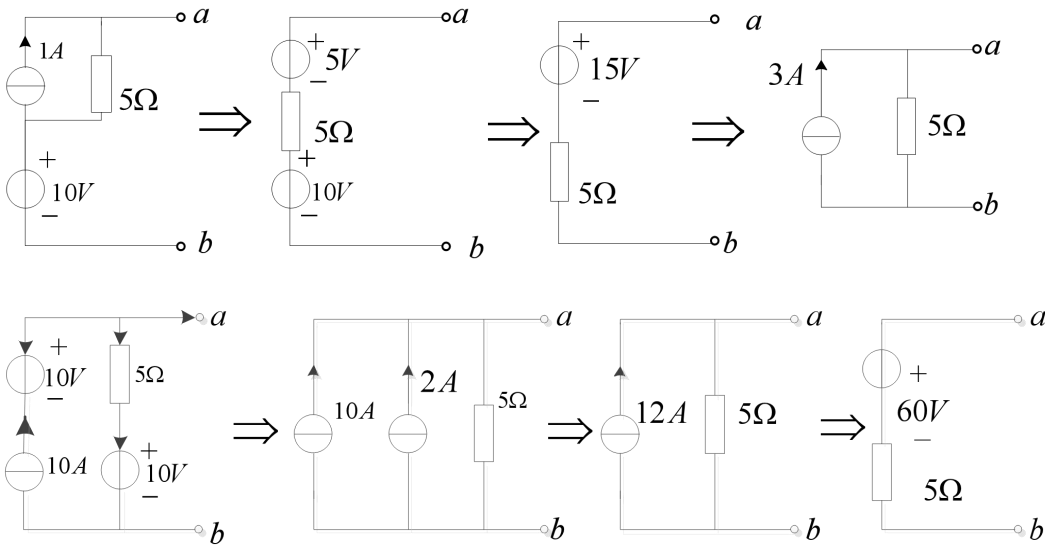
通过电阻的电流： $I_R = \frac{U}{R} = \frac{10}{5} = 2A$

通过电压源的电流： $I_{U_s} = I_s - I_R = 3A$

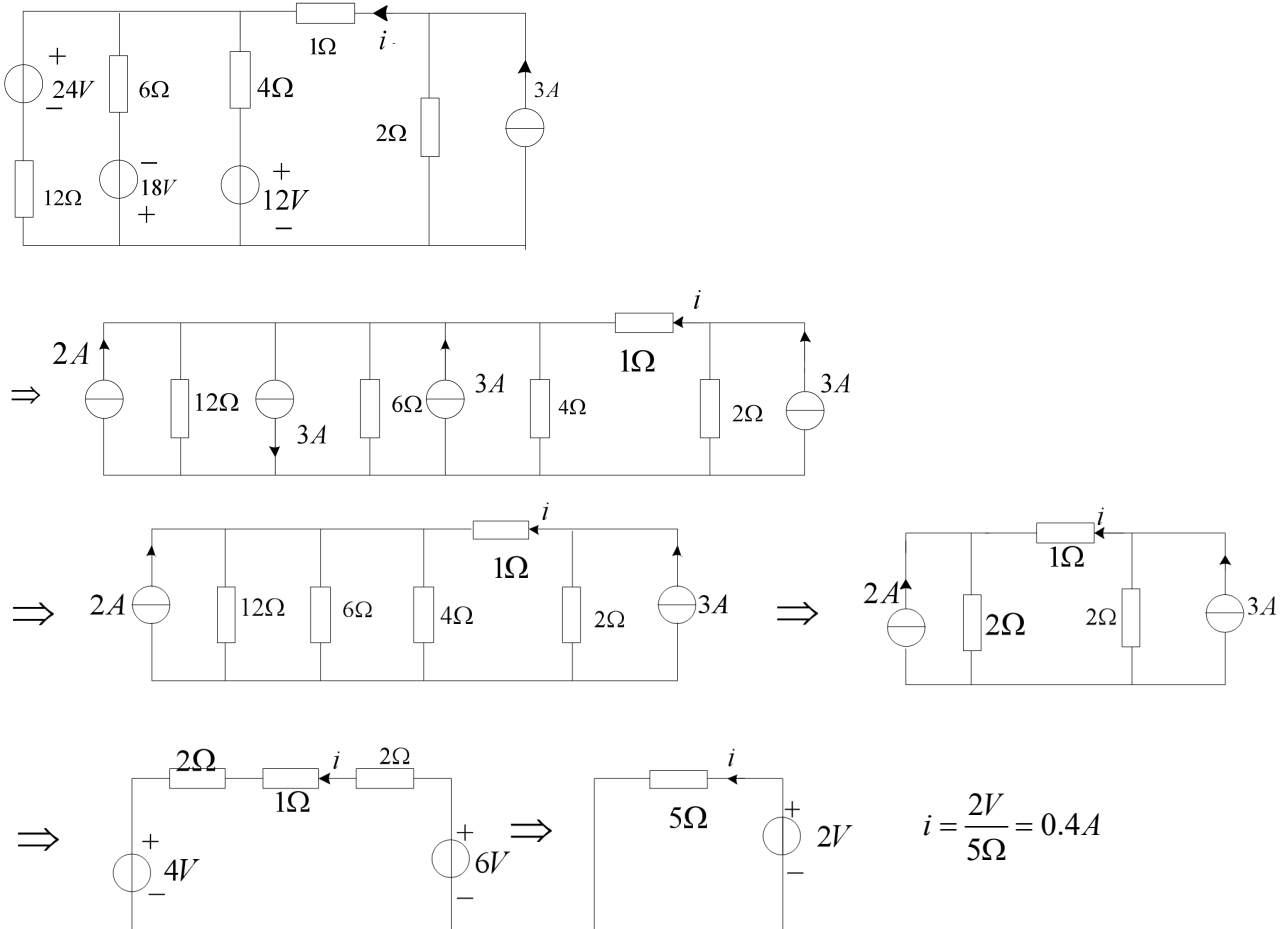
电压源消耗功率： $P_{U_s} = I_{U_s} \times U_s = 3 \times 10 = 30W$

课时二 练习题

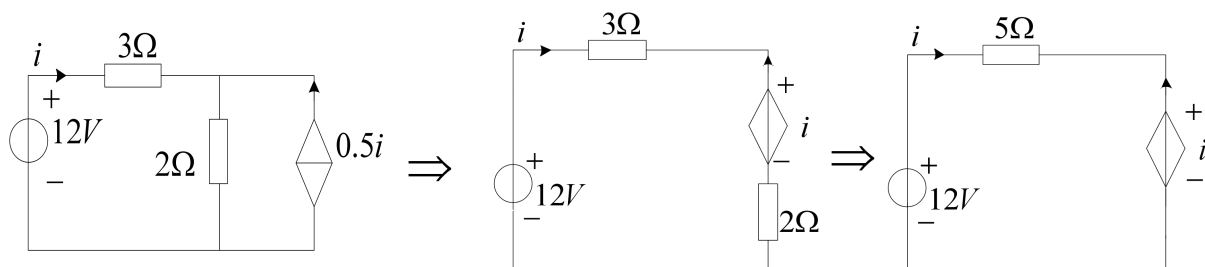
1. 电路图如下，对 ab 端化简为最简的等效电压源形式和等效电流源形式



2. 求图示电路中的电流 i

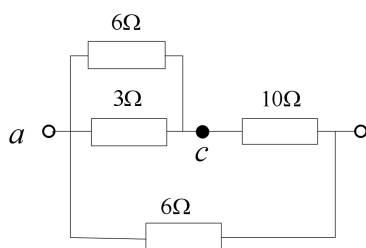
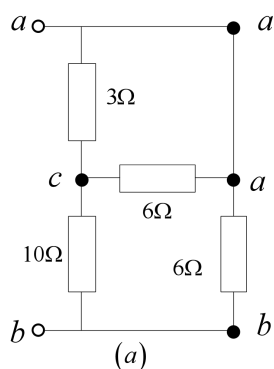


3. 用等效电源交换法求下列电路 i

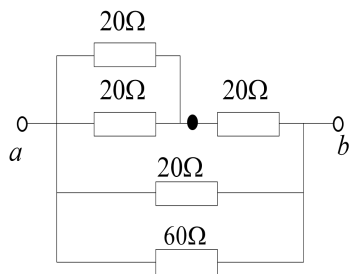
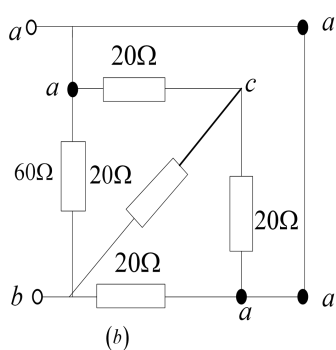


解: $12 - i = 5i \Rightarrow i = 2A$

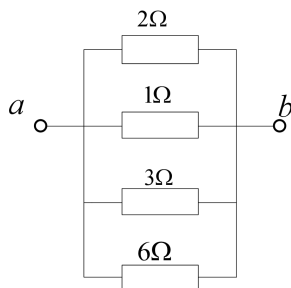
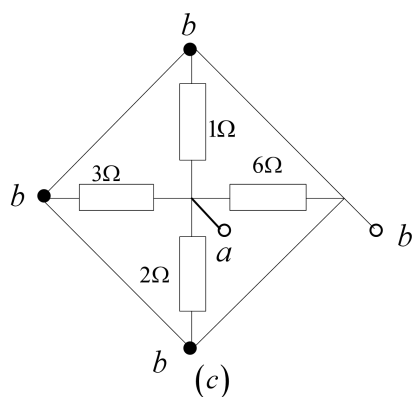
4. 求下列电路 ab 端等效电阻



$$\begin{aligned}
 R_{eq} &= (6\Omega // 3\Omega + 10\Omega) // 6\Omega \\
 &= \left(\frac{6\Omega \times 3\Omega}{6\Omega + 3\Omega} + 10\Omega \right) // 6\Omega \\
 &= (2\Omega + 10\Omega) // 6\Omega \\
 &= 12\Omega // 6\Omega = \frac{12 \times 6}{12 + 6} \Omega = 4\Omega
 \end{aligned}$$



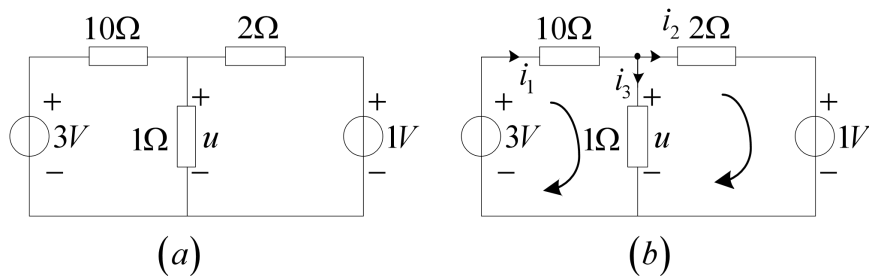
$$\begin{aligned}
 R_{eq} &= (20\Omega // 20\Omega + 20\Omega) // 20\Omega // 60\Omega \\
 &= \left(\frac{20 \times 20}{20 + 20} \Omega + 20\Omega \right) // 20\Omega // 60\Omega \\
 &= (10\Omega + 20\Omega) // 20\Omega // 60\Omega \\
 &= 30\Omega // 20\Omega // 60\Omega = 10\Omega
 \end{aligned}$$



$$\begin{aligned}
 R_{eq} &= 2\Omega // 1\Omega // 3\Omega // 6\Omega \\
 &= \frac{2\Omega \times 1\Omega}{2\Omega + 1\Omega} // \frac{3\Omega \times 6\Omega}{3\Omega + 6\Omega} = \frac{2}{3} \Omega // 2\Omega \\
 &= \frac{\frac{2}{3} \Omega \times 2\Omega}{\frac{2}{3} \Omega + 2\Omega} = \frac{1}{2} \Omega
 \end{aligned}$$

课时三 练习题

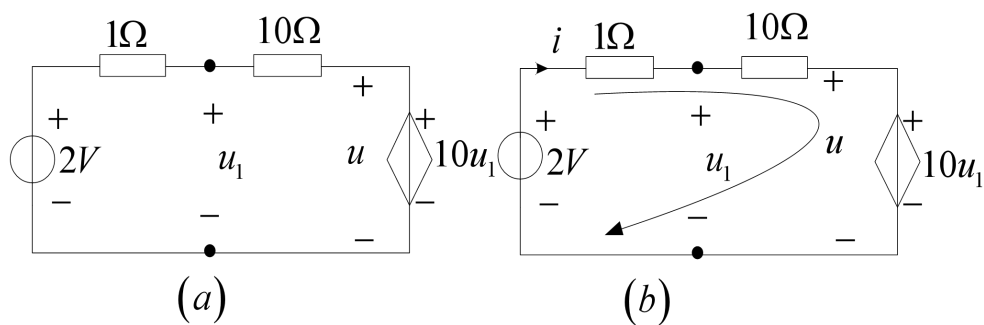
1. 如下电路图(a)下面电路的电压 u



① 确定电流方向如(b)

$$\textcircled{2} \begin{cases} i_1 = i_2 + i_3 \\ 3 = 10i_1 + i_3 \\ i_3 = 2i_2 + 1 \end{cases} \quad \therefore i_1 = \frac{1}{4} A \quad i_2 = -\frac{1}{4} A \quad i_3 = \frac{1}{2} A \quad \therefore U = i_3 = \frac{1}{2} V$$

2. 求 a 图电路电压 u



解：① 确定电流方向如(b)

$$\textcircled{2} 2 = 11i + 10u_1 \quad u_1 = 10i + 10u_1$$

$$\Rightarrow i = -18 A \quad u_1 = 20 V \quad \Rightarrow u = 10u_1 = 200 V$$

课时四 练习题

1. 如下图(a)用支路电流法求 i_1, i_2, i_3

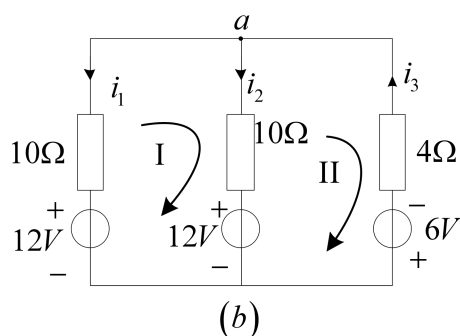
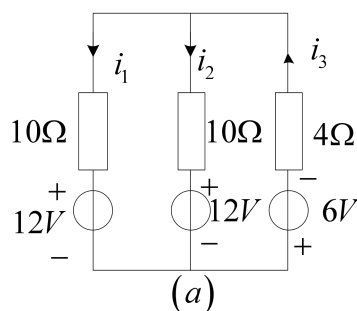
解: ①确定节点、支路、回路, 如图(b)

②在 a 点, 由 KCL 得: $i_3 = i_1 + i_2$

回路 I: $10i_2 + 12 - 12 - 10i_1 = 0$

回路 II: $-4i_3 - 6 - 12 - 10i_2 = 0$

计算得: $i_1 = -1A \quad i_2 = -1A \quad i_3 = -2A$



2. 用支路法求各支路电流

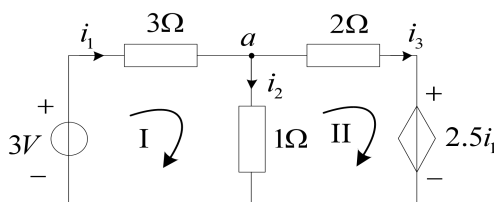
解: ①确定节点、支路、回路, 如图

②在 a 点, 由 KCL 得 $i_1 = i_2 + i_3$

在回路 I: $3i_1 + i_2 - 3 = 0$

在回路 II: $2i_3 + 2.5i_1 - i_2 = 0$

计算得: $i_1 = \frac{2}{3}A \quad i_2 = 1A \quad i_3 = -\frac{1}{3}A$



3. 用回路法求 I_4

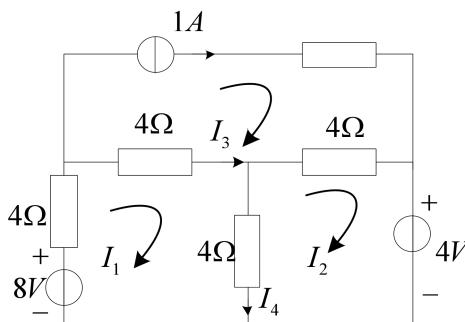
解: 确定回路个数和绕行方向, 如图

回路 I: $12I_1 - 4I_2 - 4I_3 = 8$

回路 II: $8I_2 - 4I_1 - 4I_3 = -4$

对回路 III: $I_3 = 1A$

解得: $I_1 = 1.2A \quad I_2 = 0.6A \quad I_3 = 1A \quad \Rightarrow I_4 = I_1 - I_2 = 0.6A$



4. 用回路法求 I_x

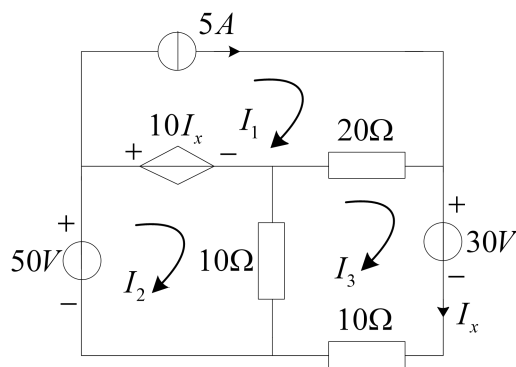
解：确定回路个数和绕行方向，如图

回路 I: $I_1 = 5A$

回路 II: $10I_2 - 10I_3 = 50 - 10I_x$

对回路 III: $40I_3 - 20I_1 - 10I_2 = -30$

解得: $I_1 = 5A \quad I_2 = 5A \quad I_3 = 3A \quad \Rightarrow I_3 = I_x = 3A$



5. 用节点法求下图中电路的电压 U

解：确定节点个数及参考点，如图

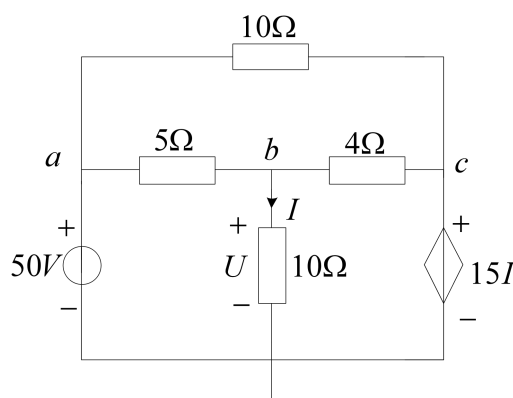
节点 a : $U_a = 50V$

节点 b : $\left(\frac{1}{5} + \frac{1}{4} + \frac{1}{10}\right)U_b - \frac{1}{5}U_a - \frac{1}{4}U_c = 0$

节点 c : $U_c = 15I$

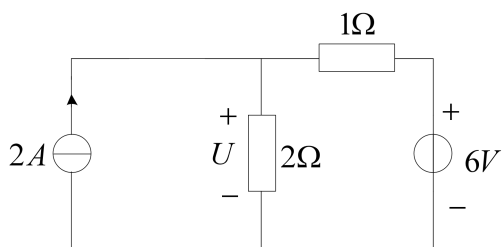
补充一个方程: $I = \frac{U_b}{10}$

解得: $U_a = 50V \quad U_b = \frac{400}{7}V \quad U_c = \frac{600}{7}V \quad \Rightarrow U = U_b = \frac{400}{7}V$

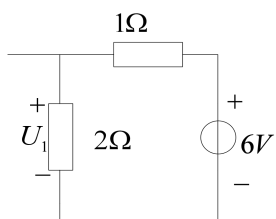


课时五 练习题

1. 如下图用叠加定理求 U

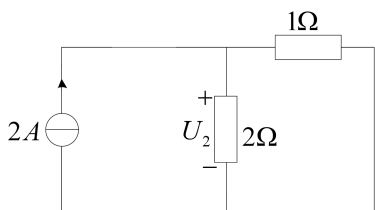


解：①电压源单独作用等效电路



$$U_1 = \frac{2\Omega}{1\Omega + 2\Omega} \times 6V = 4V$$

②电流源单独作用等效电路



$$U_2 = 2A \times (2\Omega // 1\Omega) = \frac{4}{3}V$$

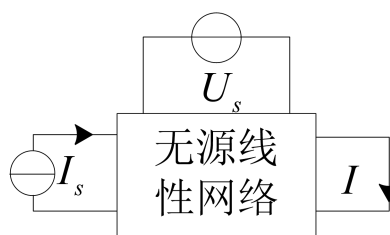
③叠加定理 $\therefore U = U_1 + U_2 = \frac{16}{3}V$

2. 封装好的电路图如图所示，已知下列实验数据；

当 $U_s = 1V, I_s = 1A$ 时，响应 $I = 2A$ ；

当 $U_s = 1V, I_s = 2A$ 时，响应 $I = 1A$ ；

当 $U_s = 1V, I_s = 5A$ 时，响应 I 等于多少？



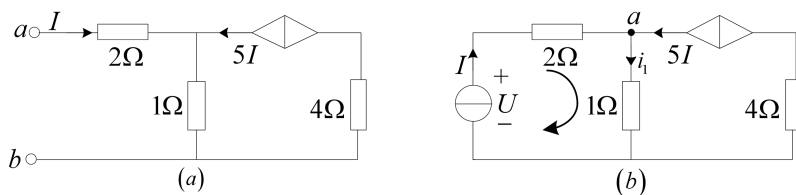
解：由齐次和叠加定理得

$$I = k_1 U_s + k_2 I_s$$

$$\therefore \begin{cases} k_1 + k_2 = 2 \\ k_1 + 2k_2 = 1 \end{cases} \Rightarrow k_1 = 3 \quad k_2 = -1 \Rightarrow I = 3U_s - I_s$$

$$\text{当 } U_s = 1V \quad I_s = 5A \Rightarrow I = 3 \times 1 - 5 = -2A$$

3. 如图(a)所示电路 $a-b$ 端口输入电阻。

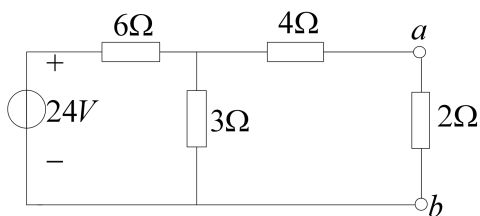


解：外加电压源等效电路如(b)

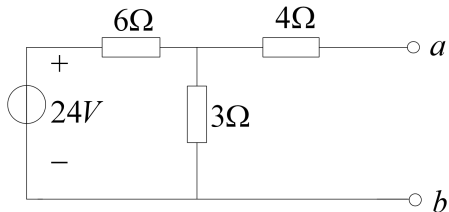
在节点 a : $i_1 = I + 5I = 6I$

由 KVL 得： $U = 2I + i_1 = 8I \quad \therefore R_{eq} = \frac{U}{I} = 8\Omega$

4. 电路如图，求 $a-b$ 端左侧电路的戴维南等效电路，并求负载 $R = 2\Omega$ 上的功率

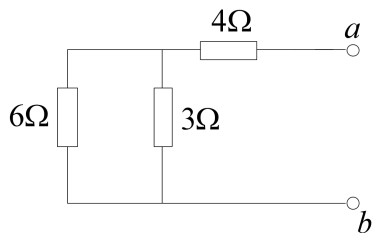


解：①求开路电压等效电路



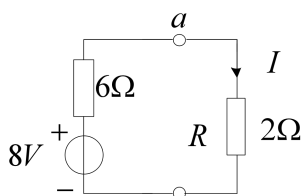
$$U_{oc} = \frac{3}{6+3} \times 24 = 8V$$

②独立源置零等效电路



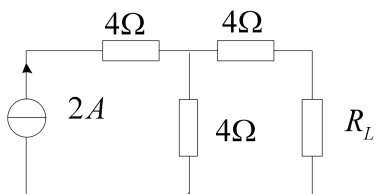
$$R_0 = 4\Omega + 6\Omega // 3\Omega = 4\Omega + \frac{6\Omega \times 3\Omega}{6\Omega + 3\Omega} = 4\Omega + 2\Omega = 6\Omega$$

③等效电路

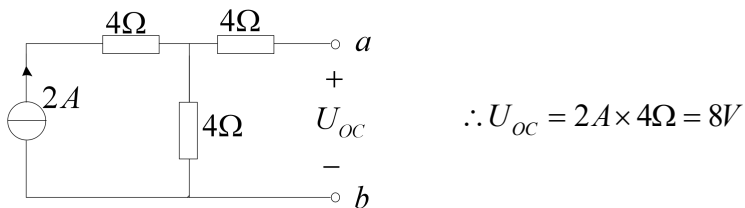


$$\text{通过 } R \text{ 的电流 } I = \frac{8}{6+R} = \frac{8}{6+2} = 1A \quad \Rightarrow P = I^2 R = 2W$$

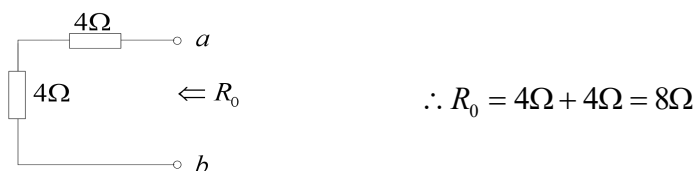
5. 如图电路负载 R_L 为何值时其上获得最大功率？最大功率是多少？



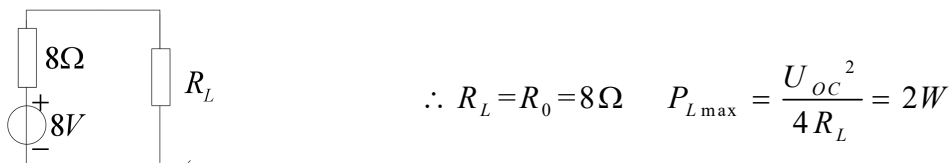
解：①求开路电压等效电路



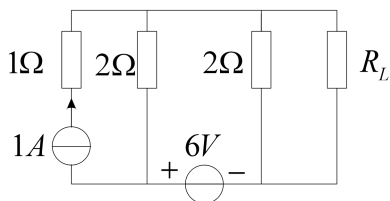
②独立源置零等效电阻等效电路



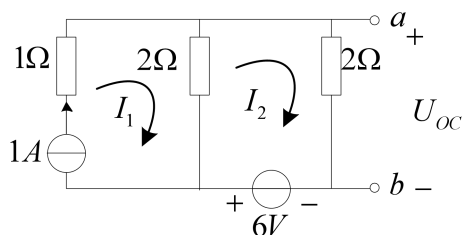
③等效电阻如下



6. 下图电路， R_L 为何值时其上获得最大功率？最大功率是多少？



解：①求开路电压等效电路

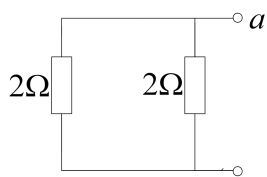


用回路法

$$\begin{cases} I_1 = 1A \\ 4I_2 - 2I_1 = 6V \end{cases} \Rightarrow I_2 = 2A$$

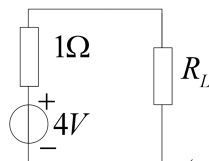
$$U_{OC} = 2\Omega \times I_2 = 4V$$

②独立源置零等效电阻等效电路



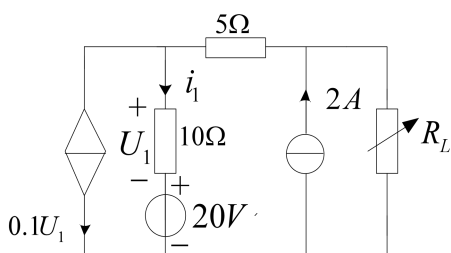
$$\Rightarrow R_0 = 1\Omega$$

③等效电路如下

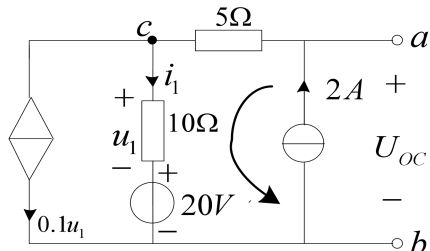


$$\therefore R_L = R_0 = 1\Omega \quad P_{L\max} = \frac{U_{oc}^2}{4R_L} = 4W$$

7. 如图所示电路， R_L 可任意改变，问 R_L 等于多大时其上获得最大功率？



解：①求开路电压等效电路

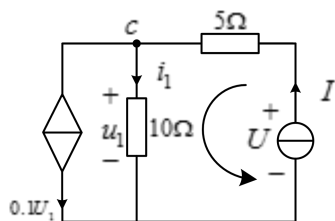


$$\text{在节点 } c: i_1 = 2 - 0.1u_1$$

$$u_1 = 10i_1 = 10(2 - 0.1u_1) \Rightarrow u_1 = 5V$$

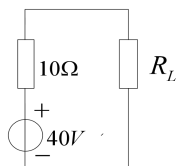
$$\text{在回路中: } U_{oc} = 5\Omega \times 2A + u_1 + 20V = 40V$$

②独立源置零等效电阻等效电路



$$\text{在回路中: } U = 5I + u_1 = 10I \therefore R_0 = 10\Omega$$

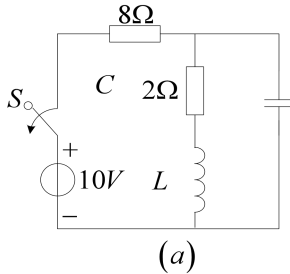
③等效电阻如下



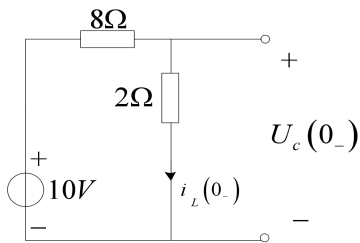
$$\therefore R_L = R_0 = 10\Omega \quad P_{L\max} = \frac{U_{oc}^2}{4R_L} = 40W$$

课时六 练习题

1. 如下(a)图电路 $t=0$ 时, 开关 S 打开, 求 $i_L(0_+)$ 、 $u_L(0_+)$ 和 $u_C(0_+)$



解: ① $t=0^-$ 等效电路

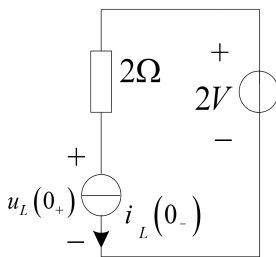


$$i_L(0_-) = \frac{10V}{8\Omega + 2\Omega} = 1A$$

$$u_C(0_-) = i_L(0_-) \times 2\Omega = 2V$$

②由换路定理得: $i_L(0_+) = i_L(0_-) = 1A$ $u_C(0_+) = u_C(0_-) = 2V$

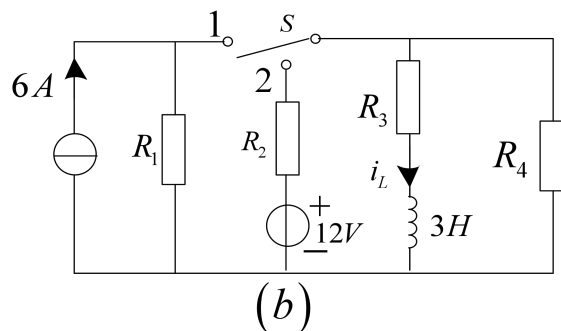
③ $t=0_+$ 等效电路



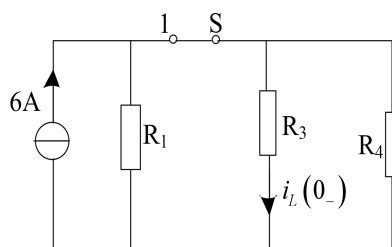
$$\therefore u_L(0_+) = 2V - 2\Omega \times i_L(0_+) = 0V$$

2. 如(b)图所示电路, $R_1 = 6\Omega$, $R_2 = R_4 = 6\Omega$, $R_3 = 3\Omega$, 在 $t < 0$ 时, 开关 S 由“1”闭合到“2”。

求 $t \geq 0$ 时的 $i_L(t)$ 。



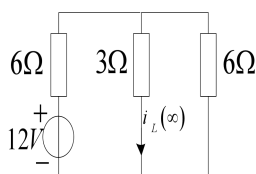
解：① $t = 0^-$ 等效电路



$$i_L(0_-) = \frac{6\Omega // 6\Omega}{6\Omega // 6\Omega + 3\Omega} \times 6A = 3A$$

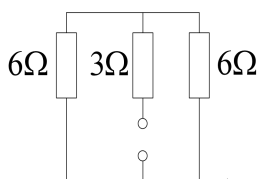
② 由换路定理得： $i_L(0_+) = i_L(0_-) = 3A$

③ $t = \infty$ 等效电路



$$i_L(\infty) = \frac{12V}{6\Omega + 3\Omega // 6\Omega} \times \frac{6\Omega}{3\Omega + 6\Omega} = 1A$$

④ 求解时常数 τ



$$\therefore \tau = \frac{L}{R} = \frac{3H}{3\Omega + 6\Omega // 6\Omega} = \frac{1}{2}$$

⑤ 代入三要素公式： $i_L(t) = [i_L(0_+) - i_L(\infty)]e^{-\frac{t}{\tau}} + i_L(\infty) = (3-1)e^{-2t} + 1 = 2e^{-2t} + 1$

课时七 练习题

1. 已知 $\dot{U}_1 = 60\angle 0^\circ$, $\dot{U}_2 = 60\angle 60^\circ$

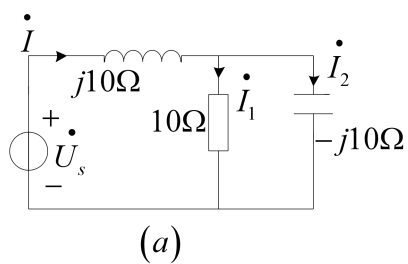
(1) 写出 u_1 、 u_2 的瞬时表达式

(2) 令 $u_3 = u_1 + u_2$ ，求出 u_3 的瞬时表达式

解：(1) $u_1 = 60\sqrt{2}\cos(\omega t)V$ $u_2 = 60\sqrt{2}\cos(\omega t + 60^\circ)V$ (题目中没给角频率假设为 ω)

(2) $\dot{u}_3 = \dot{u}_1 + \dot{u}_2 = 60\sqrt{3}\angle 30^\circ \therefore u_3(t) = 60\sqrt{6}\cos(\omega t + 30^\circ)V$

2. 如下图(a)电路, 设 $\dot{U}_s = 100\angle 0^\circ V$, 求 $\dot{I}, \dot{I}_1, \dot{I}_2$



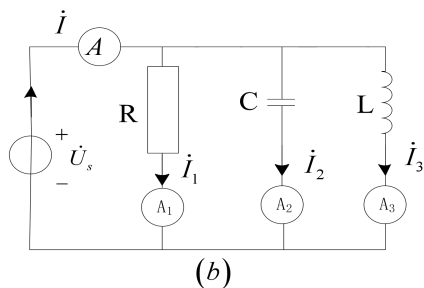
解: $z_{\text{总}} = j10 + [10 // (-j10)] = j10 + \frac{10 \times (-j10)}{10 - j10} = 5 + j5 (\Omega) = 5\sqrt{2}\angle 45^\circ (\Omega)$

$$\therefore \dot{I} = \frac{\dot{U}_s}{z_{\text{总}}} = \frac{100\angle 0^\circ V}{5\sqrt{2}\angle 45^\circ \Omega} = 10\sqrt{2}\angle -45^\circ A$$

$$\dot{I}_1 = \frac{-j10}{10 - j10} \dot{I} = \frac{1-j}{2} \dot{I} = \frac{\sqrt{2}}{2} \angle -45^\circ \times 10\sqrt{2} \angle -45^\circ = 10 \angle -90^\circ A$$

$$\dot{I}_2 = \frac{10}{10 - j10} \dot{I} = \frac{1+j}{2} \dot{I} = \frac{\sqrt{2}}{2} \angle 45^\circ \times 10\sqrt{2} \angle -45^\circ = 10 \angle 0^\circ A$$

3. 如下图(b)所示, 已知电流表 $A_1: 5A, A_2: 20A, A_3: 25A$, 求电流表 A 的读数

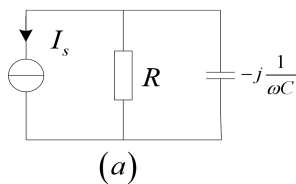


$$I = \sqrt{I_1^2 + (I_2 - I_3)^2} = \sqrt{5^2 + (20 - 25)^2} = 5\sqrt{2} A$$

\therefore 电流表 A 的读数为 $5\sqrt{2} A$

课时八 练习题

1. 图(a) 示交流电路, 已知 $\dot{I}_s = 2\sqrt{2}\angle 45^\circ A$, $R = 25\Omega$, $\frac{1}{\omega C} = 25\Omega$, 求负载的有功功率和无功功率



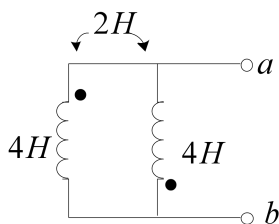
$$\text{解: } z_{\text{总}} = R // -j\frac{1}{\omega C} = 25\Omega // -j25\Omega = \frac{25 \times (-j25)}{25 - j25} \Omega = \frac{25}{2}(1 - j) = \frac{25\sqrt{2}}{2} \angle -45^\circ (\Omega)$$

$$\dot{U} = \dot{I}_s \times z_{\text{总}} = 2\sqrt{2}\angle 45^\circ A \times \frac{25\sqrt{2}}{2} \angle -45^\circ \Omega = 50\angle 0^\circ V \quad \Rightarrow \theta = \varphi_U - \varphi_I = -45^\circ$$

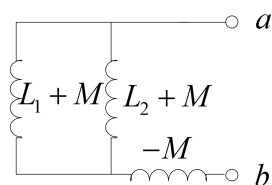
$$P = UI_s \cos \theta = 2\sqrt{2} \times 50 \times \frac{\sqrt{2}}{2} = 100W \quad Q = UI \sin \theta = 2\sqrt{2} \times 50 \times \left(-\frac{\sqrt{2}}{2}\right) = -100 \text{ var}$$

课时九 练习题

1. 下列电路 ab 端等效电感为_____

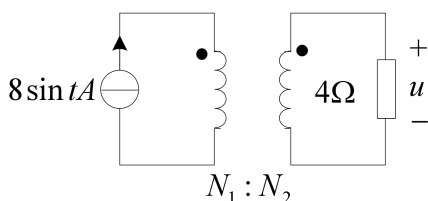


解: 异名端关联可等效为

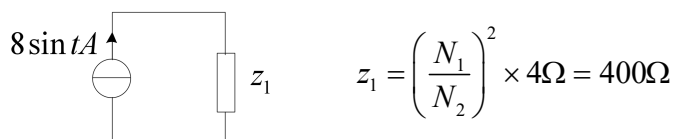


$$L_{ab} = \frac{L_1 L_2 - M^2}{L_1 + L_2 + 2M} = 1H$$

2. 图示电路, 理想变压器的匝数比 $N_1 / N_2 = 10$, 则电压 u 为多少?



解：将电路等效到初级，如下：



$$\dot{I} = 4\sqrt{2}\angle 0^\circ A \quad \therefore \dot{U}_1 = \dot{I} \times z_1 = 1600\sqrt{2}\angle 0^\circ V$$

$$\therefore \dot{U}_1 = 10\dot{U}_2 \quad \therefore \dot{U}_2 = \frac{\dot{U}_1}{10} = 160\sqrt{2}\angle 0^\circ V \quad \therefore U_2 = 160\sqrt{2}V$$

课时十 练习题

1. $Y-Y$ 形连接的三相对称电路，电源线电压为 $380V$ ，各相负载阻抗 $Z = 6 + j8\Omega$ ，求三相电路的总功率。

$$U_l = 380V \quad \therefore U_p = 220V \quad \therefore \dot{U}_a = 220\angle 0^\circ V$$

$$\therefore \dot{I}_a = \frac{\dot{U}_a}{z} = \frac{220\angle 0^\circ V}{6 + j8(\Omega)} = 22\angle -53^\circ A \Rightarrow \theta = 0^\circ - (-53^\circ) = 53^\circ$$

$$\therefore P_p = I_p U_p \cos \theta = 22 \times 220 \times \cos(53^\circ) \approx 2920W \quad \therefore P_{\text{总}} = 3P_p = 8760W$$

2. 如下图所示 $z = 10 + j10\Omega$ ，电源相电压为 $220V$ ，求负载端的线电压、线电流、相电流和总功率

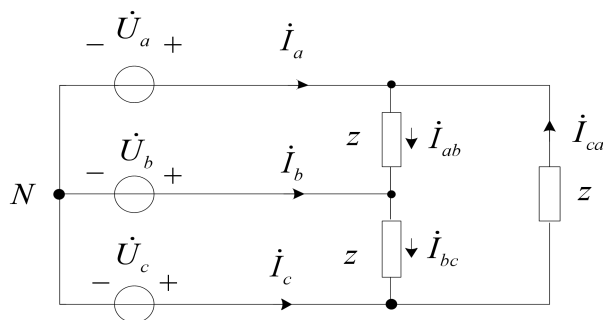
$$\text{解：} \because U_p = 220V \quad \therefore U_l = \sqrt{3}U_p = 380V$$

$$\text{假设 } \dot{U}_{ab} = U_l \angle 0^\circ = 380\angle 0^\circ V$$

$$\therefore \dot{I}_{ab} = \frac{\dot{U}_{ab}}{z} = \frac{380\angle 0^\circ V}{10 + j10(\Omega)} = \frac{380}{10\sqrt{2}} \angle -45^\circ (A) = 26.87\angle -45^\circ (A)$$

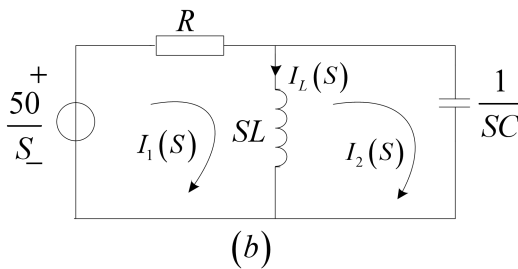
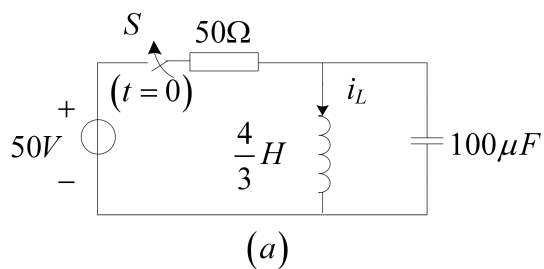
$$\text{相电流 } I_p = 26.87A \quad \therefore I_l = \sqrt{3}I_p \quad \text{线电流 } I_l = 46.54(A)$$

$$\therefore P_p = 3U_p I_p \cos \theta_z = 3 \times 380 \times 26.87 \times \cos(0 - (-45^\circ)) \approx 21660W$$



课时十一 练习题

1. 下图(a)所示电路原处于零状态, $t=0$ 时合上开关 S , 试求电流 i_L (用运算法)。



解: $i_L(0_-) = 0 \quad u_C(0_-) = 0 \quad U_s = 50 \Rightarrow \frac{50}{S}$

画出运算电路, 如图(b), 用回路法求解

$$(R + SL)I_1(S) - SLI_2(S) = \frac{50}{S}$$

$$-SLI_1(S) + \left(SL + \frac{1}{SC} \right) I_2(S) = 0$$

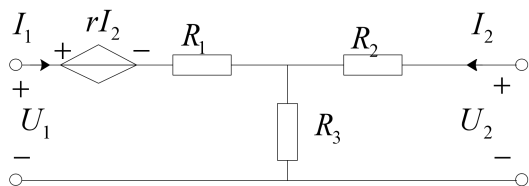
$$I_L(S) = I_1(S) - I_2(S) = \frac{50}{RLC} \times \frac{1}{S \left(S^2 + \frac{1}{RC}S + \frac{1}{LC} \right)}$$

$$I_L(S) = \frac{7500}{S(S^2 + 200S + 7500)} = \frac{7500}{S(S + 50)(S + 150)} = \frac{1}{S} - \frac{1.5}{S + 50} + \frac{0.5}{S + 150}$$

$$\therefore i_L(t) = 1 - 1.5e^{-50t} + 0.5e^{-150t} \text{ (A)}$$

课时十二 练习题

1. 求出下列二端口的 z 参数矩阵



$$\text{解: } z_{11} = \frac{U_1}{I_1} \Big|_{I_2=0} = R_1 + R_3 \quad z_{12} = \frac{U_1}{I_2} \Big|_{I_1=0} = R_3 + r$$

$$z_{21} = \frac{U_2}{I_1} \Big|_{I_2=0} = R_3 \quad z_{22} = \frac{U_2}{I_2} \Big|_{I_1=0} = R_2 + R_3$$

$$\therefore z \text{ 参数矩阵 } \begin{bmatrix} R_1 + R_3 & R_3 + r \\ R_3 & R_2 + R_3 \end{bmatrix}$$

课时十三 练习题

1. 一 RLC 串联谐振电路, 已知 $u_s(t) = 100 \cos \omega_0 t (mV)$, $C = 400 pF$, $r = 1 \Omega$, 电路的通频带

$B = 4 \times 10^4 \text{ rad/s}$, 求 L , ω_0 和 Q 。

$$\text{解: } Q = \frac{\omega_0 L}{r} \quad B = \frac{\omega_0}{Q} = \frac{r}{L}$$

$$\Rightarrow L = \frac{r}{B} = \frac{1}{4 \times 10^4} = 0.025 mH$$

$$\omega_0 = \frac{1}{\sqrt{LC}} = \frac{1}{\sqrt{25 \times 10^{-6} \times 400 \times 10^{-12}}} = 10^7 \text{ rad/s}$$

$$Q = \frac{\omega_0 L}{r} = \frac{10^7 \times 25 \times 10^{-6}}{1} = 250$$